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REDUCTION OF OSCILLATOR  
ORBITAL SYMMETRY PARTITIONS  
INTO IR OF SU(3)

By

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## ABSTRACT

We have developed a computer code to reduce the partitions of oscillator orbital symmetry groups, viz.  $U((n+1)(n+2)/2)$  into irreducible representations of  $SU(3)$  group. The method of obtaining the reductions is given in detail. The group theoretical notions required to understand the present report are also included. A complete reduction of the chain  $U(10) \supset SU(3)$  (for  $U(10)$  partitions having not more than four columns) is appended.

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REDUCTION OF OSCILLATOR ORBITAL SYMMETRY PARTITIONS INTO IR OF  
SU(3)

Introduction

With the pioneer works of Wigner, Racah<sup>1</sup> and Elliott<sup>2</sup> group theoretical methods or in other words the symmetry principles came into full usage in many branches of physics. Most profound applications of the group theoretical methods are being made in nuclear physics. The group SU(4) introduced by Wigner takes care of the spin-isospin independence of the nuclear forces<sup>3</sup>. The symplectic group introduced by Racah takes care of the pairing aspects of nuclear forces<sup>4</sup>. The group SU(3) introduced by Elliott brings in the rotational features of the nuclear spectra. Perhaps, the SU(3) group is the best example where an intermediate group is used to study nuclear structure. Besides these three symmetries there are many other symmetry groups which are used to explain a wide variety of nuclear phenomena. For example, in the two-level model of Krumlinde and Zymanski<sup>5</sup> various subgroup chains of the R(8) group are used to study the 'Backbending Effect'. The chains  $U(6) \supset SU(3)$  and  $U(6) \supset U(5) \supset R(5) \supset R(3)$  are used by Arima and Iachello<sup>6</sup> to explain the collective behaviour of nuclei (both vibrations and rotations) in a 'Boson interacting model'. The near degeneracy of the pseudo spin-orbit doublets of the type  $[(l+\frac{1}{2}), (l+\frac{1}{2})-\frac{1}{2}]$  lead to the introduction of the pseudo L-S and pseudo SU(3) coupling schemes by Arima et al<sup>7</sup> and Hecht and Adler<sup>8</sup>. These symmetries

are being used in the studies of heavy deformed nuclei where the group chains  $U((n+1)(n+2)/2) \supset SU(3) \supset R(3)$  are used,  $\hat{n}$  being the pseudo major oscillator shell-number. Recently some non-compact groups like  $SL(3,R)^9$  and  $Sp(3,R)^{10}$  are being used to understand nuclear structure.

An excellent review of various group symmetries that are being used in nuclear physics is given by Hecht<sup>11</sup>. Similar review articles by various experts can also be found in the proceedings of the XVth Solvay Conference which was devoted to the contributions of group theory and how it aided the tremendous progress towards understanding the atomic nucleus<sup>12</sup>.

To make use of a group chain  $G \supset G'$ , the first question one asks is: what irreducible representations (IR) of  $G'$  are contained in a given IR of  $G$ . For compact Lie groups a complete answer to this question is given by Littlewood by introducing the concept of Plethysm<sup>13</sup>. Although the theory of S-functions and the plethysm theory provides a complete answer, it is often very difficult to use them directly. This we will see in detail at a later stage.

When we assume the nucleons to be moving in an average central field approximated by an isotropic three dimensional oscillator field, one obtains the shell model of the nucleus. The orbital angular momentum quantum numbers ( $\ell$ ) that are possible for a single particle in a given major oscillator shell ( $\eta$ ) are given by

$$\ell = \eta, \eta-2, \dots, 0 \text{ or } 1 \quad (\text{I.1})$$

From the above series one notices that the highest orbital symmetry group for a given number of nucleons in a given shell  $\eta$ , is  $U((n+1)(n+2)/2)$  (hereafter denoted by  $U(S)$ ; the unitary group in  $S$  dimensions). This is a good symmetry group for spin-isospin independent fields. Elliott exploited the potential usefulness of the group  $SU(3)$  in the chain  $U(S) \supset SU(3) \supset R(3)$ . To make use of this chain, one should essentially know how to reduce this chain. The problem of reducing the chain  $SU(3) \supset R(3)$  is given completely by Elliott<sup>4</sup>. An alternative derivation can be seen in the paper of Racah<sup>14</sup>. The solution is as follows:

$$L = \lambda, \lambda+1, \dots, \lambda+\bar{\lambda}, \quad \lambda \neq 0$$

$$= \bar{\lambda}, \bar{\lambda}-2, \dots, 0 \text{ or } 1, \quad \lambda = 0$$

where  $\mu = \bar{\lambda}, \bar{\lambda}-2, \dots, 0 \text{ or } 1$

where  $\bar{\mu}$  is smaller of  $\lambda$  and  $\mu$ ,  $\bar{\lambda}$  is larger of  $\lambda$  and  $\mu$ . ( $\lambda \mu$ ) is IR of  $SU(3)$  and  $L$  are IR of  $R(3)$ .

Now we are left with the problem of reducing the chain  $U(S) \supset SU(3)$ . For  $\eta = 1$  the answer is trivial. For  $\eta = 2$  a complete answer is given by Flores and Perez<sup>15</sup>. Note that they make use of the general expression for  $\{2\} \otimes \{f\}$ ,  $\{f\}$  being the S-function corresponding to a totally symmetric partition  $[f]$ , derived by Chacon<sup>15</sup>. For  $\eta = 3$  and  $\eta = 4$  shells only partial listings are available in literature<sup>16,17</sup>. These are all hand made calculations, which make use of the Littlewood's techniques. The aim of the present report

is to provide a complete answer to this problem. A general computer programme to find IR of  $SU(3)$  in a given  $U(S)$  partition is appended (see Appendix-A). The routines developed are based on the technique developed by the author recently<sup>18</sup>. This we will discuss in detail in section B. In section A we give a brief review of various group theoretical concepts needed to understand the general philosophy adopted in the development of the routines. A complete description of the routines is given in section C. Some applications and concluding remarks are given in section D. In appendix-B the reduction of the chain  $U(10) \supset SU(3)$  (for partitions having not more than four columns) is given. In appendix C tensor decomposition of one and two-body operators in  $\mathcal{N} = 4$  shell is given.



## SECTION-A

### A Survey of some group theoretical concepts:

To understand the routines a formal knowledge of various concepts of the permutations group is needed. To make this report self contained, they will be reviewed in this section. We will introduce a new concept, called the 'order of a partition'. We replace proofs throughout by some simple examples. An extensive introduction to the permutation groups and S-function theory is given by Wybourne<sup>19</sup>. One can also look into the works of Hamermesh<sup>20</sup> and Littlewood<sup>21</sup> for further details.

#### A.1 Permutation Group:

The set of all permutations of  $n$  objects from a group, called the permutation group denoted by  $S_n$ . A permutation  $(\alpha_1, \alpha_2, \dots, \alpha_n)$  is a mapping of the  $n$  objects onto the  $n$ -objects. For example, for three particles we can write a permutation as

$$\begin{pmatrix} 1 & 2 & 3 \\ 2 & 1 & 3 \end{pmatrix}$$

which means the first object is mapped to the second, the second to the first and the third to the third.

For  $\alpha_1, \alpha_2, \alpha_3, \dots, \alpha_n$  objects

$$\begin{pmatrix} \alpha_1 & \alpha_2 & \alpha_3 & \dots & \alpha_n \\ \alpha_1 & \alpha_2 & \alpha_3 & \dots & \alpha_n \end{pmatrix}$$

is the identity element of  $S_n$ . The inverse is defined by

$$\begin{pmatrix} \alpha_1 & \alpha_2 & \dots & \alpha_n \\ \alpha'_1 & \alpha'_2 & \dots & \alpha'_n \end{pmatrix}^{-1} = \begin{pmatrix} \alpha'_1 & \alpha'_2 & \dots & \alpha'_n \\ \alpha_1 & \alpha_2 & \dots & \alpha_n \end{pmatrix}$$

and the group multiplication is given by

$$\begin{pmatrix} \alpha_1 & \alpha_2 & \dots & \alpha_n \\ \alpha'_1 & \alpha'_2 & \dots & \alpha'_n \end{pmatrix} \begin{pmatrix} \alpha'_1 & \alpha'_2 & \dots & \alpha'_n \\ \alpha''_1 & \alpha''_2 & \dots & \alpha''_n \end{pmatrix} = \begin{pmatrix} \alpha_1 & \alpha_2 & \dots & \alpha_n \\ \alpha''_1 & \alpha''_2 & \dots & \alpha''_n \end{pmatrix}$$

It can be seen easily that the group multiplication is closed.

#### A.2 Cycle:

If, in a permutation

$$\alpha_1 \rightarrow \alpha_2, \alpha_2 \rightarrow \alpha_3, \dots, \alpha_n \rightarrow \alpha_1$$

then we call it a cycle denoted by

$$(\alpha_1 \alpha_2 \dots \alpha_n)$$

Moreover it is called a cycle of length  $r$  (for  $r \neq 0$ ). So any permutation can be divided into cycles. For example,

$$\begin{pmatrix} 1 & 2 & 3 \\ 2 & 1 & 3 \end{pmatrix} = (12)(3)$$

$$\begin{pmatrix} 1 & 2 & 3 & 4 \\ 2 & 3 & 4 & 1 \end{pmatrix} = (12)(34)$$

### A.3. Cyclic Structure:

If in a permutation there are  $u_1$  cycles of length one,  $u_2$  cycles of length two, ...,  $u_n$  cycles of length  $n$ , then we define the cyclic structure ( $f$ ) corresponding to the given permutation by

$$f = (1^{u_1} 2^{u_2} \dots n^{u_n})$$

Example: For three objects, the possible cyclic structures are

$$(1^0 2^0 3^1), (1^1 2^1 3^0), (1^3 2^0 3^0)$$

It is easy to note that

$$u_1 + 2u_2 + 3u_3 + \dots + nu_n = n$$

### A.4. Partition:

Given an integer  $N$ , we can find  $N$  numbers

$$\lambda_1, \lambda_2, \dots, \lambda_N \quad \text{such that}$$

$$\lambda_1 \geq \lambda_2 \geq \dots \geq \lambda_N \geq 0 \quad (1.A)$$

$$\lambda_1 + \lambda_2 + \dots + \lambda_N = N \quad (2.A)$$

We call  $[\lambda_1, \lambda_2, \dots, \lambda_N]$  a partition of the integer  $N$ .

(We often denote a partition by the symbol  $\{f\}$ ).

Example: For three particles, the possible partitions are:

$$[300], [210], [111]$$

For brevity we will write  $[111]$  as  $[1^3]$ , similarly  $[300]$  as  $[3]$ . A totally symmetric partition is denoted by  $[N]$  and a totally antisymmetric partition by  $[1^N]$ . Diagrammatic representation of a partition is known as young tableau. For three particles the possible young tableau are

$$[3] = \begin{array}{|c|c|c|} \hline & & \\ \hline \end{array}$$

$$[2,1] = \begin{array}{|c|c|} \hline & \\ \hline & \\ \hline \end{array}$$

$$[1^3] = \begin{array}{|c|} \hline \\ \hline \\ \hline \\ \hline \end{array}$$

A young tableau is called an irregular tableau if eq.(1.A) is invalid.

#### A.5. Equivalence between partition and cyclic structure:

Given a partition  $[\lambda_1 \lambda_2 \dots \lambda_N]$  of the integer  $N$ , the corresponding cyclic structure  $(1^{v_1} 2^{v_2} \dots N^{v_N})$  is found by

$$v_1 = \lambda_1 - \lambda_2$$

$$v_2 = \lambda_2 - \lambda_3$$

$$\vdots$$

$$v_{N-1} = \lambda_{N-1} - \lambda_N$$

$$v_N = \lambda_N$$

(3.A)

### A.6. Irreducible representations of the symmetric group:

All the permutations having the same cyclic structure belong to the same class. Hence the distinct classes (a set of elements of  $S_n$  which transform onto themselves through a similarity transformation by the elements of  $S_n$ , form a class) can be labelled by the cyclic structures.

Example: The distinct classes of four objects can be labelled as

$$4^1, 3^1 1^1, 2^2, 2^1 1^2, 1^4$$

ii) As the number of irreducible representations of  $S_n$  is identical to the number of classes, and corresponding to a class, there will be one and only one cyclic structure and a cyclic structure in turn have a unique partition, we use the partitions to label the IR of the permutation group.

Note: Because of the well known duality between  $S_N$  and  $U(N)^{22}$ , we can use the label  $[f]$  of the symmetric group as the label for the IR of  $U(N)$ .

### A.7. Dimensionality:

The dimensionality of a partition  $[f_1 f_2 \dots f_N]$  of  $U(N)$  is given by

$$DIM ([f]) = \prod_{1 \leq i < j \leq N} \frac{f_i - f_j + j - i}{j - i} \quad (4.A)$$

In the above product  $i$  runs from one to  $N$  and for a given  $i$ ,  $j$  runs from  $i + 1$  to  $N$ . For example:

$$\text{DIM} \left( [1^n] \right)_{U(N)} = {}^N C_n \quad (5.a)$$

$$\text{DIM} \left( [n] \right)_{U(N)} = {}^{N+n-1} C_{n-1} \quad (6.a)$$

$$\text{DIM} \left( [2^s 1^{n-s}] \right)_{U(N)} = \frac{N-2s+1}{n+1} \left( {}^{N+1} C_s \right)^2 \quad (7.a)$$

$$\text{DIM} \left( [\lambda_1 \lambda_2 \lambda_3] \right)_{U(3)} = \frac{(\lambda_1 - \lambda_2 + 1)(\lambda_2 - \lambda_3 + 1)(\lambda_1 - \lambda_3 + 2)}{2} \quad (8.A)$$

#### A.8. Order of a cycle:

Order of a cycle is defined as number of different permutations having the same cyclic structure. The order  $h_p$  of a cyclic structure  $p$  (of  $n$  objects), where

$$p = 1^{v_1} 2^{v_2} \dots n^{v_n}$$

is given by <sup>21</sup>

$$h_p = \frac{n!}{1^{v_1} 2^{v_2} \dots n^{v_n} v_1! v_2! \dots v_n!} \quad (9.A)$$

#### A.9. Order of a partition:

This is a new notation we are introducing for easy reading of the programmes. The order of a partition is defined as the number of columns in the representative young tableaux. For example:

$$[4^3 2^2 1]$$

partition of order four

$$[3^3]$$

partition of order three

$$[2^2 1^2]$$

partition of order two

$$[1^5]$$

partition of order one

In nuclear physics problems we restrict the spatial partitions to partitions of order four (maximum) as we include only spin and isospin. Similarly the partitions we encounter in atomic physics problems are of order two.

A.10. Conjugate partition:

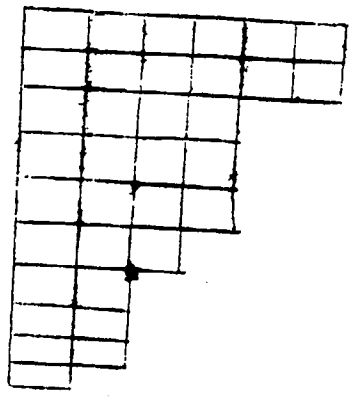
Given a partition  $[f]$  of  $r$  particles, having  $\alpha_1$  rows with  $A_1$  columns,  $\alpha_2$  rows with  $A_2$  columns, ...,  $\alpha_n$  rows with  $A_r$  columns, then we will write  $[f]$  as

$$[f] = [A_1^{\alpha_1} A_2^{\alpha_2} \dots A_n^{\alpha_n}]$$

where

$$A_1 \geq A_2 \geq \dots \geq A_n \geq 0$$

For example:



$$= [6^2 5^0 4^3 3^1 2^2 1^1]$$

Now we define a conjugate partition  $[\tilde{f}]$  corresponding to the given partition  $[f]$  as,

$$[\tilde{f}] = [\alpha_1 + \alpha_2 + \dots + \alpha_n, \alpha_1 + \alpha_2 + \dots + \alpha_{n-1}, \dots, \alpha_1 + \alpha_2, \alpha_1] \quad (10.A)$$

It is easy to note that  $[\tilde{f}]$  is obtained by interchanging the rows and columns of  $[f]$ . For example:

$$[\tilde{5321}] = [43211]$$

$$[\tilde{2^a 1^b}] = [a+b, a]$$

#### A.11. Hole partition:

The concept of hole partition is very useful because of the particle hole relationship in physics.

If  $[f] = [f_1, f_2, \dots, f_n]$ ,  $[f]$  being a partition of  $U_N$ , then we define the corresponding hole partition  $[\tilde{f}]$  as

$$[\tilde{f}] = [j_1, \dots, j_1 - f_n, j_1 - f_{n-1}, \dots, j_1 - f_2] \quad (11.A)$$

(if  $j_i = N$ ,  $f_i$  is to be dropped out in the above equation).

For example:

$$[\tilde{1^3}]_{U(10)} = [1^7]_{U(10)}$$



$$\overline{[2^6]}_{U(15)} = [2^9]_{U(15)}$$

$$\overline{[4^2 2 1]}_{U(6)} = [4^2 3 2]_{U(6)}$$

A.12. Character :  $\chi_{\rho}^{[f]}$

Character of a partition is the spur of the representative matrix. There are well defined methods to compute the character of a partition  $[f]$  with respect to a cyclic structure  $\rho$ , denoted by  $\chi_{\rho}^{[f]}$ . There are two trivial characters and these will suffice our purpose.

$$\chi_{\rho}^{[N]} = +1 \quad (12.A)$$

$$\chi_{\rho}^{[1^N]} = (-1)^N + \sum_{i=1}^N v_i \quad (13.A)$$

where

$$\rho = 1^{v_1} 2^{v_2} \dots N^{v_N}$$

A.13. Symmetric Functions:

Given  $n$  variables  $\alpha_1, \alpha_2, \dots, \alpha_n$  we define elementary symmetric functions  $h_k$  as,

$$h_1 = \sum \alpha_i$$

$$h_2 = \sum \alpha_i \alpha_j$$

$$\vdots$$

$$h_n = \alpha_1 \alpha_2 \dots \alpha_n$$

(14.A)

We define the symmetric functions  $a_n$  (homogeneous product sums) as

$$a_1 = \sum \alpha_i$$

$$a_2 = \sum \alpha_i \alpha_j + \sum \alpha_i^2$$

$$a_3 = \sum \alpha_i \alpha_j \alpha_k + \sum \alpha_i^2 \alpha_j + \sum \alpha_i^3$$

$$\vdots$$

$$a_n = \sum \alpha_i^n + \sum \alpha_i^{n-1} \alpha_j + \dots + \alpha_1 \alpha_2 \dots \alpha_n$$

(15.A)

(A.9f)

We define symmetric functions  $S_r$  (power sums) as

$$S_1 = \sum x_i$$

$$S_2 = \sum x_i^2 \tag{16.A}$$

(A.9g)

$$S_n = \sum x_i^n$$

(A.9f)

A.14. S-functions:

From the theory of symmetric groups, we get for a given partition  $[\lambda]$  of an integer  $n$ , a corresponding S-function (Schur function), denoted by  $\{ \lambda \}$  as<sup>23</sup>

$$\{ \lambda \} = \frac{1}{n!} \sum_F h_p C_p^{[\lambda]} S_p \tag{17.A}$$

where

$$S_F = S_1^{v_1} S_2^{v_2} \dots S_r^{v_r}$$

and  $C_p^{[\lambda]}$  is the character corresponding to the class defined by  $j = 1^{v_1} 2^{v_2} \dots r^{v_r}$

There are two important qualities

$$\{ N \} = h_n$$

$$\{ 1^n \} = a_n$$

where  $h_N$  and  $a_N$  are symmetric functions defined by eqns. 14.A and 15.A respectively.

A.15. Expansion of S-functions:

Given partition  $[f] = [f_1, f_2, \dots, f_n]$  then the corresponding S-function  $\{f\}$  can be expanded into S-functions of the type  $h_r$  as <sup>21</sup>

$$\{f\} = |A_{ij}| \quad (18.A)$$

where

$$A_{ij} = \{f_i + j - i\}$$

Similarly any S-function can be expanded into S-functions of the type  $a_r$  as

$$\text{if } \widetilde{[f]} = [p_1, p_2, \dots, p_n] \quad (19.A)$$

then

$$\{f\} = |B_{ij}|$$

where

$$B_{ij} = \{p_i + j - i\}$$

For example:

$$\{21\} = \{2\}\{1\} - \{3\} \quad \text{using (18.A)}$$

$$\{21\} = \{1^2\}\{1\} - \{1^3\} \quad \text{using (19.A)}$$

$$\{3^2 2^3 1\}$$

$$\begin{array}{cccccc} \{3\} & \{4\} & \{5\} & \{6\} & \{7\} & \{8\} \\ \{2\} & \{3\} & \{4\} & \{5\} & \{6\} & \{7\} \\ \{0\} & \{1\} & \{2\} & \{3\} & \{4\} & \{5\} \\ \{-1\} & \{0\} & \{1\} & \{2\} & \{3\} & \{4\} \\ \{-2\} & \{-1\} & \{0\} & \{1\} & \{2\} & \{3\} \\ \{-3\} & \{-2\} & \{-1\} & \{0\} & \{1\} & \{2\} \end{array}$$

by using (18.A)

Alternatively

$$\{3^2 2^3 1\} = \{6 5 2\}$$

Hence

$$\{3^2 2^3 1\} = \begin{array}{ccc} \{16\} & \{17\} & \{18\} \\ \{14\} & \{15\} & \{16\} \\ \{0\} & \{1\} & \{2\} \end{array}$$

by using (19.A)

From the above example we see that in some cases, expansion to S-function of the type  $a_r$  is simple than expansion to S-functions of the type  $h_r$  (vice versa is also true).

Note:

$$\{0\} = 1$$

$$\{n\} = 0 \quad \text{if } n < 0 \quad (20.A)$$

$$\{1^n\} = 0 \quad \text{if } n < 0, n > 5 \text{ for } U(5)$$

### A.6. Outer multiplications

We define the outer multiplication of two S-functions  $\{f_1\}$  of  $S_n$  and  $\{f_2\}$  of  $S_m$  as reduction of  $\{f_1\} \{f_2\}$  to S-functions of  $S_{m+n}$ . We denote the outer product as<sup>19)</sup>

$$\{f_1\} \{f_2\} = \sum_{\{f_3\}} T_{f_1 f_2 f_3} \{f_3\}$$

where  $\{f_3\}$  is an S-function of  $S_{m+n}$ ,  $T_{f_1 f_2 f_3}$  is the number of times the S-function  $\{f_3\}$  is occurring in the reduction of the outerproduct  $\{f_1\} \times \{f_2\}$

Rule 1]  $\{f_1\} \{f_2\} = \{f_2\} \{f_1\}$

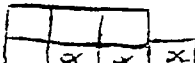
Rule 2] Say  $[f_2]$  is a totally symmetric partition, then we can write

$$\{f_2\} = \boxed{\alpha \mid \alpha \mid \alpha \mid \alpha \mid \alpha \mid \alpha \mid \alpha \mid \dots}$$

To obtain the outer product of  $\{f_1\} \{f_2\}$ , we add the boxes  $\alpha$  to the boxes of the young tableaux corresponding to the S-function  $\{f_1\}$ , such that no two  $\alpha$ s appear in the same column of the resultant young tableaux.

Rule 3] The resultant young tableaux should be regular.

Example:

The tableaux of the type  are irregular. For arbitrary  $\{f_2\}$  there are rules, but are quite cumbersome to carry out for a general case. As we can expand any general S-function to S-function of the type  $A_n$  (using 18.A), we can use the Rules (2) and (3) to find the outer multiplication of any two arbitrary S-functions.

Example:

$$\begin{aligned}
 \{6, 2\} \{8, 8\} &= \{2, 2\} [\{3\} \{8\} - \{9\} \{7\}] \\
 &= \{14, 10\} + \{14, 9, 1\} + \{14, 8, 2\} \\
 &\quad + \{13, 9, 2\} + \{13, 8, 3\} + \{12, 10, 2\} \\
 &\quad + \{12, 9, 3\} + \{12, 8, 4\} + \{11, 10, 3\} \\
 &\quad + \{11, 9, 4\} + \{11, 8, 5\} + \{10, 10, 4\} \\
 &\quad + \{10, 9, 5\} + \{10, 8, 6\}
 \end{aligned}$$

$$\{21\}\{21\} = \{21\} [\{2\} \{1\} - \{3\}]$$

23

$$= \{42\} + \{411\} + \{32\} + \{321\} + \{222\}$$

$$\{42\}\{10\} = \{102\} + \{93\} + \{921\} + \{84\}$$

$$+ \{831\} + \{822\} + \{741\} + \{732\}$$

$$+ \{642\}$$

A.17. Plethysm of S-functions:

(i) 'Plethysm of S-functions' is a kind of S-function multiplication which is extremely useful in the reduction of various groups. If  $\{K\}$  is an IR of a group  $G(n)$ , of dimension  $d$ , then it can be used to form a basis for the representation [1] of  $U(d)$  (unitary group in  $d$ -dimensions). Now, if  $\{L\}$  is a representation of  $U(d)$ , corresponding to the partition  $[L]$  of  $r$  particles, then  $\{K\} \otimes \{L\}$  (read as  $K$  plethysm  $L$ ) gives the S-functions in the outer product  $\{K\}^r$  having symmetry  $\{L\}$ . We write,

$$\{K\} \otimes \{L\} = \sum_P T_{KLP} \{P\} \quad (21.A)$$

where  $\{P\}$  are all possible S-functions that can occur in the outer product of  $\{K\}^r$  and  $T_{KLP}$  gives the number of times each of them is occurring.

Example:

The dimensionality of the (200) representation of  $U(3)$  is six. Hence it can be used to span the IR [1] of  $U(6)$ . Now to reduce the partitions  $\{2\}$  and  $\{1^2\}$  of  $U(6)$  to IR of  $SU(3)$ , we have to find



$$\{2\} \otimes \{2\} \quad \text{and} \quad \{2\} \otimes \{1^2\}$$

we know that

$$\{2\}^2 = \{4\} + \{31\} + \{22\}$$

$$\text{Also DIM } (\{2\}) \text{ U}(6) = 21$$

$$\text{DIM } (\{1\}) \text{ U}(6) = 15$$

$$\text{DIM } (\{4\}) \text{ U}(3) = 15$$

$$\text{DIM } (\{31\}) \text{ U}(3) = 15$$

$$\text{and DIM } (\{22\}) \text{ U}(3) = 6$$

As we know  $[400]$  is totally symmetric, from the dimensionality relations, we will get

$$\{2\} \otimes \{2\} = \{400\} + \{220\}$$

$$\text{and } \{2\} \otimes \{1^2\} = \{310\}$$

(ii) Some properties of plethysm:

$$\{P\} \otimes [\{Q\} + \{R\}] = \{P\} \otimes \{Q\} + \{P\} \otimes \{R\} \quad (22.A)$$

$$\{P\} \otimes [\{Q\} \{R\}] = [\{P\} \otimes \{Q\}] [\{P\} \otimes \{R\}] \quad (23.A)$$

In (23.A) the R.H.S. is the outer product of  $\{P\} \otimes \{Q\}$  with

$$\{P\} \otimes \{R\}$$

Note: The operation "plethysm" is not distributive w.r.t. addition, subtraction or multiplication on the left.

A.18. Dimensionality Checks:

- (i) When we reduce a partition  $[P]$  of  $U(N)$  to partitions  $[Q]$  of  $U(R)$  ( $R < N$ ), that is

$$\{P\}_{U(N)} \rightarrow \sum_Q T_{PQ} \{Q\}_{U(R)}$$

Then

$$\text{DIM} [\{P\}]_{U(N)} = \sum_Q T_{PQ} \text{DIM} [\{Q\}]_{U(R)}$$

(24.A)

- (ii) If we multiply two s-function  $\{P\}$  and  $\{Q\}$  corresponding to the partitions  $[P]$  and  $[Q]$  of  $S_n$  and  $S_m$  respectively, to get

$$\{P\}_{S_n} \{Q\}_{S_m} = \sum_R T_{PQR} \{R\}_{S_{m+n}}$$

Then

$$\text{DIM} [\{P\}]_{S_n} * \text{DIM} [\{Q\}]_{S_m} = \sum_R T_{PQR} \frac{(m+n)!}{m!m!} \text{DIM} [\{R\}]_{S_{m+n}}$$

where

$$\text{DIM} [\{f\}]_{S_m} = \frac{m! \prod_{i=1}^k (l_i - l_j)}{l_1! l_2! \dots l_k!}$$

With

$$[f] = [f_1, f_2, \dots, f_k] \quad f_k \neq 0, \quad (25.A)$$

and

$$l_i = f_i + k - i \quad f_{k+1} = 0$$

(iii) If

$$\{A\}_{U(N)} * \{B\}_{U(N)} \rightarrow \sum_C T_{ABC} \{C\}_{U(N)}$$

then

$$\text{DIM} [\{A\}]_{U(N)} * \text{DIM} [\{B\}]_{U(N)}$$

$$= \sum_C T_{ABC} \text{DIM} [\{C\}]_{U(N)}$$

Dimension checks are quite useful in checking the s-function multiplications and also the reductions of  $U(S)$  partitions.

where

$$\text{DIM} [\{f\}]_{S_m} = \frac{m! \prod_{i=1}^k (l_i - l_j)}{l_1! l_2! \dots l_k!}$$

with

$$[f] = [f_1, f_2, \dots, f_k] \quad f_k \neq 0,$$

(25.A)

and

$$l_i = f_i + k - i$$

$$f_{k+1} = 0$$

(iii) If

$$\{A\}_{U(N)} * \{B\}_{U(N)} \rightarrow \sum_C T_{ABC} \{C\}_{U(N)}$$

then

$$\text{DIM} [\{A\}]_{U(N)} * \text{DIM} [\{B\}]_{U(N)}$$

$$= \sum_C T_{ABC} \text{DIM} [\{C\}]_{U(N)}$$

Dimension checks are quite useful in checking the s-function multiplications and also the reductions of  $U(S)$  partitions.

SECTION-BREDUCTION OF U(S) PARTITION TO IR OF SU(3)B.1 INTRODUCTION

In this section we will see in detail how we will go about reducing U(S) partitions to IR of SU(3) using the plethysm concept introduced by Littlewood. We can see from eq.(6.A) that the dimensionality of the U(S) partition  $[n\ 0\ 0]$  is  $(n+1)(n+2)/2$ . Hence it can be used to span the IR  $[1]$  of U(S). Suppose  $[f]$  is a partition of U(S). Then we will get from the concept of plethysm that  $\{n\} \otimes \{f\}$  gives the reduction of  $\{f\}$  to IR of U(3) (we have to restrict the partitions in the reduction to the partitions having not more than three rows as we want U(3) content only). Now using eq.(17.A), we will get

$$\{n\} \otimes \{f\} = \frac{1}{n!} \sum_p h_p C_p^{[f]} (\{n\} \otimes S_p)$$

(1.B)

where  $[f]$  is a partition of  $r$  particles. For the definition of the remaining quantities see the previous section.

Using

$$S_p = S_1^{v_1} S_2^{v_2} \dots S_n^{v_n}$$

we can rewrite (1.B) as

$$\{\eta\} \otimes \{f\} = \frac{1}{n!} \sum_p h_p c_p^{[f]} [\{\eta\} \otimes s_1]^{v_1} [\{\eta\} \otimes s_2]^{v_2} \dots$$

(2.B)

$\{\eta\} \times S_r$  is called <sup>23)</sup> the 'new multiplication' of S-functions. J.A. Todd discussed their method of evaluation extensively <sup>23)</sup>. It is clear from eqn.(2.B) that the problem of reducing a partition  $[f]$  of  $U(S)$  reduces to the evaluation of  $\{\eta\} \times S_r$ , as we can read off the value of  $h_p$  and  $c_p^{[f]}$  from the character tables.

$[\{\eta\} \otimes s_n]^{v_n}$  is the outer product of  $\{\eta\} \otimes s_n$  taken  $v_n$  times with itself.

with  $[\{\eta\} \otimes s_{n'}]^{v_{n'}}$   $[\{\eta\} \otimes s_{n''}]^{v_{n''}}$  is the outer product of  $[\{\eta\} \otimes s_{n'}]^{v_{n'}}$

### B.2. New Multiplication:

To evaluate  $\{\eta\} \otimes S_r$ , we expand  $\{\eta\} \otimes S_r$  as

$$\begin{aligned} \{\eta\} \otimes S_r &= x_1 \{\eta r\} + x_2 \{\eta r-1, 1\} \\ &+ x_3 \{\eta r-2, 2\} + x_4 \{\eta r-2, 1, 1\} \\ &\dots \end{aligned}$$

(3.B)

In the above sum all partitions of the integer  $n$  are taken with the restriction that they should not have more than three rows as we want only  $U(3)$  content. Now to fix the coefficients we use the third reciprocity theorem of Weyl<sup>24)</sup> which states that 'If the IR  $g$  of  $G$  contains, on restricting  $G$  to the subgroup  $G' = G_1 \times G_2$ , the representation  $g_1 \times g_2$  of  $G'$  exactly  $b$  times ( $g_1, g_2$  are IR of  $G$ ) then conversely the representation  $(g_1 \times g_2)$  of (the full linear group) contains the representation  $g$  exactly  $b$  times. We illustrate the above theorem with one example:

Example:

Using eqn. (3.B) we will write

$$\begin{aligned}
 \{4\} \otimes S_3 &= \alpha_1 \{12\} + \alpha_2 \{11, 1\} + \alpha_3 \{10, 2\} \\
 &+ \alpha_4 \{10, 1, 1\} + \alpha_5 \{9, 3\} + \alpha_6 \{7, 2, 1\} \\
 &+ \alpha_7 \{8, 4\} + \alpha_8 \{5, 3, 1\} + \alpha_9 \{8, 2, 2\} \\
 &+ \alpha_{10} \{7, 5\} + \alpha_{11} \{7, 4, 1\} + \alpha_{12} \{1, 3, 2\} \\
 &+ \alpha_{13} \{6, 6\} + \alpha_{14} \{6, 5, 1\} + \alpha_{15} \{6, 4, 2\} \\
 &+ \alpha_{16} \{6, 3, 3\} + \alpha_{17} \{5, 5, 2\} \\
 &+ \alpha_{18} \{5, 4, 3\} + \alpha_{19} \{4, 4, 4\}
 \end{aligned}$$

We will find the  $\chi_i$ 's as follows:

It is trivial to note that  $x_1 = 1$ .

To find  $x_2$ :

$$\{11 \ 2\} = \begin{vmatrix} \{11\} & \{12\} \\ \{1\} & \{2\} \end{vmatrix}$$

$$= \begin{vmatrix} 0 & \{4\} \otimes S_3 \\ 1 & 0 \end{vmatrix}$$

using eq. (18.A)

Hence  $\{11 \ 1\}$  contains  $\{4\} \otimes S_3$  1 times. So, using reciprocity theorem we will get  $x_2 = -1$ .

To find  $x_3$ :

$$\{10 \ 2\} = \begin{vmatrix} \{10\} & \{11\} \\ \{1\} & \{2\} \end{vmatrix}$$

In the determinant, there is no term of the type  $\{3\}$ , so it can not contain  $\{4\} \otimes S_3$ . Hence  $x_3 = 0$ .

To find  $x_4$ :

$$\{10 \ 1 \ 1\} = \begin{vmatrix} \{10\} & \{11\} & \{12\} \\ \{0\} & \{1\} & \{2\} \\ 0 & \{0\} & \{1\} \end{vmatrix}$$

$$= \begin{vmatrix} 0 & 0 & \{4\} \otimes S_3 \\ 1 & 0 & 0 \\ 0 & 1 & 0 \end{vmatrix}$$

$$x_4 = -1$$



To find  $x_7$ :

$$\{84\} = \begin{vmatrix} \{8\} & \{9\} \\ \{3\} & \{4\} \end{vmatrix}$$

$$= \begin{vmatrix} 0 & \{3\} \otimes S_3 \\ \{1\} \otimes S_3 & 0 \end{vmatrix}$$

Continuing this process, we get  $x_7 = -1$

$$\begin{aligned} \{4\} \otimes S_3 &= \{12\} - \{41\} + \{101\} + \{92\} - \{721\} \\ &\quad - \{84\} + \{822\} + \{741\} - \{732\} \\ &\quad + \{66\} - \{651\} + \{633\} + \{552\} - \{543\} \\ &\quad + \{444\} \end{aligned}$$

For instance, reducing  $\{3\} \otimes S_1$ ,  $\{3\} \otimes S_2$ ,  $\{3\} \otimes S_3$  we can write a general expression for  $\{3\} \times S_r$  as<sup>25</sup>

$$\begin{aligned} \{3\} \otimes S_r &= \{1, r\} - \{2, r-1, 1\} + \{3, r-2, 1, 1\} \\ &\quad + \{2, r, r\} - \{2, r, 2, r-1, 1\} - \{2, r-1, r+1\} \\ &\quad + \{2, r-1, r-1, 2\} + \{2, r-2, r+1, 1\} \\ &\quad - \{2, r-2, r, 2\} + \{r, r, r\} \end{aligned}$$

Following the general procedure outlined above, deducing general expressions for  $\{2\} \otimes S_r$ ,  $\{3\} \otimes S_r$ ,  $\{4\} \otimes S_r$ , ... we can derive a general expression for  $\{n\} \otimes S_r$ ,  $n$  being an integer as<sup>18</sup>

$$\{n\} \otimes S_n = \sum_{a,b} \left[ \begin{aligned} & \{n\pi - a\pi, a\pi - b\pi, b\pi\} \\ & - \{n\pi - a\pi, a\pi - b\pi - 1, b\pi + 1\} \\ & + \{n\pi - a\pi - 1, a\pi - b\pi - 1, b\pi + 2\} \\ & - \{n\pi - a\pi - 1, a\pi - b\pi + 1, b\pi\} \\ & + \{n\pi - a\pi - 2, a\pi - b\pi + 1, b\pi + 1\} \\ & - \{n\pi - a\pi - 2, a\pi - b\pi, b\pi + 2\} \end{aligned} \right]$$

(4.B)

In the above expression, the summation is over all positive integers  $a$  and  $b$  with the constraint that all the non-standard  $S$ -functions are to be completely ignored. Eqn.(4.B) gives only the  $U(3)$  content of  $\{n\} \otimes S_n$  as needed for the applications to  $SU(3)$  group.

Note: For  $n = 2$ , only two rowed partitions are to be included on the R.H.S. of eqn.(4.B). Similarly for  $n = 1$  only one rowed partitions are to be included. Then we get two trivial results

$$\begin{aligned} \{n\} \otimes S_2 &= \{2n\} - \{2n-1, 1\} + \{2n-2, 2\} \\ &\quad - \{2n-3, 3\} + \dots + (-1)^n \{n, n\} \end{aligned}$$

and

$$\{n\} \otimes S_1 = \{n\}$$

(5.B)

These are identical with Littlewoods results.<sup>23</sup>

B.3] IR of SU(3) using  $\{n\} \otimes S_n$

3.b. Knowing how to reduce  $\{n\} \otimes S_r$  we will see how one can make use of eqn.(2.B) to reduce U(S) partitions to IR of SU(3). Let us consider the partitions  $[3]$ ,  $[21]$  and  $[1^3]$  of U(10), ( $r=3$ ). The character table for the integer three is given in table-I<sup>21</sup>. Using eqn.(2.B) we obtain

$$\begin{aligned} \{3\} \otimes \{3\} = \frac{1}{3!} & \left[ [\{3\} \otimes S_1]^3 + 3[\{3\} \otimes S_1][\{3\} \otimes S_2] \right. \\ & \left. + 2\{3\} \otimes S_3 \right] \end{aligned} \quad (6.B.1)$$

$$\{3\} \otimes \{21\} = \frac{1}{3!} \left[ 2[\{3\} \otimes S_1]^2 - 2\{3\} \otimes S_3 \right] \quad (6.B.2)$$

$$\begin{aligned} \{3\} \otimes \{1^3\} = \frac{1}{3!} & \left[ [\{3\} \otimes S_1]^3 - 3[\{3\} \otimes S_1][\{3\} \otimes S_2] \right. \\ & \left. + 2\{3\} \otimes S_3 \right] \end{aligned} \quad (6.B.3)$$

Using eqn.(5.B) we obtain

$$\begin{aligned} \{3\} \otimes S_3 = & \{9\} - \{81\} + \{711\} + \{63\} \\ & - \{621\} - \{54\} + \{522\} \\ & + \{444\} - \{432\} + \{333\} \end{aligned}$$

(6.B.4)

TABLE-ICharacter table for the integer three.\*

$\rho$	(1 <sup>3</sup> )	(12)	(3)
$h \rho$	1	3	2
$[\bar{3}]$	1	-1	1
$[\bar{2}1]$	2	0	-1
$[1\bar{3}]$	1	-1	1

\* (table adopted from ref.19).

$$\begin{aligned}
 [\{3\} \otimes s_1] [\{3\} \otimes s_2] &= \{3\} [\{6\} - \{51\} + \{42\} - \{33\}] \\
 &= \{9\} + \{72\} - \{711\} \\
 &\quad - \{531\} + \{522\} \\
 &\quad + \{44\} - \{333\}
 \end{aligned}$$

(6.B.5)

$$\begin{aligned}
 [\{3\} \otimes s_1]^3 &= \{3\}^3 \\
 &= \{9\} + 2\{81\} + 3\{72\} \\
 &\quad + \{711\} + 4\{63\} + 2\{621\} \\
 &\quad + 2\{54\} + 3\{531\} + \{522\} \\
 &\quad + \{441\} + 2\{432\} + \{333\}
 \end{aligned}$$

(6.B.6)

Substituting eqns. (6.B.4), (6.B.5) and (6.B. ) in eqn. (6.B.1), eqn. (6.B.2) and eqn. (6.B.3) we finally obtain

$$\begin{aligned}
 \{3\} \otimes \{3\} &= \{9\} + \{72\} + \{63\} \\
 &\quad + \{522\} + \{441\}
 \end{aligned}$$

$$\begin{aligned}
 \{3\} \otimes \{21\} &= \{31\} + \{72\} + \{63\} + \{621\} \\
 &\quad + \{54\} + \{531\} + \{432\}
 \end{aligned}$$

$$\{3\} \otimes \{1^3\} = \{711\} + \{63\} + \{531\} + \{333\}$$

We can check whether the above results are correct or not by computing the dimensionalities.

For example: Using eqn.(5.A) and (8.A), we get for the  $[1^3]$  partition

$$120 = 28 + 64 + 27 + 1 = 120$$

The method outlined above becomes tremendously laborious as the number of particles and as the integer (shell number) are increasing. For example, to reduce a typical partition of  $U(15)$ , one has to perform something as  $10^8$  s-function multiplications when we adopt the procedure discussed in 16.a). Also, to make use of eqn.(2.B), only characters upto sixteen particles are available in literature. Another disadvantage of using eqn.(2.B) is to reduce even a single partition; we have to reduce all the  $\{n\} \otimes S_p$  as can be seen from the example given. Although we can avoid this by expanding the s-functions corresponding to a given partition to s-functions of the type  $a_n$  or  $h_n$  and using this we can reduce the partitions of higher integers in terms of the lower ones, the laborious s-functions multiplication puts a bar on the human capability. So the only alternative we can think of is: to computerise the problem. To achieve this, we adopt a slightly different approach which we will discuss below.

B.4. New Method to reduce partitions of U(S) to IR of SU(3).

B.4.1 The possible IR of SU(3):

For a given number of particles  $r$  of U(S), we can find all possible U(3) partitions  $[\lambda_1, \lambda_2, \lambda_3]$  with the restriction

$$\lambda_1 \geq \lambda_2 \geq \lambda_3 \geq 0 \quad (7.B.1)$$

and

$$\lambda_1 + \lambda_2 + \lambda_3 = \eta * r \quad (7.B.2)$$

where  $\eta$  is related to S by the relation

$$S = (\eta+1)(\eta+2)/2 \quad (7.B.3)$$

The corresponding SU(3) representations  $(\lambda/\mu)$  are given by

$$(\lambda/\mu) = (\lambda_1 - \lambda_2, \lambda_2 - \lambda_3) \quad (7.B.4)$$

For  $r < 3$ , we will have further restrictions that

$$\lambda_3 = 0 \quad \text{for } r = 2 \quad (7.B.5)$$

and

$$\lambda_2 = \lambda_3 = 0 \quad \text{for } r = 1 \quad (7.B.6)$$

Example: For  $r = 4$  of  $U(10)$ , the possible IR of  $SU(3)$  are

$$(\lambda \mu) = (12 \ 0) \ (10 \ 1) \ (8 \ 2) \ (90) \ (63) \ (71)$$

$$(44) \ (52) \ (60) \ (25) \ (33) \ (41) \ (06)$$

$$(14) \ (22) \ (30) \ (03) \ (11) \ (00)$$

#### B.4.2 The $\epsilon$ restriction:

When we restrict to partitions having not more than four columns, for larger  $r$ ; the maximum  $\epsilon = 2\lambda + \mu$  possible will be much less than the maximum  $\epsilon$  possible in principle.

Example: For  $r = 10$  of  $U(15)$

$$\max \epsilon \text{ (in principle)} = 80$$

$$\max \epsilon \text{ (for partitions of order four)} = 62$$

So, when we reduce partitions of order less or equal to four, we can cut off all  $(\lambda \mu)$  having  $\epsilon > 62$ .

This  $\epsilon$  restriction is very important, as it saves lot of computer time.

#### B.4.3 Reduction of the outer product:

The problem of finding IR of  $SU(3)$  in a partition  $[x]$  of  $x$  particles of  $U(S)$  is nothing but finding the number of times each  $(\lambda \mu)$  (which satisfy eqn. (7.B.1) - eqn. (7.B.6)) is occurring in that partition. This we will write in a mathematical notation as

$$\{n\} \otimes \{x\} = \sum_{\lambda \mu} A_{\lambda \mu} (\lambda_{x n'} \mu_{x n'}) \quad (8.B)$$



In the above expression  $\{\eta\}$  and  $\{\chi\}$  are s-functions corresponding to the partitions  $[\eta]$  and  $[\chi]$ .  $A_{xr'}$  gives the number of times the SU(3) representations  $(\lambda_{x n'} \mu_{x n'})$  of  $x$  particles in the shell  $\eta$ , occurs in the reduction of the partition  $[\chi]$ . A similar expression for a partition  $[y]$  of  $y$  particles in the shell  $\eta'$ , is written as

$$\{\eta\} \otimes \{\chi\} = \sum_{\eta''} A_{y \eta''} (\lambda_{y \eta''} \mu_{y \eta''}) \quad (9.B)$$

Now, we will see how we can find IR of SU(3) in the Kronecker product of the s-functions  $\{\chi\}$  and  $\{\eta\}$ . This we can write as

$$\{\eta\} \otimes [\{\chi\} \{\eta\}] = \sum_{Z \eta'''} A_{Z \eta'''} (\lambda_{Z \eta'''} \mu_{Z \eta'''}) \quad (10.B)$$

where

$$Z = \chi + \eta$$

To find  $A_{Z \eta'''}$  We first find the number of times the representations  $(\lambda_{Z \eta'''} \mu_{Z \eta'''})$  occur in the Kronecker product of the SU(3) representations  $(\lambda_{\chi n'} \mu_{\chi n'}) \times (\lambda_{\eta n''} \mu_{\eta n''})$  and multiply it, with  $A_{\chi r'} * A_{\eta r''}$ . Repeat the same for all  $r'$  and then for all  $r''$ . If we add them all we get  $A_{Z r'''} \cdot$  Repeating the same for all  $r'''$ , we get all  $A_{Z r'''} \cdot$

#### B.4.4 To find the IR of SU(3) in a partition of U(S).

To achieve this we expand the given partition to partitions of type  $[1^r]$  using eqn.(19.A). Now knowing the reductions of the

partitions of the type  $[1^r]$  we can find the determinant products using the method given in (B.4.3).

We reduce the partitions  $[1^r]$  using eqn.(2.B), knowing the  $d_p$  form (13.A) and  $h_p$  form (9.A). As the number of rows in a partition of  $U(S)$  cannot be greater than  $S$ , for a given  $S$  we have to reduce all  $[1^r]$ ,  $r < s$ . Now, because of particle-hole equivalence we need reduce only half of them, as the other half can be reduced using the relation

$$\{n\} \otimes \{1^n\} = \sum_n A_n (\lambda_n \mu_n)$$

then 
$$\{n\} \otimes \{1^{S-n}\} = \sum_n A_n (\mu_n \lambda_n)$$

Two trivial cases are:

$$\{n\} \otimes \{1^S\} = (00)$$

$$\{n\} \otimes \{0\} = (00)$$

#### B.4.5. SU(3) outer product:

Now to evaluate the outer products, using the method outlined in (B.4.3), we should know how to find the SU(3) outer product. That is, we should know how to reduce the outer product  $(\lambda_1, \mu_1) \times (\lambda_2, \mu_2)$  to IR of SU(3). This problem is solved by Chew and Sharp<sup>26</sup>. This problem is equivalent to reducing the chain,

$$SU(3) \times SU(3) \supset SU(3)$$

The number of times a given  $SU(3)$  representation  $(\lambda_3, \mu_3)$  occur in the Kronecker product of the  $SU(3)$  representations  $(\lambda_1, \mu_1) \times (\lambda_2, \mu_2)$  is calculated as

$$\text{If } s = [(\lambda_1 + \lambda_2 - \lambda_3) - (\mu_1 + \mu_2 - \mu_3)] / 3$$

$$u = [(\lambda_1 - \lambda_2 - \lambda_3) + 2(\mu_1 + \mu_2 - \mu_3)] / 3$$

Let  $\mu$  be lesser of  $\lambda_1 - s$  and  $\mu_2$

$\nu$  be lesser of  $\lambda_2 - s$  and  $\mu_1$

Say  $\nu \geq \mu$  (otherwise interchange the roles of  $\nu$  and  $\mu$ )

Then the multiplicity can be found from fig. i.

#### B.5. The general procedure:

We will summarise the general procedure as follows:

1. Evaluate all  $\{n\} \otimes S_\lambda$  for a given shell  $n$ ,  
 $r \leq NR2$ , where  $NR2 = (m+1)(n+2)/4$
2. Reduce all  $[1^r]$  partitions,  $r \leq NR2$
3. Expand the given partition to partitions of the type  $[1^r]$
4. Evaluate the determinantal products.

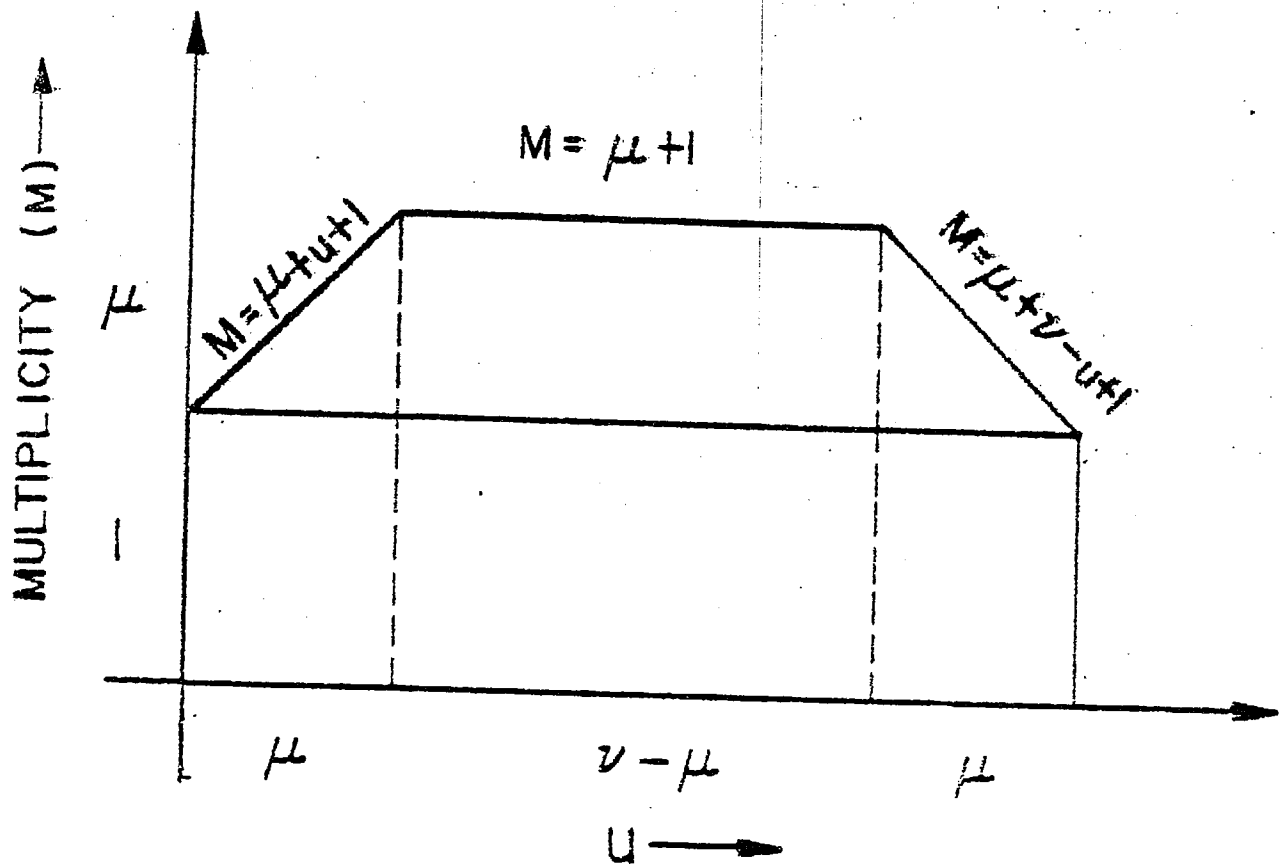


FIG. 1. REDUCTION OF  $(\lambda_1 \mu_1) \times (\lambda_2 \mu_2) \rightarrow (\lambda_3 \mu_3)$

It is interesting to note that the above procedure is very much laborious when we do with hand (because to find outerproducts we have to use fig.1 all the time), compared to the procedure we to adopt if we use eqn.(2.B). But it is very much straightforward to translate the above procedure to a machine code. Now we will go over the description of the programme which computes IR of  $SU(3)$  in a partition of  $U(S)$ .

SECTION-C

DESCRIPTION OF THE PROGRAMME

C.1 Introduction:

The fortran IV deck which computes the IR of SU(3) in a given partition of U(S), consists of thirteen subroutines and a main programme. The main programme calls the subroutines in a particular order and it consists of the input and output statements. The general layout of the programme is given in the flow-diagrams. The fortran IV programme given in Appendix-A can reduce only partitions having not more than four columns. However, it can be extended for any number of columns, in a straightforward way. Four column partitions are sufficient for applications to atomic and nuclear physics problems.

C.2. Notation:

The routines are written in a notation in so far as practical parallels that used in the sections A and B. The equivalence is as follows:

$\lambda$	~	LAM, LAMK, LAM3, LAMR
$\mu$	~	MU, MUK, MU3, MUR

Multiplicity (M) MFAT, MFATR, MFAT3, MFATRR, MFATKK, MFAT4

$[1^n]$	✓	ICH
$C_p$	✓	
$K_p$	✓	IH
$1^v_1 2^v_2 3^v_3$	✓	NU
$[F]$	✓	IFR, IFP
Factorials	✓	IFACT
Shell number	✓	N
Number of particles	✓	NP
$[4^a 3^b 2^c 1^d]$	✓	IA, IB, IC, ID
$(N+1)(N+2)/2$	✓	NR
NR/2	✓	NR2

C.3 Structure

The main structure of the programme is illustrated in the block diagrams (fig.(ii) and fig.(iii)). The details are given in the comment cards which are incorporated into the programme deck.

C.4 Subprogramme description:

For identification, in the fortran IV deck, we label our thirteen subroutines as A,B,C,....., L.M.

A. YNGTBL: This subroutine calculate all the young tableaux for particles upto NR2. Then they are changed to corresponding cyclic structures. It makes use of eqns. (1.A - 3.A). In fact, we make use of a method, which we call "Back substitution method", to find the young tableaux.

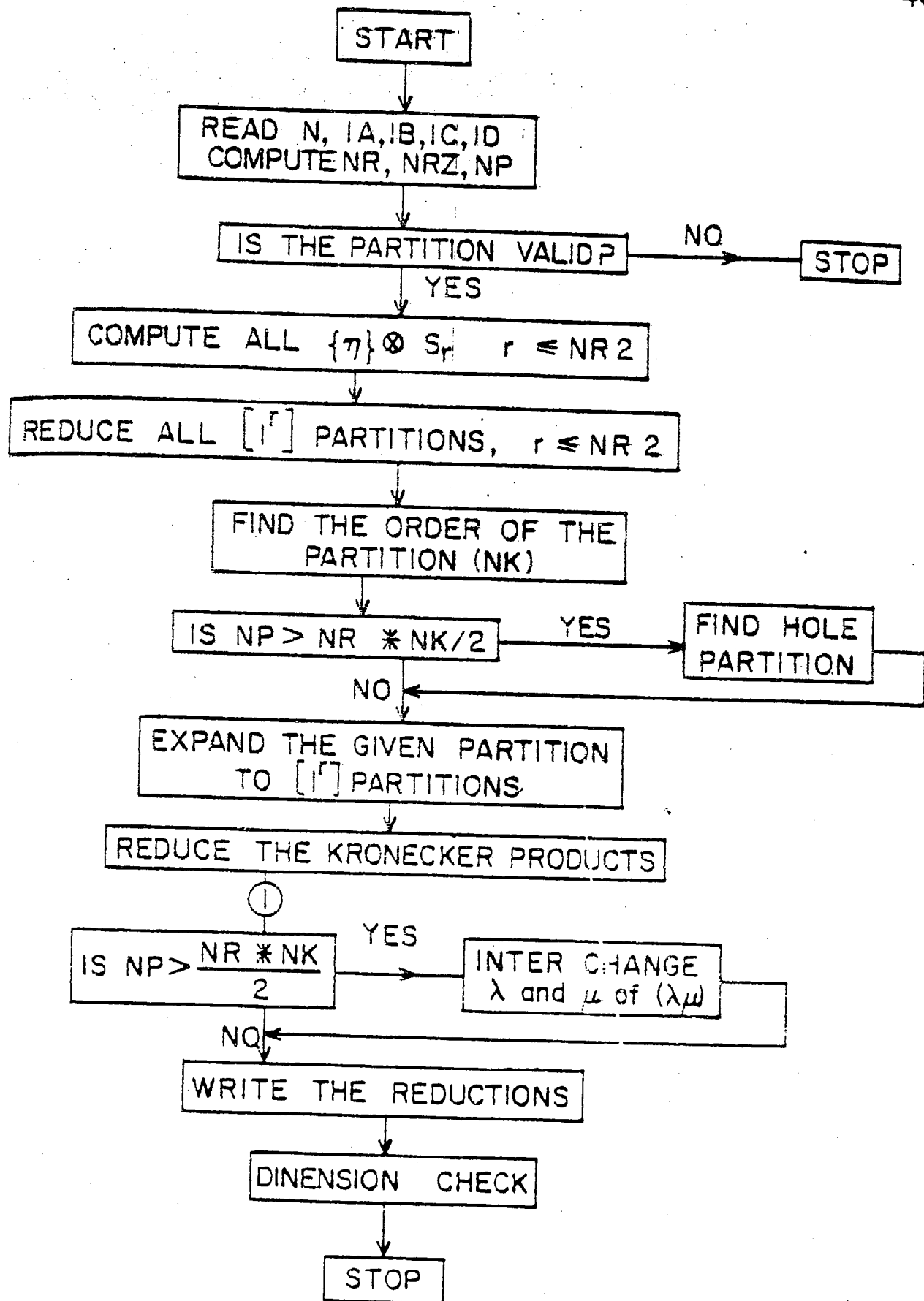


FIG. 2. FLOW CHART TO REDUCE  $U(S)$  PARTITIONS INTO IR OF  $SU(3)$



$K_x$  = NUMBER OF SU(3) REPRESENTATIONS FOR X PARTICLES  
 $K_y$  = NUMBER OF SU(3) REPRESENTATIONS FOR Y PARTICLES  
 $K_z$  = NUMBER OF SU(3) REPRESENTATION FOR Z (X+Y) PARTICLES

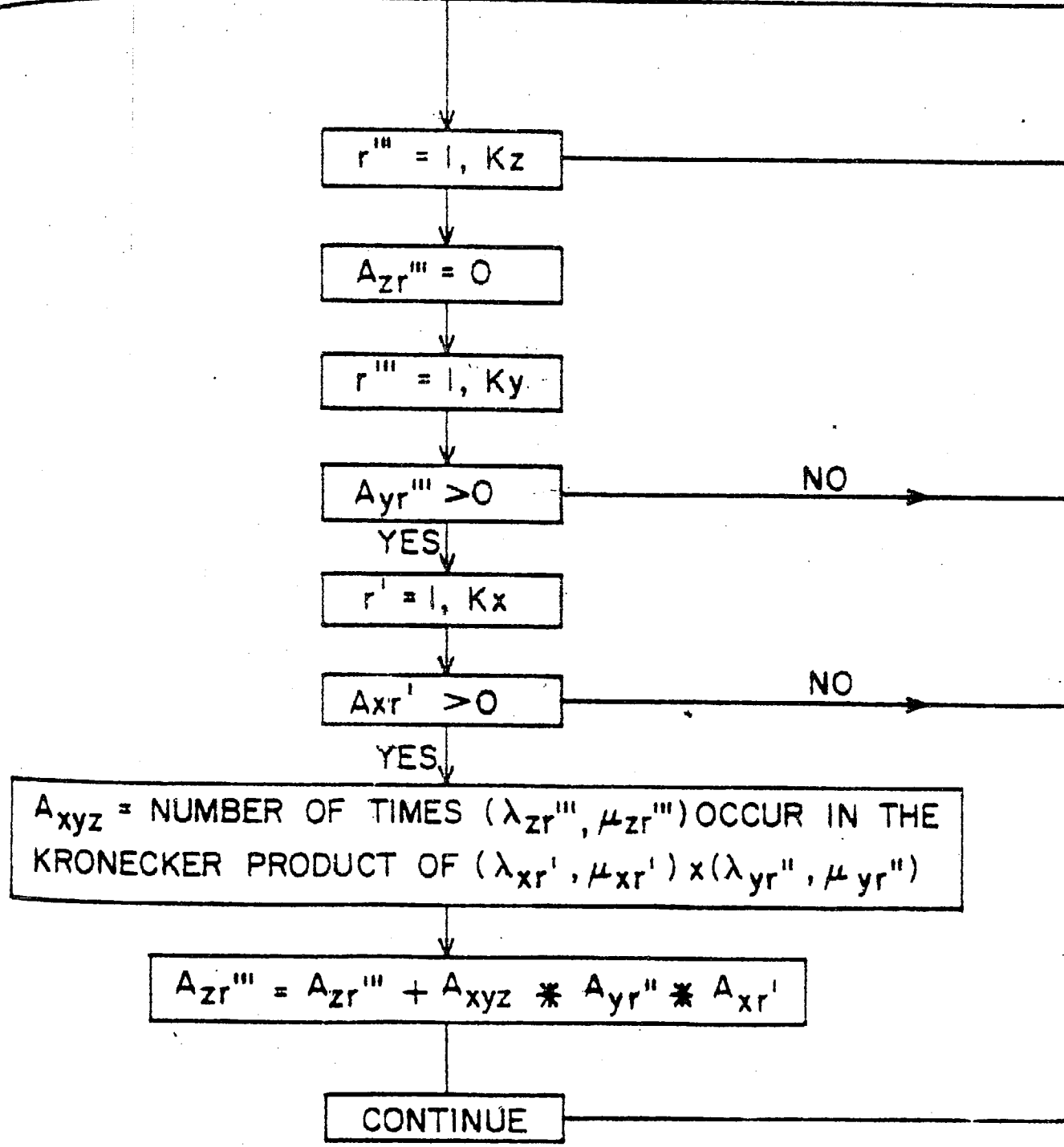


FIG 3 FLOW DIAGRAM TO FIND IR OF SU(3) IN  $\{\eta\} \otimes [\{x\}\{y\}]$

A partition  $f$  of  $N$  particles consists of maximum of  $N$  rows denoted by

$$[F] = [f_1, f_2, \dots, f_N]$$

To find all possible  $[f]$  for the integer  $N$ , we first put

1st step :  $[f^0] = [N, 0, 0, \dots, 0]$

2nd step : Decrease  $N$  by one unit and write the one particle partitions in the next place, to get

$$[f^1] = [N-1, 1, 0, 0, \dots, 0]$$

3rd step : Decrease  $N$  by one unit and write the two particle partitions in the next places, to get

$$[f''] = [N-2, 2, 0, 0, \dots, 0]$$

$$[f'''] = [N-2, 1, 1, 0, 0, \dots, 0]$$

At each step we have to check whether the partition obtained is a valid partition or not using eqn.(1.A). Proceeding in the same way as above until  $f_1=0$ , we get all  $N$ -particle partitions. So, knowing the partitions for the integers  $1, 2, \dots, N-1$ , we can find the partitions for the integers  $N$  using the above procedure. We start with  $N=1$  and using the above back substitution method we find partitions for any integer  $N$ .

This routine is called by PLTHSM.

B. PARTIS: We denote a U(S) partition by

$$[f] = [f_1, f_2, \dots, f_s]$$

This routine computes  $f_i$  if we give the partition in the form  $[4^a 3^b 2^c 1^d]$ . The method is as follows:

$$f_1 = f_2 = \dots = f_a = 4, \text{ for } a \neq 0$$

$$f_{a+1} = f_{a+2} = \dots = f_{a+b} = 3, \text{ for } b \neq 0$$

$$f_{a+b+1} = f_{a+b+2} = \dots = f_{a+b+c} = 2, \text{ for } c \neq 0$$

$$f_{a+b+c+1} = f_{a+b+c+2} = \dots = f_{a+b+c+d} = 1, \text{ for } d \neq 0$$

$$f_{a+b+c+d+1} = f_{a+b+c+d+2} = \dots = f_{a+b+c+d+2} = 0$$

Called from IEPSLN and MAIN.

C. IEPSLN: This routine calculates the maximum  $\epsilon \in (2\lambda + \mu)$  possible for a partition of a given order. The purpose of this routine is discussed in B.4.2.

If  $\{f\} = [f_1 \ f_2 \ \dots \ f_N]$

and  $\{p\} = [p_1 \ p_2 \ \dots \ p_N]$

we call  $\{f\}$  having weight greater than that of  $\{p\}$ , if  $f_1 > p_1$

or  $f_1 = p_1$  and  $f_2 > p_2$

or  $f_1 = p_1, f_2 = p_2, f_3 > p_3$

For a partition  $\{f\}$  of given order, if we know the leading  $SU(3)$  representation  $(\lambda \mu)$  then any other representation  $(\lambda' \mu')$  having  $\epsilon' = 2\lambda' + \mu'$  can not occur in the reduction of any partition of that order, if

$$\epsilon' > \epsilon, \quad \epsilon = 2\lambda + \mu$$

so we can omit all  $(\lambda, \mu)$  having  $\epsilon' > \epsilon$  to save computer time.

(i) To find highest symmetry partition, for a given number of particles (NP1), of given order (N1)

Step (i) Find  $K1 = [NP1/N1]$  where  $[x]$  is the integral part of  $x$

Step (ii) Compute  $NP2 = NP1 - N1 \times K1$

Step (iii) Find  $K2 = [NP2/(N1-1)]$

Step (iv) Compute  $NP3 = NP2 - (N1-1) \times K2$

$$\underline{\quad} \quad \underline{\quad} \quad \underline{\quad} \quad \underline{\quad} \quad \underline{\quad} \quad \underline{\quad} \quad \underline{\quad} \quad \underline{\quad}$$

By doing the above procedure to  $N1$  steps, we will get the highest symmetry partition

$$[F]_{\text{highest}} = \left[ N1^{K1}, (N1-1)^{K2}, (N1-2)^{K3}, \dots, 1^{KN1} \right]$$

Example: The highest symmetry partition, for six particles, of order four is computed as follows:

$$K1 = 6/4 = 1$$

$$N1 = 2$$

$$K2 = 2/3 = 0$$

$$N2 = 2$$

$$K3 = 2/2 = 1$$

$$N4 = 0$$

$$K4 = 0$$

$$\text{Therefore } [f] = [4^1 3^0 2^1 1^0]$$

Knowing the highest symmetry partition, the leading SU(3) representation in the reduction of that partition can be found as follows:

For a given shell  $\eta$ , the possible single particle orbits  $(n_z, n_x, n_y)$  can be found with the following constraints:

$$n_z = \eta - k, \quad n_x = k - r, \quad n_y = r$$

where  $0 \leq k \leq \eta$ ,  $0 \leq r \leq k$

and  $n_z \geq n_x \geq n_y \geq 0$

Example: For  $\eta = 3$  shell the possible single particle orbits  $(n_z, n_x, n_y)$  are given by

$$(300)(210)(201)(120)(111)(102)(030)(021)(012)(003)$$

(note that these are in decreasing weight).

Given a partition  $[f] = [N_1^{K_1}, N_2^{K_2}, \dots]$  filling the first  $K_1$  single particle orbits with  $N_1$  quanta, then next  $K_2$  orbits with  $N_2$  quanta ----, we can find the total  $N_z, N_x$  and  $N_y$  as

$$N_i = \sum_{j=\text{single particle orbits}} n_i(j)$$

Then the corresponding leading SU(3) representation is given by

$$(\lambda \mu) = (N_Z - N_X, N_X - N_Y)$$

So maximum  $\epsilon = 2\lambda + \mu$

Example: For the partition  $[4 2]$  of  $U(10)$  we get

$$N_Z = 14$$

$$N_X = 2$$

$$N_Y = 0$$

Therefore  $(\lambda \mu)$  (leading) = (12, 2)

Hence maximum  $\epsilon = 26$ .

This routine is called from SUREP

It calls PARTIS

D. SUREP: This routine computes all the possible  $SU(3)$  representations  $(\lambda \mu)$  that can occur in the reduction of a given partition of a given order, making use of eqns. (7.B.1) - (7.B.6) (see sec. B.4.2).

Called from PLTHSM, KRONP, REDTN

Calls EPSLN

Note: While reducing  $[1^r]$  partitions using eqn.(2.B) this routine will not call EPSLN, here all the  $SU(3)$  representations are to be used.

E. NUMULT: This routine evaluate  $\{n\} \otimes S_n$  for  $n \leq NR2$   
 Makes use of the expression (4.B)

called from MAIN

It converts U(3) representations to SU(3) representations using eqn.(7.B.4).

F. MULTU: Calculate the multiplicity of the SU(3) coupling  $(\lambda_1 \mu_1) \times (\lambda_2 \mu_2) \rightarrow (\lambda_3 \mu_3)$ . This routine is adopted from ref.(28). See sec. B.4.5. for details.

Called from KRONP, REDTN

G. KRONP: This routine performs SU(3) outer multiplication to reduce the Kronecker product of any two partitions  $[P]$  and  $[Q]$   
 See sec. B.4.3. for details

Called from PLTHSM, REDTN

Calls SUREP, MULTU

Note: When called from PLTHSM  $[Q]$  stands for  $\{n\} \otimes S_n$

When called from REDTN  $[Q]$  stands for  $\{n\} \otimes \{1^n\}$

This routine destroy the  $(\lambda \mu)$  of  $[P]$  and stores the

$(\lambda \mu)$  of the product in that place while returning (this saves storage).

When  $[Q] = [1^{NR}]$  it takes  $[Q] \rightarrow (00)$

When  $[Q] = [1^R]$ ,  $R > NR2$  it makes use of the particle-hole relationship.

H. PLTHSM: This routine reduces all  $[1^n]$  partitions using eqn.(2.B).

Called from MAIN

Calls YNGTEL.

I. PATHOL: This routine will find the hole partition corresponding to a given partition  $[f]$ . For example:

$$\text{if } [f] = [4^a 3^b 2^c 1^d]$$

$$[\tilde{f}] = [4^{NR-a-b-c-d} 3^d 2^c 1^b]$$

$$\text{if } [f] = [3^a 2^b 1^c]$$

$$[\tilde{f}] = [3^{NR-a-b-c} 2^c 1^b]$$

$$\text{if } [f] = [2^a 1^b]$$

$$[\tilde{f}] = [2^{NR-a-b}, 1^b]$$

$$\text{if } [f] = [1^r]$$

$$[\tilde{f}] = [1^{NR-r}]$$

where  $NR = (n+1)(n+2)/2$ ,  $n$  being the shell number. This routine converts  $[f]$  to  $[\tilde{f}]$  only when

$$NP > \frac{NI * NR}{2} \quad \text{and} \quad NI > 1$$

( $NI$  = order of the partition,  $NP$  = number of particles).  
Called from REDTN.

J. ORDER: This routine computes the order of a given partition. The procedure is as follows:

$$\text{Say } [f] = [4^a 3^b 2^c 1^d]$$

then

if  $a \neq 0$   $[f]$  is of fourth order

if  $a=0, b \neq 0$   $[f]$  is of third order



if  $a=0, b=0, c \neq 0$   $[f]$  is of second order

$a=0, b=0, c=0, d \neq 0$   $[f]$  is of first order

called from MAIN

K. DESEND: Given four numbers,  $K_1, K_2, K_3$  and  $K_4$ , this routine puts them in descending order. Say, in the descending the numbers are  $\bar{K}_1, \bar{K}_2, \bar{K}_3$  and  $\bar{K}_4$ . We can find them, as

$$\text{Max } (K_1, K_2, K_3, K_4) = \bar{K}_1$$

$$\text{Min } (K_1, K_2, K_3, K_4) = \bar{K}_4$$

maximum of the three numbers, except  $(\bar{K}_1) = \bar{K}_2$

$$\bar{K}_3 = K_1 + K_2 + K_3 + K_4 - \bar{K}_1 - \bar{K}_2 - \bar{K}_4$$

called from REDTN.

L. REDTN: Given a partition  $[f] = [4^a, 3^b, 2^c, 1^d]$ , this routine reduces it to IR of  $SU(3)$ . It computes the conjugate partition  $[\tilde{f}]$  as

$$[\tilde{f}] = [a+b+c+d, a+b+c, a+b, a]$$

$$= [X_1, X_2, X_3, X_4]$$

Then expand  $[f]$  to a  $4 \times 4$  matrix as

$$[f] = \begin{vmatrix} [1^{x_1}] & [1^{x_1+1}] & [1^{x_1+2}] & [1^{x_1+3}] \\ [1^{x_2-1}] & [1^{x_2}] & [1^{x_2+1}] & [1^{x_2+2}] \\ [1^{x_3-2}] & [1^{x_3-1}] & [1^{x_3}] & [1^{x_3+1}] \\ [1^{x_4-3}] & [1^{x_4-2}] & [1^{x_4-1}] & [1^{x_4}] \end{vmatrix} \quad (3.0)$$

Now the determinant is computed as follows:

Given a 4 x 4 matrix

$$[A] = \begin{vmatrix} KA(1) & KB(1) & KC(1) & KD(1) \\ KA(2) & KB(2) & KC(2) & KD(2) \\ KA(3) & KB(3) & KC(3) & KD(3) \\ KA(4) & KB(4) & KC(4) & KD(4) \end{vmatrix}$$

then the determinant  $|A|$  corresponding to the matrix (A) is given by:

$$|A| = \sum_{\substack{i \neq j \\ \neq k \neq l}} KA(i) KB(j) KC(k) KD(l) * (-1)^\phi$$

(4.C)

where  $(-1)^\phi = +1$  if  $(ijkl)$  is an even permutation, and  $(-1)^\phi = -1$  if  $(ijkl)$  is an odd permutation. This can be achieved through the method illustrated by the flow chart in fig.(iv).

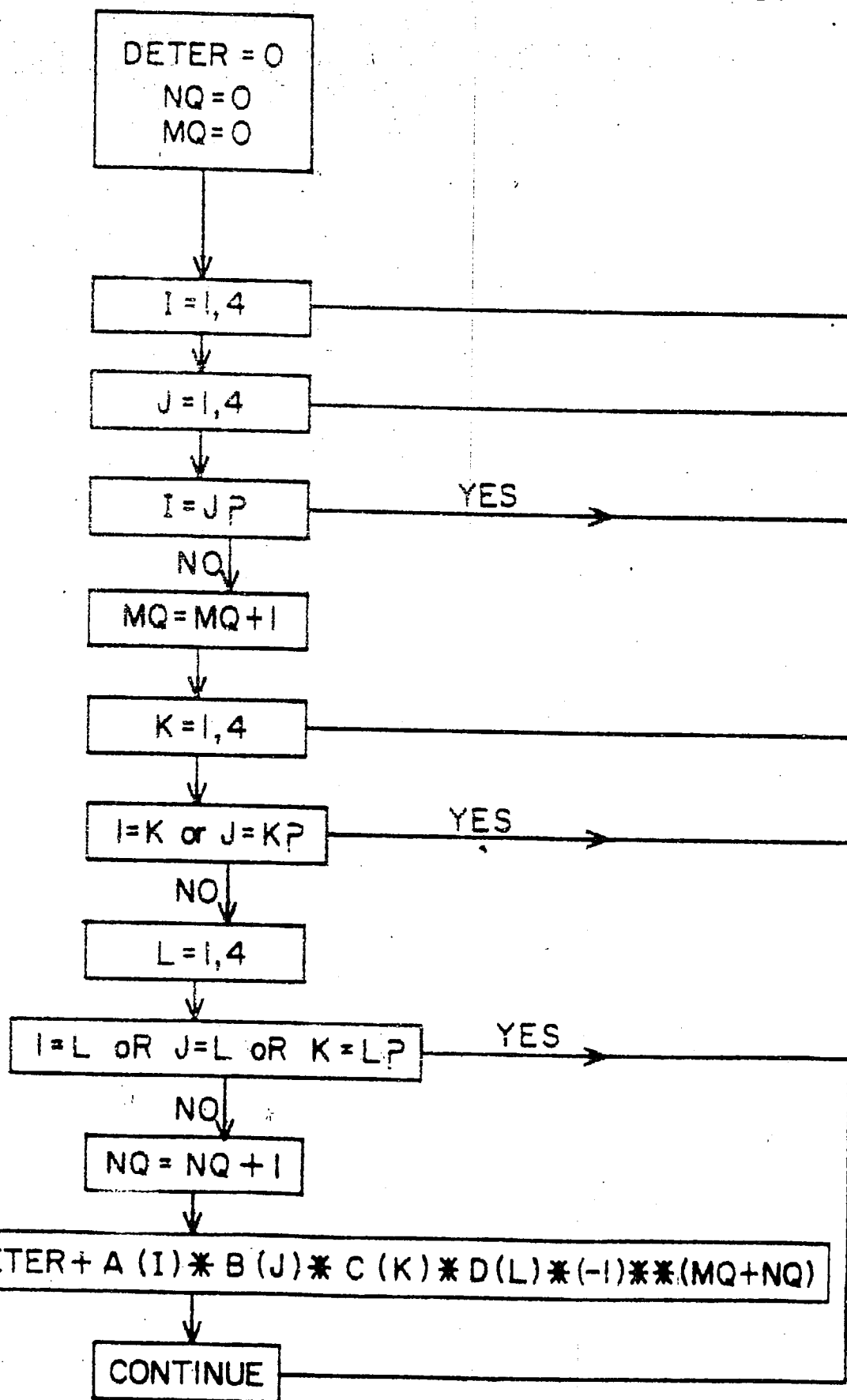


FIG. 4. FLOW DIAGRAM TO FIND DETERMINANT

The above determinant gives typical terms of the type  
 $[1^{S_1}] [1^{S_2}] [1^{S_3}] [1^{S_4}]$  which will be reduced to IR of  
 SU(3) using the techniques outlined in B.4.3 and B.4.4. We have  
 used eq. (20.A) while replacing the partitions in eqn. (3.C).

To reduce the partitions of particles (NP),  $NP > \frac{NI \times NR}{2}$ ,  
 first the corresponding hole partition will be reduced to IR  
 of SU(3) and then the particle-hole transformation is done;  
 which states that

$$\text{if } [f] = \sum_n A_n (\lambda_n \mu_n)$$

$$\overline{[f]} = \sum_n A_n (\mu_n \lambda_n)$$

(5.C)

calls SUREP, KRONP, DESEND  
 called by MAIN.

M. DIMCHK: This routine performs dimensionality checks. This  
 makes use of A.18.i). The dimensionality of a given partition is  
 computed by expanding it to a determinant as given in eqn. 3.C) and  
 the determinant is evaluated using eqn.4.C). In this evaluation  
 the partitions are replaced by their respective dimensionalities  
 (see eqn.5.A). This we will call 'Theoretical Dimensionality'. The  
 dimensionality corresponding to the reductions is computed, using

the fact that  $\dim(\lambda\mu) = (\lambda+1)(\mu+1)(\lambda+\mu+2)/2$   
 (This we will call 'calculated dimensionality'). In the first step,  
 this routine checks the dimensionalities of all the  $[1^r]$  parti-  
 tions ( $r \leq NR2$ ) (see eqn. 5.A). Secondly, it will check the dimensio-  
 nality of the reduction of the given partition. To perform these two  
 steps, we use a dummy variable IE in the programme. If IE=0 the  
 programme checks the dimensionalities of  $(1^r)$  partitions only. If  
 IE = 1 it checks the dimensionality of the given partition  
 Called by MAIN.

Z. MAIN: The main programme serves as a control routine, as it  
 gives the sequence in which the subroutines are to be called. It  
 contains the input, output statements. The calling sequence is as  
 follows:

CALLS, NUMULT, PLTHSM, DIMCHK, PATHOL, REDTN, PARTIS and DIMCHK  
 It reads the shell number (N) and the numbers IA, IB, IC and ID  
 which define the given partition  $[f]$  where

$$[f] = \left[ \begin{array}{cccc} 4 & IA & 3 & IB \\ & & 2 & IC \\ & & & 1 & ID \end{array} \right]$$

C.5 Input, output formats:

C.5.1 Input Format: (K=number of cards)

Ist card SHELL NUMBER (N)

FORMAT 20I4

(2-K) cards - IA, IB, IC, ID (on each card)

FORMAT 20I4

(END FILE = -1)

### C.5.2 Output Format:

- I. Write the input partition  $[f_1, f_2, f_3, \dots, f_{NR}]$  of  $U(S)$ .  
 FORMAT - 20I4
- II. List the reductions, where the first number in the brackets give the value of  $\lambda$  and the second number  $\mu$ . A space is inserted to separate them.  $(\lambda \mu)$  is an IR of  $SU(3)$ . The number before the parenthesis gives the number of times that particular IR of  $SU(3)$  is occurring in the reduction of the given partition.
- III. If the given partition is invalid, it will write  
 IA, IB, IC, ID -- check the data.

C.6. Common Block Description: We used nine labelled common blocks in the routines. They are:

1. /VKB1/ N, NR, NR2  
 N is shell number, NR is the orbital degeneracy and  
 NR2 = NR/2  
 used in YNGTBL, PARTIS, IEPSLN, SUREP, REDTN,  
 NUMULT, KRONP, DIMCHK and MAIN
2. /VKB2/ NU(6,8,6), KP(6)  
 NU gives the cyclic structures for particles upto NR2.  
 The first dimension is for the number of particles,  
 second dimension for the different cycles and the third  
 dimension is for the different rows in the partition.  
 KP gives the number of different partitions (or cycles  
 structures) for a given number of particles.

Used in YNGTEL, PLTHSM.

3. /VKB3/ <sup>LAMR</sup> (11,6), MUR (11, 6) MFATR(11,6), LKR (6)  
 MFATR gives the number of times the SU(3) representation (LAMR, MUR) occurring in the reduction of  $\{r\} \otimes S_n$  or  $\{r\} \otimes \{1^n\}$  as the case may be. LKR give the number of SU(3) representations.

The first dimension in LAMR, MUR and MFATR is for different SU(3) representations and the second dimension for different number of particles (r).

Used in NUMULT, PLTHSM, REDTN, KRONP, DIMCHK and MAIN

NOTE: In NUMULT it stores  $\{r\} \otimes S_n$  and then they will be destroyed and in PLTHSM it stores  $\{r\} \otimes \{1^n\}$ .

4. /VKB4/ LAM(200), MU(200)  
 LAM, MU are different SU(3) representations.  
 Used in PLTHSM, REDTN, SUREP, KRONP.
5. /VKB5/ MFAT(200)  
 MFAT stores the multiplicities of the SU(3) representations.  
 Used in PLTHSM, KRONP, REDTN.
6. /VKB6/ NP, N1  
 NP=number of particles, N=1order of the partition  
 Used in PATHOL, REDTN, MAIN
7. /VKB7/ KR8  
 KR8 = number of SU(3) representations (whose multiplicities are non-zero) in the reduction of the given partition.

8. /VKB8/ LAMK(200), MUK(200), MFATK(200)

This block stores the final reductions, that is the SU(3) representations (LAMK, MUK) and their multiplicities MFATK.

Used in REDTN, DIMCHK and MAIN.

9. /VKB9/ DBIN(12)

This block stores Binomial coefficients

Used in DIMCHK and MAIN

### C.7. Checks in the Programme:

The following checks are made during the reduction of U(S) partitions to ensure that our results are correct.

i) Valid Partition: A partition  $[4^a 3^b 2^c 1^d]$  of U(S) is a valid partition only if

$$S \geq a, b, c, d \geq 0$$

$$a + b + c + d \leq S$$

These checks are incorporated in the main routine.

ii) Symmetry Checks: If we know the reduction of a partition  $[\lambda]$ , that is

$$[\lambda] = \sum_{\mu} A_{\mu} (\lambda_{\mu} \mu_{\mu})$$

then, if we know the reduction of  $[\tilde{\lambda}]$

$$[\tilde{\lambda}] = \sum_{\mu} A_{\mu} (\mu_{\mu} \tilde{\lambda}_{\mu})$$

Secondly, if  $[\tilde{\lambda}] = [\lambda]$

then the number of times  $(\lambda_{\mu} \mu_{\mu})$  occurring in the reduction of



[ $\lambda$ ] should be same as the number of times ( $\mu_n \lambda_n$ ) is occurring. This test is displayed in the output.

iii) Dimension Check: Dimensionality check is a very stringent check on the reductions obtained. This is taken care by the DIMCHK subroutine. However, there is one practical difficulty with this routine. The maximum accuracy one can attain, using the double precision arithmetic is sixteen digits on IBM 360/44 machine. If the dimensionality of a partition exceeds  $10^{16}$ , then accuracy will be lost in its computation. Hence the routine can not make proper dimension check. For example, the maximum dimensionality one encounters in  $\eta = 2, 3, 4$  and  $5$  shells respectively are  $10^5$ ,  $10^8$ ,  $10^{15}$  and  $10^{20}$ . If the dimensionalities are not matching, then the theoretical and calculated dimensions will be printed. It is advisable to make a manual dimension check before discarding the reductions to see whether the error is due to fixed point floating or not.

Note: The primary aim of the programmes is to compute  $A_{\mu}^{\lambda}$  (see 5.C). As  $A_{\mu}^{\lambda}$  never go beyond  $10^{15}$ , these will be computed with absolute accuracy.

#### C.8. Modification of the Subroutines:

The Fortran IV deck associated with the listing given in Appendix-A can be used to reduce any partition (not more than four columns) of  $\eta = 3$  shell (U(10)) partition). The dimensionalities of various variables occurring in different subroutines are spelled out in terms of some parameters in the comment cards of each subroutine. The values of the parameters for  $\eta = 2, 3, 4$  and  $5$  shells,

(these cover all most all the nuclear physics) are given in Table-II. The prescription for fixing the sizes of the arrays are also spelled out in the comment cards. Within a shell, smaller limits, than given in Table-II are possible if one deals with less number of particles and if the order of the partition is less.

#### C.9 Restrictions on the complexity of the problem.

The partition should be of maximum fourth order. In fact, by suitably modifying the REDTN subroutine the programme can be used to reduce a partition of any order. The shell number ( $\eta$ ) should be  $\eta \leq 9$ . If  $\eta > 9$ ,  $nR2! = \frac{(m+2)(n+1)!}{4}$ , exceeds  $32!$  in which case the IBM 360/40 machine floats. For our purpose all the factorials (see NUMULT routine) should be invariably in integer format. In fact this is not a serious limitation as we will never go to such a higher shell in SU(3) model calculation. (If a need arises one can use some alternative techniques). If the dimensionalities are greater than  $10^{16}$  the routines can not make proper dimension check on IBM 360/44 machine.

#### C.10. Typical Running Time:

The running time is a complex function of the shell number, order of the partition and the number of particles. For the test run the compilation time  $\approx 2$  minutes. It took roughly 15 sec. to reduce a given partition.

In Appendix-A a test run output is displayed so that it serves as an example for the type of output we get.

TABLE-II  
ARRAY SIZE PARAMETERS

<u>Shell number</u> <u>Parameters</u>		$\eta = 2$	$\eta = 3$	$\eta = 4$	$\eta = 5$
External	N	2	3	4	5
	NR	6	10	15	21
	NR2	3	5	7	10
Internal	NA	4	6	8	11
	NB	4	8	16	43
	NC	8	12	17	23
	ND	42 (7)	200 (27)	620 (80)	1810 (234)
	NE	7	11	31	79

\* The numbers in the parenthesis are needed if we want to reduce a first order partition only.

D. CONCLUSIONS.

The routines presented in Appendix-A are developed, keeping in mind their usefulness for nuclear physics problems. The routines developed are a vital first step in a more complete analysis of complex nuclear phenomena. Here we will list a few applications of the present codes. In fact the codes and the general philosophy adopted in their development, can be used in numerous ways in reducing a wide variety of group chains of physical interest.

D.i. Applications:

1. They are of primary use in the study of heavy deformed nuclei<sup>29)</sup>.
2. They find usages in atomic physics problems when we deal with electronic configurations such as s-d, s-d-g<sup>30)</sup> etc.
3. The reductions are of maximum use when we want to study the goodness of the chain  $U(S) \supset SU(3)$  for any quantum mechanical system, using French distribution techniques. Here the only thing we need to know is, what IR of  $SU(3)$  are contained in a given partition of  $U(S)$  besides knowing the input net<sup>31)</sup>.
4. By knowing the reductions of  $U(S)$  partitions to IR of  $SU(3)$ , the  $SU(3)$  tensor character of any general K-body operator can be known directly. As an example the  $SU(3)$  tensor character of 1-body and 2-body operators of  $\mathcal{N} = 4$  shell is given in Appendix-C.

5. To evaluate the  $U(S) \supset SU(3)$  isoscalar factors, the reductions are needed. (Note that the leading or first few  $SU(3)$  representations give a satisfactory description of the spectral properties of a nucleus, in which case one can find them using other techniques. In calculating r-particle CFPs corresponding to these few representations (of N-particles) the N-r particle  $SU(3)$  representation are to be known fully.

6. The routines IEPSLN, SUREP, MULTU and KRONP can be used to reduce the Keonecker product  $(\lambda_1, \mu_1) \times (\lambda_2, \mu_2) \rightarrow (\lambda_3, \mu_3)$ . The general procedure is as follows: The  $U(3)$  partitions corresponding to  $(\lambda_1, \mu_1)$  and  $(\lambda_2, \mu_2)$  are  $(\lambda_1 + \mu_1, \mu_1)$  and  $(\lambda_2 + \mu_2, \mu_2)$  respectively. So they correspond to the partitions of  $\lambda_1 + 2\mu_1$  and  $\lambda_2 + 2\mu_2$  particles, respectively. Now  $(\lambda_3, \mu_3)$  are the partitions of  $\lambda_1 + \lambda_2 + 2(\mu_1 + \mu_2)$  particles and all the possible  $(\lambda_3, \mu_3)$  can be generated with SUREP subroutine and we can use IEPSLN routine to cutdown the unnecessary  $(\lambda, \mu)$ 's. Now the multiplicities of  $(\lambda_3, \mu_3)$  can be found using the MULTU routine and KRONP routine.

This application is of great help to both nuclear and particle physics.

7. The general philosophy adopted in the development of the routines can be used to reduce other groups of physical interest.

Example: To reduce the chain  $SU(4) \supset SU(2) \otimes SU(2)$ , one can adopt the following procedure:

i. For the  $SU(4)$  group,  $[1]$   $[1^2]$   $[1^3]$  and  $[1^4]$  are the only  $[1^r]$  type partitions that can occur. Their reduction to (ST) multiplets is quite straight-forward. We get

$$[1] = \left(\frac{1}{2} \frac{1}{2}\right)$$

$$[1^2] = (10), (01)$$

$$[1^3] = \left(\frac{1}{2} \frac{1}{2}\right)$$

$$[1^4] = (00)$$

We know how to evaluate the Kronecker products of two  $(ST) \times (ST)$  multiplets, as we know  $R(3)$  algebra. Hence we can adopt the procedure developed in sec. B.4.3 and B.4.4. to reduce any partition of  $SU(4)$  to  $SU(2) \times SU(2)$  multiplets.

1.2 One can also adopt the following technique. For a totally symmetric partition  $[\gamma c c]$  of  $SU(4)$  the possible ST multiplets are  $S=T$  with <sup>14)</sup>

$$S = \frac{\gamma}{2}, \frac{\gamma}{2} - 1, \dots, 0 \text{ or } \frac{1}{2}$$

Now we can use eqn. (18.a) and expand the  $U(4)$  partition to a  $4 \times 4$  determinant and methodology developed in the present note can be used straightaway to decompose any partition of  $SU(4)$  to (ST) multiplets.

Example 2. To reduce the chain  $U(N) \supset O(3)$ .

As the representation  $\{N-1\}$  of  $GL(2)$  is of dimension  $N$ , we can use it to span the IR  $\{1\}$  of  $U(N)$ . We can reduce the partitions  $\{1^k\}$  of  $U(N)$  to IR of  $GL(2)$  using the result<sup>19</sup>

$$\{P\} \otimes \{1^k\} = \{P+1-k\} \otimes \{k\} \quad (1.D)$$

The R.H.S. of the above equation can be evaluated quite easily using Littlewood's result for reducing totally symmetric partitions of  $U(N)$  to IR of  $GL(2)$ . Because of the equivalence between  $GL(2)$  and  $O(3)$ , we can reduce any totally antisymmetric partitions of  $U(N)$  to IR of  $O(3)$  using eqn. (1.D). Now any arbitrary partition of  $U(N)$  can be reduced to IR of  $O(3)$  using the methodology given in Sec. C as the evaluation of  $O(3)$  outer product is straightforward.

Example 3. We can reduce  $U(N) \supset Sp(N)$  chain, as the reduction of  $\{1^r\}$  partitions of  $U(N)$  to  $Sp(N)$  partitions is given as

$$\left. \begin{matrix} \{1^r\} \\ U(N) \end{matrix} \right\} \rightarrow \langle 1^r \rangle \quad \langle 1^{r-2} \rangle \quad \dots \quad \langle 0 \rangle \text{ or } \langle 1 \rangle$$

$$r \leq N/2$$

$$\left. \begin{matrix} \{1^r\} \\ U(N) \end{matrix} \right\} \rightarrow \langle 1^k \rangle \quad \langle 1^{k-2} \rangle \quad \langle 1^{k-4} \rangle \quad \dots \quad \langle 0 \rangle \text{ or } \langle 1 \rangle$$

$$r > N/2, \quad k = N - r \quad (2.D)$$

As we know how to teach the evaluation of  $Sp(N)$  to machines (Bulter 1970), we can reduce any partition of  $U(N)$  to  $Sp(N)$  partitions.

8. The method adopted in the development of the routines is highly useful in reducing group chains which are prototype of  $U((n+1)(n+2)/2) \supset SU(3)$ . Example: To reduce  $U((n+1)(n+2)(n+3)/3) \supset SU(4)$  the [ P00 ] partition of  $SU(4)$  can be used to span the IR (11) of  $U((p+1)(p+2)(p+3)/3)$ . The usefulness of this chain is discussed in ref.33).

9. The routine PLTHSM can be used to reduce a totally symmetric partition of  $U(S)$  just by changing the value of ICH (we have to use eqn.12.A) instead of 13.A). This is useful in the 'Boson Interacting Model' calculations<sup>6)</sup> where we allow a single Boson to have angular momentum 0 or 2, 0 or 2 or 4 etc. where  $U(6) \supset SU(3)$ ,  $U(15) \supset SU(3)$  etc. chains are of use.

10. The explicit reductions of  $U(S) \supset SU(3)$  may be useful in developing a statistical expression for the  $SU(3)$  degeneracy in a given  $U(S)$  partition as is done for  $R(3)$  case by Cleary and Wybourne<sup>34)</sup>.

Just as an example, we give in Appendix-B the reductions of all  $U(10)$  partitions (not more than four columns) to IR of  $SU(3)$ . To generate these reductions it took 3.30 hours on IBM 360/44 system, compared to the six minutes time it took to reduce all  $\eta = 2$  shell partitions. With the problem of reducing the  $U(S)$  partitions is solved, the problem remains to be tackled is to develop a general routine to evaluate  $U(3)/SU(3)$  isoscalar factors. Recently



a code is developed to calculate many particle CFP which covers the whole s-d shell and part of f-p shell <sup>35</sup>). This together with the codes of Draayer and Akiyama , will make the development of SU(3) techniques to solve the complex nuclear phenomena solved. We close this report with the quotation by Fanklin

" The study of elementary problems of physics such as the harmonic oscillator form an advanced standpoint is an interesting and fruitful subject of research ".

APPENDIX-APROGRAMME LISTING

The Fortran IV programme that reduces  $U(S)$  partitions (not more than four columns) to IR of  $SU(3)$  is listed out. Sample input and output are also included.

PROGRAMME LISTING

PART 1: ROUTINE IDENTIFICATION LABEL = A , NAME = YNGTBL  
 SUBROUTINE YNGTBL

\*\*\*\*\*  
 SUBROUTINE TO CALCULATE THE YOUNG-TABLEUX AND THE CORRESPONDING  
 CYCLIC STRUCTURES

REFERENCES -----

1. V.K.B.KOTA (SEE THE TEXT OF THIS REPORT)
2. B.G.WYBURN, SYMMETRY PRINCIPLES IN ATOMIC SPECTROSCOPY (WILEY INTER-SCIENCE) 1970

PARAMETERS -----

IFP - CORRESPOND TO PARTITIONS  
 NU - CORRESPOND TO CYCLIC STRUCTURES  
 EXTERNAL: N = SHELL NUMBER  
 INTERNAL: NR = ORBITAL DEGENERACY ( $NR=(N+1)*(N+2)/2$ )  
 NR2 = NR/2  
 NX = NUMBER OF YOUNG-TABLEUX POSSIBLE FOR NR2 PARTICLES  
 NA = NR2+1  
 NB = NX+1

EXTENSIONS -----

ADJUST THE INTERNAL PARAMETERS IN THE VK82 BLOCK

DIMENSIONS -----

IFP(NA,NB,NA), NU(NA,NB,NA), KP(NA)

\*\*\*\*\*

INTEGER P

EQUIVALENCE (IFP,NU)

COMMON/VKB1/N, NR, NR2

COMMON/VKB2/NU(6,6,6), KP(6)

DIMENSION IFP(6,6,6)

KP(1)=1

DO 55 R=1, NR2

J=1

INITIALISATION (PUT F(\*)=R)

IFP(R,J,1)=R

IZX=R-1

IF(IZX.EQ.0)GOTO 55

DO 10 IJ=1, IZX

IJJ=IJ+1

EQUATE THE NO. OF BOXES IN ALL ROWS (EXCEPT THE FIRST ROW) TO ZERO

10 IFP(R,J,IJJ)=0

I=R

DECREASE THE NO. OF BOXES IN THE FIRST ROW BY ONE UNIT

15 I=I-1

IF(I.EQ.0)GOTO 50

NRK=R-I

L=KP(NRK)

DO 45 K=1, L

J=J+1

IFP(R,J,1)=I

DO 20 M=1, NRK

KL=M+1

IFP(R,J,KL)=IFP(NRK,K,M)

20 CONTINUE

IF(NRK+1.EQ.R)GOTO 30

NZZ=R-NRK-1

DO 25 NZ=1, NZZ

```

25 IFF(R,J,NZZZ)=0
30 DO 35 NM=2,R
C CHECK THE IN-EQUALITY
  IFF( R,J,NM-I).LT.IFF( R,J,NM) GOTO 40
35 CONTINUE
  GOTO 45
40 J=J-I
45 CONTINUE
  GO TO 15
50 KP(R)=J
55 CONTINUE
C TRANSFORM TO CYCLIC STRUCTURE
  DO 65 I=1,NR2
  II=KP(I)
  DO 65 J=1,II
  DO 65 JJ=1,I
  IF(JJ.EQ.1)GOTO 60
  NU(I,J,JJ)=IFF(I,J,JJ)-IFF(I,J,JJ+1)
  GOTO 65
60 NU(I,J,JJ)=IFF(I,J,JJ)
65 CONTINUE
  RETURN
  END

```

C PARTIS: ROUTINE IDENTIFICATION LABEL = B , NAME = PARTIS  
 SUBROUTINE PARTIS(L1,L2,L3,L4,L)

\*\*\*\*\*  
 ROUTINE TO FIND THE U(S) PARTITIONS  
 REFERENCES -----

PARAMETERS -----  
 . V.K.B.KOTA (SEE THE TEXT OF THIS REPORT)

- L1 = NUMBER OF FOUR COLUMNED ROWS
- L2 = NUMBER OF THREE COLUMNED ROWS
- L3 = NUMBER OF TWO COLUMNED ROWS
- L4 = NUMBER OF ONE COLUMNED ROWS
- L(I) GIVES THE NUMBER OF BOXES IN THE I-TH ROW OF THE REPRESENTATIVE YOUNG TABLEUX
- EXTERNAL: N = SHELL NUMBER
- INTERNAL: NR,NPC (SEE THE ROUTINE-A)

EXTENSIONS -----  
 ADJUST THE INTERNAL PARAMETERS IN THE DIMENSION STATEMENT

DIMENSIONS -----  
 L(NR)

\*\*\*\*\*  
 COMMON/VKB1/N,NR,NPC  
 DIMENSION L(LC)

```

KI=1
IF(L1.EQ.0)GOTO 20
DO 10 I=KI,L1
  L(I)=4
10 CONTINUE
20 L12=L1+L2
  KI=KI+L1
  IF(L2.EQ.0)GOTO 40
  DO 30 I=KI,L12
  L(I)=3
30 CONTINUE
40 L13=L12+L3
  KI=KI+L12
  IF(L3.EQ.0)GOTO 50
  DO 50 I=KI,L13
  L(I)=2
50 CONTINUE

```

```

KI=KI+L3
IF(L4.EQ.0)GOTO 80
DO 70 I=KI,L14
L(I)=1
70 CONTINUE
80 KI=KI+L4
IF(KI.GT.NR)GOTO 100
DO 90 I=KI,NR
L(I)=0
90 CONTINUE
100 RETURN
END

```

C PART1: ROUTINE IDENTIFICATION LABEL = C-, NAME = IEPSLN  
 C FUNCTION IEPSLN(NP,N1)

C \*\*\*\*\*  
 C TO FIND THE MAXIMUM EPSILON  
 C REFERENCÉS

1. V.K.8.KOTA (SEE THE TEXT OF THIS REPORT)
2. J.FLORES,E.CHACON,P.A.MELLO AND M DE LLANO  
 (NUCL.PHYCS A72 (1965) 352-78)

C PARAMETERS

- NP = NUMBER OF PARTICLES
- N1 = ORDER OF THE GIVEN PARTITION
- EXTERNAL: N = SHELL NUMBER
- INTERNAL: NR,NR2 (SEE THE ROUTINE-A)
- NC = NR+2

C EXTENSIONS

ADJUST THE INTERNAL PARAMETERS IN THE DIMENSION  
 STATEMENT

C DIMENSIONS

NX(NC),NY(NC),NZ(NC),IFR(NC)

```

*****
COMMON/VKB1/N,NR,NR2
DIMENSION NX(12),NY(12),NZ(12),IFR(12)
NRK=N+1
L=1

```

```

C DO 10 I=1,NRK
  FIND ALL THE SINGLE PARTICLE ORBITALS (NX,NY,NZ)
  DO 10 J=1,NRK
  DO 10 K=1,NRK
  NZ(L)= N-I+1
  NX(L)= N-J+1
  NY(L)= N-K+1
  IF((NX(L)+NY(L)+NZ(L)).NE.N)GOTO 10
  L=L+1

```

10 CONTINUE

```

L=L-1
IF(L.NE.NR)WRITE(6,20)

```

20 FORMAT(1X,'PROGRAMME WRONG')

C FIND THE HIGHEST ORBITAL SYMMETRY PARTITION CORRESPONDING TO N1

```

K1=NP/4
IF(N1.LT.4)K1=0
K11=NP-4*K1
K2=K11/3
IF(N1.LT.3)K2=0
K22=K11-3*K2
K3=K22/2
IF(N1.LT.2)K3=0
K4=K22-2*K3
CALL PARTIS(K1,K2,K3,K4,IFR)

```

NXR=0

NYR=0

NZR=0

```
DO 30 I=1,NR
NXR=NX(I)*IFR(I)+NXR
NYR=NY(I)*IFR(I)+NYR
NZR=NZ(I)*IFR(I)+NZR
```

30 CONTINUE

```
C CALCULATE THE MAXIMUM EPSILON
IEPSLN = 2*(NZR-NXR)+(NXR-NYR)
RETURN
END
```

C PART1: ROUTINE IDENTIFICATION LABEL = D , NAME = SUREP  
SUBROUTINE SUREP(INR,NOP,LAM,MU,L)

\*\*\*\*\*

C ROUTINE TO FIND SU(3) REPRESENTATIONS  
C REFERENCES

- 1. V.K.B.KOTA (SEE THE TEXT OF THIS REPORT)

C PARAMETERS

- INR = NUMBER OF PARTICLES
- NOP = ORDER OF THE PARTITION
- (LAM MU) = SU(3) REPRESENTATIONS
- L = NUMBER OF SU(3) REPRESENTATIONS
- EXTERNAL: N = SHELL NUMBER
- INTERNAL: NR,NR2 (SEE THE ROUTINE-A)
- ND = MAXIMUM NUMBER OF SU(3) REPRESENTATIONS THAT CAN OCCUR IN THE REDUCTION OF A GIVEN PARTITION OF A GIVEN SHELL

C EXTENSIONS

ADJUST THE INTERNAL PARAMETERS IN THE DIMENSION STATEMENT

C DIMENSIONS

LAM(ND),MU(ND)

\*\*\*\*\*

```
COMMON/VKBI/N,NR,NR2
DIMENSION LAM(200),MU(200)
```

```
IF(INR.EQ.1)GOTO 40
IF(INR.EQ.2)GOTO 50
```

C THE FOLLOWING STATEMENT WILL OPERATE WHEN THE ROUTINE IS CALLED  
C FROM THE ROUTINE-PLTHSM

```
IF(NOP.EQ.NR)IAP=2*N*INR
IF(NOP.LT.NR)IAP=IEPSLN*(INR,NOP)
```

```
C NOR = TOTAL NUMBER OF QUANTA
NOR=INR*N
```

```
NZK=NOR+1
I1=NOR/2+1
I2=NOR/3+1
I=0
```

```
DO 30 L1=1,NZK
LAM1=NZK-L1
DO 20 L2=1,I1
LAM2=I1-L2
```

```
C CHECK THE INEQUALITY
IF(LAM1.LT.LAM2)GOTO 20
```

```
DO 10 L3=1,I2
LAM3=I2-L3
```

```
C CHECK THE INEQUALITY
IF(LAM2.LT.LAM3)GOTO 10
(LAM1 LAM2 LAM3) IS THE U(3) PARTITION
```

```
IF((LAM1+LAM2+LAM3).NE.NOR)GOTO 10
```

```
C CHECK THE VALE OF EPSILON
IF((2*(LAM1-LAM2)+(LAM2-LAM3)).GT.IAP)GOTO 10
I=I+1
```

```
LAM(I)=LAM1-LAM2
MU(I)=LAM2-LAM3
```

CONTINUE

```

20 CONTINUE
30 CONTINUE
  L=I
  RETURN
  (LM, MU) FOR ONE PARTICLE
40 L=1
  LAM(1)=N
  MU(1)=0
  RETURN
  (LM, MU) FOR TWO PARTICLES.
50 L=N+1
  DO 60 K1=1, L
  LAM(K1)=N*2-2*(K1-1)
60 MU(K1)=K1-1
  RETURN
  END

```

```

C PART1: ROUTINE IDENTIFICATION LABEL = E , NAME = NUMULT
C SUBROUTINE NUMULT
C *****
C ROUTINE TO PERFORME THE NEW MULTIPLICATION
C REFERENCES ----
C 1. V.K.B.KOTA (SEE THE TEXT OF THIS REPORT)
C 2. H.WEYL THE THEORY OF GROUPS AND QUANTUM-MECHANICS
C (DOVER PUBLICATION; N.Y, 1930)

```

```

C PARAMETERS ----
C EXTERNAL: N = SHELL NUMBER
C INTERNAL: NR, NR2 (SEE THE ROUTINE-A)
C NY = NUMER OF IR OF SU(3) IN A TOTALLY
C ANTI-SYMMETRIC PARTITION OF NR2 PARTICLES
C NZ = MAX(NR, NY)
C NE = NZ+1
C NA -- (SEE THE ROUTINE-A)

```

```

C EXTENSIONS ----
C ADJUST THE INTERNAL PARAMETERS IN THE VKB3 BLOCK

```

```

C DIMENSIONS ----
C LAMR(NE, NA), MUR(NE, NA), MFATR(NE, NA), LKR(NA)
C *****
C COMMON/VKB1/N, NR, NR2
C COMMON/VKB2/LAMR(1, 6), MUR(1, 6), MFATR(1, 6), LKR(6)
C DO 60 IR=1, NR2
C IF (IR.EQ.1) GOTO 30
C IF (IR.EQ.2) GOTO 40
C IRJ=IR+1
C IJ=0
C DO 20 IIA=1, IRJ
C IA=IIA-1
C DO 20 IIB=1, IRJ
C IB=IIB-1
C DO 10 IK=1, 3
C IY=IK-1
C IKJ=2-IY
C K=1
C DO 10 IL=1, 3
C ILJ=IL-1
C IF (ILJ.EQ.IKJ) GOTO 10
C K=K+1
C IJ=IJ+1
C LAM1=N*IR-IA*IR-IY
C LAM3=IB*IR+ILJ
C MFATR(IJ, IR)=(-1)**(IY+K)
C LAMR(IJ, IR)=2*LAM1-N*IR+LAM3
C MUR(IJ, IR)=N*IR-LAM1-2*LAM3
C CHECK THE IN-EQUALITY

```

```

      IJ=IJ-1
10  CONTINUE
20  CONTINUE
    LKR(IR)=IJ
    GOTO 60
C   NEW MULTIPLICATION FOR ONE PARTICLE
30  LAMR(1,1)=N
    MUR(1,1)=0
    MFATR(1,1)=1
    LKR(1)=1
    GOTO 60
C   NEW MULTIPLICATION FOR TWO PARTICLES
40  LKR(2)=N+1
    NNN=N+1
    DO 50 NN=1,NNN
      LAMR(NN,2) = 2*N-2*(NN-1)
      MFATR(NN,2)=(-1)**(NN+1)
      MUR(NN,2)=NN-1
50  CONTINUE
60  CONTINUE
    RETURN
    END
C   PART1: ROUTINE IDENTIFICATION LABEL = F , NAME = MULTU
      FUNCTION MULTU(XL1,XM1,XL2,XM2,XL3,XM3)
C   *****
C   MULTIPLICITY IN SU(3) COUPLING
C   REFERENCES
C   1. Y.AKIYAMA AND J.P.DRAAYER (GM.PHYS.COMM 5
C      (1973) 405-415)
C   2. C.K.CHEW AND R.T.SHARP-CAN.J.PHYS 44(1976)2789
C   *****
      IMPLICIT INTEGER(X)
      MULTU=0
      NX=XL1+XL2-XL3-XM1-XM2+XM3
      MX=NX/3
      IF(3*MX.NE.NX)RETURN
      IF(MX)20,10,30
10  L1=XL1
      L2=XL2
      L3=XL3
      M1=XM1
      M2=XM2
      M3=XM3
      GOTO 60
20  L1=XM1
      L2=XM2
      L3=XM3
      M1=XL1
      M2=XL2
      M3=XL3
      MX=-MX
30  NX=MX+M1+M2-M3
      MU=L1-MX
      IF(MU.LT.0)RETURN
      NU=L2-MX
      IF(NU.LT.0)RETURN
      IF(MU.GT.M2)MU=M2
      IF(NU.GT.M1)NU=M1
      MU=MU+1
      NU=NU-1
      DO 40 MY=1,MU
        NY=NX-MY

```



MULTU=MULTU+1

40 CONTINUE

RETURN

END

C PART1: ROUTINE IDENTIFICATION LABEL = G , NAME = KRONP  
SUBROUTINE KRONP(K1,K2,KW,KWW)

C \*\*\*\*\*

C ROUTINE TO PERFORM THE KRONECKER PRODUCT

C REFERENCES -----

C 1. V.K.B.KOTA (SEE THE TEXT OF THIS REPORT)

C PARAMETERS -----

C K1,K2: NUMER OF PARTICLES

C KW: NUMBER OF IR OF SU(3) IN THE PARTITION CORRES-  
C PONDING TO K1 PARTICLES

C KWW: A CONTROLLING VARIABLE

C EXTERNAL: N = SHELL NUMBER

C INTERNAL: NR,NR2 (SEE THE ROUTINE-A)

C VKB3 BLOCK -- SEE THE ROUTINE-E

C ND -- SEE THE ROUTINE-D

C EXTENSIONS -----

C ADJUST THE INTERNAL PARAMETERS IN THE VKB3,VKB4,VKB5  
C BLOCKS AND IN THE DIMENSION STATEMENT

C DIMENSIONS -----

C LAM(ND),MU(ND),MFAT(ND),LAM3(ND),MU3(ND),MFAT3(ND)

C \*\*\*\*\*

C COMMON/VKB1/N,NR,NR2

C COMMON/VKB3/LAMR(11,6),MUR(11,6),MFATR(11,6),LKR(6)

C COMMON/VKB4/LAM(200),MU(200)

C COMMON/VKB5/MFAT(200)

C DIMENSION LAM3(200),MU3(200),MFAT3(200)

C PARTICLE-HOLE-TRANSFER

C IF(K2.GT.NR2)K21=NR-K2

C IF(K2.LE.NR2)K21=K2

C IF(K2.EQ.NR)KW2=1

C IF(K2.NE.NR)KW2=LKR(K21)

C K3=K1+K2

C WHEN CALLED FROM THE ROUTINE--H THE FOLLOWING WILL OPERATE

C IF(KWW.EQ.0)CALL SUREP(K3,NR,LAM3,MU3,KW3)

C WHEN CALLED FROM THE ROUTINE--L THE FOLLOWING WILL OPERATE

C IF(KWW.EQ.1)CALL SUREP(K3,4,LAM3,MU3,KW3)

C IF(K1.EQ.0)GOTO 40

C IF(K2.EQ.NR)GOTO 20

C DO 10 KR3=1,KW3

C MFAT3(KR3)=0

C DO 10 KR2=1,KW2

C DO 10 KR1=1,KW

C IF(MFAT(KR1).EQ.0)GOTO 10

C IF(K2.GT.NR2)MFATRP=MULTU(LAM(KR1),MU(KR1),MUR(KR2,K21),  
1 LAMR(KR2,K21),LAM3(KR3),MU3(KR3))

C IF(K2.LE.NR2)MFATRP=MULTU(LAM(KR1),MU(KR1),LAMR(KR2,K21),  
2 MUR(KR2,K21),LAM3(KR3),MU3(KR3))

C MFAT3(KR3)=MFAT3(KR3)+MFATRP\*MFAT(KR1)\*MFATR(KR2,K21)

10 CONTINUE

C GOTO 90

C PRODUCT WITH (J C) REPRESENTATION

20 DO 30 KR3=1,KW3

C MFAT3(KR3)=0

C DO 30 KR1=1,KW

C IF(LAM3(KR3).EQ.LAM(KR1).AND.MU3(KR3).EQ.MU(KR1))

1 MFAT3(KR3)=MFAT(KR1)

30 CONTINUE

C GOTO 90

40 IF(K2.EQ.NR)GOTO 70

```

MFAT3(KR3)=0
DO 60 KR2=1,KW2
IF(K2.GT.NR2)GOTO 50
IF(LAM3(KR3).EQ.LAMR(KR2,K21).AND.MU3(KR3).EQ.MUR(KR2,K21))
1 MFAT3(KR3)=MFATR(KR2,K21)
GOTO 60
C PARTICLE HOLE TRANSFER
50 IF(LAM3(KR3).EQ.MUR(KR2,K21).AND.MU3(KR3).EQ.LAMR(KR2,K21))
1 MFAT3(KR3)=MFATR(KR2,K21)
60 CONTINUE
GOTO 90
70 DO 80 KR3=1,KW3
MFAT3(KR3)=0
IF(LAM3(KR3).EQ.0.AND.MU3(KR3).EQ.0)MFAT3(KR3)=1
80 CONTINUE
90 KW=KW3
DO 100 KR3=1,KW3
LAM(KR3)=LAM3(KR3)
MU(KR3)=MU3(KR3)
MFAT(KR3)=MFAT3(KR3)
100 CONTINUE
RETURN
END

```

C PART1: ROUTINE IDENTIFICATION LABEL = H , NAME = PLTHSM  
SUBROUTINE PLTHSM

C \*\*\*\*\*  
C ROUTINE TO REDUCE TOTALLY ANTISYMMETRIC PARTITIONS  
C REFERENCES

1. V.K.B.KOTA (SEE THE TEXT OF THIS REPORT)
2. J.A.TODD PROC.OF.CAM.PHIL.SOC,49(1949)328

C PARAMETERS

- EXTERNAL: N = SHELL NUMBER
- INTERNAL: NR,NR2 (SEE THE ROUTINE-A)
- VKB2 BLOCK -- SEE THE ROUTINE-A
- VKB3 BLOCK -- SEE THE ROUTINE-E
- VKB4,VKB5 BLOCKS -- SEE THE ROUTINE-G
- ND -- SEE THE ROUTINE-D
- NE,NA -- SEE THE ROUTINE-E

C EXTENSIONS---

ADJUST THE INTERNAL PARAMETERS IN THE VKB2,VKB3,  
VKB4,VKB5 BLOCKS AND IN THE DIMENSION STATEMENT

C DIMENSIONS---

LAMK(NE,NA),MUK(NE,NA),MFATK(NE,NA),L(NA)  
IFACT(NA),MFATKK(ND)

C \*\*\*\*\*

```

COMMON/VKB1/N,NR,NR2
COMMON/VKB2/MU(6,8,6),KP(6)
COMMON/VKB3/LAMR(11,6),MUR(11,6),MFATR(11,6),LKR(6)
COMMON/VKB4/LAM(200),MU(200)
COMMON/VKB5/MFAT(200)
DIMENSION LAMK(11,6),MUK(11,6),MFATK(11,6),L(6),IFACT(6),
MFATKK(200)

```

```

CALL YNGTBL
NR3=NR2+1
IFACT(1)=1
CALCULATE FACTORIALS
DO 10 I=2,NR3
10 IFACT(I)=IFACT(I-1)*(I-1)
DO 80 I=1,NR2
CALL SUREP(I,NR,LAM,MU,KW)
LK=KW
DO 20 IR=1,LK
20 MFATKK(IR)=0

```

```

DO 60 J=1, I1
I2=0
IH=1
ICH=0
DO 40 K=1, I
I5=NU(I, J, K)
IF(I5.EQ.0)GOTO 40
CALCULATE THE CHARACTER
ICH=ICH+I5
CALCULATE THE ORDER
IH=IH*IFACT(I5+1)*(K**I5)
DO 30 IKH=1, I5
I2=I3
I3=I2+K
PERFORM THE OUTER PRODUCT
CALL KRONP(I2, K, KW, C)
30 CONTINUE
40 CONTINUE
MGGG=IFACT(I+1)/IH
MNUU=(-1)**(I+ICH)
MFAA=MNUU*MGGG
DO 50 IR=1, LK
50 MFATKK(IR)=MFATKK(IR)+MFAA*MFAT(IR)
60 CONTINUE
KW8=0
DO 70 IR=1, LK
IF(MFATKK(IR).EQ.0)GOTO 70
KW8=KW8+1
LAMK(KW8, I)=LAM(IR)
MUK(KW8, I)=MU(IR)
MFATK(KW8, I)=MFATK(IR)/IFACT(I+1)
70 CONTINUE
L(I)=KW8
80 CONTINUE
DO 90 I=1, NR2
KW8=L(I)
LKR(I)=KW8
DO 90 KR8=1, KW8
LAMR(KR8, I)=LAM(KR8, I)
MUR(KR8, I)=MUK(KR8, I)
MFATR(KR8, I)=MFATK(KR8, I)
90 CONTINUE
RETURN
END

```

PART1: ROUTINE IDENTIFICATION LABEL = I , NAME = PATHOL  
SUBROUTINE PATHOL(I1, I2, I3, I4, K1, K2, K3, K4)

\*\*\*\*\*

ROUTINE TO PERFORM PARTICLE HOLE TRANSFORMATION  
REFERENCES

1. V.K.B.KOTA (SEE THE TEXT OF THIS REPORT)

PARAMETERS

- (I1, I2, I3, I4) CORRESPOND TO THE GIVEN PARTITION, THEN
- (K1, K2, K3, K4) IS THE CORRESPONDING HOLE PARTITION
- EXTERNAL: N = SHELL NUMBER
- INTERNAL: NR, NR2 (SEE THE ROUTINE-A)
- NP: NUMBER OF PARTICLES
- N1: ORDER OF THE PARTITION

\*\*\*\*\*

```

COMMON/VKB1/N, NR, NR2
COMMON/VKB6/NP, N1
IF(NP.LE.(NR*N1)/2.OR.N1.LE.1)GOTO 30
IF(N1-3)15, 20, 25

```

```
K2=0
K3=NR-I3-I4
K4=I4
RETURN
```

```
C 20 THREE ROWED PARTITIONS
K2=NR-I3-I2-I4
K1=0
K3=I4
K4=I3
RETURN
```

```
C 25 FOUR ROWED PARTITIONS
K1=NR-I1-I2-I3-I4
K2=I4
K3=I3
K4=I2
RETURN
```

```
C 30 ONE ROWED PARTITIONS (NO PARTICLE HOLE TRANSFER)
K1=I1
K2=I2
K3=I3
K4=I4
RETURN
END
```

```
C PART1: ROUTINE IDENTIFICATION LABEL = J , NAME = ORDER
SUBROUTINE ORDER(I1,I2,I3,I4,N1)
```

```
*****
```

```
C ROUTINE TO FIND THE ORDER OF A GIVEN PARTITION
C REFERENCES -----
```

```
1. V.K.B.KOTA (SEE THE TEXT OF THIS REPORT)
```

```
C PARAMETERS-----
```

```
N1 = ORDER OF THE PARTITION
```

```
(I1,I2,I3,I4) CORRESPOND TO THE GIVEN PARTITION
```

```
*****
```

```
N1=4
IF(I1.EQ.0)N1=3
IF(N1.EQ.3.AND.I2.EQ.0)N1=2
IF(N1.EQ.2.AND.I3.EQ.0)N1=1
RETURN
END
```

```
C PART1: ROUTINE IDENTIFICATION LABEL = K , NAME = DESEND
SUBROUTINE DESEND(K1,K2,K3,K4,L1,L2,L3,L4)
```

```
*****
```

```
C ROUTINE TO ARRANGE THE GIVEN NUMBERS IN DESCENDING ORDER
C REFERENCES -----
```

```
1. V.K.B.KOTA (SEE THE TEXT OF THIS REPORT)
```

```
C PARAMETERS-----
```

```
K1,K2,K3,K4 -- GIVEN NUMBERS
```

```
L1,L2,L3,L4 -- ARE THE NUMBERS IN DESCENDING ORDER
```

```
*****
```

```
L1=MAX0(K1,K2,K3,K4)
L4=MIN0(K1,K2,K3,K4)
IF(K1.EQ.L1)L2=MAX0(K2,K3,K4)
IF(K2.EQ.L1)L2=MAX0(K1,K3,K4)
IF(K3.EQ.L1)L2=MAX0(K1,K2,K4)
IF(K4.EQ.L1)L2=MAX0(K1,K2,K3)
L3=K1+K2+K3+K4-L1-L2-L4
RETURN
END
```

```
C PART1: ROUTINE IDENTIFICATION LABEL = L , NAME = REDTN
SUBROUTINE REDTN(K1,K2,K3,K4)
```

```
*****
```

```
C REDUCTION OF A GIVEN PARTITION TO IR OF SU(3)
C REFERENCES -----
```

```

C   PARAMETERS -----
C   (K1,K2,K3,K4) — CORRESPOND TO THE GIVEN PARTITION
C   KR8 = NUMBER OF IR OF SU(3) IN THE RESULTANT
C   REDUCTION
C   EXTERNAL: N = SHELL NUMBER
C   INTERNAL: NR,NR2 (SEE THE ROUTINE-A)
C   NP,N1 — SEE THE ROUTINE-I
C   ND — SEE THE ROUTINE-D
C   VKB3 BLOCK — SEE THE ROUTINE-E
C   VKB4,VKB5 BLOCKS — SEE THE ROUTINE-G
C
C   EXTENSIONS-----
C   ADJUST THE INTERNAL PARAMETERS IN THE VKB3,VKB4,
C   VKB5,VKB8 BLOCKS AND IN THE DIMENSION STATEMENT
C
C   DIMENSIONS-----
C   IAD(4),KA(4),KB(4),KC(4),KD(4),IAK(4,4),MFAT4(ND)
C   *****
C   COMMON/VKB1/N,NR,NP2
C   COMMON/VKB3/LAMR(11,6),MUR(11,6),MFATR(11,6),LKR(6)
C   COMMON/VKB4/LAM(200),MU(200)
C   COMMON/VKB5/MFAT(200)
C   COMMON/VKB6/NP,N1
C   COMMON/VKB7/KR8
C   COMMON/VKB8/LAMK(200),MUK(200),MFATK(200)
C   DIMENSION IAD(4),KA(4),KB(4),KC(4),KD(4),IAK(4,4),MFAT4(200)
C   FIND THE TRNSPOSE OF THE GIVEN PARTITION
C   IF(K1+K2+K3+K4.EQ.0)GOTO 160
C   IAD(1)=K1+K2+K3+K4
C   IAD(2)=K1+K2+K3
C   IAD(3)=K1+K2
C   IAD(4)=K1
C   EXPANSION TO THE MATRIX OF TOTALLY ANTISYMMETRIC PARTITIONS
C   DO 10 I=1,4
C   DO 10 J=1,4
10  IAK(I,J)=IAD(I)+J-I
C   DO 20 I=1,4
C   KA(I)=IAK(1,I)
C   KB(I)=IAK(2,I)
C   KC(I)=IAK(3,I)
20  KD(I)=IAK(4,I)
C   KN4=4*K1+3*K2+2*K3+K4
C   CALL SUREP(KN4,4,LAM,MU,KW4)
C   DO 30 KP4=1,KW4
30  MFAT4(KP4)=0
C   PERFORM THE DETERMINANTAL PRODUCT
C   NQ=0
C   MQ=0
C   DO 110 I1=1,4
C   DO 100 I2=1,4
C   IF(I1.EQ.I2)GOTO 100
C   MQ=MQ+1
C   DO 90 I3=1,4
C   IF(I1.EQ.I3.OR.I2.EQ.I3)GOTO 90
C   DO 80 I4=1,4
C   IF(((I1.EQ.I4).OR.(I2.EQ.I4)).OR.(I3.EQ.I4))GOTO 80
C   NQ=NQ+1
C   MNQ=(-1)**(MQ+NQ)
C   CHECK THE IN-EQUALITY
C   IF(KD(I4).LT.0.OR.KD(I4).GT.NR)GOTO 80
C   IF(KC(I3).LT.0.OR.KC(I3).GT.NR)GOTO 80
C   IF(KB(I2).LT.0.OR.KB(I2).GT.NR)GOTO 80
C   IF(KA(I1).LT.0.OR.KA(I1).GT.NR)GOTO 80
C   CALL DESEND(KD(I4),KC(I3),KB(I2),KA(I1),L1,L2,L3,L4)
C   L5=L4+L3

```

```

IF(L4.EQ.0)GOTO 40
CALL KRONP(0,L4,KW,1)
40 CALL KRONP(L4,L3,KW,1)
50 L6=L5+L2
IF(L2.EQ.0)GOTO 60
CALL KRONP(L5,L2,KW,1)
60 CALL KRONP(L6,L1,KW,1)
DO 70 KR4=1,KW4
70 MFAT4(KR4)=MFAT4(KR4)+MFAT(KR4)*MNQ
80 CONTINUE
90 CONTINUE
100 CONTINUE
110 CONTINUE
IF(NP.LE.(N1*NR)/2.OR.N1.LE.1)GOTO 140
CALL SUREP(NP,4,LAMK,MUK,KWK)
DO 120 KR3=1,KWK
MFAT(KR3)=0
PARTICLE-HOLE-TRANSFER
DO 120 KR4=1,KW4
IF(LAMK(KR3).EQ.MU(KR4).AND.MUK(KR3).EQ.LAM(KR4))MFAT(KR3)=
1 MFAT4(KR4)
120 CONTINUE
DO 130 KR4=1,KWK
LAM(KR4)=LAMK(KR4)
MU(KR4)=MUK(KR4)
130 MFAT4(KR4)=MFAT(KR4)
KW4=KWK
140 KR8=0
DO 150 KR4=1,KW4
IF(MFAT4(KR4).EQ.0)GOTO 150
KR8=KR8+1
LAM(KR8)=LAM(KR4)
MUK(KR8)=MU(KR4)
MFATK(KR8)=MFAT4(KR4)
150 CONTINUE
RETURN
160 KR8=1
MFATK(1)=1
LAMK(1)=0
MUK(1)=0
RETURN
END

```

C PART: ROUTINE IDENTIFICATION LABEL = M , NAME = DIMCHK  
C SUBROUTINE DIMCHK(IA,IB,IC,ID,IF)  
C \*\*\*\*\*  
C ROUTINE TO PERFORM DIMENSIONALITY CHECK  
C REFERENCES -----  
C 1. V.K.B.KOTA (SEE THE TEXT OF THIS REPORT)  
C  
C (IA,IB,IC,ID) -- CORRESPOND TO THE GIVEN PARTITION  
C IE = IT IS A DUMMY VARIABLE (SEE REF.1 )  
C EXTERNAL: N = SHELL NUMBER  
C INTERNAL: NR,NR2 (SEE THE ROUTINE-A)  
C NC -- SEE THE ROUTINE-C  
C VKB3 BLOCK -- SEE THE ROUTINE-E  
C VKB8 BLOCK -- SEE THE RUCTINE-L

EXTENSIONS-----  
ADJUST THE INTERNAL PARAMETERS IN THE VKB3,VKB8,  
AND VKB9 BLOCKS  
DIMENSIONS-----  
IAD(4),KA(4),KB(4),KC(4),KD(4),IAK(4,4),DBIN(NC)  
\*\*\*\*\*  
IMPLICIT REAL\*8(D)  
COMMON/VKB1/N,NR,NR2

```

DCALC=0.DO
DO 120 I=1, KR8
120 DCALC=DCALC+MFATK(I)*DIME(LAMK(I), MUK(I))
IF(DTHER.NE.DCALC)WRITE(6,140)DTHER,DCALC
130 FORMAT(/IX, 'CHECK ----- PLTHSM AND NUMULT')
140 FORMAT(/10X, 'DIMENSION(THEORY)=', D22.16, 5X, 'DIMENSION(CALCULATE
I=', D22.16)
RETURN
END

```

```

C PART2: ROUTINE IDENTIFICATION LABEL = X , NAME = MAIN
C *****
C MAIN PROGRAMME TO GENERATE THE IR OF SU(3) IN A GIVEN PARTITION
C OF A GIVEN SHELL
C PARAMETERS:

```

```

C EXTERNAL: N = SHELL NUMBER
C NP, N1 — SEE THE ROUTINE-I
C INTERNAL: NR, NR2 (SEE THE ROUTINE-A)
C VKB3 BLOCK — SEE THE ROUTINE-E
C VKB6 BLOCK — SEE THE ROUTINE-I
C VKB7, VKB8 BLOCKS — SEE THE ROUTINE-L
C VKB9 BLOCK — SEE THE ROUTINE-M

```

```

C EXTENSIONS:
C ADJUST THE INTERNAL PARAMETERS IN THE VKB3, VKB8, VKB9
C BLOCKS AND IN THE DIMENSION STATEMENT

```

```

C DIMENSIONS:
C IFR(NR)
C *****

```

```

IMPLICIT REAL*8(D)
COMMON/VKB1/N, NR, NR2
COMMON/VKB3/LAMR(11,6), MUR(11,6), MFATR(11,6), LKR(6)
COMMON/VKB6/NP, N1
COMMON/VKB7/KR8
COMMON/VKB8/LAMK(200), MUK(200), MFATK(200)
COMMON/VKB9/DBIN(12)
DIMENSION IFR(10)
READ(5, 100) N
NR=((N+1)*(N+2))/2
NR2=NR/2
WRITE(6, 200)
CALL NUMULT
CALL PLTHSM
CALL DIMCHK(1, 1, 1, 1, 0)
10 READ(5, 100) IA, IB, IC, ID
NP=4*IA+3*IB+2*IC+ID
IF(IA.LT.0)GOTO 45
IF((IA+IB+IC+ID).GT.NR)GOTO 40
IF((((IA.GT.NR).OR.(IB.GT.NR)).OR.(IC.GT.NR)).OR.ID.GT.NR) GOTO 40
IF((((IA.LT.0).OR.(IB.LT.0)).OR.(IC.LT.0)).OR.ID.LT.0) GOTO 40
CALL ORDER(IA, IB, IC, ID, N1)
CALL PATHOL(IA, IB, IC, ID, K1, K2, K3, K4)
CALL PEDIN(K1, K2, K3, K4)
CALL PARTIS(IA, IB, IC, ID, IFR)
WRITE(6, 700)
WRITE(6, 300) NR, ( IFR(I), I=1, NR)
WRITE(6, 400)
IKQ1=KR8/6
IKQ2= 6*IKQ1+1
IKQ3=IKQ1-1
IF(IKQ1.LE.0)IKZQ=KR8
IF(1-IKQ1.GT.0)IKZQ=6
WRITE(6, 500)(MFATK(I), LAMK(I), MUK(I), I=1, IKZQ)
IF(1-IKQ3)25, 25, 15
15 DO 20 IKQ4=1, IKQ3

```

COMMON/VKB3/LAMR(11,6),MUR(11,6),MFATR(11,6),LKR(6)

COMMON/VKB7/KR8

COMMON/VKB8/LAMK(200),MUK(200),MFATK(200)

COMMON/VKB9/DBIN(12)

DIMENSION IAK(4,4),KA(4),KB(4),KC(4),KD(4),IAD(4)

DIME(I,J)=DFLOAT(((I+1)\*(J+1)\*(I+J+2))/2)

IF(IE.EQ.1)GOTO 50

C CHECK THE DIMENSIONALITIES OF THE TOTALLY ANTISYMMETRIC PARTITIONS

DBIN(1)=1.00

DBIN(NR+1)=1.00

NK=NR2+1

DO 20 I=2,NK

DBIN(I)=1

KK=I-1

DO 10 J=1,KK

10 DBIN(I)=(DBIN(I)\*(NR-J+1))/J

20 DBIN(NR-I+2)=DBIN(I)

DO 40 I=1,NR2

KK=LKR(I)

DDM=0.00

DO 30 J=1,KK

30 DDM=DDM+MFATR(J,I)\*DIME(LAMR(J,I),MUR(J,I))

IF(DDM.NE.DBIN(I+1))WRITE(6,130)

IF(DDM.NE.DBIN(NR-I+1))WRITE(6,130)

40 CONTINUE

RETURN

C CHEK THE DIMENSIONALITY OF THE GIVEN PARTITION

50 IAD(1)=IA+IB+IC+ID

IAD(2)=IA+IB+IC

IAD(3)=IA+IB

IAD(4)=IA

DO 60 I=1,4

DO 60 J=1,4

60 IAK(I,J)=IAD(I)+J-I

DO 70 I=1,4

KA(I)=IAK(1,I)

KB(I)=IAK(2,I)

KC(I)=IAK(3,I)

KD(I)=IAK(4,I)

70 CONTINUE

NQ=0

MQ=0

DOTHER=0.00

DO 110 I1=1,4

DO 100 I2=1,4

IF(I1.EQ.I2)GOTO 100

MQ=MQ+1

DO 90 I3=1,4

IF(I1.EQ.I3.OR.I2.EQ.I3)GOTO 90

DO 80 I4=1,4

IF(((I1.EQ.I4).OR.(I2.EQ.I4)).OR.(I3.EQ.I4))GOTO 80

NQ=NQ+1

IF(KD(I4).LT.0.OR.KD(I4).GT.NR)GOTO 80

IF(KC(I3).LT.0.OR.KC(I3).GT.NR)GOTO 80

IF(KB(I2).LT.0.OR.KB(I2).GT.NR)GOTO 80

IF(KA(I1).LT.0.OR.KA(I1).GT.NR)GOTO 80

IPQ=MQ+NQ+0.2

IMNQ=IPQ-IPQ/2\*2

MNQ=1-2\*IMNQ

DOTHER=DOTHER+DBIN(KA(I1)+1)\*DBIN(KB(I2)+1)\*DBIN(KC(I3)+1)\*

DBIN(KD(I4)+1)\*MNQ

80 CONTINUE

90 CONTINUE



```

IKQ5= 6*IKQ4+1
IKQ6=IKQ5+5
20 WRITE(6,500)(MFATK(I),LAMK(I),MUK(I),I=IKQ5,IKQ6)
25 IF(KR8-IKQ2+1)35,35,30
30 WRITE(6,500)(MFATK(I),LAMK(I),MUK(I),I=IKQ2,KR8)
35 CALL DIMCHK(IA,IB,IC,ID,1)
   GOTO 10
40 WRITE(6,700)
   WRITE(6,600)IA,IB,IC,ID
   GOTO 10
45 WRITE(6,200)
   STOP
100 FORMAT(20I4)
200 FORMAT(1H2)
300 FORMAT(15X,'U(',I2,') PARTITION',5X,10I3,15X)
400 FORMAT(22X,'IRREDUCIBLE REPRESENTATIONS OF SU(3)',22X)
500 FORMAT(6(1X, I5,'(',I2,1X,I2,')'))
600 FORMAT(5X,4I3,'==== CHECK THE DATA',41X)
700 FORMAT(/)
   END

```

INPUT DATA

```

3
1 0 0 0
9 0 0 0
1 0 8 0
0 0 6 2
0 0 2 2
0 6 2 2
6 2 2 0
0 0 0 10
0 0 0 5
0 0 0 4
0 0 0 6
0 1 0 0
0 9 0 0
2 2 2 2
0 0 5 0
0 0 2 8
0 1 1 0
0 0 10 0
1 2 2 1
5 5 1 1
3 -2 4 0
-1

```

TEST RUN OUT-PUT

U(10) PARTITION 4 0 0 0 0 0 0 0 0 0  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(12 0) 1(8 2) 1(6 3) 1(4 4) 1(6 0) 1(3 3)  
 1(4 3) 1(0 6) 1(2 2) 1(0 0)

U(10) PARTITION 4 4 4 4 4 4 4 4 4 0  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(0 12) 1(2 8) 1(3 6) 1(4 4) 1(6 0) 1(3 3)  
 1(0 6) 1(1 4) 1(2 2) 1(0 0)

U(10) PARTITION 4 2 2 2 2 2 2 2 2 0  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(6 6) 1(8 2) 1(5 5) 1(6 3) 1(7 1) 1(2 8)  
 1(3 6) 4(4 4) 2(5 2) 2(6 0) 1(1 7) 2(2 5)  
 4(3 3) 3(4 1) 2(0 6) 3(1 4) 5(2 2) 1(3 0)  
 1(0 3) 2(1 1) 1(0 0)

U(10) PARTITION 2 2 2 2 2 2 1 1 0 0  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(7 4) 1(9 0) 1(3 9) 2(4 7) 3(5 5) 3(6 3)  
 2(7 1) 1(1 10) 2(2 8) 5(3 6) 5(4 4) 6(5 2)  
 1(6 0) 1(0 9) 4(1 7) 7(2 5) 8(3 3) 5(4 1)  
 3(0 6) 6(1 4) 6(2 2) 3(3 0) 3(0 3) 3(1 1)

U(10) PARTITION 2 2 1 1 0 0 0 0 0 0  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(9 3) 1(10 1) 2(7 4) 2(8 2) 1(9 0) 1(4 7)  
 3(5 5) 5(6 3) 4(7 1) 3(3 6) 5(4 4) 7(5 2)  
 3(6 0) 1(0 9) 2(1 7) 6(2 5) 8(3 3) 6(4 1)  
 1(0 6) 5(1 4) 6(2 2) 3(3 0) 3(0 3) 3(1 1)

U(10) PARTITION 3 3 3 3 3 3 2 2 1 1  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(7 4) 1(9 0) 1(3 9) 2(4 7) 3(5 5) 3(6 3)  
 2(7 1) 1(1 10) 2(2 8) 5(3 6) 5(4 4) 6(5 2)  
 1(6 0) 1(0 9) 4(1 7) 7(2 5) 8(3 3) 5(4 1)  
 3(0 6) 6(1 4) 6(2 2) 3(3 0) 3(0 3) 3(1 1)

U(10) PARTITION 4 4 4 4 4 4 3 3 2 2  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(7 4) 1(9 0) 1(3 9) 2(4 7) 3(5 5) 3(6 3)  
 2(7 1) 1(1 10) 2(2 8) 5(3 6) 5(4 4) 6(5 2)  
 1(6 0) 1(0 9) 4(1 7) 7(2 5) 8(3 3) 5(4 1)  
 3(0 6) 6(1 4) 6(2 2) 3(3 0) 3(0 3) 3(1 1)

U(10) PARTITION 1 1 1 1 1 1 1 1 1 1  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(0 0)

U(10) PARTITION 1 1 1 1 0 0 0 0 0 0  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(5 2) 1(2 5) 1(4 1) 1(1 4) 1(3 0) 1(0 3)

U(10) PARTITION 1 1 1 1 0 0 0 0 0 0  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(5 2) 1(3 3) 1(0 6) 1(2 2) 1(3 0)

U(10) PARTITION 1 1 1 1 1 0 0 0 0 0

1(6 0)      1(2 5)      1(3 3)      1(2 2)      1(0 3)

U(10) PARTITION      3 0 0 0 0 0 0 0 0 0  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(9 0)      1(5 2)      1(3 3)      1(3 0)      1(0 3)

U(10) PARTITION      3 3 3 3 3 3 3 3 3 0  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(0 9)      1(2 5)      1(3 3)      1(3 0)      1(0 3)

U(10) PARTITION      4 4 3 3 2 2 1 1 0 0  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(16 7)	2(17 5)	3(18 3)	2(19 1)	1(12 12)	4(13)
11(14 8)	19(15 6)	25(16 4)	21(17 2)	9(18 0)	4(10)
16(11 11)	42(12 9)	75(13 7)	103(14 5)	103(15 3)	66(16)
1(7 16)	11(8 14)	42(9 12)	109(10 10)	205(11 8)	301(12)
336(13 4)	272(14 2)	103(15 0)	2(5 17)	19(6 15)	75(7)
205(8 11)	412(9 9)	651(10 7)	806(11 5)	762(12 3)	467(13)
3(3 18)	25(4 16)	103(5 14)	301(6 12)	651(7 10)	1116(8)
1515(9 6)	1627(10 4)	1267(11 2)	484(12 0)	2(1 19)	21(2)
103(3 15)	336(4 13)	806(5 11)	1515(6 9)	2273(7 7)	2730(8)
2520(9 3)	1527(10 1)	9(0 18)	66(1 16)	272(2 14)	762(3)
1627(4 10)	2730(5 8)	3679(6 6)	3903(7 4)	3035(8 2)	1146(9)
103(0 15)	467(1 13)	1267(2 11)	2520(3 9)	3903(4 7)	4765(5)
4447(6 3)	2707(7 1)	484(0 12)	1527(1 10)	3035(2 8)	4447(3)
4960(4 4)	3952(5 2)	1516(6 0)	1146(0 9)	2707(1 7)	3952(2)
4035(3 3)	2569(4 1)	1516(0 6)	2569(1 4)	2421(2 2)	990(3)
990(0 3)	918(1 1)	133(0 0)			

U(10) PARTITION      2 2 2 2 2 0 0 0 0 0  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(10 4)	1(12 0)	1(7 7)	1(8 5)	2(9 3)	2(10)
1(4 10)	1(5 8)	4(6 6)	4(7 4)	6(8 2)	2(3)
4(4 7)	8(5 5)	7(6 3)	6(7 1)	1(0 12)	2(1 1)
6(2 8)	7(3 6)	14(4 4)	9(5 2)	6(6 0)	6(1)
9(2 5)	11(3 3)	7(4 1)	6(0 6)	7(1 4)	11(2)
1(3 0)	1(0 3)	4(1 1)	1(0 0)		

U(10) PARTITION      2 2 1 1 1 1 1 1 1 1  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(4 1)      1(0 3)

U(10) PARTITION      3 2 0 0 0 0 0 0 0 0  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(1 2)	1(9 3)	1(10 1)	2(7 4)	2(8 2)	2(9)
2(3 5)	3(6 3)	5(7 1)	2(3 6)	3(4 4)	5(5)
1(6 0)	1(1 7)	3(2 5)	5(3 3)	4(4 1)	1(0)
3(1 4)	5(2 2)	2(3 0)	2(0 3)	2(1 1)	

U(10) PARTITION      2 2 2 2 2 2 2 2 2 2  
 IRREDUCIBLE REPRESENTATIONS OF SU(3)

1(0 0)

11 2 2 1 ---- CHECK THE DATA

5 5 1 1 ---- CHECK THE DATA

8 -2 4 0 ---- CHECK THE DATA

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(3 0)		1	0	0	0	0	0	0	0	0	0	0	0	0
1(6 0)	1(2 2)	2	0	0	0	0	0	0	0	0	0	0	0	0
1(4 1)	1(0 3)	1	1	0	0	0	0	0	0	0	0	0	0	0
1(9 0)	1(5 2)	3	0	0	0	0	0	0	0	0	0	0	0	0
			1(3 3)				1(3 0)			1(0 3)				
1(7 1)	1(5 2)	2	1	0	0	0	0	0	0	0	0	0	0	0
1(1 1)			1(3 3)				1(4 1)			1(1 4)			1(2 2)	
1(6 0)	1(3 3)	1	1	1	0	0	0	0	0	0	0	0	0	0
			1(2 2)				1(0 0)							
1(12 0)	1(8 2)	4	0	0	0	0	0	0	0	0	0	0	0	0
1(4 1)	1(0 6)		1(6 3)				1(4 4)			1(6 0)			1(3 3)	
			1(2 2)				1(0 0)							
1(10 1)	1(8 2)	3	1	0	0	0	0	0	0	0	0	0	0	0
1(6 0)	2(2 5)		2(6 3)				1(7 1)			1(4 4)			2(5 2)	
1(3 0)	1(0 3)		2(3 3)				2(4 1)			1(1 4)			2(2 2)	
			1(1 1)											
1(8 2)	1(7 1)	2	2	0	0	0	0	0	0	0	0	0	0	0
1(4 1)	1(0 6)		2(4 4)				1(5 2)			1(6 0)			1(3 3)	
			1(1 4)				2(2 2)			1(1 1)				
1(9 0)	1(6 3)	2	1	1	0	0	0	0	0	0	0	0	0	0
2(3 3)	2(4 1)		1(7 1)				1(4 4)			2(5 2)			1(2 5)	
1(1 1)			2(1 4)				1(2 2)			2(3 0)			1(0 3)	
1(5 2)	1(3 3)	1	1	1	1	0	0	0	0	0	0	0	0	0
			1(0 6)				1(2 2)			1(3 0)				
1(13 1)	1(11 2)	4	1	0	0	0	0	0	0	0	0	0	0	0
2(9 0)	2(5 5)		2(9 3)				1(10 1)			2(7 4)			2(8 2)	
4(5 2)	2(6 0)		3(6 3)				3(7 1)			2(3 6)			3(4 4)	
1(0 6)	3(1 4)		1(1 7)				2(2 5)			4(3 3)			3(4 1)	
			3(2 2)				2(3 0)			1(0 3)			1(0 1)	

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

		3	2	0	0	0	0	0	0	0	0
1(11 2)	1(9 3)	1(10 1)	2(7 4)	2(8 2)	2(9 0)						
2(5 5)	3(6 3)	3(7 1)	2(3 6)	3(4 4)	5(5 2)						
1(6 0)	1(1 7)	3(2 5)	5(3 3)	4(4 1)	1(0 6)						
3(1 4)	3(2 2)	2(3 0)	2(0 3)	2(1 1)							

		3	1	1	0	0	0	0	0	0	0
1(12 0)	1(9 3)	1(10 1)	1(7 4)	3(8 2)	2(5 5)						
3(6 3)	3(7 1)	1(3 6)	5(4 4)	4(5 2)	4(6 0)						
1(1 7)	3(2 5)	5(3 3)	4(4 1)	2(0 6)	3(1 4)						
6(2 2)	1(3 0)	1(0 3)	2(1 1)	1(0 0)							

		2	2	1	0	0	0	0	0	0	0
1(10 1)	1(7 4)	1(8 2)	1(9 0)	1(5 5)	3(6 3)						
2(7 1)	1(3 6)	3(4 4)	4(5 2)	1(6 0)	1(1 7)						
3(2 5)	4(3 3)	4(4 1)	3(1 4)	3(2 2)	2(3 0)						
2(0 5)	2(1 1)										

		2	1	1	1	0	0	0	0	0	0
1(8 2)	2(6 3)	1(7 1)	1(3 6)	2(4 4)	2(5 2)						
2(6 0)	2(2 5)	3(3 3)	3(4 1)	1(0 6)	2(1 4)						
3(2 2)	1(3 0)	2(0 3)	1(1 1)								

		1	1	1	1	0	0	0	0	0	0
1(5 2)	1(2 5)	1(4 1)	1(1 4)	1(3 0)	1(0 3)						

		4	2	0	0	0	0	0	0	0	0
1(14 2)	1(12 3)	1(13 1)	3(10 4)	2(11 2)	2(12 0)						
2(8 5)	4(9 3)	4(10 1)	4(6 6)	5(7 4)	3(8 2)						
2(9 0)	2(4 7)	6(5 5)	9(6 3)	7(7 1)	5(2 8)						
5(3 6)	1(4 4)	9(5 2)	6(6 0)	3(1 7)	7(0 5)						
10(3 3)	7(4 1)	4(0 6)	6(1 4)	9(2 2)	2(3 0)						
2(0 3)	3(1 1)	1(0 0)									

		4	1	1	0	0	0	0	0	0	0
1(15 0)	1(12 3)	1(13 1)	1(10 4)	3(11 2)	2(8 5)						
4(9 3)	3(10 1)	2(6 6)	6(7 4)	5(8 2)	2(9 0)						
2(4 7)	6(5 5)	9(6 3)	7(7 1)	1(2 8)	2(4 7)						
8(4 4)	12(5 2)	3(6 0)	1(0 9)	3(1 7)	5(5 2)						
11(3 3)	8(4 1)	2(0 6)	7(1 4)	6(2 2)	4(4 1)						
5(0 3)	3(1 1)				1(1 1)						

		3	3	0	0	0	0	0	0	0	0
1(12 3)	1(11 2)	1(12 0)	2(8 5)	2(9 3)	2(11 1)						
1(6 6)	2(7 4)	3(8 2)	2(9 0)	2(4 7)	3(5 5)						
6(6 3)	3(7 1)	3(3 6)	4(4 4)	5(5 2)	2(6 0)						
2(0 9)	1(1 7)	5(2 5)	6(3 3)	4(4 1)	1(0 6)						
3(1 4)	3(2 2)	3(3 0)	3(0 3)	1(1 1)	1(0 0)						

		3	2	1	0	0	0	0	0	0	0
1(13 1)	1(10 4)	2(11 2)	1(12 0)	2(8 5)	4(9 3)						
4(10 1)	2(6 6)	7(7 4)	8(8 2)	3(9 0)	3(4 7)						

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

8( 5 5)	12( 6 3)	10( 7 1)	2( 2 8)	7( 3 6)	14( 4 4)
15( 5 2)	6( 6 0)	5( 1 7)	11( 2 5)	15( 3 3)	13( 4 1)
4( 0 6)	11( 1 4)	12( 2 2)	5( 3 0)	4( 0 3)	6( 1 1)
1(11 2)	2( 9 3)	1 1 1 0 0	0 0 0 0	3( 7 4)	3( 8 2)
3( 9 0)	4( 5 5)	1(10 1)	1( 6 6)	1( 2 8)	4( 3 6)
7( 4 4)	9( 5 2)	5( 6 3)	5( 7 1)	5( 2 5)	10( 3 3)
6( 4 1)	3( 0 6)	3( 6 0)	2( 1 7)	4( 3 0)	3( 0 3)
3( 1 1)	1( 0 0)	6( 1 4)	7( 2 2)		
1(12 0)	1( 9 3)	2 2 0 0	0 0 0 0	3( 8 2)	2( 5 5)
3( 6 3)	2( 7 1)	1( 6 6)	1( 7 4)	5( 4 4)	3( 5 2)
4( 6 0)	1( 1 7)	1( 2 8)	2( 3 6)	3( 4 1)	3( 0 6)
2( 1 4)	5( 2 2)	2( 2 5)	5( 3 3)	1( 1 1)	2( 0 0)
		1( 3 0)	1( 0 3)		
1( 9 3)	1(10 1)	2 2 1 1 0	0 0 0 0	1( 9 0)	1( 4 7)
3( 5 5)	5( 6 3)	2( 7 4)	2( 8 2)	5( 4 4)	7( 5 2)
3( 6 0)	1( 0 9)	4( 7 1)	3( 3 6)	8( 3 3)	6( 4 1)
1( 0 6)	5( 1 4)	2( 1 7)	6( 2 5)	3( 0 3)	3( 1 1)
		6( 2 2)	3( 3 0)		
1( 8 2)	1( 5 5)	1 1 1 1 0	0 0 0 0	1( 5 6)	3( 4 4)
2( 5 2)	2( 6 0)	1( 6 3)	2( 7 1)	4( 3 3)	3( 4 1)
1( 0 6)	3( 1 4)	1( 1 7)	2( 2 5)	2( 1 1)	1( 0 0)
		4( 2 2)	1( 0 3)		
1( 6 0)	1( 2 5)	1 1 1 1 0	0 0 0 0	1( 0 3)	
		1( 3 3)	1( 2 2)		
1(15 3)	1(13 4)	4 3 0 0 0	0 0 0 0	2( 1 5)	3(12 3)
3(13 1)	3( 9 6)	1(14 2)	1(15 0)	3(12 0)	3( 7 7)
6( 8 5)	10( 9 3)	4(10 4)	6(11 2)	7( 6 6)	3( 7 4)
2( 8 2)	6( 9 0)	7(10 1)	3( 5 8)	14( 5 5)	7( 6 3)
1( 7 1)	1( 1 10)	3( 3 9)	6( 4 7)	17( 4 4)	7( 5 2)
7( 6 0)	2( 0 9)	5( 2 8)	2( 3 6)	17( 3 3)	4( 4 1)
6( 0 6)	10( 1 4)	7( 1 7)	3( 2 5)	5( 0 5)	4( 0 0)
1( 0 0)		11( 2 2)	6( 3 0)		
1(16 1)	1(13 4)	2 1 0 0	0 0 0 0	2(11 5)	5(12 3)
4(13 1)	3( 9 6)	2(14 2)	1(15 0)	4(12 0)	4( 7 7)
2( 8 5)	17( 9 3)	8(10 4)	0(11 2)	13( 6 6)	24( 7 4)
2( 8 2)	11( 9 0)	14(10 1)	4( 5 8)	27( 5 5)	35( 6 3)
1( 7 1)	2( 1 10)	3( 3 9)	14( 4 7)	37( 4 4)	37( 5 2)
1( 6 0)	4( 0 9)	9( 2 8)	24( 3 6)	11( 0 3)	27( 4 1)
1( 0 6)	24( 1 4)	14( 1 7)	30( 2 5)		11( 0 0)
1( 0 0)		25( 2 2)	11( 3 0)		

4 1 1 1 0 0 0 0 0 0

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(14 2)	2(12 3)	1(13 1)	1(9 6)	3(10 4)	3(11 2)
3(12 0)	5(8 5)	6(9 3)	6(10 1)	1(5 8)	6(6 6)
9(7 4)	12(8 2)	4(9 0)	1(3 9)	5(4 7)	11(5 5)
18(6 3)	11(7 1)	4(2 8)	10(3 6)	18(4 4)	17(5 2)
9(6 0)	2(0 9)	6(1 7)	15(2 5)	19(5 3)	14(4 1)
6(0 6)	11(1 4)	14(2 2)	6(3 0)	6(0 3)	5(1 1)
2(0 0)					

1(14 2)	1(11 5)	1(12 3)	2(13 1)	1(9 6)	4(10 4)
4(11 2)	3(12 0)	2(7 7)	5(8 5)	9(9 3)	6(10 1)
2(5 8)	8(6 6)	12(7 4)	15(8 2)	4(9 0)	2(3 9)
6(4 7)	15(5 5)	18(6 3)	14(7 1)	1(1 10)	6(2 8)
13(3 6)	23(4 4)	19(5 2)	11(6 0)	1(0 9)	8(1 7)
15(2 5)	21(3 3)	15(4 1)	8(0 6)	13(1 4)	17(2 2)
5(3 0)	5(0 3)	6(1 1)	2(0 0)		

1(15 0)	1(12 3)	1(13 1)	1(9 6)	2(10 4)	4(11 2)
1(7 7)	4(8 5)	7(9 3)	5(10 1)	2(5 8)	5(6 6)
12(7 4)	9(8 2)	7(9 0)	1(3 9)	6(4 7)	13(5 5)
17(6 3)	13(7 1)	1(1 10)	4(2 8)	13(3 6)	17(4 4)
21(5 2)	6(6 0)	2(0 9)	7(1 7)	16(2 5)	20(3 3)
15(4 1)	4(0 6)	14(1 4)	12(2 2)	8(3 0)	7(0 3)
6(1 1)					

1(12 3)	1(13 1)	3(10 4)	3(11 2)	2(12 0)	1(7 7)
5(8 5)	8(9 3)	7(10 1)	1(5 8)	7(6 6)	13(7 4)
16(8 2)	6(9 0)	1(3 9)	8(4 7)	17(5 5)	24(6 3)
18(7 1)	1(1 10)	6(2 8)	16(3 6)	29(4 4)	28(5 2)
13(6 0)	2(0 9)	10(1 7)	23(2 5)	30(3 3)	23(4 1)
9(0 6)	20(1 4)	23(2 2)	9(3 0)	9(0 5)	10(1 1)
1(0 0)					

1(11 2)	1(8 5)	1(9 3)	2(10 1)	1(6 6)	4(7 4)
3(8 2)	3(9 0)	2(4 7)	4(5 5)	8(6 3)	5(7 1)
1(2 8)	5(3 6)	8(4 4)	11(5 2)	2(6 0)	1(0 9)
3(1 7)	9(2 5)	11(3 3)	9(4 1)	2(0 6)	8(1 4)
7(2 2)	6(3 0)	5(0 3)	4(1 1)		

1(11 2)	1(8 5)	2(9 3)	1(10 1)	2(6 6)	4(7 4)
4(8 2)	3(9 0)	1(3 9)	2(4 7)	6(5 5)	8(6 3)
6(7 1)	2(2 8)	6(3 6)	9(4 4)	11(5 2)	4(6 0)
1(0 9)	4(1 7)	8(2 5)	12(3 3)	8(4 1)	4(0 6)
7(1 4)	8(2 2)	5(3 0)	4(0 3)	3(1 1)	1(0 0)

1(9 3)	1(10 1)	1(6 6)	2(7 4)	3(8 2)	1(9 0)
1(4 7)	4(5 5)	5(6 3)	5(7 1)	2(2 8)	4(3 6)
9(4 4)	8(5 2)	4(6 0)	3(1 1)		

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(1)

4(1 1)		1(0 0)											
1(9 0)	1(5 5)	2	1	1	1	1	1	0	0	0	0		
3(5 2)	1(1 7)	1(6 3)		1(7 1)		1(3 6)		2(4 1)		2(4 1)		2(4 1)	
3(1 4)	3(2 2)	2(2 5)		4(3 3)		2(3 0)		1(0 3)		2(1 1)		1(0 0)	
1(3 3)		1(0 6)		1	1	1	1	1	1	1	0	0	0
				1(2 2)		1(0 0)							
1(16 4)		1(15 3)		4	4	0	0	0	0	0	0	0	0
1(15 0)	1(10 7)	1(16 1)		2(12 6)		2(13 4)		3(14 2)					
4(9 6)	9(10 4)	3(11 5)		4(12 3)		4(13 1)		3(8 8)					
9(8 5)	12(9 3)	7(11 2)		5(12 0)		1(6 9)		5(7 7)					
15(7 4)	16(8 2)	7(10 1)		3(4 10)		5(5 8)		12(6 6)					
17(6 3)	12(7 1)	4(9 0)		4(3 9)		9(4 7)		16(5 5)					
21(4 4)	15(5 2)	2(0 12)		2(1 10)		9(2 8)		14(3 6)					
16(3 3)	11(4 1)	9(6 0)		1(0 9)		8(1 7)		12(2 5)					
3(0 3)	4(1 1)	8(0 6)		10(1 4)		12(2 2)		3(3 0)					
1(17 2)		1(14 5)		4	3	1	0	0	0	0	0	0	0
6(14 2)	4(15 0)	2(15 3)		2(16 1)		2(12 6)		5(13 4)					
4(8 8)	14(9 6)	3(10 7)		9(11 5)		4(12 3)		11(13 1)					
16(7 7)	33(8 5)	23(10 4)		26(11 2)		9(2 0)		5(6 9)					
38(6 6)	58(7 4)	42(9 3)		30(10 1)		4(4 10)		17(5 8)					
37(4 7)	63(5 5)	52(8 2)		24(9 0)		3(2 11)		14(3 9)					
26(2 8)	56(3 6)	73(6 3)		50(7 1)		1(0 12)		8(1 10)					
32(1 7)	60(2 5)	74(4 4)		72(5 2)		27(6 0)		10(0 9)					
44(2 2)	21(3 0)	70(3 3)		48(4 1)		21(0 6)		44(1 4)					
		20(0 3)		18(1 1)		2(0 0)							
1(18 0)		1(15 3)		4	2	2	0	0	0	0	0	0	0
1(13 7)	5(11 5)	1(16 1)		1(12 6)		2(15 4)		5(14 2)					
17(10 4)	13(11 2)	8(12 3)		6(13 1)		3(8 8)		7(9 6)					
27(9 3)	20(10 1)	10(12 0)		2(6 9)		10(7 7)		21(8 5)					
42(8 2)	12(9 0)	3(4 10)		10(5 8)		29(6 6)		36(7 4)					
51(6 3)	36(7 1)	1(2 11)		9(3 9)		24(4 7)		44(5 5)					
61(4 4)	48(5 2)	1(0 12)		5(1 10)		21(2 8)		37(3 6)					
52(3 3)	35(4 1)	26(6 0)		5(0 9)		23(1 7)		41(2 5)					
11(0 3)	14(1 1)	20(0 6)		31(1 4)		39(2 2)		11(3 0)					
		4(0 0)											
1(15 3)		1(16 1)		4	2	1	1	0	0	0	0	0	0
6(11 5)	9(12 3)	3(13 4)		3(14 2)		2(15 0)		1(10 7)					
20(11 2)	8(12 0)	8(13 1)		1(8 8)		9(9 6)		16(10 4)					
26(10 1)	1(4 10)	2(6 9)		12(7 7)		26(8 5)		36(9 3)					
23(9 0)	2(2 11)	13(5 8)		30(6 6)		52(7 4)		49(3 2)					
51(7 1)	6(1 10)	11(3 9)		32(4 7)		60(5 5)		72(6 3)					
29(6 0)	10(0 9)	22(2 8)		54(3 6)		77(4 4)		75(5 2)					
22(0 6)	49(1 4)	32(1 7)		62(2 5)		76(3 3)		54(4 1)					
3(0 0)		49(2 2)		23(3 0)		22(0 3)		21(1 1)					



APPENDIX-BREDUCTION OF U(10)  $\supset$  SU(3) CHAIN

The reduction of all possible partitions (not more than four columns) of U(10) to IR of SU(3) are tabulated. We give complete details upto  $N=20$  ( $N = \sum_{i=1}^{10} f_i$ ). For  $N > 20$ , the reductions can be obtained from the present tabulations by particle-hole relationship (see eqn.5.C). In the tables the U(10) partition  $[f_1, f_2, \dots, f_{10}]$  is printed out and below this the reductions are listed out. For example,

1. 1111000000

U(10) partition, usually written as

$$[f_1, f_2, f_3, \dots, f_{10}]$$

2. 1(52) 1(33) 1(06)  
 - - - -

The number inside the parenthesis indicate the ( $\lambda\mu$ ) of the IR of SU(3). Always a space is inserted between  $\lambda$  &  $\mu$ . The number outside the parenthesis indicates the number of times that a given SU(3) representation occurs in a partition of U(10).

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TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(14 2)	1(11 5)	1(12 3)	2(13 1)	1(9 6)	4(10 4)
3(11 2)	3(12 0)	2(7 7)	5(8 5)	9(9 3)	6(10 1)
2(5 8)	7(6 6)	12(7 4)	15(8 2)	3(9 0)	2(3 9)
7(4 7)	16(5 5)	20(6 3)	15(7 1)	1(1 10)	6(2 8)
14(3 6)	24(4 4)	21(5 2)	13(6 0)	1(0 9)	9(1 7)
18(2 5)	24(3 3)	17(4 1)	9(0 6)	15(1 4)	20(2 2)
6(3 0)	6(0 3)	7(1 1)	2(0 0)		

1(16 1)	1(13 4)	1(14 2)	1(15 0)	1(10 7)	2(11 5)
5(12 3)	3(13 1)	1(8 8)	4(9 6)	8(10 4)	9(11 2)
3(12 0)	2(6 9)	6(7 7)	15(8 5)	17(9 3)	13(10 1)
1(4 10)	7(5 8)	16(6 6)	26(7 4)	23(8 2)	12(9 0)
2(2 11)	6(3 9)	19(4 7)	30(5 5)	37(6 3)	25(7 1)
3(1 10)	11(2 8)	27(3 6)	37(4 4)	37(5 2)	13(6 0)
7(0 9)	16(1 7)	32(2 5)	37(3 3)	27(4 1)	9(0 6)
24(1 4)	22(2 2)	12(3 0)	12(0 3)	10(1 1)	1(0 0)

1(13 4)	1(14 2)	1(15 0)	2(11 5)	3(12 3)	3(13 1)
1(8 8)	4(9 6)	8(10 4)	10(11 2)	3(12 0)	6(7 7)
12(8 5)	18(9 3)	13(10 1)	2(4 10)	7(5 8)	18(6 6)
29(7 4)	27(8 2)	13(9 0)	6(3 9)	16(4 7)	34(5 5)
39(6 3)	29(7 1)	1(0 12)	4(1 10)	15(2 8)	31(3 6)
46(4 4)	44(5 2)	17(6 0)	3(0 9)	19(1 7)	34(2 5)
45(3 3)	31(4 1)	15(0 6)	29(1 4)	31(2 2)	13(3 0)
11(0 3)	13(1 1)	2(0 0)			

1(14 2)	1(11 5)	3(12 3)	2(13 1)	3(9 6)	7(10 4)
7(11 2)	4(12 0)	1(6 9)	5(7 7)	13(8 5)	7(9 3)
14(10 1)	1(4 10)	6(5 8)	18(6 6)	28(7 4)	30(8 2)
11(9 0)	1(2 11)	6(3 9)	20(4 7)	36(5 5)	46(6 3)
32(7 1)	4(1 10)	15(2 8)	34(3 6)	52(4 4)	49(5 2)
22(6 0)	6(0 9)	21(1 7)	43(2 5)	52(3 3)	37(4 1)
16(0 6)	33(1 4)	37(2 2)	15(3 0)	15(0 3)	15(0 1)
2(0 0)					

1(12 3)	1(13 1)	1(9 6)	3(10 4)	4(11 2)	2(12 0)
2(7 7)	6(8 5)	10(9 3)	8(10 1)	3(5 8)	10(6 6)
18(7 4)	19(8 2)	8(9 0)	3(3 9)	11(4 7)	24(5 5)
31(6 3)	23(7 1)	2(1 10)	9(2 8)	24(3 6)	38(4 4)
37(5 2)	16(6 0)	4(0 9)	15(1 7)	32(2 5)	41(3 3)
30(4 1)	12(0 6)	27(1 4)	30(2 2)	13(3 0)	13(0 3)
13(1 1)	2(0 0)				

1(12 0)	1(8 5)	1(9 3)	1(10 1)	1(6 6)	2(7 4)
4(8 2)	2(4 7)	4(5 5)	7(6 3)	4(7 1)	4(2 8)
4(3 6)	9(4 4)	7(5 2)	5(6 0)	1(0 9)	3(1 7)
8(2 5)	10(3 3)	9(4 1)	3(0 6)	7(1 4)	9(2 2)
3(3 0)	4(0 3)	4(1 1)	1(0 0)		

REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

4) 4)	136( 5 2)	53( 6 0)	22( 0 9)	69( 1 7)	117( 2 5)
3) 3)	91( 4 1)	44( 0 6)	84( 1 4)	84( 2 2)	35( 3 0)
0) 3)	34( 1 1)	4( 0 0)			

16) 4)	1(17 2)	1(18 0)	3(14 5)	4(15 3)	4(16 1)
11) 8)	6(12 6)	11(13 4)	14(14 2)	5(15 0)	1( 9 9)
10) 7)	21(11 5)	31(12 3)	22(13 1)	2( 7 10)	14( 8 8)
9) 6)	55(10 4)	51(11 2)	24(12 0)	2( 5 11)	16( 6 9)
7) 7)	79( 8 5)	91( 9 3)	65(10 1)	2( 3 12)	15( 4 10)
5) 8)	94( 6 6)	127( 7 4)	119( 8 2)	46( 9 0)	1( 1 13)
2) 11)	38( 3 9)	92( 4 7)	144( 5 5)	163( 6 3)	108( 7 1)
0) 12)	22( 1 10)	67( 2 8)	127( 3 6)	173( 4 4)	152( 5 2)
6) 0)	25( 0 9)	75( 1 7)	134( 2 5)	153( 3 3)	105( 4 1)
0) 6)	96( 1 4)	99( 2 2)	41( 3 0)	40( 0 3)	39( 1 1)

17) 2)	1(14 5)	3(15 3)	2(16 1)	3(12 6)	8(13 4)
14) 2)	5(15 0)	1( 9 9)	6(10 7)	16(11 5)	21(12 3)
13) 1)	1( 7 10)	9( 8 8)	26( 9 6)	40(10 4)	43(11 2)
12) 0)	2( 5 11)	11( 6 9)	35( 7 7)	62( 8 5)	77( 9 3)
10) 1)	1( 3 12)	11( 4 10)	38( 5 8)	77( 6 6)	112( 7 4)
8) 2)	44( 9 0)	1( 1 13)	8( 2 11)	33( 3 9)	77( 4 7)
5) 5)	144( 6 3)	98( 7 1)	3( 0 12)	19( 1 10)	58( 2 8)
2) 6)	155( 4 4)	143( 5 2)	55( 6 0)	21( 0 9)	69( 1 7)
2) 5)	143( 3 3)	98( 4 1)	46( 0 6)	91( 1 4)	91( 2 2)
3) 0)	38( 0 3)	37( 1 1)	5( 0 0)		

15) 3)	1(16 1)	1(12 6)	3(13 4)	4(14 2)	2( 5 0)
10) 7)	7(11 5)	11(12 3)	9(13 1)	4( 8 8)	12( 9 6)
10) 4)	24(11 2)	10(12 0)	4( 6 9)	17( 7 7)	35( 8 5)
9) 3)	33(10 1)	5( 4 10)	19( 5 8)	47( 6 6)	69( 7 4)
8) 2)	28( 9 0)	3( 2 11)	17( 3 9)	46( 4 7)	83( 5 5)
6) 3)	68( 7 1)	2( 0 12)	10( 1 10)	37( 2 8)	76( 3 6)
4) 4)	101( 5 2)	42( 6 0)	12( 0 9)	46( 1 7)	55( 2 5)
3) 3)	72( 4 1)	35( 0 6)	67( 1 4)	72( 2 2)	30( 3 0)
0) 3)	29( 1 1)	5( 0 0)			

5) 0)	1(11 5)	1(12 3)	1(13 1)	1( 9 6)	2(10 4)
1) 2)	2( 7 7)	4( 8 5)	8( 9 3)	4(10 1)	2( 5 8)
6) 6)	12( 7 4)	10( 8 2)	7( 9 0)	2( 3 9)	6( 4 7)
5) 5)	17( 6 3)	14( 7 1)	1( 1 0)	5( 2 8)	15( 3 6)
4) 4)	23( 5 2)	8( 6 0)	2( 0 9)	8( 1 7)	17( 3 5)
3) 3)	16( 4 1)	7( 0 6)	16( 1 4)	16( 2 2)	9( 3 0)
0) 3)	7( 1 1)	1( 0 0)			

0) 0)	1(15 3)	1(12 6)	1(13 4)	3(14 2)	1( 0 9)
7) 7)	4(11 5)	5(12 3)	3(13 1)	3( 8 8)	6( 9 6)
4) 4)	7(11 2)	7(12 0)	1( 5 11)	3( 6 9)	9( 7 7)
5) 5)	18( 9 3)	11(10 1)	1( 3 12)	3( 4 10)	9( 5 8)
6) 6)	22( 7 4)	26( 8 2)	7( 9 0)	2( 2 11)	9( 3 9)

IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

4	4)	136( 5 2)	53( 6 0)	22( 0 9)	69( 1 7)	117( 2 5)
3	3)	91( 4 1)	44( 0 6)	84( 1 4)	84( 2 2)	35( 3 0)
0	3)	34( 1 1)	4( 0 0)			

		4	3	1	1	0	0	0	0	0	0
1	16 4)	1(17 2)	1(18 0)	3(14 5)	4(15 3)	4(16 1)					
1	11 8)	6(12 6)	11(13 4)	14(14 2)	5(15 0)	1( 9 9)					
10	10 7)	21(11 5)	31(12 3)	22(13 1)	2( 7 10)	14( 8 8)					
9	9 6)	55(10 4)	51(11 2)	24(12 0)	2( 5 11)	16( 6 9)					
7	7 7)	79( 8 5)	91( 9 3)	65(10 1)	2( 3 12)	15( 4 10)					
5	5 8)	94( 6 6)	127( 7 4)	119( 8 2)	46( 9 0)	1( 1 3)					
2	11 11)	38( 3 9)	92( 4 7)	144( 5 5)	163( 6 3)	108( 7 1)					
0	12 12)	22( 1 10)	67( 2 8)	127( 3 6)	173( 4 4)	152( 5 2)					
6	6 0)	25( 0 9)	75( 1 7)	134( 2 5)	153( 3 3)	105( 4 1)					
3	3 6)	96( 1 4)	99( 2 2)	41( 3 0)	40( 0 3)	39( 1 1)					
0	0 0)										

		4	2	2	1	0	0	0	0	0
1	17 2)	1(14 5)	3(15 3)	2(16 1)	3(12 6)	8(13 4)				
8	14 2)	5(15 0)	1( 9 9)	6(10 7)	16(11 5)	21(12 3)				
17	13 1)	1( 7 10)	9( 8 8)	26( 9 6)	40(10 4)	43(11 2)				
16	12 0)	2( 5 11)	11( 6 9)	35( 7 7)	62( 8 5)	77( 9 3)				
10	10 1)	1( 3 12)	11( 4 10)	38( 5 8)	77( 6 6)	112( 7 4)				
8	8 2)	44( 9 0)	1( 1 13)	8( 2 11)	33( 3 9)	77( 4 7)				
5	5 5)	144( 6 3)	98( 7 1)	3( 0 12)	19( 1 10)	58( 2 8)				
3	3 6)	155( 4 4)	143( 5 2)	55( 6 0)	21( 0 9)	69( 1 7)				
2	2 5)	143( 3 3)	98( 4 1)	46( 0 6)	91( 1 4)	91( 2 2)				
3	3 0)	38( 0 3)	37( 1 1)	5( 0 0)						

		4	2	1	1	1	0	0	0	0
1	15 3)	1(16 1)	1(12 6)	3(13 4)	4(14 2)	2( 5 0)				
2	10 7)	7(11 5)	11(12 3)	9(13 1)	4( 8 8)	12( 9 6)				
19	19 4)	24(11 2)	10(12 0)	4( 6 9)	17( 7 7)	35( 8 5)				
9	9 3)	33(10 1)	5( 4 10)	19( 5 8)	47( 6 6)	69( 7 4)				
7	8 2)	28( 9 0)	3( 2 11)	17( 3 9)	46( 4 7)	83( 5 5)				
6	6 3)	68( 7 1)	2( 0 12)	10( 1 10)	37( 2 8)	76( 3 6)				
4	4 4)	101( 5 2)	42( 6 0)	12( 0 9)	46( 1 7)	65( 2 5)				
3	3 3)	72( 4 1)	35( 0 6)	67( 1 4)	72( 2 2)	30( 3 0)				
0	0 3)	29( 1 1)	5( 0 0)							

		4	1	1	1	1	0	0	0	0
1	15 0)	1(11 5)	1(12 3)	1(13 1)	1( 9 6)	2(10 4)				
11	11 2)	2( 7 7)	4( 8 5)	8( 9 3)	4(10 1)	2( 5 8)				
6	6 6)	12( 7 4)	10( 8 2)	7( 9 0)	2( 3 9)	6( 4 7)				
5	5 5)	17( 6 3)	14( 7 1)	1( 1 0)	5( 2 8)	15( 3 6)				
4	4 4)	23( 5 2)	8( 6 0)	2( 0 9)	8( 1 7)	17( 2 5)				
3	3 3)	16( 4 1)	7( 0 6)	16( 1 4)	16( 2 2)	9( 3 0)				
0	0 3)	7( 1 1)	1( 0 0)							

		3	3	3	0	0	0	0	0
1	18 0)	1(15 3)	1(12 6)	1(13 4)	3(14 2)	1( 9 9)			
1	17 7)	4(11 5)	5(12 3)	3(13 1)	3( 8 8)	6( 9 6)			
10	10 4)	7(11 2)	7(12 0)	1( 5 11)	3( 6 9)	9( 7 7)			
8	8 5)	18( 9 3)	11(10 1)	1( 3 12)	3( 4 10)	9( 5 8)			
6	6 6)	22( 7 4)	26( 8 2)	7( 9 0)	2( 2 11)	9( 3 9)			

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

16( 4 7)	29( 5 5)	32( 6 3)	20( 7 1)	2( 0 12)	4( 1 10)
16( 2 8)	25( 3 6)	37( 4 4)	27( 5 2)	18( 6 0)	4( 0 9)
14( 1 7)	24( 2 5)	32( 3 3)	18( 4 1)	14( 0 6)	16( 1 4)
23( 2 2)	7( 3 0)	7( 0 3)	6( 1 1)	5( 0 0)	
3 3 2 1 0 0 0 0 0 0					
1(15 3)	1(16 1)	1(12 6)	3(13 4)	4(14 2)	1(15 0)
3(10 7)	8(11 5)	11(12 3)	9(13 1)	1( 7 10)	5( 8 8)
15( 9 6)	25(10 4)	24(11 2)	11(12 0)	1( 5 11)	7( 6 9)
22( 7 7)	41( 8 5)	49( 9 3)	35(10 1)	1( 3 12)	8( 4 0)
26( 5 8)	53( 6 6)	76( 7 4)	71( 8 2)	27( 9 0)	1( 1 3)
6( 2 11)	23( 3 9)	56( 4 7)	90( 5 5)	102( 6 3)	70( 7 1)
2( 0 12)	14( 1 10)	42( 2 8)	82( 3 6)	114( 4 4)	102( 5 2)
42( 6 0)	15( 0 9)	50( 1 7)	89( 2 5)	103( 3 3)	73( 4 1)
34( 0 6)	67( 1 4)	69( 2 2)	28( 3 0)	27( 0 3)	28( 2 1)

3 3 1 1 1 0 0 0 0 0					
1(13 4)	1(14 2)	1(15 0)	1(10 7)	2(11 5)	5(12 3)
3(13 1)	1( 8 8)	6( 9 6)	9(10 4)	12(11 2)	4(12 0)
3( 6 9)	8( 7 7)	20( 8 5)	23( 9 3)	18(10 1)	2( 4 10)
11( 5 8)	24( 6 6)	39( 7 4)	34( 8 2)	18( 9 0)	3( 2 11)
10( 3 9)	29( 4 7)	47( 5 5)	59( 6 3)	38( 7 1)	6( 1 10)
19( 2 8)	46( 3 6)	60( 4 4)	62( 5 2)	21( 6 0)	1( 0 9)
27( 1 7)	55( 2 5)	63( 3 3)	45( 4 1)	17( 0 6)	41( 1 4)
39( 2 2)	22( 3 0)	21( 0 3)	17( 1 1)	2( 0 0)	

3 2 2 2 0 0 0 0 0 0					
1(13 4)	1(15 0)	2(11 5)	3(12 3)	2(13 1)	1( 8 8)
5( 9 6)	6(10 4)	9(11 2)	2(12 0)	2( 6 9)	7( 7 7)
13( 8 5)	18( 9 3)	12(10 1)	1( 3 12)	2( 4 10)	10( 5 8)
19( 6 6)	30( 7 4)	25( 8 2)	15( 9 0)	2( 2 11)	9( 3 9)
21( 4 7)	37( 5 5)	42( 6 3)	29( 7 1)	1( 0 12)	6( 1 10)
26( 2 8)	37( 3 6)	46( 4 4)	47( 5 2)	16( 6 0)	8( 0 9)
21( 1 7)	40( 2 5)	48( 3 3)	31( 4 1)	14( 0 6)	30( 1 4)
29( 2 2)	16( 3 0)	15( 0 3)	12( 1 1)	2( 0 0)	

3 2 2 1 1 0 0 0 0 0					
1(14 2)	2(11 5)	3(12 3)	3(13 1)	1( 8 8)	4( 9 6)
10(10 4)	9(11 2)	6(12 0)	2( 6 9)	9( 7 7)	18( 8 5)
25( 9 3)	18(10 1)	3( 4 10)	11( 5 8)	29( 6 6)	4( 7 4)
44( 8 2)	15( 9 0)	2( 2 11)	12( 3 9)	31( 4 7)	57( 5 5)
66( 6 3)	47( 7 1)	1( 0 12)	7( 1 10)	27( 2 8)	54( 3 6)
82( 4 4)	71( 5 2)	34( 6 0)	9( 0 9)	35( 1 7)	64( 2 5)
80( 3 3)	55( 4 1)	28( 0 6)	51( 1 4)	58( 2 2)	21( 3 0)
21( 0 3)	23( 1 1)	5( 0 0)			

3 2 1 1 1 0 0 0 0 0					
1(13 1)	1( 9 6)	2(10 4)	3(11 2)	1(12 0)	2( 7 7)
5( 8 5)	8( 9 3)	6(10 1)	3( 5 8)	8( 6 6)	17( 7 4)
15( 8 2)	7( 9 0)	3( 3 9)	11( 4 7)	23( 5 5)	28( 6 3)
21( 7 1)	2( 1 10)	9( 2 8)	23( 3 6)	36( 4 4)	36( 5 2)
14( 6 0)	3( 0 9)	16( 1 7)	31( 2 5)	40( 3 3)	30( 4 1)
12( 0 6)	28( 1 4)	30( 2 2)	13( 3 0)	12( 0 3)	14( 1 1)
1( 0 0)					

IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

		3	1	1	1	1	1	0	0	0		
1(9 3)	1(6 6)	1(7 4)	2(8 2)	3(5 5)	3(6 3)							
3(7 1)	1(2 8)	3(3 6)	6(4 4)	5(5 2)	4(6 0)							
2(1 7)	4(2 5)	8(3 3)	5(4 1)	3(0 6)	5(1 4)							
8(2 2)	2(3 0)	2(0 3)	3(1 1)	2(0 0)								

		2	2	2	2	1	0	0	0	0		
1(10 4)	1(11 2)	1(7 7)	2(8 5)	3(9 3)	3(10 1)							
2(5 8)	4(6 6)	7(7 4)	7(8 2)	3(9 0)	1(2 11)							
2(3 9)	7(4 7)	11(5 5)	13(6 3)	10(7 1)	2(1 10)							
5(2 8)	12(3 6)	17(4 4)	16(5 2)	6(6 0)	3(0 9)							
8(1 7)	16(2 5)	18(3 3)	13(4 1)	4(0 6)	3(1 4)							
12(2 2)	5(3 0)	6(0 3)	6(1 1)									

		2	2	2	1	1	1	0	0	0		
1(12 0)	1(8 5)	2(9 3)	1(10 1)	1(5 8)	3(6 6)							
4(7 4)	6(8 2)	1(9 0)	1(3 9)	4(4 7)	8(5 5)							
11(6 3)	7(7 1)	1(1 10)	4(2 8)	10(3 6)	15(4 4)							
13(5 2)	8(6 0)	2(0 9)	6(1 7)	14(2 5)	17(3 3)							
12(4 1)	6(0 6)	11(1 4)	14(2 2)	5(3 0)	6(0 3)							
5(1 1)	2(0 0)											

		2	2	1	1	1	1	0	0	0		
1(7 4)	1(8 2)	1(4 7)	2(5 5)	3(6 3)	2(7 1)							
3(3 6)	4(4 4)	5(5 2)	2(6 0)	1(0 9)	2(1 7)							
6(2 5)	7(3 3)	6(4 1)	1(0 6)	5(1 4)	5(2 2)							
3(3 0)	4(0 3)	3(1 1)										

		2	1	1	1	1	1	1	0	0		
1(4 4)	1(6 0)	1(2 5)	1(3 3)	1(4 1)	1(1 4)							
2(2 2)	1(0 3)	1(1 1)										

		1	1	1	1	1	1	1	1	0		
1(1 3)												

		4	4	2	0	0	0	0	0	0		
1(20 2)	1(17 5)	1(18 3)	2(19 1)	1(14 8)	2(15 6)							
6(16 4)	5(17 2)	4(18 0)	1(12 9)	5(13 7)	13(14 5)							
15(15 3)	10(16 1)	3(10 10)	8(11 8)	22(12 6)	29(13 4)							
24(14 2)	9(15 0)	2(8 11)	12(9 9)	29(10 7)	51(11 5)							
32(12 3)	39(13 1)	4(6 12)	14(7 10)	42(8 8)	71(9 6)							
39(11 4)	79(11 2)	39(12 0)	2(4 13)	14(5 11)	40(6 9)							
47(7 7)	125(8 5)	134(9 3)	87(10 1)	3(2 14)	11(3 12)							
54(4 0)	87(5 8)	152(6 6)	174(7 4)	158(8 2)	53(9 0)							
61(1 13)	24(2 11)	72(3 9)	132(4 7)	192(5 5)	194(6 3)							
68(7 1)	13(0 12)	40(1 10)	104(2 8)	162(3 0)	210(4 4)							
75(5 2)	75(6 0)	30(0 9)	95(1 7)	147(2 5)	165(3 3)							
82(4 1)	64(0 6)	100(1 4)	107(2 2)	37(3 0)	35(0 3)							
89(1 1)	9(0 0)											

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(17 5)	1(18 3)	1(19 1)	2(15 6)	3(16 4)	4(17 2)
2(18 0)	1(12 9)	4(13 7)	9(14 5)	13(15 3)	9(16 1)
7(11 8)	15(12 6)	26(13 4)	25(14 2)	11(15 0)	2( 8 11)
10( 9 9)	26(10 7)	46(11 5)	54(12 3)	37(13 1)	1( 6 12)
11( 7 10)	31( 8 8)	66( 9 6)	86(10 4)	80(11 2)	32(12 0)
2( 4 13)	12( 5 11)	38( 6 9)	80( 7 7)	123( 8 5)	132( 9 3)
87(10 1)	10( 3 12)	31( 4 10)	82( 5 8)	138( 6 6)	176( 7 4)
149( 8 2)	62( 9 0)	2( 0 15)	5( 1 13)	26( 2 11)	69( 3 9)
135( 4 7)	193( 5 5)	203( 6 3)	129( 7 1)	6( 0 12)	38( 1 10)
93( 2 8)	167( 3 6)	204( 4 4)	179( 5 2)	69( 6 0)	39( 0 9)
97( 1 7)	161( 2 5)	175( 3 3)	116( 4 1)	57( 0 6)	107( 0 4)
104( 2 2)	47( 3 0)	46( 0 3)	40( 1 1)	6( 0 0)	

		4	3	3	0	0	0	0	0	0
1(21 0)	1(18 3)	1(19 1)	1(15 6)	2(16 4)	4(17 2)					
1(12 9)	2(13 7)	6(14 5)	9(15 3)	6(16 1)	1(10 10)					
5(11 8)	11(12 6)	20(13 4)	15(14 2)	10(15 0)	2( 8 11)					
7( 9 9)	20(10 7)	23(11 5)	38(12 3)	26(13 1)	2( 6 12)					
9( 7 10)	25( 8 8)	52( 9 6)	60(10 4)	61(11 2)	20(12 0)					
2( 4 13)	9( 5 11)	30( 6 9)	61( 7 7)	92( 8 5)	97( 9 3)					
63(10 1)	1( 2 14)	8( 3 12)	26( 4 10)	65( 5 8)	102( 6 6)					
35( 7 4)	106( 8 2)	50( 9 0)	1( 0 15)	4( 1 13)	20( 2 11)					
53( 3 9)	102( 4 7)	144( 5 5)	151( 6 3)	95( 7 1)	6( 0 12)					
30( 1 10)	69( 2 8)	127( 3 6)	148( 4 4)	136( 5 2)	46( 6 0)					
30( 0 9)	72( 1 7)	119( 2 5)	128( 3 3)	86( 4 1)	40( 0 6)					
80( 1 4)	72( 2 2)	38( 3 0)	35( 0 3)	29( 1 1)	3( 0 0)					

		4	3	2	1	0	0	0	0	0
1(18 3)	1(19 1)	1(15 6)	4(16 4)	5(17 2)	2(18 0)					
4(13 7)	11(14 5)	16(15 3)	13(16 1)	1(10 10)	6( 8 11)					
24(12 6)	40(13 4)	40(14 2)	17(15 0)	2( 6 11)	13( 9 9)					
41(10 7)	76(11 5)	91(12 3)	65(13 1)	2( 6 12)	18( 7 10)					
58( 8 8)	117( 9 6)	165(10 4)	150(11 2)	60(12 0)	3( 4 13)					
9( 5 11)	68( 6 9)	153( 7 7)	239( 8 5)	263( 9 3)	176(10 1)					
2( 2 14)	16( 3 12)	65( 4 10)	163( 5 8)	287( 6 6)	368( 7 4)					
20( 8 2)	127( 9 0)	10( 1 13)	47( 2 11)	137( 3 9)	282( 4 7)					
14( 5 5)	436( 6 3)	288( 7 1)	17( 0 12)	81( 1 10)	206( 2 8)					
65( 3 6)	464( 4 4)	400( 5 2)	159( 6 0)	75( 0 9)	215( 1 7)					
56( 2 5)	395( 3 3)	266( 4 1)	132( 0 6)	249( 1 4)	246( 2 2)					
11( 3 0)	99( 0 3)	97( 1 1)	12( 0 0)							

		4	3	1	1	1	0	0	0	0
1(16 4)	1(17 2)	1(18 0)	1(13 7)	3(14 5)	6(15 3)					
4(16 1)	2(11 8)	8(12 6)	14(13 4)	17(14 2)	6(15 0)					
4( 9 9)	14(10 7)	31(11 5)	39(12 3)	29(13 1)	5( 7 0)					
21( 8 8)	49( 9 6)	74(10 4)	68(11 2)	32(12 0)	6( 5 1)					
25( 6 9)	66( 7 7)	110( 8 5)	128( 9 3)	87(10 1)	5( 3 2)					
25( 4 0)	71( 5 8)	138( 6 6)	181( 7 4)	167( 8 2)	63( 9 0)					
3( 1 13)	18( 2 11)	63( 3 9)	135( 4 7)	212( 5 5)	231( 6 3)					
53( 7 1)	7( 0 12)	36( 1 10)	103( 2 8)	189( 3 6)	252( 4 4)					
18( 5 2)	93( 6 0)	37( 0 9)	113( 1 7)	194( 2 5)	223( 3 3)					
50( 4 1)	77( 0 6)	139( 1 4)	146( 2 2)	59( 3 0)	57( 0 3)					
56( 1 1)	10( 0 0)									

		4	2	2	2	0	0	0	0	0
1(16 4)	1(18 0)	2(14 5)	3(15 3)	2(16 1)						

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(1)

6(12 6)	7(13 4)	11(14 2)	2(15 0)	2(9 9)	9(10 3)
17(11 5)	23(12 3)	16(13 1)	1(6 12)	3(7 10)	16(8 8)
29(9 6)	47(10 4)	38(11 2)	22(12 0)	4(5 11)	17(6 6)
40(7 7)	68(8 5)	76(9 3)	52(10 1)	1(2 14)	4(3 12)
20(4 10)	45(5 8)	91(6 6)	109(7 4)	106(8 2)	35(9 3)
2(1 13)	12(2 11)	41(3 9)	85(4 7)	131(5 5)	142(6 3)
92(7 1)	7(0 12)	23(1 10)	70(2 8)	117(3 6)	160(4 4)
130(5 2)	61(6 0)	22(0 9)	71(1 7)	118(2 5)	136(3 3)
90(4 1)	52(0 6)	83(1 4)	92(2 2)	33(3 0)	32(0 0)
33(1 1)	8(0 0)				

1(17 2)	2(14 5)	3(15 3)	3(16 1)	1(11 8)	4(12 6)
11(13 4)	10(14 2)	7(15 0)	2(9 9)	11(10 7)	22(13 5)
31(12 3)	22(13 1)	4(7 10)	15(8 8)	41(9 6)	58(10 4)
62(11 2)	21(12 0)	4(5 11)	22(6 9)	55(7 7)	98(8 5)
112(9 3)	79(10 1)	4(3 12)	20(4 10)	65(5 8)	121(6 6)
173(7 4)	147(8 2)	68(9 0)	2(1 13)	17(2 11)	56(3 9)
130(4 7)	201(5 5)	224(6 3)	148(7 1)	5(0 12)	34(1 10)
94(2 8)	187(3 6)	239(4 4)	224(5 2)	81(6 0)	39(0 9)
111(1 7)	199(2 5)	223(3 3)	154(4 1)	69(0 6)	145(1 4)
139(2 2)	67(3 0)	64(0 3)	58(1 1)	6(0 3)	

1(16 1)	1(12 6)	2(13 4)	3(14 2)	1(15 0)	2(10 7)
5(11 5)	9(12 3)	6(13 1)	4(8 8)	10(9 6)	20(10 4)
19(11 2)	9(12 0)	4(6 9)	15(7 7)	33(8 5)	39(9 3)
29(10 1)	5(4 10)	18(5 8)	44(6 6)	63(7 4)	62(8 2)
25(9 0)	3(2 11)	16(3 9)	46(4 7)	78(5 5)	93(6 3)
64(7 1)	2(0 12)	10(1 10)	36(2 8)	74(3 6)	108(4 4)
98(5 2)	41(6 0)	13(0 9)	45(1 7)	86(2 5)	104(3 3)
74(4 1)	34(0 6)	68(1 4)	72(2 2)	30(3 0)	30(0 3)
30(1 1)	5(0 0)				

1(12 3)	1(9 6)	1(10 4)	2(11 2)	3(8 5)	3(9 3)
3(10 1)	1(5 8)	4(6 6)	7(7 4)	6(8 2)	5(9 0)
1(3 9)	4(4 7)	8(5 5)	13(6 3)	8(7 1)	3(2 8)
9(3 6)	13(4 4)	16(5 2)	5(6 0)	2(0 9)	5(1 7)
13(2 5)	17(3 3)	12(4 1)	4(0 6)	11(1 4)	11(2 2)
8(3 0)	7(0 3)	5(1 1)	1(0 0)		

1(17 2)	1(14 5)	2(15 3)	1(16 1)	1(11 8)	3(12 6)
6(13 4)	5(14 2)	4(15 0)	2(9 9)	6(10 7)	13(11 5)
15(12 3)	11(13 1)	1(6 12)	3(7 10)	11(8 8)	24(9 6)
31(10 4)	31(11 2)	10(12 0)	4(5 11)	13(6 9)	32(7 7)
49(8 5)	57(9 3)	37(10 1)	1(2 14)	4(3 12)	15(4 10)
37(5 8)	65(6 6)	85(7 4)	71(8 2)	32(9 0)	2(1 13)
10(2 11)	33(3 9)	63(4 7)	98(5 5)	103(6 3)	68(7 1)
5(0 12)	19(1 10)	50(2 8)	89(3 6)	110(4 4)	100(5 2)
38(6 0)	17(0 9)	52(1 7)	86(2 5)	99(3 3)	64(4 1)
34(0 6)	61(1 4)	61(2 2)	28(3 0)	25(0 3)	23(1 1)
4(0 0)					





TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(10 4)	1(11 2)	3	2	1	1	1	1	1	0	0	0
1(5 8)	5(6 6)			1(7 7)				3(8 5)			
7(4 7)	14(5 5)			9(7 4)				9(8 2)	4(9 3)		3(10 1)
15(3 6)	25(4 4)			18(6 3)				14(7 1)	4(9 0)		1(3 9)
22(2 5)	29(3 3)			25(5 2)				10(6 0)	1(1 10)		6(2 8)
10(3 0)	9(0 3)			11(1 1)				9(0 6)	2(0 9)		10(1 7)
								1(0 0)	21(1 4)		23(2 2)

1(7 4)	1(9 0)	3	1	1	1	1	1	1	0	0	
2(4 4)	4(5 2)			1(5 5)				1(6 3)			
1(0 6)	3(1 4)			1(1 7)				2(2 5)	1(7 1)		1(3 6)
				3(2 2)				3(3 0)	4(3 3)		3(4 1)
									2(0 3)		2(1 1)

1(10 4)	1(12 0)	2	2	2	2	2	0	0	0	0	
1(4 10)	1(5 8)			1(7 7)				1(8 5)			
4(4 7)	8(5 5)			4(6 6)				4(7 4)	2(9 3)		2(10 1)
6(2 8)	7(3 6)			7(6 3)				6(7 1)	6(8 2)		2(3 9)
9(2 5)	11(3 3)			14(4 4)				9(5 2)	1(0 12)		2(1 10)
1(3 0)	1(0 3)			7(4 1)				6(0 6)	6(6 0)		6(1 7)
				4(1 1)				1(0 0)	7(1 4)		11(2 2)

1(11 2)	1(7 7)	2	2	2	2	1	1	0	0	0	0
4(6 6)	7(7 4)			2(8 5)				3(9 3)			
7(4 7)	13(5 5)			6(8 2)				4(9 0)	2(10 1)		2(5 8)
14(3 6)	19(4 4)			14(6 3)				10(7 1)	1(2 11)		3(3 9)
18(2 5)	22(3 3)			18(5 2)				6(6 0)	2(1 10)		0(2 8)
7(3 0)	7(0 3)			15(4 1)				6(0 6)	4(0 9)		10(1 7)
				7(1 1)				1(0 0)	15(1 4)		14(2 2)

1(9 3)	2(6 6)	2	2	2	1	1	1	1	0	0	0
2(4 7)	6(5 5)			2(7 4)				3(8 2)			
11(4 4)	9(5 2)			6(6 3)				5(7 1)	1(9 0)		1(3 9)
4(3 3)	8(4 1)			6(6 0)				1(0 9)	3(2 8)		6(3 6)
4(0 3)	4(1 1)			6(0 6)				8(1 4)	5(1 7)		9(2 5)
				2(0 0)					12(2 2)		4(3 0)

1(5 5)	1(6 3)	2	2	1	1	1	1	1	0	0	
(6 0)	3(1 7)			1(7 1)				1(3 6)			
1(1 4)	4(2 2)			2(2 5)				4(3 3)	2(4 4)		2(5 2)
				1(3 0)				1(0 3)	3(4 1)		14(0 6)
									2(1 1)		1(0 0)

1(3 3)	1(2 2)	2	1	1	1	1	1	1	1	0	
				1(1 1)							

(0 0)		1	1	1	1	1	1	1	1	1
-------	--	---	---	---	---	---	---	---	---	---

(22 1)	1(19 4)	4	4	3	0	0	0	0	0	0	
(18 3)	3(19 1)			1(20 2)				1(21 0)			
(17 2)	3(18 0)			1(13 10)				2(14 8)	1(16 7)		2(17 5)
(15 3)	18(16 1)			1(11 11)				5(12 9)	6(15 6)		10(16 4)
				2(9 12)				7(10 10)	12(13 7)		23(14 5)
									21(11 8)		38(12 6)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

52(13 4)	43(14 2)	21(15 0)	2(7 13)	10(8 11)	28(9 9)
61(10 7)	85(11 5)	90(12 3)	59(13 1)	2(5 14)	10(6 12)
34(7 10)	73(8 8)	122(9 6)	142(10 4)	124(11 2)	44(12 0)
2(3 15)	10(4 13)	33(5 11)	84(6 9)	144(7 7)	198(8 5)
196(9 3)	124(10 1)	1(1 16)	6(-2 14)	27(3 12)	71(4 10)
147(5 8)	217(6 6)	259(7 4)	204(8 2)	85(9 0)	3(0 15)
15(1 13)	54(2 11)	119(3 9)	210(4 7)	274(5 5)	273(6 3)
170(7 1)	16(0 12)	67(1 10)	143(2 8)	235(3 6)	268(4 4)
230(5 2)	84(6 0)	57(0 9)	134(1 7)	209(2 5)	216(3 3)
143(4 1)	71(0 6)	134(1 4)	122(2 2)	56(3 0)	55(0 3)
47(1 1)	5(0 0)				

4 4 2 1 0 0 0 0 0 0					
1(19 4)	1(20 2)	1(21 0)	1(16 7)	3(17 5)	5(18 3)
4(19 1)	3(14 8)	9(15 6)	15(16 4)	17(17 2)	6(18 0)
1(11 11)	6(12 9)	19(13 7)	36(14 5)	44(15 3)	31(16 1)
1(9 12)	10(10 10)	33(11 8)	67(12 6)	95(13 4)	84(14 2)
37(15 0)	2(7 13)	14(8 11)	48(9 9)	105(10 7)	164(11 5)
178(12 3)	118(13 1)	2(5 14)	16(6 12)	58(7 10)	139(8 8)
239(9 6)	295(10 4)	257(11 2)	98(12 0)	2(3 15)	15(4 13)
60(5 11)	155(6 9)	294(7 7)	411(8 5)	422(9 3)	271(10 1)
1(1 16)	11(2 14)	49(3 12)	144(4 10)	303(5 8)	475(6 6)
566(7 4)	466(8 2)	187(9 0)	4(0 15)	28(1 13)	102(2 11)
252(3 9)	453(4 7)	618(5 5)	619(6 3)	394(7 1)	37(0 12)
143(1 10)	326(2 8)	533(3 6)	636(4 4)	536(5 2)	206(6 0)
120(0 9)	310(1 7)	484(2 5)	518(3 3)	338(4 1)	179(0 6)
320(1 4)	307(2 2)	130(3 0)	125(0 3)	117(1 1)	16(0 0)

4 4 1 1 1 0 0 0 0 0					
1(17 5)	1(18 3)	1(19 1)	1(14 8)	2(15 6)	5(16 4)
5(17 2)	2(18 0)	1(12 9)	6(13 7)	11(14 5)	16(15 3)
11(16 1)	3(10 10)	10(11 8)	25(12 6)	35(13 4)	35(14 2)
14(15 0)	3(8 11)	15(9 9)	37(10 7)	65(11 5)	71(12 3)
51(13 1)	5(6 12)	19(7 10)	54(8 8)	96(9 6)	129(10 4)
111(11 2)	47(12 0)	3(4 13)	20(5 11)	57(6 9)	121(7 7)
176(8 5)	191(9 3)	122(10 1)	4(2 14)	16(3 12)	59(4 10)
127(5 8)	215(6 6)	259(7 4)	225(8 2)	84(9 0)	15(1 13)
37(2 11)	108(3 9)	200(4 7)	290(5 5)	294(6 3)	192(7 1)
18(0 2)	61(1 10)	155(2 8)	253(3 6)	317(4 4)	263(5 2)
170(6 0)	49(0 9)	149(1 7)	234(2 5)	261(3 3)	171(4 1)
97(0 6)	162(0 4)	165(2 2)	64(3 0)	61(0 3)	61(0 1)
11(0 0)					

4 3 3 1 0 0 0 0 0 0					
1(20 2)	1(17 5)	3(18 3)	2(19 1)	1(14 8)	4(15 6)
9(16 4)	8(17 2)	5(18 0)	3(12 9)	10(13 7)	22(14 5)
26(15 3)	20(16 1)	1(9 12)	6(10 10)	20(11 8)	45(12 6)
60(13 4)	59(14 2)	21(15 0)	1(7 13)	9(8 11)	31(9 9)
74(10 7)	113(11 5)	127(12 3)	83(13 1)	2(5 14)	11(8 2)
41(7 10)	102(8 8)	173(9 6)	223(10 4)	187(11 2)	79(12 0)
1(3 15)	11(4 13)	43(5 11)	118(6 9)	221(7 7)	318(8 5)
325(9 3)	211(10 1)	1(1 16)	8(2 14)	37(3 12)	112(4 10)
234(5 8)	378(6 6)	445(7 4)	379(8 2)	143(9 0)	3(0 15)
21(1 13)	81(2 11)	198(3 9)	365(4 7)	497(5 5)	535(6 3)
321(7 1)	29(0 12)	114(1 10)	266(2 8)	433(3 6)	528(4 4)
438(5 2)	177(6 0)	98(0 9)	254(1 7)	401(2 5)	430(3 3)
283(4 1)	151(0 6)	265(1 4)	261(2 2)	105(3 0)	104(2 3)





TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(3)

5(0 0)

1(12 3)	2(9 6)	3(10 4)	1(11 2)	1(12 0)	1(6 5)
4(7 7)	10(8 5)	11(9 3)	4(11 2)	1(4 10)	7(5 4)
16(6 6)	26(7 4)	23(8 2)	9(10 1)	1(2 11)	7(3 3)
22(4 7)	37(5 5)	46(6 3)	12(9 0)	5(1 10)	17(2 2)
41(3 6)	57(4 4)	57(5 2)	31(7 1)	8(0 9)	26(1 1)
53(2 5)	63(3 3)	46(4 1)	20(6 0)	44(1 4)	44(2 2)
22(3 0)	22(0 3)	20(1 1)	19(0 6)		
			2(0 0)		

1(8 5)	1(9 3)	1(10 1)	1(11 0)	3(7 4)	4(8 2)
1(9 0)	2(4 7)	5(5 5)	2(6 6)	6(7 1)	2(2 8)
6(3 6)	12(4 4)	12(5 2)	8(6 3)	1(0 9)	4(1 7)
11(2 5)	15(3 3)	12(4 1)	6(6 0)	11(1 4)	13(2 2)
6(3 0)	6(0 3)	6(1 1)	4(0 6)		
			1(0 0)		

1(6 3)	1(5 2)	1(2 5)	1(3 3)	2(4 1)	1(1 4)
1(2 2)	1(3 0)	1(0 3)	1(1 1)		

1(11 2)	1(7 7)	2(8 5)	2(9 3)	2(10 1)	1(4 10)
2(5 8)	4(6 6)	7(7 4)	5(8 2)	3(9 0)	1(2 11)
3(3 9)	7(4 7)	11(5 5)	12(6 3)	8(7 1)	3(1 10)
7(2 8)	13(3 6)	17(4 4)	16(5 2)	4(6 0)	3(0 9)
10(1 7)	16(2 5)	18(3 3)	13(4 1)	6(0 6)	13(1 4)
12(2 2)	6(3 0)	5(0 3)	6(1 1)		

1(8 5)	1(9 3)	1(10 1)	1(5 3)	3(6 6)	4(7 4)
4(8 2)	2(9 0)	2(3 9)	4(4 7)	8(5 5)	10(6 3)
6(7 1)	1(0 12)	1(1 10)	6(2 8)	11(3 6)	15(4 4)
14(5 2)	6(6 0)	1(0 9)	7(1 7)	13(2 5)	17(3 3)
1(4 1)	8(0 6)	12(1 4)	14(2 2)	6(3 0)	5(0 3)
5(1 1)	2(0 0)				

1(7 4)	1(9 0)	1(4 7)	2(5 5)	3(6 3)	2(7 1)
1(2 8)	3(3 6)	4(4 4)	6(5 2)	1(6 0)	2(1 7)
5(2 5)	7(3 3)	5(4 1)	2(0 6)	6(1 4)	5(2 2)
4(3 0)	3(0 3)	3(1 1)			

1(4 4)	1(5 2)	1(3 3)	1(4 1)	1(0 6)	1(1 4)
2(2 2)	1(3 0)	1(1 1)			

1(3 0) 2 1 1 1 1 1 1 1 1 1

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(24 0)	1(21 3)	4 4 4 0 0 0 0 0 0 0	1(18 6)	1(19 4)	3(20 2)	1(15 9)
1(16 7)	4(17 5)		5(18 3)	3(19 1)	1(12 12)	1(13 10)
5(14 8)	8(15 6)		14(16 4)	8(17 2)	8(18 0)	3(11 11)
7(12 9)	16(13 7)		22(14 5)	25(15 3)	16(16 1)	1( 8 14)
4( 9 12)	12(10 10)		24(11 8)	45(12 6)	44(13 4)	45(14 2)
12(15 0)	1( 6 15)		4( 7 13)	13( 8 11)	35( 9 9)	56(16 7)
78(11 5)	77(12 3)		47(13 1)	1( 4 16)	4( 5 14)	17( 6 12)
37( 7 10)	79( 8 8)		104( 9 6)	128(10 4)	91(11 2)	47(12 0)
4( 3 15)	12( 4 13)		38( 5 11)	76( 6 9)	126( 7 7)	158( 8 5)
155( 9 3)	91(10 1)		1( 0 18)	2( 1 16)	11( 2 14)	31( 3 12)
75( 4 10)	124( 5 8)		189( 6 6)	189( 7 4)	167( 8 2)	53( 9 0)
2( 0 15)	16( 1 13)		45( 2 11)	103( 3 9)	159( 4 7)	208( 5 5)
196( 6 3)	121( 7 1)		24( 0 12)	55( 1 10)	125( 2 8)	173( 3 6)
208( 4 4)	152( 5 2)		75( 6 0)	38( 0 9)	98( 1 7)	140( 2 5)
154( 3 3)	92( 4 1)		65( 0 6)	87( 1 4)	95( 2 2)	31( 3 0)
31( 0 3)	29( 1 1)		12( 0 0)			

1(21 3)	1(22 1)	4 4 3 1 0 0 0 0 0 0	1(18 6)	3(19 4)	4(20 2)	1(21 0)
1(15 9)	4(16 7)		10(17 5)	13(18 3)	10(19 1)	3(13 10)
10(14 8)	24(15 6)		35(16 4)	33(17 2)	15(18 0)	1(10 13)
6(11 11)	21(12 9)		50(13 7)	79(14 5)	87(15 3)	58(16 1)
1( 8 14)	9( 9 12)		33(10 10)	83(11 8)	143(12 6)	179(13 4)
156(14 2)	60(15 0)		2( 6 15)	12( 7 13)	46( 8 11)	119( 9 9)
222(10 7)	309(11 5)		315(12 3)	201(13 1)	1( 4 16)	13( 5 14)
50( 6 12)	143( 7 10)		287( 8 8)	444( 9 6)	518(10 4)	424(11 2)
166(12 0)	2( 2 17)		11( 3 15)	49( 4 13)	146( 5 11)	323( 6 9)
543( 7 7)	710( 8 5)		694( 9 3)	436(10 1)	6( 1 16)	33( 2 14)
120( 3 12)	294( 4 10)		556( 5 8)	814( 6 6)	916( 7 4)	741( 8 2)
284( 9 0)	14( 0 15)		68( 1 13)	212( 2 11)	461( 3 9)	771( 4 7)
993( 5 5)	965( 6 3)		601( 7 1)	73( 0 12)	262( 1 10)	551( 2 8)
850( 3 6)	981( 4 4)		802( 5 2)	312( 6 0)	203( 0 9)	492( 7 7)
741( 2 5)	769( 3 3)		495( 4 1)	273( 0 6)	470( 1 4)	448( 2 2)
83( 3 0)	180( 0 3)		166( 1 1)	23( 0 0)		

1(18 6)	1(19 4)	4 4 2 2 0 0 0 0 0 0	2(20 2)	2(16 7)	5(17 5)	6(18 3)
5(19 1)	1(13 10)		7(14 8)	13(15 6)	23(16 4)	13(17 2)
10(18 0)	2(11 11)		11(12 9)	29(13 7)	48(14 5)	55(15 3)
37(16 1)	1( 8 14)		4( 9 12)	22(10 10)	51(11 8)	97(12 6)
18(13 4)	110(14 2)		37(15 0)	6( 7 13)	26( 8 11)	74( 9 9)
46(10 7)	211(11 5)		218(12 3)	143(13 1)	2( 4 16)	7( 5 14)
36( 6 12)	94( 7 10)		205( 8 8)	311( 9 6)	381(10 4)	304(11 2)
30(12 0)	6( 3 15)		29( 4 13)	98( 5 11)	221( 6 9)	390( 7 7)
17( 8 5)	514( 9 3)		325(10 1)	1( 0 18)	4( 1 16)	27( 2 14)
82( 3 12)	221( 4 10)		407( 5 8)	619( 6 6)	691( 7 4)	578( 3 2)
108( 9 0)	5( 0 15)		48( 1 13)	146( 2 11)	342( 3 9)	577( 4 7)
162( 5 5)	742( 6 3)		468( 7 1)	63( 0 12)	196( 1 10)	436( 2 8)
157( 3 6)	786( 4 4)		626( 5 2)	257( 6 0)	143( 0 9)	385( 7 7)
175( 2 5)	610( 3 3)		394( 4 1)	231( 0 6)	376( 1 4)	372( 2 2)
140( 3 0)	135( 0 3)		136( 1 1)	22( 0 0)		

1(19 4)	1(20 2)	4 4 2 1 1 0 0 0 0 0	1(21 0)	2(16 7)	4(17 5)	7(18 3)
5(19 1)	1(13 10)		4(14 8)	14(15 6)	21(16 4)	23(17 2)
8(18 0)	2(11 11)		2(12 9)	30(13 7)	56(14 5)	64(15 3)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

46(16 1)	4(9 12)	18(10 10)	57(11 8)	105(12 6)	147(13 4)
126(14 2)	56(15 0)	5(7 13)	29(8 11)	84(9 9)	178(10 7)
261(11 5)	282(12 3)	183(13 1)	6(5 14)	31(6 12)	108(7 10)
236(8 8)	397(9 6)	474(10 4)	413(11 2)	154(12 0)	5(3 15)
33(4 13)	112(5 11)	279(6 9)	498(7 7)	689(8 5)	689(9 3)
442(10 1)	3(1 16)	21(2 14)	95(3 12)	256(4 10)	529(5 8)
800(6 6)	948(7 4)	766(8 2)	312(9 0)	10(0 15)	54(1 13)
192(2 11)	444(3 9)	789(4 7)	1046(5 5)	1045(6 3)	656(7 1)
64(0 12)	256(1 10)	562(2 8)	918(3 6)	1073(4 4)	908(5 2)
340(6 0)	218(0 9)	535(1 7)	836(2 5)	879(3 3)	577(4 1)
300(0 6)	549(1 4)	515(2 2)	225(3 0)	220(0 3)	199(1 1)
25(0 0)					

1(18 3)	1(14 8)	2(15 6)	1 0 0 0 0	3(16 4)	4(17 2)	2(18 0)
1(12 9)	4(13 7)	10(14 5)		11(15 3)	9(16 1)	5(10 10)
9(11 8)	22(12 6)	30(13 4)		29(14 2)	13(15 0)	3(8 11)
14(9 9)	35(10 7)	57(11 5)		67(12 3)	43(13 1)	5(6 12)
18(7 10)	51(8 8)	91(9 6)		120(10 4)	105(11 2)	4(12 0)
3(4 13)	19(5 11)	59(6 9)		116(7 7)	174(8 5)	184(9 3)
120(10 1)	4(2 14)	17(3 12)		57(4 10)	127(5 8)	214(6 6)
258(7 4)	220(8 2)	89(9 0)		9(1 13)	40(2 11)	108(3 9)
207(4 7)	293(5 5)	303(6 3)		195(7 1)	17(0 12)	63(1 10)
156(2 8)	263(3 6)	322(4 4)		276(5 2)	110(6 0)	56(0 9)
153(1 7)	250(2 5)	275(3 3)		179(4 1)	96(0 6)	171(1 4)
170(2 2)	72(3 0)	70(0 3)		64(1 1)	11(0 0)	

1(19 4)	1(21 0)	1(16 7)	0 0 0 0 0	3(17 5)	4(18 3)	3(19 1)
3(14 8)	10(15 6)	13(16 4)		15(17 2)	4(18 0)	1(17 11)
8(12 9)	22(13 7)	37(14 5)		43(15 3)	29(16 1)	3(9 12)
14(10 10)	42(11 8)	74(12 6)		103(13 4)	84(14 2)	39(15 0)
1(6 15)	5(7 13)	23(8 11)		65(9 9)	129(10 7)	188(1 5)
96(12 3)	128(13 1)	1(4 16)		6(5 14)	28(6 12)	86(7 10)
178(8 8)	292(9 6)	341(10 4)		296(11 2)	108(12 0)	1(2 7)
6(3 15)	30(4 13)	93(5 11)		214(6 9)	374(7 7)	502(8 5)
50(9 3)	317(10 1)	4(1 16)		21(2 14)	81(3 12)	233(4 10)
404(5 8)	594(6 6)	696(7 4)		556(8 2)	228(9 0)	9(1 5)
47(1 13)	153(2 11)	343(3 9)		588(4 7)	772(5 5)	700(6 3)
477(7 1)	53(0 12)	199(1 10)		425(2 8)	680(3 6)	784(2 4)
659(5 2)	245(6 0)	163(0 9)		397(1 7)	608(2 5)	636(3 3)
414(4 1)	220(0 6)	397(1 4)		368(2 2)	161(3 0)	156(0 3)
141(1 1)	18(0 0)					

1(20 2)	2(17 5)	3(18 3)	0 0 0 0 0	3(19 1)	3(14 8)	5(15 6)
13(16 4)	11(17 2)	7(18 0)		1(11 11)	5(12 9)	16(13 7)
32(14 5)	41(15 3)	28(16 1)		2(9 12)	12(10 10)	35(11 8)
73(12 6)	95(13 4)	92(14 2)		32(15 0)	4(7 13)	18(8 11)
60(9 9)	123(10 7)	190(11 5)		202(12 3)	135(13 1)	4(5 14)
24(6 12)	78(7 10)	182(8 8)		296(9 6)	373(10 4)	307(11 2)
132(12 0)	4(3 15)	23(4 13)		88(5 11)	213(6 9)	395(7 7)
54(8 5)	553(9 3)	352(10 1)		2(1 16)	18(2 14)	74(3 12)
212(4 10)	424(5 8)	667(6 6)		768(7 4)	651(8 2)	240(9 0)
6(0 15)	44(1 13)	151(2 11)		369(3 9)	648(4 7)	879(5 5)
873(6 3)	555(7 1)	59(0 12)		212(1 10)	488(2 11)	
936(4 4)	762(8 0)					



TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

760( 3 3) 494( 4 1) 277( 0 6) 470( 1 4) 467( 2 2) 182( 3 0)  
 179( 0 3) 174( 1 1) 29( 0 0)

	4	3	2	2	1	0	0	0	0	0
1(17 5)	2(18 3)	1(19 1)	1(14 8)							
10(17 2)	4(18 0)	4(12 9)	14(13 7)	5(15 6)	9(16 4)					
26(16 1)	1( 9 12)	9(10 10)	32(11 8)	29(14 5)	36(15 3)					
88(14 2)	38(15 0)	2( 7 13)	16( 8 11)	67(12 6)	95(13 4)					
193(11 5)	214(12 13)	143(13 1)	3( 5 14)	55( 9 9)	124(10 7)					
186( 8 8)	321( 9 6)	401(10 4)	349(11 2)	22( 6 12)	78( 7 10)					
23( 4 13)	89( 5 11)	232( 6 9)	434( 7 7)	137(12 0)	3( 3 15)					
407(10 1)	2( 1 16)	18( 2 14)	80( 3 12)	614( 8 5)	632( 9 3)					
767( 6 6)	913( 7 4)	758( 8 2)	300( 9 0)	232( 4 10)	486( 5 8)					
174( 2 11)	427( 3 9)	773( 4 7)	1055( 5 5)	7( 0 15)	47( 1 13)					
64( 0 12)	251( 1 10)	579( 2 8)	950( 3 6)	1063( 6 3)	675( 7 1)					
374( 6 0)	217( 0 9)	565( 1 7)	891( 2 5)	1139( 4 4)	959( 5 2)					
336( 0 6)	600( 1 4)	582( 2 2)	245( 3 0)	956( 3 3)	626( 4 1)					
32( 0 0)				239( 0 3)	223( 1 1)					

	4	3	2	1	1	1	0	0	0	0
1(19 1)	1(15 6)	3(16 4)	4(17 2)							
5(13 7)	12(14 5)	17(15 3)	13(16 1)	2(18 0)	1(12 9)					
31(12 6)	50(13 4)	48(14 2)	19(15 0)	3(10 10)	13(11 8)					
63(10 7)	107(11 5)	124(12 3)	85(13 1)	5( 8 11)	24( 9 9)					
98( 8 8)	185( 9 6)	245(10 4)	218(11 2)	7( 6 12)	35( 7 10)					
40( 5 11)	123( 6 9)	259( 7 7)	387( 8 5)	88(12 0)	7( 4 13)					
5( 2 14)	35( 3 12)	125( 4 10)	292( 5 8)	411( 9 3)	273(10 1)					
524( 8 2)	208( 9 0)	2( 0 15)	21( 1 13)	494( 6 6)	613( 7 4)					
505( 4 7)	724( 5 5)	752( 6 3)	487( 7 1)	93( 2 11)	259( 3 9)					
382( 2 8)	658( 3 6)	825( 4 4)	706( 5 2)	34( 0 12)	153( 1 10)					
397( 1 7)	649( 2 5)	716( 3 3)	478( 4 1)	278( 0 0)	142( 0 9)					
451( 2 2)	189( 3 0)	183( 0 3)	178( 1 1)	247( 0 6)	455( 1 4)					
				25( 0 0)						

	4	3	1	1	1	1	0	0	0
1(14 5)	1(15 3)	1(16 1)	1(11 8)						
5(14 2)	3(15 0)	1( 9 9)	7(10 7)	3(12 6)	6(13 4)				
12(13 1)	2( 7 10)	11( 8 8)	26( 9 6)	13(11 5)	18(12 3)				
14(12 0)	2( 5 11)	14( 6 9)	36( 7 7)	38(10 4)	38(11 2)				
52(10 1)	2( 3 12)	14( 4 10)	43( 5 8)	65( 8 5)	74( 9 3)				
104( 8 2)	46( 9 0)	1( 1 13)	11( 2 11)	84( 6 6)	18( 7 4)				
142( 5 5)	160( 6 3)	107( 7 1)	4( 0 12)	38( 5 9)	90( 4 7)				
134( 3 6)	178( 4 4)	164( 5 2)	63( 6 0)	23( 1 10)	68( 2 8)				
46( 2 5)	169( 3 3)	117( 4 1)	54( 0 6)	27( 0 9)	61( 1 7)				
50( 3 0)	48( 0 3)	46( 1 1)	6( 0 0)	110( 1 4)	110( 2 2)				

	4	2	2	2	2	0	0	0	0
1(16 4)	1(18 0)	1(13 7)	2(14 5)						
1(10 10)	2(11 8)	8(12 6)	9(13 4)	3(15 3)	3(16 1)				
1( 8 11)	6( 9 9)	14(10 7)	25(11 5)	13(14 2)	2(15 0)				
3( 6 12)	9( 7 10)	28( 8 8)	43( 9 6)	29(12 3)	20(13 1)				
27(12 0)	2( 4 13)	12( 5 11)	33( 6 9)	66(10 4)	50(11 2)				
107( 9 3)	69(10 1)	3( 2 14)	11( 3 12)	69( 7 7)	50(11 2)				
142( 6 6)	159( 7 4)	148( 8 2)	48( 9 0)	40( 4 10)	80( 5 8)				
76( 3 9)	141( 4 7)	202( 5 5)	203( 6 3)	7( 1 13)	27( 2 10)				
45( 1 10)	118( 2 8)	185( 3 6)	241( 4 4)	133( 7 1)	14( 0 12)				
38( 0 9)	115( 1 7)	180( 2 5)	203( 3 3)	188( 5 2)	87( 6 0)				
				131( 4 1)	79( 0 6)				

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

760( 3 3) 494( 4 1) 277( 0 6) 470( 1 4) 467( 2 2) 182( 3 0)  
 179( 0 3) 174( 1 1) 29( 0 0)

	4	3	2	2	1	0	0	0	0	0
1(17 5)	2(18 3)	1(19 1)	1(14 8)	5(15 6)	9(16 4)					
10(17 2)	4(18 0)	4(12 9)	1(14 8)	29(14 5)	36(15 3)					
26(16 1)	1( 9 12)	9(10 10)	14(13 7)	67(12 6)	95(13 4)					
88(14 2)	38(15 0)	2( 7 13)	32(11 8)	22( 6 12)	78( 7 10)					
193(11 5)	214(12 13)	143(13 1)	16( 8 11)	137(12 0)	3( 3 15)					
186( 8 8)	321( 9 6)	401(10 4)	3( 5 14)	614( 8 5)	632( 9 3)					
23( 4 13)	89( 5 11)	232( 6 9)	349(11 2)	232( 4 10)	486( 5 8)					
407(10 1)	2( 1 16)	18( 2 14)	434( 7 7)	7( 0 15)	47( 1 13)					
767( 6 6)	913( 7 4)	758( 8 2)	80( 3 12)	1063( 6 3)	675( 7 1)					
174( 2 11)	427( 3 9)	773( 4 7)	300( 9 0)	1139( 4 4)	959( 5 2)					
64( 0 12)	251( 1 10)	579( 2 8)	1055( 5 5)	956( 3 3)	626( 4 1)					
374( 6 0)	217( 0 9)	565( 1 7)	950( 3 6)	239( 0 3)	223( 1 1)					
336( 0 6)	600( 1 4)	582( 2 2)	891( 2 5)							
32( 0 0)			245( 3 0)							

	4	3	2	1	1	1	0	0	0	0
1(19 1)	1(15 6)	3(16 4)	4(17 2)	2(18 0)	1(12 9)					
5(13 7)	12(14 5)	17(15 3)	13(16 1)	3(10 10)	13(11 8)					
31(12 6)	50(13 4)	48(14 2)	19(15 0)	5( 8 11)	24( 9 9)					
63(10 7)	107(11 5)	124(12 3)	85(13 1)	7( 6 12)	35( 7 10)					
98( 8 8)	185( 9 6)	245(10 4)	218(11 2)	88(12 0)	7( 4 13)					
40( 5 11)	123( 6 9)	259( 7 7)	387( 8 5)	411( 9 3)	273(10 1)					
5( 2 14)	35( 3 12)	125( 4 10)	292( 5 8)	494( 6 6)	613( 7 4)					
524( 8 2)	208( 9 0)	2( 0 15)	21( 1 13)	93( 2 11)	259( 3 9)					
505( 4 7)	724( 5 5)	752( 6 3)	487( 7 1)	34( 0 12)	153( 1 10)					
382( 2 8)	658( 3 6)	825( 4 4)	706( 5 2)	278( 0 0)	142( 0 9)					
397( 1 7)	649( 2 5)	716( 3 3)	478( 4 1)	247( 0 0)	455( 1 4)					
451( 2 2)	189( 3 0)	183( 0 3)	178( 1 1)	25( 0 0)						

	4	3	1	1	1	1	0	0	0
1(14 5)	1(15 3)	1(16 1)	1(11 8)	3(12 6)	6(13 4)				
5(14 2)	3(15 0)	1( 9 9)	7(10 7)	13(11 5)	18(12 3)				
12(13 1)	2( 7 10)	11( 8 8)	26( 9 6)	38(10 4)	38(11 2)				
14(12 0)	2( 5 11)	14( 6 9)	36( 7 7)	65( 8 5)	74( 9 3)				
52(10 1)	2( 3 12)	24( 4 10)	43( 5 8)	84( 6 0)	128( 7 4)				
104( 8 2)	46( 9 0)	2( 1 13)	11( 2 11)	38( 5 9)	90( 4 7)				
142( 5 5)	160( 6 3)	107( 7 1)	4( 0 2)	23( 1 10)	08( 2 8)				
134( 3 6)	178( 4 4)	164( 5 2)	63( 6 0)	27( 0 9)	01( 1 7)				
46( 2 5)	169( 3 3)	117( 4 1)	54( 0 6)	100( 1 4)	100( 2 2)				
50( 3 0)	48( 0 3)	46( 1 1)	6( 0 0)						

	4	2	2	2	2	0	0	0	0
1(16 4)	1(18 0)	1(13 7)	2(14 5)	3(15 3)	3(16 1)				
1(10 10)	2(11 8)	8(12 6)	9(13 4)	13(14 2)	2(15 0)				
1( 8 11)	6( 9 9)	14(10 7)	25(11 5)	29(12 3)	20(13 1)				
3( 6 12)	9( 7 10)	28( 8 8)	43( 9 6)	66(10 4)	50(11 2)				
27(12 0)	2( 4 13)	12( 5 11)	33( 6 9)	69( 7 7)	100( 8 5)				
107( 9 3)	69(10 1)	3( 2 14)	11( 3 12)	40( 4 10)	80( 5 8)				
142( 6 6)	159( 7 4)	148( 8 2)	48( 9 0)	7( 1 13)	27( 2 10)				
76( 3 9)	141( 4 7)	202( 5 5)	203( 6 3)	133( 7 1)	4( 0 2)				
45( 1 10)	118( 2 8)	185( 3 6)	241( 4 4)	188( 5 2)	87( 6 0)				
38( 0 9)	115( 1 7)	180( 2 5)	203( 3 3)	131( 4 1)	79( 0 6)				

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) IN A PARTITION OF U(1)

127( 1 4)	136( 2 2)	46( 3 0)	47( 0 3)	50( 1 1)	12( 0)
		4 2 2 2 1 1	0 0 0 0		
1(17 2)	1(13 7)	2(14 5)	4(15 3)	3(16 1)	3(11 8)
7(12 6)	14(13 4)	12(14 2)	8(15 0)	1( 8 11)	7( 9 8)
18(10 7)	35(11 5)	40(12 3)	29(13 1)	1( 6 12)	11( 7 10)
31( 8 8)	66( 9 6)	86(10 4)	83(11 2)	29(12 0)	2( 4 13)
14( 5 11)	45( 6 9)	100( 7 7)	151( 8 5)	167( 9 3)	108(10 2)
1( 2 14)	13( 3 12)	46( 4 10)	120( 5 8)	203( 6 6)	263( 7 4)
220( 8 2)	94( 9 0)	1( 0 15)	8( 1 13)	38( 2 11)	111( 3 14)
221( 4 7)	325( 5 5)	338( 6 3)	222( 7 1)	13( 0 12)	67( 1 10)
169( 2 8)	307( 3 6)	380( 4 4)	336( 5 2)	128( 6 0)	67( 0 13)
187( 1 7)	312( 2 5)	348( 3 3)	232( 4 1)	117( 0 6)	225( 1 4)
220( 2 2)	97( 3 0)	95( 0 3)	89( 1 1)	12( 0 0)	
		4 2 2 1 1 1	1 0 0 0		
1(15 3)	2(12 6)	3(13 4)	4(14 2)	1(15 0)	1( 9 9)
4(10 7)	11(11 5)	12(12 3)	10(13 1)	1( 7 10)	9( 8 8)
20( 9 6)	33(10 4)	29(11 2)	15(12 0)	2( 5 11)	11( 6 9)
34( 7 7)	56( 8 5)	69( 9 3)	46(10 1)	1( 3 12)	13( 4 10)
39( 5 8)	83( 6 6)	110( 7 4)	106( 8 2)	38( 9 0)	1( 1 13)
9( 2 11)	38( 3 9)	86( 4 7)	145( 5 5)	159( 6 3)	109( 7 1)
4( 0 12)	22( 1 10)	72( 2 8)	136( 3 6)	192( 4 4)	166( 5 2)
74( 6 0)	24( 0 9)	86( 1 7)	151( 2 5)	182( 3 3)	124( 4 1)
64( 0 6)	117( 1 4)	128( 2 2)	49( 3 0)	48( 0 3)	51( 3 1)
10( 0 0)					
		4 2 1 1 1 1	1 1 1 0 0		
1(11 5)	1(12 3)	1(13 1)	2( 9 6)	3(10 4)	4(11 2)
1(12 0)	3( 7 7)	6( 8 5)	10( 9 3)	7(10 1)	3( 5 8)
9( 6 6)	17( 7 4)	17( 8 2)	8( 9 0)	3( 3 9)	10( 4 7)
23( 5 5)	28( 6 3)	22( 7 1)	2( 1 10)	8( 2 8)	22( 3 6)
35( 4 4)	36( 5 2)	15( 6 0)	3( 0 9)	14( 1 7)	29( 2 5)
40( 3 3)	28( 4 1)	12( 0 6)	26( 1 4)	30( 2 2)	13( 3 0)
12( 0 3)	13( 1 1)	2( 0 0)			
		4 1 1 1 1 1	1 1 1 1 0		
1( 9 3)	1( 8 2)	1( 5 5)	1( 6 3)	2( 7 1)	1( 3 6)
2( 4 4)	2( 5 2)	2( 6 0)	1( 2 5)	3( 3 3)	2( 4 1)
1( 0 6)	2( 1 4)	3( 2 2)	1( 3 0)	1( 0 3)	1( 1 1)
1( 0 0)					
		3 3 3 3 0 0	0 0 0 0 0		
1(15 6)	1(17 2)	1(13 7)	2(14 5)	3(15 3)	1(16 1)
1(10 10)	3(11 8)	6(12 6)	8(13 4)	6(14 2)	4(15 0)
1( 8 11)	6( 9 9)	9(10 7)	17(11 5)	18(12 3)	11(13 1)
1( 5 14)	3( 6 12)	8( 7 10)	18( 8 8)	31( 9 6)	34(10 4)
32(11 2)	11(12 0)	1( 3 15)	2( 4 13)	10( 5 11)	22( 6 9)
41( 7 7)	53( 8 5)	58( 9 3)	35(10 1)	1( 0 18)	4( 2 14)
11( 3 12)	25( 4 10)	48( 5 8)	74( 6 6)	83( 7 4)	68( 8 2)
30( 9 0)	5( 1 13)	16( 2 11)	43( 3 9)	68( 4 7)	97( 5 5)
94( 6 3)	59( 7 1)	10( 0 12)	26( 1 10)	57( 2 3)	90( 3 6)
102( 4 4)	87( 5 2)	34( 6 0)	19( 0 9)	50( 1 7)	77( 2 5)
87( 3 3)	50( 4 1)	34( 0 6)	50( 1 4)	52( 2 2)	23( 3 0)
21( 0 3)	7( 1 1)	5( 0 0)			

IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

	3	3	3	2	1	0	0	0	0	0
1(16 4)	1(17 2)	2(13 7)	4(14 5)	5(15 3)	4(16 1)					
1(10 10)	5(11 8)	12(12 6)	18(13 4)	17(14 2)	7(15 0)					
3(8 11)	1(9 9)	27(10 7)	44(11 5)	48(12 3)	34(13 1)					
1(5 14)	5(6 12)	20(7 10)	47(8 8)	81(9 6)	105(10 4)					
1(11 2)	36(12 0)	1(3 15)	7(4 13)	25(5 11)	65(6 9)					
91(7 7)	173(8 5)	180(9 3)	117(10 1)	1(1 16)	5(2 14)					
23(3 12)	71(4 10)	147(5 8)	230(6 6)	276(7 4)	231(8 2)					
25(9 0)	2(0 15)	16(1 13)	56(2 11)	134(3 9)	244(4 7)					
89(5 5)	333(6 3)	215(7 1)	21(0 12)	83(1 10)	187(2 8)					
32(3 6)	370(4 4)	309(5 2)	121(6 0)	70(0 9)	186(1 7)					
306(2 5)	312(3 3)	207(4 1)	109(0 6)	200(1 4)	193(2 2)					
92(3 0)	78(0 3)	76(1 1)	9(0 0)							

	3	3	3	1	1	1	0	0	0	0
1(18 0)	1(14 5)	2(15 3)	1(16 1)	1(11 8)	4(12 6)					
5(13 4)	8(14 2)	1(15 0)	1(8 11)	4(9 9)	10(10 7)					
18(11 5)	22(12 3)	14(13 1)	1(6 12)	6(7 10)	19(8 8)					
35(9 6)	50(10 4)	40(11 2)	22(12 0)	2(4 13)	9(5 11)					
29(6 9)	57(7 7)	87(8 5)	92(9 3)	61(10 1)	1(2 14)					
9(3 12)	29(4 10)	69(5 8)	121(6 6)	142(7 4)	130(8 2)					
46(9 0)	1(0 15)	5(1 13)	25(2 11)	66(3 9)	128(4 7)					
182(5 5)	192(6 3)	121(7 1)	9(0 12)	39(1 10)	100(2 8)					
170(3 6)	216(4 4)	179(5 2)	79(6 0)	39(0 9)	103(1 7)					
173(2 5)	191(3 3)	125(4 1)	68(0 6)	118(1 4)	124(2 2)					
49(3 0)	51(0 3)	46(1 1)	10(0 0)							

	3	3	2	2	2	0	0	0	0	0
1(14 5)	1(15 3)	1(16 1)	1(11 8)	3(12 6)	5(13 4)					
5(14 2)	3(15 0)	1(8 11)	3(9 9)	9(10 7)	14(11 5)					
19(12 3)	12(13 1)	1(6 12)	6(7 10)	16(8 8)	31(9 6)					
43(10 4)	38(11 2)	14(12 0)	3(4 13)	9(5 11)	28(6 9)					
50(7 7)	77(8 5)	79(9 3)	53(10 1)	1(2 14)	13(3 12)					
28(4 10)	65(5 8)	104(6 6)	129(7 4)	106(8 2)	46(9 0)					
2(0 15)	6(1 13)	28(2 11)	63(3 9)	121(4 7)	153(5 5)					
170(6 3)	136(7 1)	7(0 12)	39(1 10)	89(2 8)	157(3 6)					
185(4 4)	163(5 2)	60(6 0)	42(0 9)	96(1 7)	160(2 5)					
69(3 3)	112(4 1)	54(0 6)	108(1 4)	101(2 2)	48(3 0)					
49(3 3)	41(1 1)	5(0 8)								

	3	3	2	2	1	1	0	0	0	0
1(15 3)	1(16 1)	1(11 8)	3(12 6)	6(13 4)	6(14 2)					
3(15 0)	3(9 9)	9(10 7)	18(11 5)	22(12 3)	15(13 1)					
1(6 12)	7(7 10)	21(8 8)	42(9 6)	57(10 4)	53(11 2)					
21(12 0)	1(4 13)	10(5 11)	31(6 9)	70(7 7)	107(8 5)					
17(9 3)	77(10 1)	2(2 14)	11(3 12)	39(4 10)	93(5 8)					
158(6 6)	199(7 4)	170(8 2)	69(9 0)	7(1 13)	30(2 11)					
89(3 9)	174(4 7)	255(5 5)	265(6 3)	173(7 1)	24(0 12)					
56(1 0)	143(2 8)	248(3 6)	312(4 4)	268(5 2)	100(6 0)					
52(0 9)	153(1 7)	251(2 5)	282(3 3)	188(4 1)	131(0 6)					
184(1 4)	184(2 2)	77(3 0)	74(0 3)	73(1 1)	2(0 0)					

	3	3	2	1	1	1	1	0	0	0
1(13 4)	1(14 2)	2(10 7)	4(11 5)	6(12 3)	4(13 1)					



IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(12 0)	1( 8 5)	2	2	2	2	2	2	0	0	0	0		
2( 7 4)	4( 8 2)							1( 4 10)				1( 5 8)	3( 6 6)
3( 7 1)	1( 0 12)							3( 4 7)				5( 5 5)	6( 6 3)
6( 5 2)	5( 6 0)							5( 2 8)				7( 3 6)	10( 4 4)
6( 4 1)	6( 0 6)							5( 1 7)				7( 2 5)	9( 3 3)
2( 1 1)	2( 0 0)							8( 2 2)				2( 3 0)	2( 0 3)
1( 8 5)	1( 9 3)	2	2	2	2	2	1	1	0	0	0		
3( 8 2)	2( 9 0)							1(10 1)				2( 6 6)	5( 7 4)
10( 6 3)	6( 7 1)							1( 2 11)				6( 4 7)	8( 5 5)
14( 5 2)	4( 6 0)							2( 1 10)				12( 3 6)	13( 4 4)
12( 4 1)	4( 0 6)							4( 0 9)				16( 2 5)	16( 3 3)
5( 1 1)								13( 1 4)				7( 3 0)	7( 0 3)
1( 6 6)	1( 7 4)	2	2	2	2	1	1	1	1	0	0		
3( 7 1)	1( 1 10)							2( 8 2)				3( 5 5)	4( 6 3)
3( 6 0)	1( 0 9)							2( 2 8)				8( 4 4)	7( 5 2)
3( 0 6)	7( 1 4)							3( 1 7)				9( 3 3)	7( 4 1)
								8( 2 2)				4( 0 3)	4( 1 1)
1( 6 3)	1( 3 6)	2	2	2	1	1	1	1	1	0	0		
2( 3 3)	2( 4 1)							1( 4 4)				2( 5 2)	2( 2 5)
1( 1 1)								2( 1 4)				2( 2 2)	2( 1 3)
1( 4 1)	1( 0 3)	2	2	1	1	1	1	1	1	1	1		
1(23 2)	1(20 5)	4	4	4	1	0	0	0	0	0	0		
6(19 4)	5(20 2)											1(17 8)	3(18 6)
15(17 5)	17(18 3)											3(15 9)	6(16 7)
35(15 6)	41(16 4)											7(13 10)	13(14 8)
13(11 11)	34(12 9)											1( 9 15)	5(10 3)
5( 8 4)	18( 9 12)											93(15 3)	56(16 1)
45(14 2)	62(15 0)											104(11 8)	164(13 4)
143( 9 9)	232(10 7)											6( 6 15)	65( 8 11)
5( 4 6)	23( 5 14)											291(12 3)	4( 3 18)
458(10 4)	374(11 2)											6( 7 10)	426( 9 6)
168( 5 11)	324( 6 9)											166( 7 10)	29( 3 15)
2( 0 8)	11( 1 16)											4( 2 17)	65( 4 3)
99( 6 6)	762( 7 4)											621( 8 5)	337(10 1)
258( 2 11)	422( 3 9)											137( 3 12)	512( 5 8)
75( 0 2)	235( 1 10)											809( 5 5)	76( 1 3)
230( 6 0)	172( 0 9)											235( 9 0)	464( 7 1)
11( 0 6)	350( 1 4)											18( 0 15)	610( 5 2)
18( 0 0)												762( 6 3)	305( 4 1)
												757( 4 4)	117( 1 1)
												581( 3 3)	
												134( 0 3)	
1(20 5)	1(21 3)	4	4	3	2	0	0	0	0	0	0		
												3(18 6)	6(19 4)
												1(17 8)	

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(3)

19(10 10)	53(11 8)	101(12 6)	132(13 4)	122(14 2)	44(15 0)
5(7 13)	28(8 11)	84(9 9)	172(10 7)	255(11 5)	270(12 3)
177(13 1)	6(5 14)	34(6 12)	110(7 10)	246(8 8)	399(9 6)
489(10 4)	405(11 2)	168(12 0)	5(3 15)	33(4 13)	118(5 11)
289(6 9)	522(7 7)	713(8 5)	717(9 3)	458(10 1)	3(2 16)
24(2 14)	101(3 12)	280(4 10)	563(5 8)	869(6 6)	1003(7 4)
836(8 2)	316(9 0)	9(0 15)	58(1 13)	203(2 11)	483(3 9)
851(4 7)	1140(5 5)	1134(6 3)	715(7 1)	75(0 12)	280(1 10)
632(2 8)	1008(3 6)	1207(4 4)	993(5 2)	397(6 0)	231(0 9)
596(1 7)	925(2 5)	986(3 3)	643(4 1)	353(0 6)	614(1 4)
601(2 2)	243(3 0)	239(0 3)	227(1 1)	35(0 0)	

						4	4	1	1	1	1	1	0	0	0	
1(15 6)	1(16 4)	1(17 2)	1(18 0)	1(12 9)	2(13 7)											
5(14 5)	6(15 3)	4(16 1)	5(11 8)	10(12 6)	16(13 4)											
15(14 2)	6(15 0)	2(8 11)	8(9 9)	21(10 7)	34(11 5)											
41(12 3)	26(13 1)	1(6 12)	10(7 10)	27(8 8)	56(9 6)											
72(10 4)	66(11 2)	27(12 0)	2(4 13)	11(5 11)	37(6 9)											
74(7 7)	116(8 5)	122(9 3)	82(10 1)	10(3 12)	31(4 10)											
82(5 8)	138(6 6)	176(7 4)	150(8 2)	63(9 0)	2(0 15)											
5(1 13)	28(2 11)	72(3 9)	145(4 7)	205(5 5)	220(6 3)											
139(7 1)	6(0 12)	41(1 10)	101(2 8)	186(3 6)	228(4 4)											
203(5 2)	78(6 0)	46(0 9)	110(1 7)	189(2 5)	205(3 3)											
137(4 1)	65(0 6)	128(1 4)	124(2 2)	58(3 0)	58(0 3)											
49(1 1)	7(0 0)															

						4	3	3	3	0	0	0	0	0	
1(18 6)	1(20 2)	2(16 7)	3(17 5)	4(18 3)	2(19 1)										
1(13 10)	5(14 8)	9(15 6)	14(16 4)	10(17 2)	6(18 0)										
2(11 11)	11(12 9)	20(13 7)	34(14 5)	35(15 3)	22(16 1)										
1(8 14)	5(9 12)	18(10 10)	39(11 8)	68(12 6)	78(13 4)										
71(14 2)	24(15 0)	2(6 15)	7(7 13)	27(8 11)	6(9 9)										
112(10 7)	147(11 5)	151(12 3)	94(13 1)	1(3 18)	2(4 16)										
10(5 14)	35(6 12)	80(7 10)	157(8 8)	228(9 6)	255(10 4)										
209(11 2)	89(12 0)	2(2 17)	9(3 15)	34(4 13)	88(5 11)										
185(6 9)	292(7 7)	378(8 5)	361(9 3)	226(10 1)	1(0 18)										
6(1 15)	26(2 14)	78(3 12)	179(4 10)	315(5 8)	453(6 6)										
492(7 4)	401(8 2)	148(9 0)	11(0 15)	44(1 13)	132(2 11)										
272(3 9)	438(4 7)	551(5 5)	533(6 3)	323(7 1)	48(0 12)										
155(1 10)	323(2 8)	481(3 6)	550(4 4)	439(5 2)	176(6 0)										
12(0 9)	282(1 7)	419(2 5)	430(3 3)	274(4 1)	159(0 6)										
26(1 4)	251(2 2)	102(3 0)	101(0 3)	90(1 1)	16(0 0)										

						4	3	3	2	1	0	0	0	0	0
1(19 4)	1(20 2)	2(16 7)	5(17 5)	7(18 3)	5(19 1)										
1(13 10)	7(14 8)	18(15 6)	27(16 4)	26(17 2)	11(18 0)										
4(11 11)	18(12 9)	46(13 7)	76(14 5)	85(15 3)	59(16 1)										
1(8 14)	9(9 12)	37(10 10)	93(11 8)	165(12 6)	211(13 4)										
184(14 2)	74(15 0)	2(6 15)	15(7 13)	59(8 11)	154(9 9)										
291(10 7)	411(11 5)	425(12 3)	274(13 1)	3(4 15)	19(5 14)										
77(6 12)	211(7 10)	427(8 8)	658(9 6)	775(10 4)	642(11 2)										
249(12 0)	2(2 17)	18(3 15)	79(4 13)	236(5 11)	513(6 9)										
877(7 7)	1151(8 5)	1132(9 3)	712(10 1)	1(0 18)	1(1 16)										
61(2 14)	208(3 12)	514(4 10)	964(5 8)	1414(6 6)	1597(7 4)										
292(8 2)	500(9 0)	22(0 15)	123(1 13)	380(2 11)	838(3 9)										
404(4 7)	1818(5 5)	1765(6 3)	1104(7 1)	142(0 12)	491(1 10)										
1046(2 8)	1615(3 6)	1872(4 4)	1530(5 2)	593(6 0)	385(0 9)										

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

956( 1 7)	1441( 2 5)	1506( 3 3)	971( 4 1)	544( 0 6)	939( 1 4)
895( 2 2)	366( 3 0)	360( 0 3)	337( 1 1)	48( 0 0)	
		4 3 3 1 1 1 0 0 0 0			
1(21 0)	1(17 5)	2(18 3)	2(19 1)	1(14 8)	5(15 6)
8(16 4)	11(17 2)	2(18 0)	1(11 11)	5(12 9)	15(13 7)
27(14 5)	35(15 3)	23(16 1)	2( 9 12)	11(10 10)	34(11 8)
64(12 6)	92(13 4)	77(14 2)	37(15 0)	4( 7 13)	19( 8 11)
60( 9 9)	122(10 7)	186(11 5)	195(12 3)	131(13 1)	4( 5 14)
25( 6 12)	83( 7 10)	184( 8 8)	311( 9 6)	369(10 4)	324(11 2)
120(12 0)	4( 3 15)	25( 4 13)	94( 5 11)	229( 6 9)	421( 7 7)
573( 8 5)	584( 9 3)	370(10 1)	2( 1 16)	19( 2 14)	82( 3 12)
228( 4 10)	470( 5 8)	716( 6 6)	849( 7 4)	688( 8 2)	279( 9 0)
7( 0 15)	48( 1 13)	169( 2 11)	411( 3 9)	723( 4 7)	979( 5 5)
973( 6 3)	616( 7 1)	63( 0 12)	241( 1 10)	541( 2 8)	883( 3 6)
1041( 4 4)	880( 5 2)	334( 6 0)	202( 0 9)	524( 1 7)	816( 2 5)
873( 3 3)	570( 4 1)	307( 0 6)	550( 1 4)	526( 2 2)	226( 3 0)
218( 0 3)	203( 1 1)	28( 0 0)			
		4 3 2 2 2 0 0 0 0 0			
1(17 5)	1(18 3)	1(19 1)	1(14 8)	4(15 6)	6(16 4)
7(17 2)	3(18 0)	1(11 11)	4(12 9)	12(13 7)	21(14 5)
27(15 3)	18(16 1)	2( 9 12)	9(10 10)	28(11 8)	51(12 6)
71(13 4)	63(14 2)	27(15 0)	4( 7 13)	17( 8 11)	51( 9 9)
99(10 7)	149(11 5)	158(12 3)	104(13 1)	5( 5 14)	24( 6 12)
73( 7 10)	155( 8 8)	254( 9 6)	302(10 4)	258(11 2)	101(12 0)
5( 3 15)	25( 4 13)	87( 5 11)	199( 6 9)	353( 7 7)	474( 8 5)
476( 9 3)	301(10 1)	3( 1 16)	20( 2 14)	79( 3 12)	204( 4 10)
403( 5 8)	605( 6 6)	698( 7 4)	568( 8 2)	224( 9 0)	81( 0 15)
47( 1 13)	155( 2 11)	362( 3 9)	618( 4 7)	820( 5 5)	807( 6 3)
505( 7 1)	59( 0 12)	213( 1 10)	471( 2 8)	746( 3 6)	874( 4 4)
724( 5 2)	28( 6 0)	176( 0 9)	447( 1 7)	686( 2 5)	728( 3 3)
470( 4 1)	264( 0 6)	457( 1 4)	441( 2 2)	185( 3 0)	180( 0 3)
167( 1 1)	26( 0 0)				
		4 3 2 2 1 1 0 0 0 0			
1(18 3)	1(19 1)	1(14 8)	3(15 6)	7(16 4)	7(17 2)
4(18 0)	4(12 9)	12(13 7)	25(14 5)	31(15 3)	23(16 1)
1( 9 12)	10(10 10)	31(11 8)	66(12 6)	90(13 4)	85(14 2)
33(15 0)	2( 7 13)	18( 8 11)	58( 9 9)	131(10 7)	200(11 5)
220(12 3)	145(13 1)	3( 5 14)	25( 6 12)	87( 7 10)	208( 8 8)
350( 9 6)	440(10 4)	372(11 2)	152(12 0)	3( 3 15)	27( 4 13)
102( 5 11)	268( 6 9)	497( 7 7)	700( 8 5)	712( 9 3)	459(10 1)
2( 1 16)	21( 2 14)	93( 3 12)	275( 4 10)	572( 5 8)	904( 6 6)
1064( 7 4)	890( 8 2)	343( 9 0)	8( 0 15)	56( 1 13)	209( 2 11)
513( 3 9)	932( 4 7)	1266( 5 5)	1276( 6 3)	809( 7 1)	78( 0 12)
305( 1 10)	709( 2 8)	1159( 3 6)	1400( 4 4)	1169( 5 2)	463( 6 0)
266( 0 9)	698( 1 7)	1105( 2 5)	1187( 3 3)	781( 4 1)	421( 0 6)
752( 1 4)	736( 2 2)	304( 3 0)	301( 0 3)	284( 1 1)	42( 0 0)
		4 3 2 1 1 1 0 0 0 0			
1(16 4)	1(17 2)	2(13 7)	5(14 5)	7(15 3)	5(16 1)
1(10 10)	6(11 8)	16(12 6)	25(13 4)	24(14 2)	10(15 0)
2( 8 11)	12( 9 9)	35(10 7)	61(11 5)	70(12 3)	50(13 1)
2( 6 12)	19( 7 10)	57( 8 8)	112( 9 6)	152(10 4)	137(11 2)
55(12 0)	3( 4 13)	22( 5 11)	75( 6 9)	165( 7 7)	253( 8 5)



TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

275( 9 3)	183(10 1)	2( 2 14)	19( 3 12)	77( 4 10)	192( 5 8)
334( 6 6)	427( 7 4)	369( 8 2)	146( 9 0)	12( 1 13)	58( 2 11)
172( 3 9)	352( 4 7)	518( 5 5)	546( 6 3)	359( 7 1)	22( 0 12)
104( 1 10)	270( 2 8)	481( 3 6)	615( 4 4)	533( 5 2)	212( 6 0)
100( 0 9)	293( 1 7)	491( 2 5)	549( 3 3)	372( 4 1)	187( 0 6)
355( 1 4)	355( 2 2)	148( 3 0)	145( 0 3)	143( 1 1)	19( 0 0)

1(12 6)	1(13 4)	2(14 2)	2(10 7)	4(11 5)	6(12 3)
4(13 1)	3( 8 8)	8( 9 6)	15(10 4)	13(11 2)	8(12 0)
4( 6 9)	12( 7 7)	26( 8 5)	31( 9 3)	23(10 1)	4( 4 10)
14( 5 8)	35( 6 6)	49( 7 4)	51( 8 2)	18( 9 0)	3( 2 11)
13( 3 9)	37( 4 7)	63( 5 5)	77( 6 3)	52( 7 1)	1( 0 12)
8( 1 10)	29( 2 8)	60( 3 6)	89( 4 4)	80( 5 2)	36( 6 0)
11( 0 9)	37( 1 7)	72( 2 5)	87( 3 3)	62( 4 1)	29( 0 6)
56( 1 4)	62( 2 2)	25( 3 0)	25( 0 3)	25( 1 1)	5( 0 0)

1(17 2)	1(13 7)	2(14 5)	3(15 3)	3(16 1)	1(10 10)
3(11 8)	7(12 6)	13(13 4)	11(14 2)	6(15 0)	2( 8 11)
8( 9 9)	19(10 7)	32(11 5)	37(12 3)	25(13 1)	3( 6 12)
14( 7 10)	35( 8 8)	65( 9 6)	82(10 4)	75(11 2)	26(12 0)
4( 4 13)	18( 5 11)	51( 6 9)	102( 7 7)	147( 8 5)	153( 9 3)
100(10 1)	3( 2 14)	17( 3 12)	56( 4 10)	127( 5 8)	204( 6 6)
250( 7 4)	205( 8 2)	86( 9 0)	1( 0 15)	11( 1 13)	45( 2 11)
119( 3 9)	225( 4 7)	314( 5 5)	319( 6 3)	205( 7 1)	17( 0 12)
74( 1 10)	177( 2 8)	302( 3 6)	366( 4 4)	315( 5 2)	118( 6 0)
68( 0 9)	186( 1 7)	301( 2 5)	328( 3 3)	217( 4 1)	114( 0 6)
215( 1 4)	207( 2 2)	90( 3 0)	88( 0 3)	84( 1 1)	11( 0 0)

1(14 5)	1(15 3)	1(16 1)	1(11 8)	4(12 6)	6(13 4)
6(14 2)	3(15 0)	3( 9 9)	10(10 7)	18(11 5)	23(12 3)
15(13 1)	3( 6 12)	5( 7 10)	20( 8 8)	40( 9 6)	55(10 4)
51(11 2)	20(12 0)	7( 5 11)	27( 6 9)	63( 7 7)	101( 8 5)
11( 9 3)	74(10 1)	1( 2 14)	7( 3 12)	32( 4 10)	80( 5 8)
147( 6 6)	187( 7 4)	163( 8 2)	67( 9 0)	4( 1 13)	23( 2 11)
76( 3 9)	158( 4 7)	240( 5 5)	256( 6 3)	168( 7 1)	11( 0 12)
46( 1 10)	130( 2 8)	233( 3 6)	302( 4 4)	264( 5 2)	106( 6 0)
47( 0 9)	144( 1 7)	245( 2 5)	282( 3 3)	188( 4 1)	100( 0 6)
183( 1 4)	188( 2 2)	80( 3 0)	76( 0 3)	75( 1 1)	13( 0 0)

1(13 4)	1(15 0)	1(10 7)	3(11 5)	4(12 3)	3(13 1)
2( 8 8)	7( 9 6)	10(10 4)	13(11 2)	3(12 0)	3( 6 9)
11( 7 7)	22( 8 5)	28( 9 3)	20(10 1)	3( 4 10)	14( 5 8)
31( 6 6)	5( 7 4)	44( 8 2)	23( 9 0)	2( 2 11)	13( 3 9)
36( 4 7)	65( 5 5)	77( 6 3)	54( 7 1)	1( 0 12)	8( 1 10)
28( 2 8)	65( 3 6)	90( 4 4)	91( 5 2)	32( 6 0)	11( 0 9)
40( 1 7)	78( 2 5)	96( 3 3)	68( 4 1)	29( 0 6)	65( 4 0)
65( 2 2)	33( 2 0)	30( 0 3)	29( 1 1)	3( 0 0)	

1( 7 4)	1(11 2)	1( 8 5)	2( 9 3)	2(10 1)	2( 6 6)
4( 7 4)	5( 8 2)	3( 9 0)	1( 4 7)	5( 5 5)	8( 6 3)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

7( 7 1)	2( 2 8)	5( 3 6)	11( 4 4)	12( 5 2)	5( 6 0)
3( 1 7)	8( 2 5)	13( 3 3)	10( 4 1)	4( 0 6)	9( 7 4)
11( 2 2)	5( 3 0)	4( 0 3)	5( 1 1)	1( 0 0)	
1( 9 0)	1( 5 2)	1( 3 3)	1( 3 0)	1( 0 3)	
1(15 6)	1(16 4)	1(17 2)	1(12 9)	2(13 7)	5(14 5)
5(15 3)	4(16 1)	2(10 10)	7(11 8)	12(12 6)	18(13 4)
14(14 2)	7(15 0)	1( 7 13)	5( 8 11)	13( 9 9)	28(10 7)
38(11 5)	43(12 3)	27(13 1)	2( 5 14)	7( 6 12)	22( 7 10)
44( 8 8)	73( 9 6)	83(10 4)	75(11 2)	26(12 0)	1( 2 17)
2( 3 15)	11( 4 13)	28( 5 11)	64( 6 9)	105( 7 7)	143( 8 5)
138( 9 3)	90(10 1)	2( 1 16)	7( 2 14)	28( 3 12)	65( 4 10)
126( 5 8)	181( 6 6)	213( 7 4)	166( 8 2)	71( 9 0)	5( 0 15)
17( 1 13)	56( 2 11)	115( 3 9)	197( 4 7)	250( 5 5)	248( 6 3)
152( 7 2)	16( 0 12)	70( 1 10)	143( 2 8)	231( 3 6)	261( 4 4)
223( 5 2)	78( 6 0)	62( 0 9)	139( 1 7)	215( 2 5)	220( 3 3)
144( 4 1)	74( 0 6)	139( 1 4)	126( 2 2)	59( 3 0)	58( 0 3)
50( 1 1)	5( 0 0)				
1(16 4)	1(18 0)	2(13 7)	3(14 5)	4(15 3)	3(16 1)
2(10 10)	4(11 8)	11(12 6)	13(13 4)	16(14 2)	3(15 0)
1( 7 13)	3( 8 11)	12( 9 9)	23(10 7)	37(11 5)	39(12 3)
27(13 1)	1( 5 14)	7( 6 12)	19( 7 10)	45( 8 8)	67( 9 6)
90(10 4)	69(11 2)	34(12 0)	2( 3 15)	8( 4 13)	28( 5 11)
60( 6 9)	110( 7 7)	145( 8 5)	148( 9 3)	94(10 1)	1( 1 16)
8( 2 14)	26( 3 12)	72( 4 10)	130( 5 8)	205( 6 0)	224( 7 4)
196( 8 2)	65( 9 0)	2( 0 15)	18( 1 13)	53( 2 11)	126( 3 9)
212( 4 7)	283( 5 5)	274( 6 3)	175( 7 1)	24( 0 12)	76( 1 10)
174( 2 8)	259( 3 6)	319( 4 4)	247( 5 2)	108( 6 0)	58( 0 9)
162( 1 7)	241( 2 5)	260( 3 3)	167( 4 1)	102( 0 6)	163( 1 4)
168( 2 2)	58( 3 0)	58( 0 3)	62( 1 1)	12( 0 0)	
1(17 2)	1(13 7)	3(14 5)	4(15 3)	3(16 1)	1(10 10)
5(11 8)	10(12 6)	17(13 4)	14(14 2)	8(15 0)	3( 8 11)
12( 9 9)	27(10 7)	44(11 5)	49(12 3)	33(13 1)	1( 5 14)
6( 6 12)	22( 7 10)	52( 8 8)	91( 9 6)	111(10 4)	100(1 2)
36(12 3)	1( 3 15)	8( 4 13)	30( 5 11)	76( 6 9)	143( 7 7)
199( 8 5)	205( 9 3)	132(10 1)	1( 1 16)	7( 2 14)	51( 3 12)
85( 4 0)	179( 5 8)	276( 6 6)	331( 7 4)	269( 8 2)	111( 9 0)
3( 0 15)	19( 1 13)	70( 2 11)	168( 3 9)	301( 4 7)	410( 5 5)
410( 6 3)	261( 7 1)	26( 0 12)	104( 1 10)	235( 2 8)	388( 3 6)
461( 4 4)	392( 5 2)	148( 6 0)	92( 0 9)	237( 1 7)	374( 2 5)
402( 5 3)	263( 4 1)	140( 0 6)	258( 1 4)	247( 2 2)	107( 3 0)
104( 0 3)	98( 1 1)	13( 0 0)			
1(15 3)	2(12 6)	2(13 4)	3(14 2)	1(15 0)	2( 9 9)
4(10 7)	10(11 5)	10(12 3)	8(13 1)	1( 6 12)	3( 7 10)
12( 8 8)	21( 9 6)	30(10 4)	25(11 2)	13(12 0)	5( 5 11)
15( 6 9)	37( 7 7)	53( 8 5)	62( 9 3)	38(10 1)	1( 2 14)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

5( 3 12)	21( 4 10)	46( 5 8)	85( 6 6)	100( 7 4)	93( 8 2)
32( 9 0)	3( 1 13)	13( 2 11)	46( 3 9)	86( 4 7)	134( 5 5)
137( 6 3)	91( 7 1)	8( 0 12)	27( 1 10)	76( 2 8)	127( 3 6)
168( 4 4)	137( 5 2)	63( 6 0)	24( 0 9)	79( 1 7)	128( 2 5)
151( 3 3)	97( 4 1)	59( 0 6)	94( 1 4)	104( 2 2)	38( 3 0)
37( 0 3)	38( 1 1)	10( 0 0)			

3 3 2 2 2 1 0 0 0 0					
1(15 3)	1(16 1)	1(11 8)	3(12 6)	5(13 4)	6(14 2)
2(15 0)	1( 8 11)	4( 9 9)	10(10 7)	18(11 5)	21(12 3)
15(13 1)	2( 6 12)	9( 7 10)	23( 8 8)	42( 9 6)	56(10 4)
48(11 2)	21(12 0)	3( 4 13)	14( 5 11)	38( 6 9)	75( 7 7)
108( 8 5)	113( 9 3)	73(10 1)	3( 2 14)	15( 3 12)	47( 4 10)
101( 5 8)	163( 6 6)	194( 7 4)	165( 8 2)	62( 9 0)	1( 0 15)
10( 1 13)	39( 2 11)	101( 3 9)	186( 4 7)	257( 5 5)	260( 6 3)
166( 7 1)	16( 0 12)	64( 1 10)	153( 2 8)	253( 3 6)	309( 4 4)
258( 5 2)	104( 6 0)	58( 0 9)	159( 1 7)	254( 2 5)	276( 3 3)
182( 4 1)	101( 0 6)	180( 1 4)	179( 2 2)	73( 3 0)	73( 0 3)
70( 1 1)	11( 0 0)				

3 3 2 2 1 1 1 0 0 0					
1(12 6)	2(13 4)	2(14 2)	1(15 0)	1( 9 9)	5(10 7)
9(11 5)	11(12 3)	8(13 1)	3( 7 10)	12( 8 8)	24( 9 6)
33(10 4)	31(11 2)	12(12 0)	1( 4 13)	5( 5 11)	21( 6 9)
45( 7 7)	72( 8 5)	78( 9 3)	52(10 1)	6( 3 12)	23( 4 10)
62( 5 8)	109( 6 6)	141( 7 4)	121( 8 2)	50( 9 0)	1( 0 5)
4( 1 13)	23( 2 11)	63( 3 9)	132( 4 7)	192( 5 5)	205( 6 3)
133( 7 1)	6( 0 12)	40( 1 10)	103( 2 8)	191( 3 6)	242( 4 4)
214( 5 2)	83( 6 0)	45( 0 9)	121( 1 7)	209( 2 5)	252( 3 3)
152( 4 1)	76( 0 6)	153( 1 4)	151( 2 2)	67( 3 0)	58( 0 3)
63( 1 1)	8( 0 0)				

3 3 2 1 1 1 1 0 0 0					
1(11 5)	1(12 3)	1(13 1)	1( 8 8)	3( 9 6)	6(10 4)
5(11 2)	3(12 0)	2( 6 9)	7( 7 7)	13( 8 5)	17( 9 3)
12(10 1)	2( 4 10)	10( 5 8)	23( 6 6)	33( 7 4)	33( 8 2)
12( 9 0)	2( 2 11)	10( 3 9)	27( 4 7)	48( 5 5)	56( 6 3)
39( 7 1)	1( 0 12)	6( 1 10)	23( 2 8)	49( 3 6)	72( 4 4)
65( 5 2)	29( 6 0)	8( 0 9)	31( 1 7)	60( 2 5)	74( 3 3)
52( 4 1)	25( 0 6)	50( 1 4)	55( 2 2)	22( 3 0)	22( 0 3)
23( 1 1)	4( 0 0)				

3 3 1 1 1 1 1 0 0 0					
1( 8 5)	1( 9 3)	1(10 1)	2( 7 4)	2( 8 2)	1( 9 0)
2( 4 7)	3( 5 5)	6( 6 3)	4( 7 1)	3( 3 6)	5( 4 4)
7( 5 2)	3( 6 0)	1( 0 9)	2( 1 7)	7( 2 5)	5( 3 3)
7( 4 1)	1( 0 6)	6( 1 4)	6( 2 2)	4( 3 0)	4( 0 3)
3( 1 1)					

3 2 2 2 2 2 0 0 0 0					
1(15 0)	1(11 5)	1(12 3)	1(13 1)	1( 7 10)	1( 8 8)
4( 9 6)	4(10 4)	6(11 2)	1( 5 11)	4( 6 9)	8( 7 7)
12( 8 5)	14( 9 3)	8(10 1)	2( 3 12)	5( 4 10)	13( 5 8)
21( 6 6)	30( 7 4)	21( 8 2)	12( 9 0)	1( 1 13)	5( 2 11)
15( 3 9)	30( 4 7)	42( 5 5)	42( 6 3)	28( 7 1)	2( 0 12)

IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

11(1 10)	25( 2 8)	48( 3 6)	53( 4 4)	50( 5 2)	16( 6 0)
11( 0 9)	30( 1 7)	50( 2 5)	54( 3 3)	36( 4 1)	18( 5 6)
29( 1 4)	34( 2 2)	17( 3 0)	17( 0 3)	15( 1 1)	1( 0 0)

		3	2	2	2	2	1	1	0	0	0
1(11 5)	1(12 3)	1(13 1)	2( 8 8)	3( 9 6)	7(10 4)						
5(11 2)	3(12 0)	1( 5 11)	4( 6 9)	11( 7 7)	17( 8 5)						
20( 9 3)	13(10 1)	1( 3 12)	7( 4 10)	17( 5 8)	34( 6 6)						
41( 7 4)	39( 8 2)	13( 9 0)	1( 1 13)	6( 2 11)	21( 3 9)						
44( 4 7)	67( 5 5)	69( 6 3)	47( 7 1)	3( 0 12)	14( 1 10)						
41( 2 8)	71( 3 6)	96( 4 4)	79( 5 2)	35( 6 0)	15( 0 9)						
49( 1 7)	82( 2 5)	95( 3 3)	63( 4 1)	36( 0 6)	64( 1 4)						
69( 2 2)	25( 3 0)	26( 0 3)	28( 1 1)	5( 0 0)							

		3	2	2	2	1	1	1	0	0
1( 9 6)	1(10 4)	2(11 2)	3( 7 7)	5( 8 5)	7( 9 3)					
5(10 1)	1( 4 10)	5( 5 8)	11( 6 6)	18( 7 4)	15( 8 2)					
8( 9 0)	1( 2 11)	6( 3 9)	15( 4 7)	29( 5 5)	33( 6 3)					
23( 7 1)	4( 1 10)	14( 2 8)	32( 3 6)	45( 4 4)	44( 5 2)					
16( 6 0)	6( 0 9)	22( 1 7)	41( 2 5)	52( 3 3)	36( 4 1)					
17( 0 6)	36( 1 4)	38( 2 2)	18( 3 0)	16( 0 3)	17( 3 1)					
3( 0 0)										

		3	2	2	1	1	1	1	0
1( 9 3)	1( 6 6)	2( 7 4)	3( 8 2)	1( 9 0)	1( 4 7)				
4( 5 5)	5( 6 3)	5( 7 1)	1( 2 8)	4( 5 6)	9( 4 4)				
9( 5 2)	5( 6 0)	3( 1 7)	7( 2 5)	12( 3 3)	9( 4 1)				
4( 0 6)	8( 1 4)	11( 2 2)	4( 3 0)	4( 0 3)	5( 1 1)				
1( 0 0)									

		3	2	1	1	1	1	1	1
1( 7 1)	1( 5 2)	1( 3 3)	1( 4 1)	1( 1 4)	1( 2 2)				
1( 1 1)									

		2	2	2	2	2	1	0	0	0
1( 9 3)	1( 5 8)	2( 6 6)	2( 7 4)	2( 8 2)	1( 9 0)					
1( 2 11)	2( 3 9)	4( 4 7)	6( 5 5)	6( 6 3)	4( 7 1)					
1( 1 10)	4( 2 8)	8( 3 6)	9( 4 4)	8( 5 2)	4( 6 0)					
3( 0 9)	6( 1 7)	11( 2 5)	12( 3 3)	7( 4 1)	4( 0 6)					
8( 1 4)	8( 2 2)	4( 3 0)	5( 0 3)	3( 1 1)	1( 0 0)					

		2	2	2	2	2	1	1	0	0
1( 6 6)	1( 7 4)	2( 8 2)	1( 3 9)	2( 4 7)	4( 5 5)					
4( 6 3)	3( 7 1)	1( 1 10)	3( 2 8)	5( 5 6)	9( 4 4)					
6( 5 2)	4( 6 0)	1( 0 9)	5( 1 7)	8( 2 5)	10( 3 3)					
7( 4 1)	4( 0 6)	7( 1 4)	9( 2 2)	2( 3 0)	5( 0 3)					
4( 1 1)	1( 0 0)									

		2	2	2	2	1	1	1	0
1( 5 5)	1( 6 3)	1( 7 1)	1( 3 6)	2( 4 4)	2( 5 2)				
1( 6 0)	1( 0 9)	1( 1 7)	3( 2 5)	4( 3 3)	3( 4 1)				
2( 1 4)	3( 2 2)	1( 3 0)	2( 0 3)	2( 1 1)					

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(6 0)	1(3 3)	2(2 2)	2(1 1)	1(1 1)	1(1 1)	1(1 1)	1(1 1)	1(1 1)
1(22 4)	1(24 0)	1(19 7)	2(20 5)	3(21 3)	2(22 1)	2(22 0)	2(21 0)	2(22 1)
1(16 10)	3(17 8)	9(18 6)	9(19 4)	12(20 2)	2(14 11)	5(15 9)	15(16 7)	4(18 6)
2(14 11)	9(15 9)	19(16 7)	30(17 5)	32(18 3)	1(11 14)	3(12 12)	14(13 10)	14(13 10)
1(11 14)	6(12 12)	18(13 10)	45(14 8)	67(15 6)	65(17 2)	20(18 0)	1(9 15)	1(9 15)
65(17 2)	33(18 0)	2(9 15)	9(10 13)	32(11 11)	101(16 1)	2(7 16)	10(8 14)	155(15 3)
132(13 7)	175(14 5)	173(15 3)	108(16 1)	1(6 18)	274(12 6)	325(13 4)	251(14 2)	191(11 8)
16(8 14)	48(9 12)	120(10 10)	212(11 8)	319(12 6)	47(7 3)	133(8 11)	264(9 9)	13(6 5)
288(14 2)	97(15 0)	4(5 17)	17(6 15)	60(7 13)	21(13 1)	2(3 18)	12(4 16)	523(12 3)
298(9 9)	464(10 7)	577(11 5)	544(12 3)	334(13 1)	554(8 2)	787(9 6)	836(10 4)	325(7 10)
4(3 18)	20(4 16)	64(5 14)	177(6 12)	356(7 10)	19(2 7)	42(3 15)	140(4 13)	1(1 9)
811(9 6)	890(10 4)	673(11 2)	277(12 0)	2(1 19)	166(8 5)	080(9 3)	662(10 1)	950(7 7)
55(3 15)	156(4 13)	364(5 11)	662(6 9)	985(7 7)	274(3 2)	572(4 10)	987(5 8)	94(2 14)
1089(9 3)	658(10 1)	7(0 18)	31(1 16)	121(2 14)	339(9 0)	40(1 15)	155(1 13)	1092(8 2)
626(4 0)	1003(5 8)	1357(6 6)	1402(7 4)	399(3 12)	332(5 5)	1442(6 3)	874(7 1)	1257(4 7)
37(0 15)	171(1 13)	428(2 11)	833(3 9)	1248(4 7)	320(3 6)	1434(4 4)	1772(5 2)	838(3 8)
1395(6 3)	848(7 1)	170(0 12)	470(1 10)	918(2 8)	103(2 5)	1101(3 3)	704(4 1)	758(1 7)
1428(4 4)	1098(5 2)	445(6 0)	314(0 9)	739(1 7)	268(3 0)	262(0 3)	228(1 1)	609(2 2)
1051(3 3)	656(4 1)	408(0 6)	633(1 4)	607(2 2)				
225(0 3)	212(1 1)	38(0 0)						

1(23 2)	2(20 5)	2(21 3)	2(22 1)	2(17 8)	4(18 6)
9(19 4)	7(20 2)	5(21 0)	2(14 11)	5(15 9)	15(16 7)
23(17 5)	28(18 3)	18(19 1)	1(11 14)	3(12 12)	14(13 10)
31(14 8)	58(15 6)	68(16 4)	65(17 2)	20(18 0)	1(9 15)
8(10 13)	24(11 11)	64(12 9)	111(13 7)	157(14 5)	155(15 3)
101(16 1)	2(7 16)	10(8 14)	39(9 12)	94(10 10)	191(11 8)
274(12 6)	325(13 4)	251(14 2)	109(15 0)	2(5 17)	13(6 5)
47(7 3)	133(8 11)	264(9 9)	434(10 7)	541(11 5)	523(12 3)
21(13 1)	2(3 18)	12(4 16)	51(5 14)	143(6 12)	325(7 10)
554(8 2)	787(9 6)	836(10 4)	682(11 2)	242(12 0)	1(1 9)
19(2 7)	42(3 15)	140(4 13)	329(5 11)	633(6 9)	950(7 7)
166(8 5)	080(9 3)	662(10 1)	2(0 18)	25(1 16)	94(2 14)
274(3 2)	572(4 10)	987(5 8)	1312(6 6)	1434(7 4)	1092(8 2)
339(9 0)	40(1 15)	155(1 13)	421(2 11)	813(3 9)	1257(4 7)
332(5 5)	1442(6 3)	874(7 1)	141(0 12)	464(1 10)	838(3 8)
320(3 6)	1434(4 4)	1772(5 2)	424(6 0)	342(0 9)	758(1 7)
103(2 5)	1101(3 3)	704(4 1)	389(1 6)	680(1 4)	609(2 2)
268(3 0)	262(0 3)	228(1 1)	26(0 0)		

1(19 7)	1(20 5)	1(21 3)	1(22 1)	2(17 8)	4(18 6)
6(19 4)	5(20 2)	2(21 0)	1(14 11)	6(15 9)	13(16 7)
20(17 5)	21(18 3)	13(19 1)	2(12 12)	12(13 10)	27(14 8)
48(15 6)	58(16 4)	49(17 2)	18(18 0)	1(9 15)	6(10 13)
22(11 11)	54(12 9)	97(13 7)	131(14 5)	130(15 3)	82(16 1)
2(7 16)	8(8 14)	34(9 12)	82(10 10)	162(11 8)	230(12 6)
270(13 4)	216(14 2)	86(15 0)	1(4 19)	3(5 17)	14(6 15)
46(7 13)	118(8 11)	234(9 9)	373(10 7)	465(11 5)	444(12 3)
275(13 1)	3(3 18)	12(4 16)	50(5 14)	131(6 12)	288(7 0)
86(8 8)	674(9 6)	724(10 4)	576(11 2)	216(12 0)	1(0 2)
2(1 19)	13(2 17)	45(3 15)	134(4 13)	302(5 11)	561(6 9)

IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

7 7)	1007( 8 5)	934( 9 3)	569(10 1)	2( 0 18)	26( 1 16)
2 14)	253( 3 12)	515( 4 10)	865( 5 9)	1150( 6 6)	1233( 7 4)
8 2)	366( 9 0)	40( 0 15)	146( 1 13)	382( 2 11)	725( 3 9)
4 7)	1335( 5 5)	1244( 6 3)	754( 7 1)	129( 0 12)	414( 1 10)
2 8)	1146( 3 6)	1251( 4 4)	1000( 5 2)	376( 6 0)	300( 0 9)
1 7)	953( 2 5)	950( 3 3)	602( 4 1)	343( 0 6)	58( 1 4)
2 2)	221( 3 0)	220( 0 3)	195( 1 1)	25( 0 0)	

1(20 5)	2(21 3)	1(22 1)	2(17 8)	6(18 6)	10(19 4)
10(20 2)	4(21 0)	1(14 11)	7(15 9)	21(16 7)	36(17 5)
2(18 3)	29(19 1)	4(12 12)	19(13 10)	53(14 8)	99(15 6)
27(16 4)	112(17 2)	46(18 0)	1( 9 15)	9(10 13)	40(11 11)
109(12 9)	211(13 7)	302(14 5)	312(15 3)	202(16 1)	2( 7 16)
16( 8 14)	66( 9 12)	185(10 10)	376(11 8)	581(12 6)	682(13 4)
63(14 2)	219(15 0)	3( 5 17)	22( 6 15)	91( 7 13)	262( 8 11)
65( 9 9)	938(10 7)	1216(11 5)	1188(12 3)	740(13 1)	3( 3 18)
23( 4 16)	102( 5 14)	312( 6 12)	715( 7 10)	1283( 8 8)	1821( 9 6)
26(10 4)	1611(11 2)	618(12 0)	2( 1 19)	18( 2 17)	90( 3 15)
404( 4 13)	760( 5 11)	1481( 6 9)	2304( 7 7)	2846( 8 5)	2686( 9 3)
53(10 1)	7( 0 18)	53( 1 16)	223( 2 14)	646( 3 12)	1412( 4 10)
35( 5 8)	3356( 6 6)	3630( 7 4)	2858( 8 2)	1092( 9 0)	82( 0 15)
72( 1 13)	1023( 2 11)	2062( 3 9)	3237( 4 7)	4004( 5 5)	3773( 6 3)
13( 7 1)	374( 0 12)	1188( 1 10)	2363( 2 8)	3478( 3 6)	3896( 4 4)
17( 5 2)	1194( 6 0)	868( 0 9)	2032( 1 7)	2953( 2 5)	3009( 3 3)
11( 4 1)	1103( 0 6)	1851( 1 4)	1733( 2 2)	706( 3 0)	694( 0 3)
40( 1 1)	91( 0 0)				

1(22 1)	1(18 6)	3(19 4)	3(20 2)	2(21 0)	1(15 9)
5(16 7)	10(17 5)	15(18 3)	10(19 1)	1(12 12)	5(15 10)
16(14 8)	33(15 6)	47(16 4)	45(17 2)	16(18 0)	2(10 13)
11( 11)	36(12 9)	76(13 7)	119(14 5)	127(15 3)	85(16 1)
4( 9 14)	20( 9 12)	66(10 10)	146(11 8)	241(12 6)	295(13 4)
47(14 2)	102(15 0)	4( 6 15)	27( 7 13)	94( 8 11)	224( 9 9)
23( 7)	543(11 5)	545(12 3)	347(13 1)	5( 4 16)	30( 5 14)
14( 6 12)	291( 7 10)	563( 8 8)	840( 9 6)	955(10 4)	785(11 2)
7(12 0)	3( 2 17)	26( 3 15)	108( 4 13)	309( 5 11)	658( 6 9)
7( 7 7)	1381( 8 5)	1335( 9 3)	830( 10 1)	2( 0 18)	15( 1 16)
1( 2 14)	263( 3 12)	631( 4 10)	2154( 5 8)	1653( 6 6)	1844( 7 4)
6( 8 2)	570( 9 0)	28( 0 15)	151( 1 13)	456( 2 11)	981( 3 9)
2( 4 7)	2057( 5 5)	1979( 6 3)	1227( 7 1)	168( 0 12)	567( 1 10)
3( 2 8)	1807( 3 6)	2065( 4 4)	3686( 5 2)	646( 6 0)	435( 0 9)
9( 1 7)	1583( 2 5)	1641( 3 3)	3055( 4 1)	592( 0 6)	1019( 1 4)
2( 2 2)	400( 3 0)	391( 0 3)	361( 1 1)	50( 0 0)	

19 6)	1(19 4)	2(20 2)	1(15 9)	3(16 7)	7(17 5)
13 3)	6(19 1)	1(12 12)	5(13 10)	12(14 8)	20(15 6)
16 4)	25(17 2)	14(18 0)	1(10 13)	8(11 11)	23(12 9)
13 7)	75(14 5)	83(15 3)	54(16 1)	4( 8 14)	14( 9 2)
10 10)	96(11 8)	164(12 6)	188(13 4)	170(14 2)	58(15 0)
6 15)	21( 7 13)	65( 8 11)	155( 9 9)	266(10 7)	362(11 5)
12 3)	229(13 1)	6( 4 16)	24( 5 14)	89( 6 12)	204( 7 10)
8 3)	560( 9 6)	652(10 4)	508(11 2)	213(12 0)	2( 2 17)
3 15)	80( 4 13)	226( 5 11)	454( 6 9)	740( 7 7)	927( 8 5)
9 3)	551(10 1)	3( 0 18)	13( 1 16)	69( 2 14)	195( 3 12)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

463( 4 10)	800( 5 8)	1151( 6 6)	1237( 7 4)	1010( 8 2)	363( 9 0)
18( 0 15)	115( 1 13)	322( 2 11)	695( 3 9)	1106( 4 7)	1408( 5 5)
1333( 6 3)	828( 7 1)	135( 0 12)	403( 1 10)	848( 2 8)	1239( 3 6)
1435( 4 4)	1127( 5 2)	460( 6 0)	289( 0 9)	735( 1 7)	1070( 2 5)
1118( 3 3)	709( 4 1)	430( 0 6)	690( 1 4)	676( 2 2)	256( 3 0)
251( 0 3)	245( 1 1)	43( 0 0)			

1(19 4)	1(20 2)	4 4 2 2 1	1 0 0 0	1(15 9)	3(16 7)	7(17 5)
9(18 3)	7(19 1)	1(21 0)	1(15 9)	10(14 8)	24(15 6)	33(16 4)
34(17 2)	12(18 0)	3(13 10)	8(11 11)	10(14 8)	27(12 9)	62(13 7)
96(14 5)	107(15 3)	1(10 13)	1( 8 14)	217(14 2)	14( 9 12)	49(10 10)
121(11 8)	203(12 6)	71(16 1)	360(10 7)	91(15 0)	501(11 5)	3( 6 15)
21( 7 13)	78( 8 11)	259(13 4)	93( 6 12)	261( 7 10)	3( 2 17)	506(12 3)
325(13 1)	2( 4 16)	197( 9 9)	287(12 0)	1364( 8 5)	606( 4 10)	515( 8 8)
794( 9 6)	912(10 4)	24( 5 14)	1052( 7 7)	29( 0 15)	2073( 6 3)	22( 3 15)
98( 4 13)	288( 5 11)	758(11 2)	249( 3 12)	606( 4 10)	1147( 5 8)	1333( 9 3)
332(10 1)	13( 1 16)	627( 6 9)	589( 9 0)	29( 0 15)	146( 1 13)	1147( 5 8)
661( 6 6)	1879( 7 4)	69( 2 14)	2140( 5 5)	2073( 6 3)	1292( 7 1)	146( 1 13)
55( 2 11)	994( 3 9)	1503( 8 2)	1901( 3 6)	2188( 4 4)	1800( 5 2)	1292( 7 1)
61( 0 12)	579( 1 10)	1659( 4 7)	1702( 2 5)	1775( 3 3)	1146( 4 1)	1800( 5 2)
89( 6 0)	462( 0 9)	1221( 2 8)	439( 3 0)	433( 0 3)	399( 1 1)	1146( 4 1)
31( 0 6)	1108( 1 4)	1125( 1 7)				399( 1 1)
55( 0 0)		1049( 2 2)				

1(17 5)	1(18 3)	4 4 2 1 1	1 1 0 0	2(14 8)	4(15 6)	8(16 4)
7(17 2)	3(18 0)	1(19 1)	2(14 8)	4(12 9)	14(13 7)	23(14 5)
29(15 3)	19(16 1)	1(11 11)	4(12 9)	10(10 10)	28(11 8)	38(12 6)
5(13 4)	70(14 2)	1( 9 12)	10(10 10)	2( 7 13)	14( 8 11)	58(12 6)
1(10 7)	158(11 5)	27(15 0)	2( 7 13)	112(13 1)	2( 5 14)	49( 9 9)
4( 7 10)	156( 8 8)	166(12 3)	323(10 4)	183( 6 9)	270(11 2)	19( 6 12)
2( 3 15)	17( 4 13)	256( 9 6)	183( 6 9)	14( 2 14)	350( 7 7)	122(12 0)
0( 9 3)	318(10 1)	72( 5 11)	14( 2 14)	61( 3 12)	61( 3 12)	483( 8 5)
3( 5 8)	613( 6 6)	1( 1 16)	607( 3 2)	229( 9 0)	837( 5 5)	180( 4 10)
6( 1 13)	131( 2 11)	717( 7 4)	604( 4 7)	748( 3 6)	702( 2 5)	4( 0 15)
7( 7 1)	53( 0 12)	336( 3 9)	462( 2 8)	702( 2 5)	190( 3 0)	837( 6 3)
7( 5 2)	308( 6 0)	195( 1 10)	448( 1 7)	190( 3 0)		916( 4 4)
0( 4 1)	277( 0 5)	163( 0 9)	479( 2 2)			766( 3 3)
2( 1 1)	30( 0 0)	479( 1 4)				186( 6 3)

1(13 7)	1(14 5)	4 4 1 1 1	1 1 0 0	1(11 8)	3(12 6)
1(13 4)	5(14 2)	2(15 3)	1(16 1)	6(10 7)	13(11 5)
1(12 3)	11(13 1)	2(15 0)	2( 9 9)	21( 9 6)	30( 7 4)
1(11 2)	12(12 0)	3( 7 10)	9( 8 8)	29( 7 7)	46( 8 5)
1( 9 3)	36(10 1)	3( 5 11)	11( 6 9)	32( 5 8)	60( 6 6)
1( 7 4)	73( 8 2)	2( 3 12)	11( 4 10)	8( 2 11)	29( 3 9)
1( 4 7)	96( 5 5)	28( 9 0)	2( 1 13)	3( 0 12)	16( 0 10)
1( 2 8)	87( 3 6)	103( 6 3)	70( 7 1)	37( 0 6)	57( 4 1)
1( 1 7)	90( 2 5)	116( 4 4)	101( 5 2)		
2( 2 2)	28( 3 0)	105( 3 3)	71( 4 1)		
		27( 0 3)	27( 1 1)		

18( 6)	1(19 4)	4 3 3 3 1	0 0 0 0	3(16 7)	7(17 5)
18( 3)	5(19 1)	1(20 2)	1(15 9)	20(15 6)	29(16 4)
		3(13 10)	11(14 8)		

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

24(17 2)	11(18 0)	1(10 13)	8(11 11)	24(12 9)	52(13 7)
75(14 5)	81(15 3)	52(16 1)	3( 8 14)	15( 9 12)	47(10 10)
100(11 8)	162(12 6)	190(13 4)	165(14 2)	61(15 0)	1( 5 17)
5( 6 15)	25( 7 13)	73( 8 11)	165( 9 9)	279(10 7)	372(11 5)
365(12 3)	233(13 1)	1( 3 18)	7( 4 16)	30( 5 14)	96( 6 12)
223( 7 10)	409( 8 8)	586( 9 6)	664(10 4)	527(11 2)	211(12 0)
1( 1 19)	6( 2 17)	30( 3 15)	98( 4 13)	253( 5 11)	495( 6 9)
782( 7 7)	973( 8 5)	930( 9 3)	572(10 1)	2( 0 18)	18( 1 16)
77( 2 14)	221( 3 12)	494( 4 10)	855( 5 8)	1195( 6 6)	1294( 7 4)
1034( 8 2)	384( 9 0)	28( 0 15)	133( 1 13)	364( 2 11)	748( 3 9)
1179( 4 7)	1472( 5 5)	1391( 6 3)	856( 7 1)	138( 0 12)	435( 1 10)
883( 2 8)	1300( 3 6)	1471( 4 4)	1170( 5 2)	461( 6 0)	320( 0 9)
770( 1 7)	1122( 2 5)	1150( 3 3)	731( 4 1)	430( 0 6)	712( 1 4)
677( 2 2)	269( 3 0)	266( 0 3)	248( 1 1)	38( 0 0)	

1(19 4)	1(21 0)	2(16 7)	4(17 5)	5(18 3)	4(19 1)
2(13 10)	6(14 8)	16(15 6)	20(16 4)	23(17 2)	6(18 0)
1(10 13)	5(11 11)	19(12 9)	40(13 7)	64(14 5)	70(15 3)
47(16 1)	2( 8 14)	12( 9 12)	37(10 10)	88(11 8)	139(12 6)
181(13 4)	146(14 2)	66(15 0)	4( 6 15)	19( 7 13)	65( 8 11)
147( 9 9)	262(10 7)	353(11 5)	357(12 3)	227(13 1)	4( 4 16)
25( 5 14)	83( 6 12)	211( 7 10)	388( 8 8)	587( 9 6)	652(10 4)
548(11 2)	198(12 0)	4( 2 17)	23( 3 15)	91( 4 13)	239( 5 11)
494( 6 9)	790( 7 7)	1006( 8 5)	964( 9 3)	601(10 1)	1( 0 18)
14( 1 16)	67( 2 14)	217( 3 12)	490( 4 10)	892( 5 8)	1242( 6 6)
392( 7 4)	1085( 8 2)	436( 9 0)	28( 0 15)	128( 1 13)	377( 2 11)
782( 3 9)	1269( 4 7)	1592( 5 5)	1525( 6 3)	938( 7 1)	134( 0 12)
465( 1 10)	939( 2 8)	1438( 3 6)	1609( 4 4)	1326( 5 2)	469( 6 0)
362( 0 9)	851( 1 7)	1270( 2 5)	1299( 3 3)	835( 4 1)	404( 0 6)
818( 1 4)	754( 2 2)	326( 3 0)	320( 0 3)	288( 1 1)	35( 0 0)

1(20 2)	1(16 7)	3(17 5)	5(18 3)	4(19 1)	1(20 0)
6(14 8)	14(15 6)	24(16 4)	21(17 2)	11(18 0)	4(19 1)
18(12 9)	43(13 7)	72(14 5)	81(15 3)	56(16 1)	1( 8 14)
10( 9 12)	40(10 10)	97(11 8)	173(12 6)	216(13 4)	192(14 2)
72(15 0)	2( 6 15)	17( 7 13)	67( 3 11)	172( 9 9)	324( 7 7)
52(11 5)	465(12 3)	298(13 1)	3( 4 16)	22( 5 14)	9( 6 2)
46( 7 10)	500( 8 8)	76( 9 6)	894(10 4)	729(11 2)	292( 2 0)
2( 2 17)	21( 3 15)	95( 4 13)	284( 5 11)	625( 6 9)	1553( 7 7)
78( 8 5)	1346( 9 3)	845(10 1)	1( 0 18)	13( 1 16)	74( 2 14)
55( 3 12)	636( 4 10)	1188( 5 8)	1745( 6 6)	1956( 7 4)	1590( 8 2)
64( 9 0)	27( 0 15)	152( 1 13)	476( 2 11)	1053( 3 9)	1766( 4 7)
60( 3 6)	2219( 6 3)	1383( 7 1)	180( 0 12)	622( 1 10)	1336( 2 8)
64( 2 5)	2400( 4 4)	1951( 5 2)	766( 6 0)	495( 0 9)	1232( 1 7)
78( 3 0)	1953( 3 3)	1262( 4 1)	712( 0 6)	1225( 1 4)	1176( 2 2)
	473( 0 3)	445( 1 1)	67( 0 0)		

1(18 3)	2(15 6)	3(16 4)	4(17 2)	1(18 0)	2(12 9)
6(13 7)	14(14 5)	15(15 3)	12(16 1)	1( 9 12)	5(10 10)
8(11 8)	35(12 6)	50(13 4)	43(14 2)	21(15 0)	1( 7 3)
10( 8 11)	32( 9 9)	74(10 7)	109(11 5)	122(12 3)	79(13 1)
2( 5 4)	13( 6 12)	50( 7 10)	115( 8 8)	199( 9 6)	242(10 4)
4(11 2)	78(12 0)	1( 3 15)	14( 4 13)	55( 5 11)	151( 6 9)
8( 7 7)	397( 8 5)	403( 9 3)	261(10 1)	1( 1 16)	10( 2 4)



TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

51( 3 12)	150( 4 10)	324( 5 8)	507( 6 6)	613( 7 4)	509( 8 2)
206( 9 0)	4( 0 15)	29( 1 13)	116( 2 11)	285( 3 9)	530( 4 7)
722( 5 5)	734( 6 3)	466( 7 1)	40( 0 12)	171( 1 10)	395( 2 8)
666( 3 6)	796( 4 4)	684( 5 2)	258( 6 0)	154( 0 9)	398( 7 7)
640( 2 5)	687( 3 3)	455( 4 1)	235( 0 6)	439( 1 4)	420( 2 2)
184( 3 0)	180( 0 3)	166( 1 1)	21( 0 0)		

4 3 2 2 2 1 0 0 0 0					
1(18 3)	1(19 1)	1(14 8)	3(15 6)	6(16 4)	7(17 2)
3(18 0)	1(11 11)	5(12 9)	13(13 7)	24(14 5)	30(15 3)
21(16 1)	3( 9 12)	13(10 10)	35(11 8)	67(12 6)	89(13 4)
80(14 2)	33(15 0)	5( 7 13)	25( 8 11)	70( 9 9)	139(10 7)
204(11 5)	214(12 3)	140(13 1)	7( 5 14)	36( 6 12)	108( 7 10)
231( 8 8)	369( 9 6)	440(10 4)	368(11 2)	145(12 0)	7( 3 15)
39( 4 13)	131( 5 11)	308( 6 9)	538( 7 7)	720( 8 5)	717( 9 3)
451(10 1)	4( 1 16)	31( 2 14)	122( 3 12)	323( 4 10)	635( 5 8)
952( 6 6)	1090( 7 4)	889( 8 2)	344( 9 0)	12( 0 15)	74( 1 13)
250( 2 11)	579( 3 9)	999( 4 7)	1318( 5 5)	1295( 6 3)	812( 7 1)
95( 0 12)	348( 1 10)	770( 2 8)	1223( 3 6)	1436( 4 4)	1186( 5 2)
464( 6 0)	291( 0 9)	740( 1 7)	1144( 2 5)	1212( 3 3)	787( 4 1)
438( 0 6)	771( 1 4)	745( 2 2)	309( 3 0)	307( 0 3)	286( 7 1)
43( 0 0)					

4 3 2 2 1 1 1 0 0 0					
1(15 6)	2(16 4)	2(17 2)	1(18 0)	1(12 9)	6(13 7)
11(14 5)	14(15 3)	10(16 1)	4(10 10)	16(11 8)	35(12 6)
49(13 4)	46(14 2)	18(15 0)	1( 7 13)	8( 8 11)	34( 9 9)
77(10 7)	123(11 5)	134(12 3)	90(13 1)	1( 5 14)	12( 6 12)
52( 7 10)	131( 8 8)	229( 9 6)	292(10 4)	250(11 2)	101(12 0)
1( 3 15)	14( 4 13)	64( 5 11)	175( 6 9)	344( 7 7)	490( 8 5)
509( 9 3)	329(10 1)	1( 1 16)	11( 2 14)	59( 3 12)	186( 4 10)
407( 5 8)	660( 6 6)	793( 7 4)	669( 8 2)	260( 9 0)	4( 0 15)
36( 1 13)	143( 2 11)	373( 3 9)	697( 4 7)	974( 5 5)	991( 6 3)
637( 7 1)	54( 0 12)	225( 1 10)	541( 2 8)	908( 3 6)	1118( 4 4)
944( 5 2)	375( 6 0)	203( 0 9)	555( 1 7)	893( 2 5)	977( 3 3)
647( 4 1)	344( 0 6)	626( 1 4)	620( 2 2)	256( 3 0)	252( 7 3)
244( 1 1)	36( 0 0)				

4 3 2 1 1 1 1 0 0 0					
1(14 5)	1(15 3)	1(16 1)	1(11 8)	4(12 6)	7(13 4)
7(14 2)	3(15 0)	3( 9 9)	10(10 7)	20(11 5)	25(12 3)
18(13 1)	4( 7 10)	18( 8 8)	40( 9 6)	59(10 4)	56(11 2)
23(12 0)	5( 5 11)	24( 6 9)	62( 7 7)	104( 8 5)	120( 9 3)
82(10 1)	5( 3 12)	25( 4 10)	74( 5 8)	144( 6 6)	194( 7 4)
175( 8 2)	7( 9 0)	2( 1 13)	19( 2 11)	67( 3 9)	153( 4 7)
243( 5 5)	268( 6 3)	180( 7 1)	7( 0 12)	41( 1 10)	119( 2 8)
230( 3 6)	309( 4 4)	276( 5 2)	112( 6 0)	46( 0 9)	141( 7 7)
251( 2 5)	292( 3 3)	200( 4 1)	96( 0 6)	189( 1 4)	195( 2 2)
83( 3 0)	81( 0 3)	80( 1 1)	12( 0 0)		

4 3 1 1 1 1 1 1 0 0					
1(11 5)	1(12 3)	1(13 1)	1( 9 6)	3(10 4)	3(11 2)
2(12 0)	2( 7 7)	5( 8 5)	9( 9 3)	6(10 1)	2( 5 8)
7( 6 6)	13( 7 4)	15( 8 2)	6( 9 0)	2( 3 9)	7( 4 7)
17( 5 5)	22( 6 3)	17( 7 1)	1( 1 10)	6( 2 8)	16( 3 6)
27( 4 4)	26( 5 2)	13( 6 0)	2( 0 9)	10( 1 7)	21( 2 5)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

29( 3 3)	21( 4 1)	9( 0 6)	19( 1 4)	22( 2 2)	9( 3 0)
9( 0 3)	9( 1 1)	2( 0 0)			
1(18 0)	1(14 5)	2 2 2 2	2 0 0 0 0		
4(12 6)	4(13 4)	1(15 3)	1(16 1)	1(10 13)	1(11 8)
14(11 5)	17(12 3)	7(14 2)	1( 8 11)	4( 9 9)	9(10 7)
30( 9 6)	44(10 4)	10(13 1)	3( 6 12)	7( 7 10)	21( 8 8)
28( 6 9)	53( 7 7)	30(11 2)	18(12 0)	2( 4 13)	10( 5 11)
10( 3 12)	35( 4 10)	74( 8 5)	74( 9 3)	49(10 1)	3( 2 14)
35( 9 0)	6( 1 13)	67( 5 8)	115( 6 6)	123( 7 4)	112( 8 2)
166( 6 3)	105( 7 1)	25( 2 11)	66( 3 9)	121( 4 7)	166( 5 5)
205( 4 4)	159( 5 2)	12( 0 12)	41( 1 10)	104( 2 8)	160( 3 6)
177( 3 3)	114( 4 1)	72( 6 0)	35( 0 9)	102( 1 7)	161( 2 5)
43( 0 3)	46( 1 1)	69( 0 6)	113( 1 4)	121( 2 2)	42( 3 0)
		9( 0 0)			
1(14 5)	1(15 3)	4 2 2 2 2	1 1 0 0 0		
5(14 2)	3(15 0)	1(16 1)	2(11 8)	3(12 6)	7(13 4)
23(12 3)	15(13 1)	1( 8 11)	4( 9 9)	12(10 7)	19(11 5)
55(10 4)	53(11 2)	1( 6 12)	9( 7 10)	22( 8 8)	46( 9 6)
74( 7 7)	112( 8 5)	18(12 0)	2( 4 13)	11( 5 11)	37( 6 9)
39( 4 10)	99( 5 8)	115( 9 3)	77(10 1)	1( 2 14)	12( 3 12)
1( 0 15)	7( 1 13)	159( 6 6)	204( 7 4)	165( 8 2)	72( 9 0)
276( 6 3)	175( 7 1)	35( 2 11)	94( 3 9)	188( 4 7)	263( 5 5)
319( 4 4)	284( 5 2)	11( 0 12)	60( 1 10)	145( 2 8)	263( 3 6)
300( 3 3)	203( 4 1)	103( 6 0)	62( 0 9)	163( 1 7)	276( 2 5)
88( 0 3)	80( 1 1)	100( 0 6)	200( 1 4)	191( 2 2)	89( 3 0)
		9( 0 0)			
1(12 6)	1(13 4)	4 2 2 2 1	1 1 0 0		
5(13 1)	2( 7 10)	2(14 2)	3(10 7)	5(11 5)	7(12 3)
10(12 0)	1( 5 11)	6( 8 8)	13( 9 6)	22(10 4)	18(11 2)
33(10 3)	1( 3 12)	9( 6 9)	22( 7 7)	42( 8 5)	47( 9 3)
80( 8 2)	29( 9 0)	10( 4 10)	30( 5 8)	63( 6 0)	84( 7 4)
113( 5 5)	130( 6 3)	1( 1 13)	8( 2 11)	29( 3 9)	72( 4 7)
113( 3 6)	157( 4 4)	86( 7 1)	3( 0 12)	18( 1 10)	58( 2 8)
132( 2 5)	153( 3 3)	139( 5 2)	60( 6 0)	22( 0 9)	71( 1 7)
45( 2 0)	46( 0 3)	108( 4 1)	52( 0 6)	102( 1 4)	108( 2 2)
		44( 1 1)	7( 0 0)		
1(12 3)	1( 9 6)	4 2 2 1 1	1 1 1 0		
5( 8 5)	6( 9 3)	2(10 4)	3(11 2)	1(12 0)	1( 7 7)
13( 8 2)	7( 9 0)	6(10 1)	2( 5 8)	6( 0 6)	13( 7 4)
17( 7 1)	1( 1 10)	1( 3 9)	8( 4 7)	16( 5 5)	24( 6 3)
11( 6 0)	3( 0 9)	5( 2 8)	17( 3 6)	27( 4 4)	30( 5 2)
8( 0 6)	22( 1 4)	10( 1 7)	25( 2 5)	32( 3 3)	25( 4 1)
1( 0 0)		23( 2 2)	12( 3 0)	12( 0 3)	11( 1 1)
1( 0 1)	1( 8 2)	4 2 1 1 1	1 1 1 1		
1( 6 0)	2( 2 5)	2( 6 3)	1( 7 1)	1( 4 4)	2( 5 2)
1( 2 0)	1( 0 3)	2( 3 3)	2( 4 1)	1( 1 4)	2( 2 2)
		1( 1 1)			

BLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

		3	3	3	3	2	0	0	0	0	0		
1(15 6)	1(16 4)	1(17 2)	1(12 9)	3(13 7)	4(14 5)								
6(15 3)	4(16 1)	1( 9 12)	3(10 10)	8(11 8)	4(12 6)								
19(13 4)	16(14 2)	7(15 0)	2( 7 13)	6( 8 11)	17( 9 9)								
30(10 7)	44(11 5)	44(12 3)	30(13 1)	1( 4 16)	3( 5 14)								
12( 6 12)	29( 7 10)	55( 8 8)	82( 9 6)	95(10 4)	79(11 2)								
31(12 0)	4( 3 15)	13( 4 13)	38( 5 11)	74( 6 9)	124( 7 7)								
156( 8 5)	154( 9 3)	94(10 1)	1( 0 18)	3( 1 16)	14( 2 14)								
38( 3 12)	87( 4 10)	152( 5 8)	214( 6 6)	236( 7 4)	189( 8 2)								
72( 9 0)	3( 0 15)	24( 1 13)	64( 2 11)	141( 3 9)	222( 4 7)								
285( 5 5)	269( 6 3)	168( 7 1)	30( 0 12)	86( 1 10)	180( 2 8)								
266( 3 6)	304( 4 4)	242( 5 2)	95( 6 0)	62( 0 9)	161( 7)								
233( 2 5)	245( 3 3)	156( 4 1)	96( 0 6)	156( 1 4)	149( 2 2)								
59( 3 0)	57( 0 3)	55( 1 1)	10( 0 0)										

		3	3	3	3	1	1	0	0	0	0		
1(16 4)	1(18 0)	1(12 9)	2(13 7)	4(14 5)	5(15 3)								
3(16 1)	2(10 10)	6(11 8)	13(12 6)	15(13 4)	17(14 2)								
4(15 0)	1( 7 13)	6( 8 11)	15( 9 9)	31(10 7)	43(11 5)								
46(12 3)	30(13 1)	2( 5 14)	9( 6 12)	25( 7 10)	54( 8 8)								
83( 9 6)	102(10 4)	80(11 2)	37(12 0)	1( 2 17)	3( 3 15)								
13( 4 13)	36( 5 11)	80( 6 9)	132( 7 7)	176( 8 5)	171( 9 3)								
109(10 1)	2( 1 16)	10( 2 14)	35( 3 12)	87( 4 10)	160( 5 8)								
239( 6 6)	265( 7 4)	221( 8 2)	78( 9 0)	6( 0 15)	23( 1 13)								
72( 2 11)	154( 3 9)	259( 4 7)	331( 5 5)	325( 6 3)	200( 7 1)								
25( 0 12)	93( 1 10)	200( 2 8)	307( 3 6)	361( 4 4)	290( 5 2)								
118( 6 0)	78( 0 9)	190( 1 7)	290( 2 5)	300( 3 3)	196( 4 1)								
110( 0 6)	189( 1 4)	185( 2 2)	73( 3 0)	75( 0 3)	70( 1 1)								
10( 0 0)													

		3	3	3	2	2	1	0	0	0	0		
1(17 2)	1(13 7)	3(14 5)	4(15 3)	3(16 1)	2(10 10)								
6(17 8)	11(12 6)	18(13 4)	15(14 2)	8(15 0)	1( 7 13)								
5( 8 11)	15( 9 9)	32(10 7)	48(11 5)	52(12 3)	35(13 1)								
2( 5 14)	10( 6 12)	30( 7 10)	63( 8 8)	104( 9 6)	122(10 4)								
107(11 2)	38(12 0)	2( 3 15)	13( 4 13)	42( 5 11)	96( 6 9)								
168( 7 7)	224( 8 5)	223( 9 3)	142(10 1)	2( 1 16)	12( 2 14)								
44( 3 12)	112( 4 10)	217( 5 8)	319( 6 6)	370( 7 4)	294( 8 2)								
119( 9 0)	4( 0 15)	28( 1 13)	92( 2 11)	208( 3 9)	355( 4 7)								
465( 5 5)	454( 6 3)	285( 7 1)	35( 0 12)	131( 1 10)	283( 2 8)								
447( 3 6)	519( 4 4)	433( 5 2)	162( 6 0)	109( 0 9)	277( 7)								
424( 2 5)	446( 3 3)	290( 4 1)	161( 0 6)	289( 1 4)	274( 2 2)								
117( 2 0)	114( 0 3)	108( 1 1)	13( 0 0)										

		3	3	3	2	1	1	1	0	0	0		
1(14 5)	1(15 3)	1(16 1)	2(11 8)	5(12 6)	7(13 4)								
7(14 2)	3(15 0)	1( 8 11)	6( 9 9)	15(10 7)	24(11 5)								
28(12 3)	16(13 1)	3( 6 12)	12( 7 10)	32( 8 8)	37( 9 6)								
72(10 4)	63(11 2)	25(12 0)	1( 3 15)	4( 4 13)	19( 5 11)								
5( 6 9)	97( 7 7)	40( 8 5)	144( 9 3)	93(10 1)	4( 2 14)								
19( 2 12)	59( 4 10)	127( 5 8)	205( 6 6)	245( 7 4)	205( 8 2)								
82( 9 0)	2( 0 15)	13( 1 13)	49( 2 11)	126( 3 9)	230( 4 7)								
319( 5 5)	325( 6 3)	206( 7 1)	20( 0 12)	77( 1 10)	186( 2 8)								
340( 3 6)	377( 4 4)	320( 5 2)	126( 6 0)	71( 0 9)	192( 1 7)								
309( 2 5)	333( 3 3)	222( 4 1)	122( 0 6)	218( 1 4)	216( 2 2)								
52( 3 0)	90( 0 3)	84( 1 1)	14( 0 0)										

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

		3	3	3	1	1	1	1	1	0	0		
1(13 4)	1(15 0)	1(10 7)	2(11 5)	3(12 3)	2(13 1)								
1(7 10)	3(8 8)	8(9 6)	9(10 4)	12(11 2)	2(12 0)								
1(5 11)	5(6 9)	13(7 7)	22(8 5)	25(9 3)	17(10 1)								
1(3 12)	6(4 10)	19(5 8)	3(6 6)	49(7 4)	38(8 2)								
21(9 0)	1(1 13)	5(2 11)	3(3 9)	40(4 7)	53(5 5)								
69(6 2)	46(7 1)	2(0 12)	11(1 10)	31(2 8)	64(3 6)								
80(4 4)	78(5 2)	25(6 0)	13(0 9)	39(1 7)	70(2 5)								
81(3 3)	56(4 1)	25(0 6)	55(1 4)	51(2 2)	27(3 0)								
25(0 3)	23(1 1)	2(0 0)											

		3	3	2	2	2	2	0	0	0	0		
1(16 1)	1(12 6)	2(13 4)	2(14 2)	1(15 0)	1(8 1)								
2(9 9)	5(10 7)	8(11 5)	10(12 3)	6(13 1)	1(6 2)								
5(7 10)	12(8 8)	20(9 6)	26(10 4)	23(11 2)	8(12 0)								
3(4 13)	8(5 11)	23(6 9)	40(7 7)	57(8 5)	56(9 3)								
36(10 1)	1(2 14)	9(3 12)	26(4 10)	56(5 8)	86(6 6)								
101(7 4)	82(8 2)	34(9 0)	2(0 15)	6(1 13)	25(2 11)								
58(3 9)	108(4 7)	140(5 5)	140(6 3)	88(7 1)	7(0 12)								
37(1 10)	83(2 8)	141(3 6)	165(4 4)	140(5 2)	52(6 0)								
39(0 9)	90(1 7)	146(2 5)	153(3 3)	101(4 1)	51(0 6)								
101(1 4)	94(2 2)	42(3 0)	45(0 3)	39(1 1)	5(0 0)								

		3	3	2	2	2	1	1	0	0	0		
1(12 6)	2(13 4)	2(14 2)	1(15 0)	2(9 9)	5(10 7)								
10(11 5)	11(12 3)	8(13 1)	1(6 12)	5(7 10)	13(8 8)								
27(9 6)	37(10 4)	32(11 2)	13(12 0)	1(4 13)	9(5 11)								
25(6 9)	55(7 7)	78(8 5)	84(9 3)	54(10 1)	2(2 4)								
10(3 12)	36(4 10)	78(5 8)	131(6 6)	156(7 4)	15+(8 2)								
51(9 0)	7(1 13)	28(2 11)	82(3 9)	152(4 7)	219(5 5)								
22(6 3)	144(7 1)	14(0 12)	53(1 10)	134(2 8)	222(3 6)								
79(4 4)	232(5 2)	95(6 0)	47(0 9)	143(1 7)	229(2 5)								
257(3 3)	169(4 1)	97(0 6)	170(1 4)	74(2 2)	58(3 0)								
67(0 3)	69(1 1)	12(0 0)											

		3	3	2	2	1	1	1	1	0	0		
1(10 7)	2(11 5)	3(12 3)	2(13 1)	3(8 8)	7(9 6)								
11(10 4)	10(11 2)	5(12 0)	1(5 11)	6(6 9)	25(7 7)								
28(8 5)	32(9 3)	22(10 1)	1(3 12)	8(4 10)	23(5 8)								
47(6 6)	63(7 4)	58(8 2)	22(9 0)	1(1 13)	7(0 12)								
25(3 9)	58(4 7)	92(5 5)	102(6 3)	68(7 1)	3(0 11)								
6(1 10)	49(2 8)	94(3 6)	129(4 4)	114(5 2)	43(6 0)								
9(0 9)	6(1 7)	110(2 5)	129(3 3)	89(4 1)	4+(7 0)								
16(1 4)	91(2 2)	38(3 0)	38(0 3)	38(1 1)	0(0 0)								

		3	3	2	1	1	1	1	1	1	0		
1(10 4)	1(11 2)	1(7 7)	2(8 5)	4(9 3)	5(10 1)								
1(5 8)	5(6 6)	3(7 4)	9(8 2)	4(9 0)	1(2 9)								
5(4 7)	13(5 5)	16(6 3)	13(7 1)	1(1 10)	5(2 8)								
3(3 6)	22(4 4)	22(5 2)	10(6 0)	1(0 9)	8(1 7)								
3(2 5)	26(3 3)	18(4 1)	8(0 6)	17(1 4)	2-(2 2)								
2(1 0)	8(0 3)	9(1 1)	2(0 0)										

3 3 1 1 1 1 1 1 1 1

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1( 8 2)	1( 7 1)	2( 4 4)	1( 5 2)	1( 6 0)	1( 3 3)
1( 4 1)	1( 0 6)	1( 1 4)	2( 2 2)	1( 1 1)	
		3 2 2 2 2	2 1 0 0 0		
1(12 3)	1( 8 8)	2( 9 6)	3(10 4)	3(11 2)	1(12 0)
1( 5 11)	3( 6 9)	7( 7 7)	11( 8 5)	11( 9 3)	8(10 1)
1( 3 12)	5( 4 10)	13( 5 8)	23( 6 6)	27( 7 4)	23( 8 2)
10( 9 6)	1( 1 13)	5( 2 11)	16( 3 9)	32( 4 7)	46( 5 5)
47( 6 3)	30( 7 1)	2( 0 12)	11( 1 10)	30( 2 8)	52( 3 6)
66( 4 4)	56( 5 2)	21( 6 0)	12( 0 9)	36( 1 7)	50( 2 5)
67( 3 3)	44( 4 1)	25( 0 6)	47( 1 4)	47( 2 2)	20( 3 0)
20( 0 3)	20( 1 1)	3( 0 0)			
		3 2 2 2 2	1 1 1 0 0		
1( 9 6)	1(10 4)	2(11 2)	1( 6 9)	3( 7 7)	6( 8 5)
7( 9 3)	5(10 1)	2( 4 10)	7( 5 8)	13( 6 6)	20( 7 4)
16( 8 2)	8( 9 0)	2( 2 11)	8( 3 9)	20( 4 7)	32( 5 5)
36( 6 3)	24( 7 1)	1( 0 12)	6( 1 10)	19( 2 8)	39( 3 6)
50( 4 4)	48( 5 2)	17( 6 0)	8( 0 9)	26( 1 7)	48( 2 5)
56( 3 3)	39( 4 1)	19( 0 6)	41( 1 4)	40( 2 2)	20( 3 0)
19( 0 3)	18( 1 1)	2( 0 0)			
		3 2 2 2 1	1 1 1 1 0		
1( 8 5)	1( 9 3)	1(10 1)	2( 6 6)	4( 7 4)	4( 8 2)
2( 9 0)	1( 3 9)	3( 4 7)	7( 5 5)	10( 6 3)	7( 7 1)
3( 2 8)	8( 3 6)	14( 4 4)	15( 5 2)	6( 6 0)	1( 0 9)
6( 1 7)	13( 2 5)	18( 3 3)	14( 4 1)	6( 0 6)	3( 0 4)
15( 2 2)	7( 3 0)	6( 0 3)	7( 1 1)	1( 0 0)	
		3 2 2 1 1	1 1 1 1 1		
1( 9 0)	1( 6 3)	1( 7 1)	1( 4 4)	2( 5 2)	1( 2 5)
2( 3 3)	2( 4 1)	2( 1 4)	1( 2 2)	2( 3 0)	1( 0 3)
1( 1 1)					
		2 2 2 2 2	2 2 0 0 0		
1( 6 6)	1( 8 2)	1( 3 9)	1( 4 7)	2( 5 5)	2( 6 3)
1( 7 1)	1( 0 12)	3( 2 8)	3( 3 6)	5( 4 4)	2( 5 2)
3( 6 0)	2( 1 7)	3( 2 5)	5( 3 3)	2( 4 1)	4( 0 6)
3( 1 4)	5( 2 2)	1( 3 0)	1( 0 3)	1( 1 1)	2( 0 0)
		2 2 2 2 2	2 1 1 0 0		
1( 7 4)	1( 9 0)	1( 3 9)	2( 4 7)	3( 5 5)	3( 6 3)
2( 7 1)	1( 1 10)	2( 2 8)	5( 3 6)	5( 4 4)	6( 5 2)
1( 6 0)	1( 0 9)	4( 1 7)	7( 2 5)	8( 3 3)	5( 4 1)
3( 0 6)	6( 1 4)	6( 2 2)	3( 3 0)	3( 0 3)	3( 0 0)
		2 2 2 2 2	1 1 1 1 0		
1( 5 5)	1( 6 3)	1( 7 1)	1( 2 8)	1( 3 6)	3( 4 4)
2( 5 2)	1( 6 0)	2( 1 7)	2( 2 5)	4( 3 3)	5( 4 1)
2( 0 6)	3( 1 4)	4( 2 2)	1( 3 0)	2( 1 1)	1( 0 0)
		2 2 2 2 1	1 1 1 1 1		

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(5 2)	1(3 3)	1(0 6)	1(2 2)	1(3 0)
1(21 6)	1(23 2)	4 4 4 3 0	0 0 0 0 0	
2(22 1)	2(16 10)	17(18 9)	2(19 7)	3(20 5)
6(21 0)	1(13 13)	7(17 8)	11(18 6)	15(19 4)
40(18 3)	24(19 1)	5(14 11)	16(15 9)	28(16 7)
93(15 6)	99(16 4)	2(11 14)	11(12 12)	30(13 10)
18(10 13)	52(11 11)	85(17 2)	29(18 0)	1(8 17)
124(16 1)	2(6 18)	105(12 9)	171(13 7)	213(14 5)
276(11 8)	373(12 6)	7(7 16)	27(8 14)	76(9 12)
2(4 19)	10(5 17)	406(13 4)	311(14 2)	127(15 0)
559(10 7)	670(11 5)	35(6 15)	96(7 13)	211(8 11)
34(4 16)	102(5 14)	616(12 3)	372(13 1)	2(2 20)
975(10 4)	762(11 2)	239(6 12)	460(7 10)	724(8 8)
89(3 15)	225(4 13)	278(12 0)	1(0 21)	6(1 19)
1196(9 3)	711(10 1)	473(5 11)	806(6 9)	1141(7 7)
743(4 10)	1169(5 8)	11(0 18)	50(1 16)	163(2 14)
59(0 15)	222(1 13)	1494(6 6)	1544(7 4)	1169(8 2)
1494(6 3)	895(7 1)	531(2 11)	968(3 9)	1400(4 7)
1490(4 4)	1172(5 2)	194(0 12)	549(1 10)	1004(2 8)
1104(3 3)	681(4 1)	428(6 0)	370(0 9)	802(1 7)
247(0 3)	215(1 1)	412(0 6)	665(1 4)	604(2 2)
		33(0 0)		252(3 0)

1(22 4)	1(23 2)	4 4 4 2 1	0 0 0 0 0	
2(16 10)	7(17 8)	2(19 7)	4(20 5)	5(21 3)
1(13 13)	6(14 11)	15(18 6)	21(19 4)	19(20 2)
45(19 1)	3(11 14)	20(15 9)	43(16 7)	64(17 5)
184(16 4)	153(17 2)	14(12 12)	45(13 10)	97(14 8)
83(11 11)	183(12 9)	59(18 0)	1(8 17)	6(9 15)
1(6 18)	10(7 16)	310(13 7)	404(14 5)	395(15 3)
736(12 6)	815(13 4)	41(8 14)	127(9 12)	291(10 10)
53(6 15)	165(7 13)	648(14 2)	247(15 0)	2(4 19)
1504(12 3)	799(13 1)	397(8 11)	749(9 9)	1145(10 7)
452(6 12)	923(7 10)	1(2 20)	11(3 18)	52(4 16)
630(12 0)	1(0 21)	1512(8 8)	2019(9 6)	2140(10 4)
958(5 11)	172(6 9)	7(1 19)	41(2 17)	153(3 15)
13(0 18)	89(1 16)	2493(7 7)	2942(8 5)	2692(9 3)
3388(6 6)	3553(7 4)	311(2 14)	801(3 12)	1599(4 10)
154(2 11)	2162(3 9)	2735(8 2)	1031(9 0)	117(0 15)
413(0 12)	1238(1 10)	3223(4 7)	3847(5 5)	3538(6 3)
1071(6 0)	856(0 9)	2326(2 8)	3300(3 6)	3592(4 4)
995(0 6)	1646(1 4)	1915(1 7)	2703(2 5)	2688(0 3)
73(0 0)		1511(2 2)	612(3 0)	606(0 3)

1(24 0)	1(20 5)	4 4 4 1 1	0 0 0 0	
5(19 4)	8(20 2)	2(21 3)	1(22 1)	1(17 8)
20(17 5)	24(18 3)	1(21 0)	1(14 11)	5(15 9)
31(14 8)	51(15 6)	15(19 1)	1(11 14)	4(12 12)
7(10 13)	25(11 11)	68(16 4)	53(17 2)	28(18 0)
98(16 1)	2(7 16)	61(12 9)	110(13 7)	152(14 5)
295(12 6)	322(13 4)	11(8 14)	41(9 12)	102(10 10)
5(7 13)	141(8 11)	275(14 2)	97(15 0)	2(5 17)
242(13 1)	2(3 18)	288(9 9)	461(10 7)	581(11 5)
28(8 8)	858(9 6)	13(4 16)	56(5 14)	163(6 12)
		947(10 4)	730(11 2)	295(12 0)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

10( 2 17)	48( 3 15)	154( 4 13)	373( 5 11)	714( 6 9)	1078( 7 7)
1315( 8 5)	1227( 9 3)	745(10 1)	4( 0 18)	27( 1 16)	112( 2 14)
314( 3 12)	672( 4 10)	1130( 5 8)	1549( 6 6)	1633( 7 4)	1299( 8 2)
477( 9 0)	41( 0 15)	178( 1 13)	481( 2 11)	952( 3 9)	1473( 4 7)
1802( 5 5)	1688( 6 3)	1027( 7 1)	179( 0 12)	543( 1 10)	1077( 2 8)
1558( 3 6)	1742( 4 4)	1370( 5 2)	546( 6 0)	391( 0 9)	904( 1 7)
1308( 2 5)	1330( 3 3)	837( 4 1)	498( 0 6)	809( 1 4)	771( 2 2)
304( 3 0)	305( 0 3)	276( 1 1)	47( 0 0)		

1(19 7)	2(20 5)	2(21 3)	1(22 1)	1(16 10)	4(17 8)
9(18 6)	12(19 4)	11(20 2)	4(21 0)	3(14 11)	13(15 9)
28(16 7)	44(17 5)	45(18 3)	30(19 1)	1(11 14)	9(12 12)
30(13 10)	70(14 8)	113(15 6)	138(16 4)	114(17 2)	46(18 0)
3( 9 15)	17(10 13)	59(11 11)	136(12 9)	240(13 7)	316(14 5)
316(15 3)	198(16 1)	1( 6 18)	6( 7 16)	31( 8 14)	96( 9 12)
232(10 10)	420(11 8)	610(12 6)	677(13 4)	549(14 2)	208(15 0)
1( 4 19)	9( 5 17)	39( 6 15)	132( 7 13)	322( 8 11)	630( 9 9)
970(10 7)	1204(11 5)	1133(12 3)	699(13 1)	2( 2 20)	9( 3 18)
46( 4 16)	149( 5 14)	393( 6 12)	800( 7 10)	1337( 8 8)	1792( 9 6)
1924(10 4)	1495(11 2)	576(12 0)	6( 1 19)	32( 2 17)	133( 3 15)
376( 4 13)	854( 5 11)	1533( 6 9)	2267( 7 7)	2687( 8 5)	2482( 9 3)
1499(10 1)	16( 0 18)	79( 1 16)	288( 2 14)	729( 3 12)	1483( 4 10)
2397( 5 8)	3181( 6 6)	3330( 7 4)	2588( 8 2)	966( 9 0)	98( 0 15)
422( 1 13)	1059( 2 11)	2034( 3 9)	3045( 4 7)	3665( 5 5)	3372( 6 3)
2047( 7 1)	404( 0 12)	1172( 1 10)	2245( 2 8)	3175( 3 6)	3488( 4 4)
2732( 5 2)	1054( 6 0)	804( 0 9)	1854( 1 7)	2615( 2 5)	2629( 3 3)
1649( 4 1)	996( 0 6)	1611( 1 4)	1504( 2 2)	597( 3 0)	587( 0 3)
544( 1 1)	82( 0 0)				

1(20 5)	1(21 3)	1(22 1)	2(17 8)	5(18 0)	8(19 4)
7(20 2)	4(21 0)	2(14 11)	7(15 9)	19(16 7)	30(17 5)
35(18 3)	23(19 1)	1(11 14)	5(12 12)	21(13 10)	49(14 8)
87(15 6)	107(16 4)	96(17 2)	35(18 0)	2( 9 15)	15(10 13)
43(11 11)	108(12 9)	191(13 7)	266(14 5)	268(15 3)	172(16 1)
4( 7 16)	21( 8 14)	76( 9 12)	185(10 10)	356(11 8)	521(12 6)
602(13 4)	483(14 2)	194(15 0)	5( 5 17)	30( 6 15)	105( 7 13)
276( 3 11)	546( 9 9)	873(10 7)	1091(11 5)	1047(12 3)	647(13 1)
5( 3 18)	30( 4 16)	121( 5 14)	331( 6 12)	715( 7 10)	1211( 8 8)
675( 9 6)	1798(10 4)	1431(11 2)	535(12 0)	3( 1 19)	25( 2 17)
107( 3 15)	334( 4 13)	772( 5 11)	1441( 6 9)	2150( 7 7)	2598( 8 5)
2406( 9 3)	1467(10 1)	8( 0 18)	64( 1 16)	242( 2 14)	668( 3 12)
383( 4 10)	2316( 5 8)	3088( 6 6)	3301( 7 4)	2548( 8 2)	961( 9 0)
95( 0 15)	388( 1 13)	1026( 2 11)	1981( 3 9)	3037( 4 7)	3669( 5 5)
419( 6 3)	2073( 7 1)	366( 0 12)	1151( 1 10)	2215( 2 8)	3221( 3 6)
532( 4 4)	2822( 5 2)	1060( 6 0)	834( 0 9)	1888( 1 7)	2717( 2 5)
726( 3 3)	1729( 4 1)	999( 0 6)	1688( 1 4)	1552( 2 2)	646( 3 0)
639( 0 3)	576( 1 1)	76( 0 0)			

1(21 3)	1(22 1)	1(17 8)	4(18 6)	7(19 4)	8(20 2)
3(21 0)	1(14 11)	6(15 9)	17(16 7)	31(17 5)	36(18 3)
26(19 1)	4(12 12)	19(13 10)	51(14 8)	93(15 6)	124(16 4)
87(17 2)	45(18 0)	1( 9 15)	10(10 13)	43(11 11)	115(12 9)
21(13 7)	314(14 5)	325(15 3)	209(16 1)	2( 7 16)	18( 8 4)
75( 9 2)	208(10 10)	419(11 8)	645(12 6)	750(13 4)	622(14 2)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

238(15 0)	3(5 17)	25(6 15)	107(7 13)	307(8 11)	659(9 9)
1092(10 7)	1408(11 5)	1367(12 3)	854(13 1)	3(3 18)	27(4 16)
122(5 14)	377(6 12)	864(7 10)	1549(8 8)	2188(9 6)	2419(10 4)
1921(11 2)	743(12 0)	2(1 19)	21(2 17)	109(3 15)	373(4 13)
940(5 11)	1834(6 9)	2851(7 7)	3515(8 5)	3312(9 3)	2034(10 1)
8(0 18)	65(1 16)	278(2 14)	810(3 12)	1785(4 10)	3078(5 8)
4245(6 6)	4586(7 4)	3614(8 2)	1369(9 0)	102(0 15)	472(1 13)
1305(2 11)	2646(3 9)	4161(4 7)	5154(5 5)	4859(6 3)	2978(7 1)
482(0 12)	1536(1 10)	3076(2 8)	4534(3 6)	5095(4 4)	4073(5 2)
1570(6 0)	1130(0 9)	2671(1 7)	3893(2 5)	3977(3 3)	2535(4 1)
1467(0 6)	2464(1 4)	2319(2 2)	941(3 0)	927(0 3)	860(1 1)
124(0 0)					

						4	4	3	1	1	1	1	0	0	0
1(19 4)	1(20 2)	2(16 7)	4(17 5)	6(18 3)	4(19 1)										
2(13 10)	6(14 8)	16(15 6)	22(16 4)	21(17 2)	9(18 0)										
1(10 13)	5(11 11)	19(12 9)	41(13 7)	66(14 5)	70(15 3)										
49(16 1)	1(8 14)	10(9 12)	34(10 10)	85(11 8)	141(12 6)										
178(13 4)	151(14 2)	61(15 0)	2(6 15)	14(7 13)	56(8 11)										
138(9 9)	257(10 7)	350(11 5)	360(12 3)	227(13 1)	1(4 16)										
16(5 14)	64(6 12)	185(7 10)	366(8 8)	566(9 6)	652(10 4)										
541(11 2)	206(12 0)	2(2 17)	14(3 15)	68(4 13)	201(5 11)										
450(6 9)	751(7 7)	988(8 5)	959(9 3)	604(10 1)	8(1 16)										
45(2 14)	173(3 12)	428(4 10)	822(5 8)	1199(6 6)	1364(7 4)										
1093(8 2)	430(9 0)	21(0 15)	100(1 13)	324(2 11)	709(3 9)										
1206(4 7)	1554(5 5)	1520(6 3)	945(7 1)	110(0 12)	413(1 10)										
878(2 8)	1385(3 6)	1599(4 4)	1325(5 2)	504(6 0)	339(0 9)										
818(1 7)	1254(2 5)	1306(3 3)	849(4 1)	458(0 6)	818(0 4)										
772(2 2)	328(3 0)	325(0 3)	296(1 1)	39(0 0)											

						4	4	2	2	2	1	0	0	0	0
1(19 4)	1(20 2)	1(21 0)	1(15 9)	3(16 7)	6(17 5)										
9(18 3)	6(19 1)	1(12 12)	4(13 10)	12(14 8)	25(15 6)										
33(16 4)	33(17 2)	12(18 0)	2(10 13)	11(11 11)	52(12 9)										
65(13 7)	99(14 5)	105(15 3)	70(16 1)	4(8 14)	21(9 12)										
63(10 0)	137(11 8)	219(12 6)	266(13 4)	219(14 2)	92(15 0)										
6(6 15)	21(7 13)	101(8 11)	230(9 9)	397(10 7)	527(11 5)										
524(12 3)	328(13 1)	6(4 16)	37(5 14)	128(6 12)	316(7 10)										
590(8 8)	864(9 6)	965(10 4)	787(11 2)	295(12 0)	5(2 17)										
34(3 5)	132(4 13)	356(5 11)	731(6 9)	1167(7 7)	1471(8 5)										
1405(9 3)	867(10 1)	2(0 18)	20(1 16)	99(2 14)	316(3 12)										
725(4 0)	1302(5 8)	1829(6 6)	2015(7 4)	1589(8 2)	621(9 0)										
38(0 15)	185(1 13)	545(2 11)	1142(3 9)	1844(4 7)	2322(5 5)										
2215(6 3)	1365(7 1)	201(0 12)	672(1 10)	1378(2 8)	2088(3 6)										
2361(4 4)	1921(5 2)	732(6 0)	519(0 9)	1239(1 7)	1844(2 5)										
1904(3 3)	1217(4 1)	692(0 6)	1191(1 4)	1122(2 2)	469(3 0)										
463(0 3)	423(1 1)	61(0 0)													

						4	4	2	2	1	1	1	0	0	0
1(16 7)	2(17 5)	3(18 3)	2(19 1)	1(13 10)	5(14 8)										
1(15 6)	16(16 4)	15(17 2)	6(18 0)	3(11 11)	13(12 9)										
32(13 7)	52(14 5)	57(15 3)	39(16 1)	1(8 14)	6(9 12)										
29(10 0)	71(11 8)	125(12 6)	158(13 4)	136(14 2)	54(15 0)										
10(7 13)	43(8 11)	120(9 9)	230(10 7)	326(11 5)	335(12 3)										
216(13 1)	2(4 16)	12(5 14)	60(6 12)	168(7 10)	354(8 8)										
549(9 6)	648(10 4)	536(11 2)	209(12 0)	11(3 15)	56(4 13)										
189(5 11)	430(6 9)	751(7 7)	994(8 5)	984(9 3)	620(10 1)										



TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(0 18)	7(1 16)	48(2 14)	167(3 12)	441(4 10)	843(5 8)
1263(6 6)	1438(7 4)	1172(8 2)	452(9 0)	13(0 15)	99(1 13)
318(2 11)	741(3 9)	1266(4 7)	1674(5 5)	1639(6 3)	1032(7 1)
127(0 12)	437(1 10)	967(2 8)	1512(3 6)	1786(4 4)	1467(5 2)
574(6 0)	346(0 9)	904(1 7)	1380(2 5)	1469(3 3)	953(4 1)
537(0 6)	926(1 4)	899(2 2)	366(3 0)	355(0 3)	342(0 1)
51(0 0)					

		4	4	2	1	1	1	1	0	0
1(15 6)	1(16 4)	2(17 2)	1(12 9)	3(13 7)	7(14 5)					
8(15 3)	6(16 1)	2(10 10)	8(11 8)	17(12 6)	27(13 4)					
23(14 2)	12(15 0)	3(8 11)	14(9 9)	36(10 7)	58(11 5)					
67(12 3)	45(13 1)	4(6 12)	20(7 10)	54(8 8)	103(9 6)					
131(10 4)	122(11 2)	44(12 0)	4(4 13)	22(5 11)	69(6 9)					
142(7 7)	214(8 5)	227(9 3)	150(10 1)	3(2 14)	19(3 12)					
67(4 10)	161(5 8)	269(6 6)	342(7 4)	285(8 2)	121(9 0)					
1(0 15)	11(1 13)	51(2 11)	141(3 9)	279(4 7)	432(5 5)					
420(6 3)	272(7 1)	18(0 12)	83(1 10)	207(2 8)	363(3 6)					
455(4 4)	401(5 2)	151(6 0)	80(0 9)	220(1 7)	360(2 5)					
404(3 3)	271(4 1)	135(0 6)	259(1 4)	251(2 2)	112(3 0)					
108(0 3)	101(1 1)	13(0 0)								

		4	4	1	1	1	1	1	1	0
1(12 6)	1(13 4)	1(14 2)	1(15 0)	2(11 5)	3(12 3)					
2(13 1)	2(8 8)	4(9 6)	8(10 4)	8(11 2)	3(12 0)					
1(6 9)	5(7 7)	10(8 5)	15(9 3)	10(10 1)	2(4 0)					
6(5 8)	16(6 6)	22(7 4)	22(8 2)	10(9 0)	5(3 9)					
13(4 7)	26(5 5)	30(6 3)	22(7 1)	2(0 12)	3(1 10)					
13(2 8)	25(3 6)	36(4 4)	33(5 2)	15(6 0)	2(3 9)					
14(1 7)	26(2 5)	35(3 3)	22(4 1)	13(0 6)	22(0 4)					
25(2 2)	10(3 0)	9(0 3)	9(1 1)	3(0 0)						

		4	3	3	3	2	0	0	0	0
1(18 6)	1(19 4)	1(20 2)	1(15 9)	4(16 7)	6(17 5)					
8(18 3)	5(19 1)	1(22 12)	4(13 10)	13(14 8)	22(15 6)					
31(16 4)	26(17 2)	12(18 0)	3(10 13)	11(11 11)	31(12 9)					
58(13 7)	85(14 5)	87(15 3)	58(16 1)	3(7 16)	6(8 4)					
23(9 2)	62(10 10)	120(11 8)	186(12 6)	214(13 4)	181(14 2)					
68(15 0)	1(5 17)	10(6 15)	36(7 13)	101(8 11)	233(9 9)					
332(10 7)	423(11 5)	413(12 3)	257(13 1)	2(3 18)	42(4 6)					
47(3 14)	133(6 12)	286(7 10)	499(8 8)	687(9 6)	738(10 4)					
596(11 2)	232(12 0)	1(1 19)	10(2 17)	44(3 15)	141(4 13)					
328(5 11)	620(6 9)	933(7 7)	1136(8 5)	1059(9 3)	548(10 1)					
4(0 18)	28(1 16)	109(2 14)	297(3 12)	625(4 10)	1044(5 8)					
413(6 6)	1501(7 4)	1177(8 2)	442(9 0)	41(0 15)	177(1 13)					
472(2 11)	920(3 9)	1420(4 7)	1724(5 5)	1609(6 3)	979(7 1)					
75(0 12)	544(1 10)	1064(2 8)	1542(3 6)	1710(4 4)	1352(5 2)					
522(6 0)	398(0 9)	916(1 7)	1322(2 5)	1335(3 3)	844(4 1)					
497(0 6)	820(1 4)	776(2 2)	313(3 0)	314(0 3)	287(0 1)					
41(0 0)										

		4	3	3	3	1	1	0	0	0
1(19 4)	1(21 0)	1(15 9)	2(16 7)	5(17 5)	6(18 3)					
4(19 1)	3(13 10)	9(14 8)	20(15 6)	24(16 4)	25(17 2)					
7(18 0)	1(10 13)	9(11 11)	25(12 9)	54(13 7)	77(14 5)					
84(15 3)	54(16 1)	3(8 14)	18(9 12)	52(10 10)	15(11 8)					

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

178(12 6)	218(13 4)	175(14 2)	77(15 0)	1(5 17)	6(6 15)
30(7 13)	88(8 11)	199(9 9)	332(10 7)	442(11 5)	430(12 3)
273(13 1)	1(3 18)	8(4 16)	38(5 14)	118(6 12)	282(7 10)
506(8 8)	736(9 6)	809(10 4)	662(11 2)	243(12 0)	1(1 19)
7(2 17)	38(3 15)	126(4 13)	326(5 11)	639(6 9)	1008(7 7)
1247(8 5)	1190(9 3)	727(10 1)	3(0 18)	23(1 16)	99(2 14)
294(3 12)	647(4 10)	1138(5 8)	1566(6 6)	1717(7 4)	1340(8 2)
525(9 0)	37(0 15)	176(1 13)	489(2 11)	1006(3 9)	1588(4 7)
1983(5 5)	1870(6 3)	1152(7 1)	184(0 12)	595(1 10)	1195(2 8)
1788(3 6)	1998(4 4)	1619(5 2)	612(6 0)	446(0 9)	1062(1 7)
1557(2 5)	1598(3 3)	1017(4 1)	587(0 6)	1002(1 4)	935(2 2)
390(3 0)	383(0 2)	351(1 1)	49(0 0)		

1(20 2)	1(16 7)	4 3 3 2 2 1 0 0 0 0	3(17 5)	5(18 3)	4(19 1)	2(13 10)
7(14 8)	15(15 6)		25(16 4)	22(17 2)	11(18 0)	1(10 13)
7(11 11)	23(12 9)		50(13 7)	79(14 5)	87(15 3)	59(16 1)
3(8 14)	17(9 12)		54(10 10)	118(11 8)	198(12 6)	238(13 4)
208(14 2)	78(15 0)		5(6 15)	29(7 13)	95(8 11)	219(9 9)
385(10 7)	516(11 5)		516(12 3)	327(13 1)	6(4 16)	38(5 14)
132(6 12)	324(7 10)		613(8 8)	892(9 6)	1016(10 4)	814(11 2)
522(12 0)	5(2 17)		36(3 15)	142(4 13)	385(5 11)	791(6 9)
1268(7 7)	1602(8 5)		1532(9 3)	948(10 1)	2(0 18)	22(1 16)
111(2 14)	352(3 12)		819(4 10)	1460(5 8)	2068(6 6)	2252(7 4)
1808(8 2)	682(9 0)		42(0 15)	212(1 13)	625(2 11)	1316(3 9)
2128(4 7)	2681(5 5)		2557(6 3)	1577(7 1)	235(0 12)	785(1 10)
1625(2 8)	2445(3 6)		2791(4 4)	2244(5 2)	875(6 0)	608(0 9)
1473(1 7)	2188(2 5)		2261(3 3)	1449(4 1)	836(0 6)	1423(1 4)
1557(2 2)	549(3 0)		548(0 3)	511(1 1)	76(0 0)	

1(17 5)	1(18 3)	4 3 3 2 1 1 1 0 0 0	1(19 1)	2(14 8)	6(15 6)	9(16 4)
9(17 2)	4(18 0)		1(11 11)	8(12 9)	22(13 7)	30(14 5)
42(15 3)	28(16 1)		4(9 12)	20(10 10)	55(11 8)	99(12 6)
128(13 4)	112(14 2)		44(15 0)	1(6 15)	8(7 13)	36(8 11)
106(9 9)	205(10 7)		294(11 5)	303(12 3)	196(13 1)	1(4 16)
11(5 14)	53(6 12)		159(7 10)	333(3 8)	526(9 6)	622(10 4)
516(11 2)	203(12 0)		1(2 17)	11(3 15)	59(4 13)	190(5 11)
438(6 9)	761(7 7)		1012(8 5)	1002(9 3)	632(10 1)	7(1 16)
45(2 14)	174(3 12)		453(4 10)	885(5 8)	1323(6 6)	1524(7 4)
234(8 2)	477(9 0)		18(0 15)	105(1 13)	349(2 11)	800(3 9)
378(4 7)	1815(5 5)		1785(6 3)	1120(7 1)	129(0 12)	473(1 10)
452(2 8)	1669(3 6)		1964(4 4)	1623(5 2)	633(6 0)	398(0 9)
408(1 7)	1557(2 5)		1648(3 3)	1073(4 1)	59(0 6)	1045(1 4)
68(2 2)	418(3 0)		414(0 3)	388(1 1)	56(0 0)	

1(16 4)	1(18 0)	4 3 3 1 1 1 1 0 0	1(13 7)	3(14 5)	4(15 3)	3(16 1)
1(10 10)	4(11 8)		11(12 6)	14(13 4)	17(14 2)	4(15 0)
2(8 11)	9(9 9)		24(10 7)	39(11 5)	46(12 3)	31(13 1)
3(6 12)	14(7 10)		42(8 8)	74(9 6)	104(10 4)	85(11 2)
1(12 0)	3(4 13)		17(5 11)	55(6 9)	113(7 7)	172(8 5)
2(9 3)	12(10 1)		2(2 14)	15(3 12)	57(4 10)	132(5 8)
3(6 6)	282(7 4)		252(8 2)	91(9 0)	1(0 15)	9(1 13)
3(2 11)	121(3 9)		242(4 7)	350(5 5)	368(0 3)	258(7 1)
1(0 12)	71(1 10)		188(2 8)	323(3 6)	418(4 4)	350(5 2)
1(6 0)	69(0 9)		198(1 7)	330(2 5)	368(3 3)	247(4 1)

REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

130( 0 6)	234( 1 4)	242( 2 2)	95( 3 0)	95( 0 3)	94( 1 1)
16( 0 0)					
1(19 1)	1(15 6)	4 3 2 2 2 2 0 0 0 0	2 0 0 0 0 0		
2(12 9)	6(13 7)	2(16 4)	3(17 2)	1(18 0)	1(11 11)
7(10 10)	18(11 8)	10(14 5)	13(15 3)	9(18 1)	2( 9 12)
4( 7 13)	14( 8 11)	30(12 6)	43(13 4)	35(14 2)	15(15 0)
67(13 1)	5( 5 14)	39( 9 9)	71(10 7)	102(11 5)	103(12 3)
223(10 4)	187(11 2)	21( 6 12)	63( 7 10)	125( 8 8)	195( 9 6)
173( 6 9)	299( 7 7)	69(12 0)	5( 3 15)	24( 4 13)	79( 5 11)
19( 2 14)	74( 3 12)	384( 8 5)	375( 9 3)	235(10 1)	3( 1 16)
473( 8 2)	186( 9 0)	188( 4 10)	361( 5 8)	525( 6 6)	594( 7 4)
565( 4 7)	736( 5 5)	7( 0 15)	46( 1 13)	147( 2 11)	336( 3 9)
443( 2 8)	693( 3 6)	710( 6 3)	444( 7 1)	56( 0 12)	205( 1 10)
426( 1 7)	648( 2 5)	806( 4 4)	662( 5 2)	252( 6 0)	167( 0 9)
422( 2 2)	175( 3 0)	684( 3 3)	442( 4 1)	250( 0 6)	440( 3 4)
		172( 0 3)	165( 1 1)	23( 0 0)	

1(15 6)	2(16 4)	4 3 2 2 2 1 1 0 0 0	1 1 0 0 0 0		
12(14 5)	14(15 3)	2(17 2)	1(18 0)	2(12 9)	6(13 7)
40(12 6)	53(13 4)	10(16 1)	1( 9 12)	7(10 10)	20(11 8)
44( 9 9)	93(10 7)	48(14 2)	19(15 0)	2( 7 13)	14( 8 11)
22( 6 12)	73( 7 10)	137(11 5)	146(12 3)	95(13 1)	3( 5 14)
109(12 0)	3( 3 15)	166( 8 8)	270( 9 6)	328(10 4)	275(11 2)
570( 8 5)	572( 9 3)	25( 4 13)	92( 5 11)	231( 6 9)	417( 7 7)
251( 4 10)	510( 5 8)	364(10 1)	2( 1 16)	20( 2 14)	88( 3 12)
8( 0 15)	54( 1 13)	787( 6 6)	914( 7 4)	753( 8 2)	292( 9 0)
1138( 6 3)	719( 7 1)	198( 2 11)	477( 3 9)	850( 4 7)	1143( 5 5)
1297( 4 4)	1081( 5 2)	75( 0 12)	291( 1 10)	667( 2 8)	1083( 3 6)
127( 3 3)	739( 4 1)	424( 6 0)	255( 0 9)	666( 1 7)	1050( 2 5)
293( 0 3)	278( 1 1)	404( 0 6)	726( 1 4)	739( 2 2)	295( 3 0)
		41( 0 0)			

1(13 7)	2(14 5)	4 3 2 2 1 1 1 0 0 0	1 1 0 0 0 0		
15(13 4)	13(14 2)	3(15 3)	2(16 1)	4(11 8)	9(12 6)
43(11 5)	49(12 3)	7(15 0)	1( 8 11)	9( 9 9)	24(10 7)
89( 9 6)	117(10 4)	34(13 1)	2( 6 12)	15( 7 10)	44( 8 8)
62( 6 9)	139( 7 7)	108(11 2)	41(12 0)	2( 4 13)	19( 5 13)
18( 3 12)	68( 4 10)	212( 8 5)	232( 9 3)	152(10 1)	2( 2 14)
134( 9 0)	1( 0 15)	171( 5 8)	297( 6 6)	331( 7 4)	320( 9 2)
181( 5 5)	507( 6 3)	11( 1 13)	53( 2 11)	160( 3 9)	323( 4 7)
159( 3 6)	584( 4 4)	333( 7 1)	20( 0 12)	97( 1 10)	25+( 2 8)
177( 2 5)	540( 3 3)	513( 5 2)	202( 6 0)	97( 0 9)	283( 1 7)
51( 3 0)	147( 0 3)	363( 4 1)	185( 0 6)	350( 1 4)	302( 2 2)
		142( 1 1)	21( 0 0)		

1(13 4)	1(14 2)	4 3 2 1 1 1 1 1 0 0	1 1 1 1 0 0		
2( 8 8)	7( 9 6)	1(10 7)	3(11 5)	5(12 3)	4(13 1)
11( 7 7)	24( 8 5)	13(10 4)	14(11 2)	6(12 0)	2( 6 9)
24( 6 6)	53( 7 4)	31( 9 3)	24(10 1)	3( 4 10)	13( 5 8)
26( 4 7)	67( 5 5)	52( 8 2)	22( 9 0)	2( 2 11)	12( 3 9)
63( 3 6)	96( 4 4)	82( 6 3)	58( 7 1)	7( 1 10)	28( 2 8)
78( 2 5)	98( 3 3)	91( 5 2)	37( 6 0)	11( 0 9)	40( 1 7)
30( 3 0)	28( 0 3)	70( 4 1)	30( 0 6)	64( 1 4)	69( 2 2)
		30( 1 1)	4( 0 0)		

E. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

		4	3	1	1	1	1	1	1	1	1		
1(11 2)	1(9 3)	1(10 1)	2(7 4)	2(8 2)	2(9 0)								
2(5 5)	3(6 3)	3(7 1)	2(3 6)	3(4 4)	5(5 2)								
1(6 0)	1(1 7)	3(2 5)	5(3 3)	4(4 1)	1(0 6)								
3(1 4)	3(2 2)	2(3 0)	2(0 3)	2(1 1)									

		4	2	2	2	2	1	0	0	0		
1(15 3)	1(11 8)	2(12 6)	3(13 4)	3(14 2)	1(15 0)							
1(8 11)	3(9 9)	7(10 7)	12(11 5)	12(12 3)	9(13 1)							
1(6 12)	6(7 10)	16(8 8)	29(9 6)	35(10 4)	30(11 2)							
13(12 0)	2(4 13)	9(5 11)	27(6 9)	53(7 7)	74(8 5)							
76(9 3)	48(10 1)	1(2 14)	9(3 12)	31(4 10)	71(5 8)							
14(6 6)	137(7 4)	114(8 2)	43(9 0)	1(0 15)	8(1 13)							
27(2 11)	72(3 9)	136(4 7)	189(5 5)	192(6 3)	121(7 1)							
9(0 12)	45(1 10)	110(2 8)	190(3 6)	233(4 4)	197(5 2)							
78(6 0)	45(0 9)	122(1 7)	200(2 5)	218(3 3)	146(4 1)							
77(0 6)	145(1 4)	144(2 2)	61(3 0)	62(0 3)	59(1 1)							
8(0 0)												

		4	2	2	2	2	1	1	1	0	0	
1(12 6)	1(13 4)	2(14 2)	1(9 9)	3(10 7)	6(11 5)							
7(12 3)	5(13 1)	2(7 10)	8(8 8)	15(9 6)	24(10 4)							
19(11 2)	10(12 0)	3(5 11)	12(6 9)	30(7 7)	47(8 5)							
53(9 3)	35(10 1)	3(3 12)	15(4 10)	40(5 8)	77(6 6)							
95(7 4)	89(8 2)	31(9 0)	2(1 13)	12(2 11)	41(3 9)							
88(4 7)	136(5 5)	145(6 3)	97(7 1)	5(0 12)	26(1 10)							
75(2 8)	136(3 6)	184(4 4)	155(5 2)	69(6 0)	28(0 9)							
88(1 7)	153(2 5)	178(3 3)	120(4 1)	63(0 6)	117(1 4)							
26(2 2)	48(3 0)	50(0 3)	51(1 1)	10(0 0)								

		4	2	2	2	1	1	1	1	0	
1(11 5)	1(12 3)	1(13 1)	2(9 6)	4(10 4)	4(11 2)						
2(2 0)	1(6 9)	4(7 7)	9(8 5)	13(9 3)	9(10 1)						
5(5 8)	13(6 6)	22(7 4)	23(8 2)	9(9 0)	1(2 11)						
5(3 9)	17(4 7)	32(5 5)	40(6 3)	29(7 1)	3(1 10)						
12(2 8)	32(3 6)	48(4 4)	47(5 2)	21(6 0)	6(0 9)						
20(1 7)	43(2 5)	54(3 3)	39(4 1)	15(0 6)	36(1 4)						
39(2 2)	17(3 0)	18(0 3)	17(1 1)	3(0 0)							

		4	2	2	1	1	1	1	1	
1(12 0)	1(9 3)	1(10 1)	1(7 4)	3(8 2)	2(5 5)					
3(6 3)	3(7 1)	1(3 6)	5(4 4)	4(5 2)	4(6 0)					
1(1 7)	3(2 5)	5(3 3)	4(4 1)	2(0 6)	5(1 4)					
6(2 2)	1(3 0)	1(0 3)	2(1 1)	1(0 0)						

		3	3	3	3	3	0	0	0	0
1(15 6)	1(17 2)	1(12 9)	1(13 7)	3(14 5)	3(15 3)					
2(16 1)	1(9 12)	2(10 10)	5(11 8)	7(12 6)	11(13 4)					
7(14 2)	6(15 0)	1(6 15)	1(7 13)	5(8 11)	10(9 9)					
18(10 7)	22(11 5)	25(12 3)	13(13 1)	3(5 14)	7(6 12)					
18(7 0)	28(8 8)	46(9 6)	44(10 4)	43(11 2)	12(12 0)					
1(2 7)	3(3 15)	11(4 13)	22(5 11)	46(6 9)	64(7 7)					
83(8 5)	76(9 3)	47(10 1)	2(1 16)	7(2 14)	25(3 12)					
44(4 0)	83(5 8)	106(6 6)	120(7 4)	85(8 2)	43(9 0)					

IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

0 15)	13( 1 13)	43( 2 11)	76( 3 9)	120( 4 7)	142( 5 5)
6 3)	79( 7 1)	12( 0 12)	47( 1 10)	85( 2 8)	137( 3 6)
4 4)	123( 5 2)	38( 6 0)	43( 0 9)	79( 1 7)	123( 2 5)
3 3)	75( 4 1)	38( 0 6)	75( 1 4)	62( 2 2)	30( 3 0)
0 3)	24( 1 1)	4( 0 0)			

		3 3 3 3 2	1 0 0 0 0		
16 4)	1(17 2)	1(12 9)	3(13 7)	5(14 5)	6(15 3)
16 1)	1( 9 12)	4(10 10)	10(11 8)	18(12 6)	24(13 4)
14 2)	9(15 0)	3( 7 13)	10( 8 11)	24( 9 9)	40(10 7)
11 5)	64(12 3)	43(13 1)	1( 4 16)	5( 5 14)	8( 6 12)
7 10)	86( 8 8)	128( 9 6)	148(10 4)	121(11 2)	45(12 0)
2 17)	6( 3 15)	24( 4 13)	63( 5 11)	128( 6 9)	200( 7 7)
8 5)	250( 9 3)	156(10 1)	5( 1 16)	21( 2 14)	64( 3 12)
4 10)	261( 5 8)	364( 6 6)	404( 7 4)	318( 8 2)	121( 9 0)
0 15)	43( 1 13)	121( 2 11)	250( 3 9)	404( 4 7)	504( 5 5)
6 3)	297( 7 1)	45( 0 12)	156( 1 10)	318( 2 8)	478( 3 6)
4 4)	438( 5 2)	166( 6 0)	121( 0 9)	297( 1 7)	438( 2 5)
3 3)	291( 4 1)	166( 0 6)	291( 1 4)	272( 2 2)	110( 3 0)
0 3)	106( 1 1)	12( 0 0)			

		3 3 3 3 1	1 1 0 0 0		
13 7)	1(14 5)	2(15 3)	1(16 1)	1(10 10)	3(11 8)
12 6)	8(13 4)	8(14 2)	3(15 0)	2( 8 11)	9( 9 9)
10 7)	27(11 5)	27(12 3)	18(13 1)	1( 5 14)	6( 6 12)
7 10)	37( 8 8)	57( 9 6)	70(10 4)	56(11 2)	25(12 0)
3 15)	6( 4 13)	24( 5 11)	53( 6 9)	96( 7 7)	125( 8 5)
9 3)	78(10 1)	1( 0 18)	1( 1 16)	9( 2 14)	26( 3 12)
4 10)	124( 5 8)	190( 6 6)	209( 7 4)	177( 8 2)	64( 9 0)
0 15)	16( 1 13)	49( 2 11)	121( 3 9)	200( 4 7)	271( 5 5)
6 3)	166( 7 1)	26( 0 12)	75( 1 10)	171( 2 8)	261( 3 6)
4 4)	249( 5 2)	106( 6 0)	58( 0 9)	160( 1 7)	2+2( 2 5)
3 3)	167( 4 1)	105( 0 6)	167( 1 4)	171( 2 2)	65( 3 0)
0 3)	62( 1 1)	14( 0 0)			

		3 3 3 2 2	2 0 0 0 0		
8 0)	1(14 5)	2(15 3)	1(16 1)	1(10 10)	2(11 8)
2 6)	6(13 4)	9(14 2)	1(15 0)	1( 7 13)	3( 8 11)
9 9)	16(10 7)	24(11 5)	26(12 3)	16(13 1)	1( 5 14)
5 2)	16( 7 10)	37( 8 8)	53( 9 6)	67(10 4)	49(11 2)
2 0)	2( 3 15)	8( 4 13)	27( 5 11)	57( 6 9)	90( 7 7)
8 5)	125( 9 3)	75(10 1)	1( 1 16)	8( 2 14)	27( 3 12)
4 10)	125( 5 8)	190( 6 6)	200( 7 4)	171( 8 2)	53( 9 0)
0 15)	18( 1 13)	56( 2 11)	129( 3 9)	209( 4 7)	271( 5 5)
6 3)	160( 7 1)	25( 0 12)	78( 1 10)	177( 2 8)	262( 3 6)
4 4)	242( 5 2)	105( 6 0)	64( 0 9)	166( 1 7)	249( 2 5)
3 3)	167( 4 1)	106( 0 6)	167( 1 4)	171( 2 2)	64( 3 0)
0 3)	62( 1 1)	14( 0 0)			

		3 3 3 2 2	1 1 0 0 0		
4 5)	1(15 3)	1(16 1)	3(11 8)	5(12 6)	9(13 4)
4 2)	4(15 0)	3( 8 11)	8( 9 9)	20(10 7)	29(11 5)
2 3)	21(13 1)	1( 5 14)	5( 6 12)	20( 7 10)	42( 8 8)
9 6)	86(10 4)	77(11 2)	27(12 0)	1( 3 15)	9( 4 13)
5 11)	74( 6 9)	128( 7 7)	178( 3 5)	175( 9 3)	113(10 1)
1 16)	7( 2 14)	33( 3 12)	86( 4 10)	178( 5 8)	262( 6 6)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

312( 7 4)	247( 8 2)	103( 9 0)	4( 0 15)	21( 1 13)	77( 2 11)
175( 3 9)	312( 4 7)	408( 5 5)	408( 6 3)	254( 7 1)	27( 0 12)
113( 1 10)	247( 2 8)	408( 3 6)	472( 4 4)	404( 5 2)	148( 6 0)
103( 0 9)	254( 1 7)	404( 2 5)	424( 3 3)	280( 4 1)	148( 0 6)
280( 1 4)	262( 2 2)	118( 3 0)	118( 0 3)	106( 1 1)	12( 0 0)

3 3 3 2 1 1 1 1 0 0					
1(12 6)	1(13 4)	2(14 2)	1( 9 9)	4(10 7)	7(11 5)
8(12 3)	6(13 1)	3( 7 10)	10( 8 8)	19( 9 6)	28(10 4)
23(11 2)	11(12 0)	1( 4 13)	5( 5 11)	18( 6 9)	38( 7 7)
59( 8 5)	63( 9 3)	42(10 1)	1( 2 14)	6( 3 12)	22( 4 10)
53( 5 8)	93( 6 6)	115( 7 4)	102( 8 2)	37( 9 0)	4( 1 13)
19( 2 11)	53( 3 9)	109( 4 7)	158( 5 5)	167( 6 3)	109( 7 1)
8( 0 12)	35( 1 10)	90( 2 8)	158( 3 6)	204( 4 4)	173( 5 2)
72( 6 0)	34( 0 9)	100( 1 7)	169( 2 5)	189( 3 3)	129( 4 1)
66( 0 6)	125( 1 4)	128( 2 2)	51( 3 0)	52( 0 3)	52( 0 3)
8( 0 0)					

3 3 3 1 1 1 1 1 0					
1(12 3)	1( 9 6)	1(10 4)	2(11 2)	1(12 0)	1( 6 9)
2( 7 7)	6( 8 5)	6( 9 3)	5(10 1)	3( 5 8)	7( 6 6)
12( 7 4)	11( 8 2)	6( 9 0)	1( 2 11)	3( 3 9)	11( 4 7)
17( 5 5)	23( 6 3)	14( 7 1)	2( 1 10)	6( 2 8)	18( 3 6)
24( 4 4)	26( 5 2)	9( 6 0)	5( 0 9)	10( 1 7)	24( 2 5)
28( 3 3)	20( 4 1)	7( 0 6)	18( 1 4)	18( 2 2)	11( 3 0)
11( 0 3)	8( 1 1)	1( 0 0)			

3 3 2 2 2 2 1 0 0 0					
1(13 4)	1(14 2)	1( 9 9)	3(10 7)	5(11 5)	6(12 3)
4(13 1)	1( 6 12)	4( 7 10)	10( 8 8)	18( 9 6)	22(10 4)
19(11 2)	8(12 0)	1( 4 13)	7( 5 11)	19( 6 9)	38( 7 7)
53( 8 5)	53( 9 3)	35(10 1)	2( 2 14)	8( 3 12)	28( 4 10)
59( 5 8)	93( 6 6)	109( 7 4)	90( 8 2)	34( 9 0)	6( 1 13)
23( 2 11)	63( 3 9)	115( 4 7)	158( 5 5)	158( 6 3)	100( 7 1)
17( 0 2)	42( 1 10)	102( 2 8)	167( 3 6)	204( 4 4)	169( 5 2)
66( 6 0)	37( 0 9)	109( 1 7)	173( 2 5)	189( 3 3)	125( 4 1)
72( 0 6)	129( 1 4)	128( 2 2)	52( 3 0)	51( 0 3)	51( 0 3)
8( 0 0)					

3 3 2 2 2 1 1 0 0					
1(10 7)	2(11 5)	3(12 3)	2(13 1)	1( 7 10)	4( 8 9)
9( 9 6)	12(10 4)	12(11 2)	4(12 0)	2( 5 11)	9( 6 9)
20( 7 7)	33( 8 5)	36( 9 3)	24(10 1)	3( 3 12)	12( 4 10)
33( 5 8)	58( 6 6)	76( 7 4)	64( 8 2)	28( 9 0)	2( 1 13)
12( 2 11)	36( 3 9)	76( 4 7)	112( 5 5)	20( 6 9)	78( 7 1)
4( 0 2)	24( 1 10)	64( 2 8)	120( 3 6)	152( 4 4)	136( 5 2)
52( 6 0)	28( 0 9)	78( 1 7)	136( 2 5)	154( 3 3)	104( 4 1)
52( 0 6)	104( 1 4)	104( 2 2)	47( 3 0)	47( 0 3)	44( 0 1)
6( 0 0)					

3 3 2 2 1 1 1 0					
1( 9 6)	2(10 4)	2(11 2)	1(12 0)	2( 7 7)	5( 8 5)
7( 9 3)	5(10 1)	1( 4 10)	4( 5 8)	11( 6 6)	17( 7 4)
17( 8 2)	7( 9 0)	4( 3 9)	12( 4 7)	25( 5 5)	30( 6 3)
22( 7 1)	1( 0 12)	3( 1 10)	13( 2 8)	27( 3 6)	42( 4 4)

IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(30)

40( 5 2)	17( 6 0)	3( 0 9)	17( 1 7)	34( 2 5)	45( 3 3)
32( 4 1)	16( 0 6)	31( 1 4)	35( 2 2)	15( 3 0)	13( 0 3)
15( 1 1)	3( 0 0)				

		3	3	2	1	1	1	1	1	1	1
1(10 1)	1( 7 4)	1( 8 2)	1( 9 0)	1( 5 5)	3( 6 3)						
2( 7 1)	1( 3 6)	3( 4 4)	4( 5 2)	1( 6 0)	1( 1 7)						
3( 2 5)	4( 3 3)	4( 4 1)	3( 1 4)	3( 2 2)	2( 3 0)						
2( 0 3)	2( 1 1)										

		3	2	2	2	2	2	0	0	0
1( 9 6)	1(11 2)	1( 6 9)	2( 7 7)	3( 8 5)	3( 9 3)					
2(10 1)	1( 3 12)	1( 4 10)	6( 5 8)	7( 6 6)	11( 7 4)					
6( 8 2)	5( 9 0)	2( 2 11)	6( 3 9)	12( 4 7)	17( 5 5)					
18( 6 3)	10( 7 1)	1( 0 12)	5( 1 10)	11( 2 8)	23( 3 6)					
24( 4 4)	24( 5 2)	7( 6 0)	6( 0 9)	14( 1 7)	26( 2 5)					
28( 3 3)	18( 4 1)	9( 0 6)	20( 1 4)	18( 2 2)	11( 3 0)					
11( 0 3)	8( 1 1)	1( 0 0)								

		3	2	2	2	2	2	1	1	0	0
1(10 4)	1(12 0)	1( 6 9)	2( 7 7)	4( 8 5)	4( 9 3)						
3(10 1)	2( 4 10)	5( 5 8)	11( 6 6)	12( 7 4)	13( 8 2)						
3( 9 0)	2( 2 11)	7( 3 9)	17( 4 7)	25( 5 5)	27( 6 3)						
17( 7 1)	1( 0 12)	5( 1 10)	17( 2 8)	30( 3 6)	42( 4 4)						
34( 5 2)	16( 6 0)	7( 0 9)	22( 1 7)	40( 2 5)	45( 3 3)						
31( 4 1)	17( 0 6)	32( 1 4)	35( 2 2)	13( 3 0)	15( 0 3)						
15( 1 1)	3( 0 0)										

		3	2	2	2	2	1	1	1	1	0
1( 8 5)	1( 9 3)	1(10 1)	1( 5 8)	2( 6 6)	5( 7 4)						
4( 8 2)	2( 9 0)	1( 3 9)	5( 4 7)	8( 5 5)	11( 6 3)						
8( 7 1)	1( 1 10)	4( 2 8)	11( 3 6)	16( 4 4)	17( 5 2)						
6( 6 0)	2( 0 9)	8( 1 7)	17( 2 5)	20( 3 3)	16( 4 1)						
6( 0 6)	16( 1 4)	16( 2 2)	8( 3 0)	8( 0 3)	8( 1 1)						

		3	2	2	2	1	1	1	1	1
1( 8 2)	2( 6 3)	1( 7 1)	1( 3 6)	2( 4 4)	2( 5 2)					
2( 6 0)	2( 2 5)	3( 3 3)	3( 4 1)	1( 0 6)	2( 1 4)					
3( 2 2)	1( 3 0)	2( 0 3)	1( 1 1)							

		2	2	2	2	2	2	1	0	0
1( 4 7)	1( 5 5)	1( 6 3)	1( 7 1)	1( 1 10)	1( 2 8)					
3( 3 6)	3( 4 4)	3( 5 2)	1( 0 9)	2( 1 7)	4( 2 5)					
4( 3 3)	3( 4 1)	1( 0 6)	4( 1 4)	3( 2 2)	2( 3 0)					
2( 3 2)	2( 1 1)									

		2	2	2	2	2	1	1	1	0
1( 6 3)	1( 2 8)	2( 3 6)	2( 4 4)	2( 5 2)	1( 6 0)					
1( 7 1)	2( 2 5)	3( 3 3)	2( 4 1)	2( 0 6)	3( 1 4)					
5( 2 2)	2( 3 0)	1( 0 3)	1( 1 1)							

		2	2	2	2	2	1	1	1	1
--	--	---	---	---	---	---	---	---	---	---

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(5 2)	1(2 5)	1(4 1)	1(1 4)	1(3 0)	1(0 3)
		4 4 4 4 0	0 0 0 0 0		
1(20 8)	1(22 4)	1(24 0)	1(18 9)	2(19 7)	3(20 5)
3(21 3)	1(22 1)	1(15 12)	3(16 10)	6(17 8)	11(18 6)
9(19 4)	10(20 2)	2(21 0)	1(13 13)	6(14 11)	13(15 9)
22(16 7)	29(17 5)	27(18 3)	16(19 1)	1(10 16)	3(11 14)
13(12 12)	24(13 10)	48(14 8)	62(15 6)	72(16 4)	49(17 2)
25(18 0)	1(8 17)	6(9 15)	16(10 13)	41(11 11)	78(12 9)
114(13 7)	137(14 5)	128(15 3)	76(16 1)	1(5 20)	3(6 18)
8(7 6)	28(8 14)	60(9 12)	119(10 10)	182(11 8)	244(12 6)
242(13 4)	197(14 2)	65(15 0)	1(3 21)	2(4 19)	10(5 17)
30(6 15)	74(7 13)	148(8 11)	252(9 9)	348(10 7)	400(11 5)
361(12 3)	214(13 1)	1(0 24)	4(2 20)	11(3 18)	34(4 16)
79(5 14)	178(6 12)	298(7 10)	460(8 8)	557(9 6)	576(10 4)
420(11 2)	175(12 0)	5(1 19)	20(2 17)	67(3 15)	153(4 13)
306(5 11)	489(6 9)	667(7 7)	749(8 5)	665(9 3)	390(10 1)
13(0 18)	40(1 16)	121(2 14)	255(3 12)	468(4 10)	680(5 8)
862(6 6)	843(7 4)	654(8 2)	230(9 0)	37(0 15)	142(1 13)
316(2 11)	565(3 9)	779(4 7)	900(5 5)	803(6 3)	473(7 1)
130(0 12)	314(1 10)	580(2 8)	758(3 6)	815(4 4)	605(5 2)
247(6 0)	197(0 9)	436(1 7)	582(2 5)	578(3 3)	351(4 1)
237(0 6)	342(1 4)	325(2 2)	122(3 0)	118(0 3)	108(1 1)
25(0 0)					

1(21 6)	1(22 4)	1(23 2)	2(18 9)	4(19 7)	7(20 5)
		4 4 4 3 1	0 0 0 0 0		
7(21 3)	5(22 1)	1(15 12)	5(16 10)	15(17 8)	25(18 6)
32(19 4)	25(20 2)	11(21 0)	3(13 13)	15(14 11)	37(15 9)
71(16 7)	94(17 5)	95(18 3)	59(19 1)	1(10 15)	8(11 14)
30(12 12)	81(13 10)	152(14 8)	228(15 6)	252(16 4)	208(17 2)
76(18 0)	3(8 17)	15(9 15)	56(10 13)	142(11 11)	286(12 9)
444(13 7)	556(14 5)	522(15 3)	322(16 1)	1(5 20)	5(6 18)
25(7 16)	83(8 14)	219(9 12)	448(10 10)	749(11 8)	993(12 6)
1074(13 4)	828(14 2)	323(15 0)	1(3 21)	7(4 19)	30(5 17)
107(6 15)	283(7 13)	613(8 11)	1071(9 9)	1553(10 7)	1816(11 5)
1665(12 3)	1001(13 1)	1(1 22)	6(2 20)	30(3 18)	107(4 16)
311(5 14)	705(6 12)	1327(7 10)	2047(8 8)	2635(9 6)	2700(10 4)
2080(11 2)	767(12 0)	2(0 21)	18(1 19)	84(2 17)	267(3 15)
681(4 13)	1380(5 11)	2328(6 9)	3238(7 7)	3713(8 5)	3324(9 3)
1988(10 1)	30(0 18)	158(1 16)	491(2 14)	1165(3 12)	2179(4 10)
3373(5 8)	4265(6 6)	4279(7 4)	3302(8 2)	1255(9 0)	185(1 15)
666(1 13)	1578(2 11)	2820(3 9)	4070(4 7)	4719(5 5)	4270(6 3)
2548(7 1)	564(0 12)	1617(1 10)	2926(2 8)	4051(3 6)	4503(4 4)
3363(5 2)	1252(6 0)	1084(9 9)	2344(1 7)	3245(2 5)	3179(3 3)
1982(4 1)	1189(0 6)	1940(1 4)	1755(2 2)	721(3 0)	711(0 3)
635(1 1)	84(0 0)				

1(22 4)	1(24 0)	2(19 7)	3(20 5)	4(21 3)	5(22 1)
		4 4 4 2 2	0 0 0 0 0		
3(16 10)	6(17 8)	15(18 6)	16(19 4)	19(20 2)	3(2 0)
2(13 13)	6(14 11)	21(15 9)	39(16 7)	58(17 5)	59(18 3)
39(19 1)	1(10 16)	4(11 14)	19(12 12)	46(13 10)	99(14 8)
140(15 6)	176(16 4)	131(17 2)	62(18 0)	1(8 17)	9(9 15)
32(10 13)	9(11 11)	181(12 9)	300(13 7)	376(14 5)	365(15 3)
226(16 1)	3(6 18)	14(7 16)	55(8 14)	141(9 12)	312(10 10)
511(11 8)	723(12 6)	756(13 4)	622(14 2)	214(15 0)	2(4 19)



IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

17(5 17)	63(6 15)	191(7 13)	418(8 11)	765(9 9)	1118(10 7)
48(11 5)	1229(12 3)	751(13 1)	3(2 20)	15(3 18)	72(4 16)
07(5 14)	508(6 12)	956(7 10)	1541(8 8)	1960(9 6)	2086(10 4)
59(11 2)	623(12 0)	10(1 19)	47(2 17)	182(3 15)	475(4 13)
18(5 11)	1736(6 9)	2481(7 7)	2854(8 5)	2591(9 3)	1547(10 1)
23(0 18)	106(1 16)	365(2 14)	858(3 12)	1686(4 10)	2597(5 8)
83(6 6)	3432(7 4)	2673(8 2)	954(9 0)	118(0 15)	499(1 13)
86(2 11)	2204(3 9)	3201(4 7)	3779(5 5)	3417(6 3)	2064(7 1)
62(0 12)	1266(1 10)	2378(2 8)	3250(3 6)	3556(4 4)	2712(5 2)
76(6 0)	829(0 9)	1904(1 7)	2625(2 5)	2620(3 3)	1630(4 1)
21(0 6)	1597(1 4)	1507(2 2)	566(3 0)	563(0 3)	536(1 1)
86(0 0)					

	4	4	4	2	1	1	0	0	0	0
1(23 2)	1(19 7)	3(20 5)	4(21 3)	3(22 1)	1(16 10)					
6(17 8)	11(18 6)	19(19 4)	15(20 2)	9(21 0)	1(13 13)					
6(14 11)	19(15 9)	40(16 7)	61(17 5)	65(18 3)	43(19 1)					
3(11 14)	15(12 12)	47(13 10)	98(14 8)	162(15 6)	187(16 4)					
163(17 2)	57(18 0)	1(8 17)	7(9 15)	31(10 13)	94(11 11)					
804(12 9)	344(13 7)	446(14 5)	437(15 3)	273(16 1)	1(6 18)					
11(7 16)	48(8 14)	150(9 12)	338(10 10)	611(11 8)	852(12 6)					
951(13 4)	742(14 2)	297(15 0)	2(4 19)	14(5 17)	64(6 15)					
201(7 13)	482(8 11)	914(9 9)	1386(10 7)	1688(11 5)	1574(12 3)					
862(13 1)	1(2 20)	13(3 18)	63(4 16)	221(5 14)	563(6 12)					
156(7 10)	1887(8 8)	2528(9 6)	2656(10 4)	2083(11 2)	771(12 0)					
1(0 21)	8(1 19)	50(2 17)	193(3 15)	553(4 13)	1226(5 11)					
191(6 9)	3195(7 7)	3765(8 5)	3446(9 3)	2076(10 1)	17(0 18)					
113(1 16)	398(2 14)	1041(3 12)	2078(4 10)	3381(5 8)	4419(6 6)					
450(7 4)	3557(8 2)	1364(9 0)	152(0 15)	600(1 13)	1518(2 11)					
862(3 9)	4283(4 7)	5112(5 5)	4702(6 3)	2842(7 1)	546(0 12)					
449(1 10)	3108(2 8)	4440(3 6)	4821(4 4)	3819(5 2)	1433(6 0)					
157(0 9)	2539(1 7)	3669(2 5)	3664(3 3)	2307(4 1)	1353(0 6)					
254(1 4)	2065(2 2)	852(3 0)	841(0 3)	760(1 1)	103(0 3)					

	4	4	4	1	1	1	0	0	0
1(21 3)	2(18 6)	2(19 4)	3(20 2)	1(21 0)	2(15 9)				
4(16 7)	10(17 5)	10(18 3)	8(19 1)	2(12 12)	5(13 10)				
16(14 8)	27(15 6)	36(16 4)	30(17 2)	15(18 0)	1(9 15)				
3(10 13)	14(11 11)	33(12 9)	65(13 7)	87(14 5)	94(15 3)				
57(16 1)	6(8 14)	21(9 12)	62(10 10)	118(11 8)	186(12 6)				
207(12 4)	178(14 2)	63(15 0)	1(5 17)	7(6 15)	31(7 13)				
85(8 11)	190(9 9)	301(10 7)	396(11 5)	378(12 3)	236(13 1)				
1(3 18)	7(4 16)	32(5 14)	107(6 12)	236(7 10)	434(8 8)				
803(9 6)	674(10 4)	523(11 2)	214(12 0)	5(2 17)	29(3 15)				
96(4 13)	257(5 11)	496(6 9)	783(7 7)	957(8 5)	912(9 3)				
53(10 1)	3(0 18)	16(1 16)	76(2 14)	216(3 12)	486(4 10)				
230(5 8)	1168(6 6)	1239(7 4)	998(8 2)	365(9 0)	25(0 15)				
24(1 13)	341(2 11)	715(3 9)	1112(4 7)	1399(5 5)	1315(6 3)				
108(7 1)	135(0 12)	406(1 10)	836(2 8)	1218(3 6)	1388(4 4)				
93(5 2)	442(6 0)	294(0 9)	716(1 7)	1039(2 5)	1080(3 3)				
77(4 1)	411(0 6)	656(1 4)	640(2 2)	249(3 0)	245(0 3)				
29(1 1)	43(0 0)								

	4	4	3	3	2	0	0	0	0	0
1(19 7)	2(20 5)	2(21 3)	1(22 1)	1(16 10)	5(17 8)					
9(18 6)	13(19 4)	11(20 2)	5(21 0)	1(13 13)	5(14 11)					
16(15 9)	33(16 7)	48(17 5)	51(18 3)	33(19 1)	3(11 14)					

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

13(12 12)	40(13 10)	82(14 8)	132(15 6)	154(16 4)	131(17 2)
49(18 0)	1( 8 17)	7( 9 15)	29(10 13)	82(11 11)	175(12 9)
287(13 7)	373(14 5)	363(15 3)	229(16 1)	1( 6 18)	12( 7 16)
46( 8 14)	138( 9 12)	297(10 10)	523(11 8)	723(12 6)	800(13 4)
629(14 2)	247(15 0)	3( 4 19)	16( 5 17)	67( 6 15)	193( 7 13)
442( 8 11)	804( 9 9)	1202(10 7)	442(11 5)	1344(12 3)	817(13 1)
1( 2 20)	16( 3 18)	67( 4 16)	221( 5 14)	530( 6 12)	1048( 7 10)
1666( 8 8)	2195( 9 6)	2289(10 4)	1781(11 2)	663(12 0)	2( 0 21)
10( 1 19)	58( 2 17)	199( 3 15)	541( 4 13)	1139( 5 11)	1983( 6 9)
2821( 7 7)	3289( 8 5)	2977( 9 3)	1789(10 1)	17( 0 18)	119( 1 16)
391( 2 14)	986( 3 12)	1905( 4 10)	3032( 5 8)	3899( 6 6)	4054( 7 4)
3083( 8 2)	1174( 9 0)	157( 0 15)	576( 1 13)	1419( 2 11)	2599( 3 9)
3830( 4 7)	4498( 5 5)	4107( 6 3)	2464( 7 1)	505( 0 12)	1508( 1 10)
2790( 2 8)	3935( 3 6)	4228( 4 4)	3324( 5 2)	1245( 6 0)	1052( 0 9)
2306( 1 7)	3240( 2 5)	3202( 3 3)	2010( 4 1)	1191( 0 8)	1975( 1 4)
1798( 2 2)	740( 3 0)	737( 0 3)	660( 1 1)	89( 0 0)	

						4	4	3	3	1	1	0	0	0	0
1(20 5)	1(21 3)	1(22 1)	1(16 10)	3(17 8)	7(18 6)										
10(19 4)	9(20 2)	4(21 0)	3(14 11)	11(15 9)	26(16 7)										
39(17 5)	44(18 3)	28(19 1)	1(11 14)	10(12 12)	32(13 10)										
73(14 8)	118(15 6)	143(16 4)	121(17 2)	47(18 0)	3( 9 15)										
20(10 13)	66(11 11)	155(12 9)	267(13 7)	357(14 5)	351(15 3)										
223(16 1)	1( 6 18)	7( 7 16)	37( 8 14)	116( 9 12)	278(10 10)										
504(11 8)	725(12 6)	806(13 4)	646(14 2)	250(15 0)	1( 4 19)										
10( 5 17)	49( 6 15)	163( 7 13)	406( 8 11)	784( 9 9)	1214(10 7)										
1491(11 5)	1406(12 3)	861(13 1)	2( 2 20)	11( 3 18)	57( 4 16)										
191( 5 14)	505( 6 12)	1035( 7 10)	1724( 8 8)	2313( 9 6)	2466(10 4)										
1923(11 2)	728(12 0)	7( 1 19)	42( 2 17)	172( 3 15)	499( 4 13)										
1127( 5 11)	2041( 6 9)	3000( 7 7)	3564( 8 5)	3275( 9 3)	1980(10 1)										
19( 0 18)	104( 1 16)	380( 2 14)	981( 3 12)	1996( 4 10)	3248( 5 8)										
4296( 6 6)	4514( 7 4)	3486( 8 2)	1318( 9 0)	136( 0 15)	572( 1 13)										
1459( 2 11)	2790( 3 9)	4204( 4 7)	5046( 5 5)	4657( 6 3)	2821( 7 1)										
545( 0 12)	1624( 1 10)	3109( 2 8)	4436( 3 6)	4860( 4 4)	3835( 5 2)										
461( 6 0)	1140( 0 9)	2605( 1 7)	3704( 2 5)	3719( 3 3)	2343( 4 1)										
1394( 0 6)	2299( 1 4)	2132( 2 2)	865( 3 0)	854( 0 3)	782( 1 1)										
111( 0 0)															

						4	4	3	2	2	1	0	0	0	0
1(21 3)	1(22 1)	1(17 8)	4(18 6)	7(19 4)	8(20 2)										
3(21 0)	2(14 11)	8(15 9)	19(16 7)	34(17 5)	39(18 3)										
27(19 1)	1(11 14)	7(12 12)	26(13 10)	62(14 8)	107(15 6)										
137(16 4)	118(17 2)	49(18 0)	3( 9 15)	18(10 13)	62(11 11)										
147(12 9)	266(13 7)	363(14 5)	368(15 3)	234(16 1)	5( 7 16)										
32( 8 14)	112( 9 12)	277(10 10)	523(11 8)	771(12 6)	871(13 4)										
712(14 2)	272( 5 0)	7( 5 17)	45( 6 15)	164( 7 13)	425( 8 11)										
652( 9 9)	344(10 7)	1682(11 5)	1600(12 3)	988(13 1)	7( 3 18)										
47( 4 16)	191( 5 14)	535( 6 12)	1147( 7 10)	1957( 8 8)	2675( 9 6)										
2887(10 4)	226(11 2)	867(12 0)	4( 1 19)	38( 2 17)	173( 3 15)										
540( 4 13)	1277( 5 11)	2374( 6 9)	3557( 7 7)	4275( 8 5)	3903( 9 3)										
2406(10 1)	14( 0 18)	103( 1 16)	407( 2 14)	1118( 3 12)	2346( 4 10)										
3907( 5 8)	5246( 6 6)	5560( 7 4)	4328( 8 2)	1631( 9 0)	152( 0 15)										
657( 1 13)	1739( 2 11)	3404( 3 9)	5210( 4 7)	6326( 5 5)	5882( 6 3)										
3576( 7 1)	644( 0 12)	1990( 1 10)	3883( 2 8)	5617( 3 6)	6214( 4 4)										
4926( 5 2)	1891( 6 0)	1437( 0 9)	3326( 1 7)	4783( 2 5)	4837( 3 3)										
3059( 4 1)	1806( 0 6)	3004( 1 4)	2810( 2 2)	1139( 3 0)	1129( 0 3)										
1038( 1 1)	150( 0 0)														

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

				4	4	3	2	1	1	1	0	0	0			
1(18 6)	2(19 4)	2(20 2)	1(21 0)	2(15 9)	7(16 7)											
13(17 5)	15(18 3)	11(19 1)	1(12 12)	8(13 10)	25(14 8)											
47(15 6)	63(16 4)	56(17 2)	22(18 0)	4(10 13)	21(12 11)											
63(12 9)	127(13 7)	183(14 5)	192(15 3)	124(16 1)	1(7 16)											
8(8 14)	41(9 12)	124(10 10)	261(11 8)	411(12 6)	486(13 4)											
403(14 2)	157(15 0)	1(5 17)	12(6 15)	61(7 13)	193(8 11)											
433(9 9)	740(10 7)	972(11 5)	951(12 3)	599(13 1)	1(3 18)											
14(4 16)	73(5 14)	244(6 12)	593(7 10)	1095(8 8)	1583(9 6)											
1771(10 4)	1421(11 2)	547(12 0)	1(1 19)	11(2 17)	66(3 15)											
249(4 13)	660(5 11)	1339(6 9)	2133(7 7)	2673(8 5)	2547(9 3)											
572(10 1)	4(0 18)	40(1 16)	187(2 14)	579(3 12)	1327(4 10)											
2360(5 8)	3313(6 6)	3635(7 4)	2883(8 2)	1100(9 0)	69(0 15)											
341(1 13)	985(2 11)	2058(3 9)	3317(4 7)	4172(5 5)	3975(6 3)											
2454(7 1)	364(0 12)	1208(1 10)	2475(2 8)	3727(3 6)	4238(4 4)											
3423(5 2)	1320(6 0)	918(0 9)	2213(1 7)	3281(2 5)	3384(3 3)											
2172(4 1)	1236(0 6)	2117(1 4)	2033(2 2)	819(3 0)	810(0 3)											
754(1 1)	106(0 0)															

				4	4	3	1	1	1	1	0	0		
1(17 5)	1(18 3)	1(19 1)	1(14 8)	3(15 6)	6(16 4)									
5(17 2)	3(18 0)	1(11 11)	4(12 9)	12(13 7)	19(14 5)									
24(15 3)	16(16 1)	2(9 12)	9(10 10)	26(11 8)	49(12 6)									
64(13 4)	59(14 2)	22(15 0)	3(7 13)	15(8 11)	47(9 9)									
92(10 7)	140(11 5)	146(12 3)	97(13 1)	3(5 14)	19(6 12)									
64(7 10)	144(8 8)	234(9 6)	288(10 4)	239(11 2)	99(12 0)									
3(3 15)	19(4 13)	72(5 11)	176(6 9)	325(7 7)	444(8 5)									
451(9 3)	286(10 1)	2(1 16)	14(2 14)	62(3 12)	176(4 10)									
361(5 8)	564(6 6)	656(7 4)	549(8 2)	208(9 0)	5(0 15)									
36(1 13)	128(2 11)	316(3 9)	564(4 7)	769(5 5)	767(6 3)									
488(7 1)	49(0 12)	184(1 10)	427(2 8)	691(3 6)	838(4 4)									
692(5 2)	279(6 0)	155(0 9)	413(1 7)	647(2 5)	700(3 3)									
458(4 1)	25(0 6)	440(1 4)	435(2 2)	175(3 0)	172(0 3)									
166(1 1)	27(0 0)													

				4	4	2	2	2	2	0	0	0	0		
1(20 2)	1(16 7)	2(17 5)	3(18 3)	3(19 1)	1(12 12)										
2(13 10)	6(14 8)	10(15 6)	17(16 4)	12(17 2)	8(18 0)										
1(10 13)	6(11 11)	16(12 9)	31(13 7)	46(14 5)	49(15 3)										
32(16 1)	4(8 14)	12(9 12)	38(10 10)	71(11 8)	120(12 6)										
29(13 4)	115(14 2)	36(15 0)	3(6 15)	19(7 13)	57(8 11)										
27(9 9)	212(10 7)	275(11 5)	268(12 3)	167(13 1)	6(4 16)										
23(5 14)	82(6 12)	182(7 10)	341(8 8)	469(9 6)	532(10 4)										
407(11 2)	171(12 0)	2(2 17)	21(3 15)	78(4 13)	211(5 11)										
417(6 9)	660(7 7)	814(8 5)	767(9 3)	471(10 1)	3(7 13)										
13(1 16)	67(2 14)	190(3 12)	442(4 10)	752(5 8)	1061(6 6)										
126(7 4)	908(8 2)	327(9 0)	19(0 15)	113(1 13)	318(2 11)										
673(3 9)	1063(4 7)	1323(5 5)	1257(6 3)	772(7 1)	132(8 12)										
399(1 10)	830(2 8)	1210(3 6)	1391(4 4)	1092(5 2)	459(6 0)										
292(0 9)	729(1 7)	1064(2 5)	1106(3 3)	703(4 1)	427(0 6)										
693(1 4)	675(2 2)	261(3 0)	257(0 3)	249(1 1)	+3(0 0)										

				4	4	2	2	2	1	0	0	0		
1(16 7)	2(17 5)	3(18 3)	2(19 1)	2(13 10)	5(14 8)									
13(15 6)	16(16 4)	16(17 2)	6(18 0)	1(13 13)	5(14 11)									
19(12 9)	38(13 7)	60(14 5)	63(15 3)	42(16 1)	1(8 14)									

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

12( 9 12)	37(10 10)	91(11 8)	144(12 6)	181(13 4)	148(14 2)
62(15 0)	3( 6 15)	18( 7 13)	68( 8 11)	160( 9 9)	290(10 7)
386(11 5)	390(12 3)	244(13 1)	2( 4 16)	23( 5 14)	85( 6 12)
233( 7 10)	443( 8 8)	674( 9 6)	756(10 4)	626(11 2)	234(12 0)
3( 2 17)	21( 3 15)	95( 4 13)	268( 5 11)	580( 6 9)	943( 7 7)
1218( 8 5)	1168( 9 3)	730(10 1)	13( 1 16)	67( 2 14)	244( 3 12)
578( 4 10)	1086( 5 8)	1547( 6 6)	1743( 7 4)	1378( 8 2)	546( 9 0)
31( 0 15)	144( 1 13)	453( 2 11)	968( 3 9)	1614( 4 7)	2054( 5 5)
1993( 6 3)	1230( 7 1)	157( 0 12)	577( 1 10)	1205( 2 8)	1883( 3 6)
2149( 4 4)	1778( 5 2)	670( 6 0)	472( 0 9)	1128( 1 7)	1720( 2 5)
1783( 3 3)	1156( 4 1)	633( 0 6)	1130( 1 4)	1062( 2 2)	456( 3 0)
453( 0 3)	410( 1 1)	54( 0 0)			

		4 4 2 2 1	1 1 0 0		
1(14 8)	2(15 6)	4(16 4)	3(17 2)	2(18 0)	3(12 9)
8(13 7)	15(14 5)	17(15 3)	12(16 1)	1( 9 12)	7(10 10)
21(11 8)	43(12 6)	55(13 4)	52(14 2)	19(15 0)	1( 7 13)
12( 8 11)	38( 9 9)	85(10 7)	127(11 5)	138(12 3)	90(13 1)
2( 5 14)	16( 6 12)	57( 7 10)	136( 8 8)	227( 9 6)	285(10 4)
239(11 2)	98(12 0)	2( 3 15)	17( 4 13)	65( 5 11)	174( 6 9)
323( 7 7)	458( 8 5)	466( 9 3)	301(10 1)	1( 1 16)	13( 2 14)
59( 3 12)	177( 4 10)	373( 5 8)	595( 6 6)	704( 7 4)	592( 8 2)
228( 9 0)	5( 0 15)	35( 1 13)	134( 2 11)	332( 3 9)	614( 4 7)
841( 5 5)	855( 6 3)	544( 7 1)	50( 0 12)	198( 1 10)	467( 2 8)
774( 3 6)	943( 4 4)	793( 5 2)	315( 6 0)	175( 0 9)	465( 1 7)
747( 2 5)	808( 3 3)	535( 4 1)	284( 0 6)	515( 1 4)	506( 2 2)
210( 3 0)	208( 0 3)	197( 1 1)	29( 0 0)		

		4 4 2 1 1	1 1 1 0		
1(14 5)	1(15 3)	1(16 1)	1(17 8)	2(12 6)	5(13 4)
5(14 2)	2(15 0)	1( 9 9)	6(11 7)	11(11 5)	16(12 3)
11(13 1)	2( 7 10)	8( 8 8)	22( 9 6)	32(10 4)	32(11 2)
13(12 0)	2( 5 11)	12( 6 9)	30( 7 7)	55( 8 5)	62( 9 3)
45(10 1)	2( 3 12)	10( 4 10)	35( 5 8)	68( 6 6)	97( 7 4)
86( 8 2)	37( 9 0)	1( 1 13)	9( 2 11)	30( 3 9)	73( 4 7)
114( 5 5)	131( 6 3)	86( 7 1)	2( 0 12)	18( 0 10)	52( 2 8)
106( 3 6)	141( 4 4)	131( 5 2)	50( 6 0)	22( 0 9)	63( 1 7)
117( 2 5)	133( 3 3)	93( 4 1)	41( 0 6)	86( 1 4)	80( 2 2)
40( 3 0)	39( 0 3)	36( 1 1)	4( 0 0)		

		4 4 1 1 1	1 1 1		
1(12 3)	1(11 2)	1(12 0)	2( 8 5)	2( 9 3)	2(10 1)
1( 6 6)	2( 7 4)	3( 8 2)	2( 9 0)	2( 4 7)	3( 5 5)
6( 6 3)	3( 7 1)	3( 3 6)	4( 4 4)	5( 5 2)	2( 6 0)
2( 0 9)	1( 1 7)	5( 2 5)	6( 3 3)	4( 4 1)	1( 0 6)
3( 1 4)	3( 2 2)	3( 3 0)	3( 0 3)	1( 1 1)	1( 0 0)

		4 3 3 3 3	0 0 0 0 0		
1(18 6)	1(20 2)	1(15 9)	2(16 7)	4(17 5)	4(18 3)
3(19 1)	1(12 12)	3(13 10)	8(14 8)	12(15 6)	18(16 4)
13(17 2)	8(18 0)	1( 9 15)	2(10 13)	9(11 11)	19(12 9)
34(13 7)	46(14 5)	49(15 3)	29(16 1)	1( 7 16)	6( 8 14)
16( 9 12)	40(10 10)	69(11 8)	105(12 6)	112(13 4)	99(14 2)
32(15 0)	2( 5 17)	8( 6 15)	28( 7 13)	62( 8 11)	123( 9 9)
84(10 7)	230(11 5)	216(12 3)	134(13 1)	2( 3 18)	10( 4 6)
34( 5 14)	89( 6 12)	169( 7 10)	285( 8 8)	372( 9 6)	403(10 4)

303(11 2)	128(12 0)	1(1 19)	8(2 17)	34(3 15)	90(4 13)
203(5 11)	352(6 9)	514(7 7)	600(8 5)	552(9 3)	331(10 1)
4(0 18)	20(1 16)	74(2 14)	182(3 12)	366(4 10)	573(5 8)
763(6 6)	776(7 4)	613(8 2)	216(9 0)	27(0 15)	110(1 13)
271(2 11)	518(3 9)	756(4 7)	906(5 5)	827(6 3)	496(7 1)
107(0 12)	302(1 10)	583(2 8)	806(3 6)	890(4 4)	631(5 2)
275(6 0)	209(0 9)	484(1 7)	676(2 5)	682(3 3)	422(4 1)
270(0 6)	416(1 4)	402(2 2)	153(3 0)	152(0 3)	142(1 1)

1(19 4)	1(20 2)	1(15 9)	3(16 7)	6(17 5)	8(18 3)
6(19 1)	1(12 12)	5(13 10)	14(14 8)	27(15 6)	36(16 4)
33(17 2)	14(18 0)	4(10 13)	16(11 11)	41(12 9)	80(13 7)
114(14 5)	118(15 3)	79(16 1)	1(7 16)	9(8 14)	35(9 2)
92(10 10)	180(11 8)	273(12 6)	318(13 4)	262(14 2)	102(15 0)
2(5 17)	15(6 15)	59(7 13)	159(8 11)	326(9 9)	525(10 7)
667(11 5)	644(12 3)	399(13 1)	2(3 18)	19(4 16)	77(5 14)
219(6 12)	479(7 10)	826(8 8)	1140(9 6)	1242(10 4)	980(11 2)
372(12 0)	2(1 19)	16(2 17)	75(3 15)	239(4 13)	568(5 11)
1065(6 9)	1608(7 7)	1943(8 5)	1806(9 3)	1101(10 1)	6(0 18)
47(1 16)	188(2 14)	521(3 12)	1102(4 10)	1847(5 8)	2488(6 6)
2647(7 4)	2060(8 2)	782(9 0)	71(0 15)	316(1 13)	843(2 11)
1659(3 9)	2557(4 7)	3110(5 5)	2894(6 3)	1764(7 1)	517(0 12)
992(1 10)	1945(2 8)	2827(3 6)	3134(4 4)	2489(5 2)	950(6 0)
728(0 9)	1697(1 7)	2451(2 5)	2483(3 3)	1573(4 1)	929(0 6)
1561(1 4)	1458(2 2)	592(3 0)	590(0 3)	546(1 1)	77(0 0)

1(16 7)	1(17 5)	2(18 3)	1(19 1)	1(13 10)	4(14 8)
9(15 6)	11(16 4)	11(17 2)	4(18 0)	3(11 11)	14(12 9)
27(13 7)	44(14 5)	45(15 3)	30(16 1)	1(8 14)	9(9 2)
30(10 10)	69(11 8)	111(12 6)	136(13 4)	111(14 2)	47(15 0)
3(6 15)	15(7 13)	55(8 11)	127(9 9)	226(10 7)	298(11 5)
300(12 3)	186(13 1)	1(3 18)	4(4 16)	23(5 14)	70(6 12)
193(7 10)	362(8 8)	535(9 6)	596(10 4)	489(11 2)	183(12 0)
4(2 17)	22(3 15)	86(4 13)	229(5 11)	477(6 9)	760(7 7)
967(8 5)	922(9 3)	572(10 1)	2(0 18)	15(1 16)	63(2 14)
216(3 12)	493(4 10)	890(5 8)	1253(6 6)	1386(7 4)	1093(8 2)
430(9 0)	28(0 15)	128(1 13)	383(2 11)	802(3 9)	1303(4 7)
1643(5 5)	1577(6 3)	969(7 1)	141(0 12)	480(1 10)	990(2 8)
1511(3 6)	1711(4 4)	1399(5 2)	531(6 0)	380(0 9)	906(1 7)
1359(2 5)	1405(3 3)	901(4 1)	511(0 6)	386(1 4)	833(2 2)
353(3 0)	349(0 3)	317(1 1)	46(0 0)		

1(21 0)	1(17 5)	2(18 3)	2(19 1)	1(13 10)	2(14 8)
7(15 6)	9(16 4)	12(17 2)	2(18 0)	1(10 13)	4(11 11)
12(12 9)	24(13 7)	37(14 5)	42(15 3)	27(16 1)	2(8 14)
11(9 12)	29(10 10)	65(11 8)	98(12 6)	125(13 4)	97(14 2)
45(15 0)	4(6 15)	19(7 13)	58(8 11)	126(9 9)	213(10 7)
278(11 5)	271(12 3)	171(13 1)	4(4 16)	25(5 14)	8(6 12)
197(7 10)	350(8 8)	511(9 6)	550(10 4)	454(11 2)	163(12 0)
4(2 17)	24(3 15)	92(4 13)	239(5 11)	477(6 9)	745(7 7)
921(8 5)	867(9 3)	531(10 1)	1(0 18)	15(1 16)	70(2 14)
224(3 12)	499(4 10)	888(5 8)	211(6 6)	1332(7 4)	1026(8 2)
408(9 0)	29(0 15)	135(1 3)	393(2 11)	810(3 9)	1289(4 7)

REDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1600( 5 5)	1513( 6 3)	924( 7 1)	144( 0 12)	490( 1 10)	986( 2 8)
1492( 3 6)	1660( 4 4)	1355( 5 2)	502( 6 0)	382( 0 9)	902( 1 7)
1336( 2 5)	1367( 3 3)	876( 4 1)	500( 0 6)	873( 1 4)	809( 2 2)
347( 3 0)	343( 0 3)	311( 1 1)	41( 0 0)		

1(17 5)	1(18 3)	1(19 1)	1 1 0 0 0		
9(17 2)	5(18 0)	3(11 11)	3(14 8)	6(15 6)	11(16 4)
49(15 3)	32(16 1)	1( 8 14)	11(12 9)	28(13 7)	43(14 5)
128(12 6)	154(13 4)	136(14 2)	8( 9 12)	32(10 10)	73(11 8)
60( 8 11)	152( 9 9)	271(10 7)	50(15 0)	2( 6 15)	17( 7 13)
3( 4 16)	22( 5 14)	91( 6 12)	374(11 5)	373(12 3)	239(13 1)
798(10 4)	639(11 2)	257(12 0)	235( 7 10)	466( 8 8)	688( 9 6)
294( 5 11)	623( 6 9)	1034( 7 7)	2( 2 17)	23( 3 15)	99( 4 13)
1( 0 18)	14( 1 16)	81( 2 14)	1320( 8 5)	1281( 9 3)	794(10 1)
1780( 6 6)	1966( 7 4)	1591( 8 2)	273( 3 12)	671( 4 10)	1227( 5 8)
515( 2 11)	1135( 3 9)	1871( 4 7)	597( 9 0)	29( 0 15)	168( 1 13)
201( 0 12)	683( 1 10)	1464( 2 8)	2408( 5 5)	2315( 6 3)	1441( 7 1)
820( 6 0)	543( 0 9)	1366( 1 7)	2236( 3 6)	2599( 4 4)	2398( 5 2)
802( 0 6)	1371( 1 4)	1328( 2 2)	2056( 2 5)	2159( 3 3)	1389( 4 1)
79( 0 0)			533( 3 0)	531( 0 3)	505( 1 1)

1(15 6)	1(16 4)	2(17 2)	1 1 1 0 0		
11(15 3)	8(16 1)	4(10 10)	1(12 9)	5(13 7)	9(14 5)
37(14 2)	17(15 0)	1( 7 13)	15(11 8)	30(12 6)	43(13 4)
111(11 5)	119(12 3)	79(13 1)	9( 8 11)	33( 9 9)	71(10 7)
25( 8 8)	216( 9 6)	265(10 4)	2( 5 14)	14( 6 12)	53( 7 10)
16( 4 13)	66( 5 11)	172( 6 9)	231(11 2)	87(12 0)	2( 3 15)
303(10 1)	1( 1 16)	13( 2 14)	328( 7 7)	459( 8 5)	473( 9 3)
624( 6 6)	749( 7 4)	620( 8 2)	62( 3 12)	184( 4 10)	394( 5 8)
143( 2 11)	363( 3 9)	667( 4 7)	248( 9 0)	5( 0 15)	38( 1 13)
54( 0 12)	220( 1 10)	517( 2 8)	923( 5 5)	932( 6 3)	598( 7 1)
347( 6 0)	196( 0 9)	528( 1 7)	866( 3 6)	1051( 4 4)	894( 5 2)
324( 0 6)	592( 1 4)	580( 2 2)	846( 2 5)	922( 3 3)	608( 4 1)
32( 0 0)			245( 3 0)	240( 0 3)	229( 1 1)

1(15 3)	1(12 6)	2(13 4)	1 1 1 1 0		
3(10 7)	8(11 5)	9(12 3)	3(14 2)	1(15 0)	1( 9 9)
15( 9 6)	24(10 4)	22(11 2)	8(13 1)	1( 7 10)	5( 8 8)
25( 7 7)	41( 8 5)	51( 9 3)	11(12 0)	2( 5 11)	8( 6 9)
28( 5 8)	59( 6 6)	80( 7 4)	34(10 1)	1( 3 12)	9( 4 10)
6( 2 11)	27( 3 9)	60( 4 7)	76( 8 2)	28( 9 0)	1( 1 13)
3( 0 12)	15( 1 10)	49( 2 8)	102( 5 5)	113( 6 3)	77( 7 1)
51( 5 0)	16( 0 9)	58( 1 7)	94( 3 6)	132( 4 4)	116( 5 2)
43( 0 6)	79( 1 4)	86( 2 2)	103( 2 5)	124( 3 3)	85( 4 1)
6( 0 0)			34( 3 0)	33( 0 3)	34( 1 1)

1(16 4)	1(17 2)	1(12 9)	2 1 0 0 0		
5(16 1)	1( 9 12)	5(10 10)	3(13 7)	6(14 5)	7(15 3)
27(14 2)	11(15 0)	2( 7 13)	13(11 8)	24(12 6)	31(13 4)
88(11 5)	90(12 3)	59(13 1)	11( 8 11)	31( 9 9)	63(10 7)
19( 8 8)	187( 9 6)	219(10 4)	3( 5 14)	17( 6 12)	56( 7 10)
21( 4 3)	73( 5 11)	175( 6 9)	181(11 2)	69(12 0)	3( 3 15)
			305( 7 7)	404( 8 5)	396( 9 3)

249(10 1)	2(1 16)	17(2 14)	71(3 12)	196(4 10)	387(5 8)
579(6 6)	663(7 4)	535(8 2)	206(9 0)	6(0 15)	45(1 13)
157(2 11)	369(3 9)	646(4 7)	852(5 5)	836(6 3)	525(7 1)
60(0 12)	230(1 10)	515(2 8)	825(3 6)	976(4 4)	808(5 2)
313(6 0)	197(0 9)	514(1 7)	802(2 5)	853(3 3)	560(4 1)
309(0 6)	558(1 4)	541(2 2)	224(3 0)	224(0 3)	215(1 1)
29(0 0)					

4 3 2 2 2 1 1 1 0 0					
1(13 7)	2(14 5)	3(15 3)	2(16 1)	1(10 10)	5(1 8)
11(12 6)	16(13 4)	15(14 2)	6(15 0)	3(8 11)	13(9 9)
31(10 7)	50(11 5)	56(12 3)	37(13 1)	5(6 12)	23(7 10)
61(8 8)	110(9 6)	140(10 4)	122(11 2)	49(12 0)	6(4 13)
31(5 11)	91(6 9)	181(7 7)	264(8 5)	275(9 3)	179(10 1)
5(2 14)	30(3 12)	102(4 10)	231(5 8)	382(6 6)	465(7 4)
393(8 2)	156(9 0)	2(0 15)	19(1 13)	82(2 11)	223(3 9)
426(4 7)	604(5 5)	623(6 3)	400(7 1)	32(0 12)	137(1 10)
342(2 8)	587(3 6)	730(4 4)	625(5 2)	247(6 0)	131(0 9)
366(1 7)	602(2 5)	667(3 3)	444(4 1)	236(0 6)	435(1 4)
435(2 2)	184(3 0)	181(0 3)	174(1 1)	27(0 0)	

4 3 2 2 1 1 1 1 1 0					
1(12 6)	2(13 4)	2(14 2)	1(15 0)	3(10 7)	7(11 5)
10(12 3)	7(13 1)	1(7 10)	6(8 8)	17(9 6)	27(10 4)
27(11 2)	11(12 0)	1(5 11)	9(6 9)	27(7 7)	52(8 5)
62(9 3)	44(10 1)	1(3 12)	10(4 10)	35(5 8)	74(6 6)
107(7 4)	99(8 2)	42(9 0)	1(1 13)	8(2 11)	33(3 9)
83(4 7)	138(5 5)	160(6 3)	109(7 1)	3(0 12)	23(1 10)
65(2 8)	134(3 6)	187(4 4)	173(5 2)	70(6 0)	25(0 9)
83(1 7)	155(2 5)	185(3 3)	130(4 1)	60(0 6)	122(1 4)
127(2 2)	56(3 0)	54(0 3)	53(1 1)	8(0 0)	

4 3 2 1 1 1 1 1 1					
1(13 1)	1(10 4)	2(11 2)	1(12 0)	2(8 5)	4(9 3)
4(10 1)	2(6 6)	7(7 4)	8(8 2)	3(9 0)	3(4 7)
8(5 5)	12(6 3)	10(7 1)	2(2 8)	7(3 6)	14(4 4)
15(5 2)	6(6 0)	5(1 7)	11(2 5)	15(3 3)	13(4 1)
4(0 6)	1(1 4)	12(2 2)	5(3 0)	4(0 3)	6(1 1)

4 2 2 2 2 2 2 0 0 0					
1(12 6)	1(14 2)	1(9 9)	2(10 7)	3(11 5)	3(12 3)
2(13 1)	1(6 12)	1(7 10)	7(8 8)	8(9 6)	13(10 4)
7(11 2)	6(12 0)	3(5 11)	9(6 9)	18(7 7)	25(8 5)
26(9 3)	15(10 1)	1(2 14)	3(3 12)	14(4 10)	25(5 8)
47(6 6)	48(7 4)	46(8 2)	12(9 0)	2(1 13)	9(2 11)
28(3 9)	5(4 7)	74(5 5)	73(6 3)	47(7 1)	6(0 12)
17(1 10)	49(2 8)	75(3 6)	100(4 4)	76(5 2)	38(6 0)
15(0 9)	50(1 7)	79(2 5)	92(3 3)	59(4 1)	39(3 6)
59(1 4)	68(2 2)	22(3 0)	23(0 3)	25(1 1)	7(0 0)

4 2 2 2 2 2 1 1 0 0					
1(13 4)	1(15 0)	1(9 9)	2(10 7)	4(11 5)	4(12 3)
3(13 1)	2(7 10)	5(8 8)	12(9 6)	13(10 4)	15(11 2)
3(12 0)	3(5 11)	10(6 9)	24(7 7)	35(8 5)	38(9 3)
24(10 1)	3(3 12)	12(4 10)	35(5 8)	57(6 6)	77(7 4)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

60( 8 2)	29( 9 0)	2( 1 13)	11( 2 11)	36( 3 9)	75( 4 7)
110( 5 5)	114( 6 3)	75( 7 1)	4( 0 12)	23( 1 10)	61( 2 8)
116( 3 6)	144( 4 4)	131( 5 2)	47( 6 0)	25( 0 9)	75( 1 7)
128( 2 5)	147( 3 3)	99( 4 1)	50( 0 6)	101( 1 4)	99( 2 2)
46( 3 0)	44( 0 3)	43( 1 1)	6( 0 0)		

1(11 5)	1(12 3)	1(13 1)	1( 8 8)	2( 9 6)	5(15 4)
4(11 2)	2(12 0)	1( 6 9)	6( 7 7)	10( 8 5)	14( 9 3)
10(10 1)	2( 4 10)	7( 5 8)	19( 6 6)	26( 7 4)	27( 8 2)
10( 9 0)	1( 2 11)	8( 3 9)	21( 4 7)	40( 5 5)	45( 6 3)
33( 7 1)	1( 0 12)	5( 1 10)	20( 2 8)	40( 3 6)	62( 4 4)
55( 5 2)	25( 6 0)	6( 0 9)	27( 1 7)	50( 2 5)	65( 3 3)
44( 4 1)	25( 0 6)	43( 1 4)	50( 2 2)	19( 3 0)	18( 0 3)
21( 1 1)	4( 0 0)				

1(11 2)	2( 9 3)	1(10 1)	1( 6 6)	3( 7 4)	3( 8 2)
3( 9 0)	4( 5 5)	5( 6 3)	5( 7 1)	1( 2 8)	4( 3 6)
7( 4 4)	9( 5 2)	3( 6 0)	2( 1 7)	5( 2 5)	10( 3 3)
6( 4 1)	3( 0 6)	6( 1 4)	7( 2 2)	4( 3 0)	3( 0 3)
3( 1 1)	1( 0 0)				

1(16 4)	1(18 0)	1(12 9)	2(13 7)	3(14 5)	4(15 3)
3(16 1)	1( 9 12)	3(10 10)	6(11 8)	12(12 6)	13(13 4)
14(14 2)	3(15 0)	1( 6 15)	3( 7 13)	8( 8 11)	17( 9 9)
29(10 7)	38(11 5)	38(12 3)	24(13 1)	1( 4 16)	4( 5 14)
4( 6 12)	30( 7 10)	55( 8 8)	74( 9 6)	87(10 4)	64(11 2)
30(12 0)	1( 2 17)	6( 3 15)	19( 4 13)	44( 5 11)	82( 6 9)
124( 7 7)	152( 8 5)	141( 9 3)	86(10 1)	4( 1 16)	10( 2 14)
44( 3 12)	95( 4 10)	156( 5 8)	214( 6 6)	222( 7 4)	180( 3 2)
62( 9 0)	7( 0 15)	30( 1 13)	79( 2 11)	154( 3 9)	236( 4 7)
285( 5 5)	266( 6 3)	161( 7 1)	31( 0 12)	94( 1 10)	189( 2 8)
269( 3 6)	304( 4 4)	233( 5 2)	96( 6 0)	72( 0 9)	166( 1 7)
242( 2 5)	245( 3 3)	156( 4 1)	95( 0 6)	156( 1 4)	149( 2 2)
57( 3 0)	59( 0 3)	55( 1 1)	10( 0 0)		

1(17 2)	1(13 7)	2(14 5)	3(15 3)	2(16 1)	1( 9 2)
2(18 0)	6(11 8)	9(12 6)	13(13 4)	10(14 2)	6(15 0)
2( 7 13)	6( 8 11)	15( 9 9)	25(10 7)	36(11 5)	55(12 3)
23(13 1)	1( 4 16)	4( 5 14)	13( 6 12)	31( 7 10)	54( 8 8)
80( 9 6)	87(10 4)	72(11 2)	25(12 0)	5( 3 15)	15( 4 13)
43( 5 11)	83( 6 9)	132( 7 7)	160( 8 5)	154( 9 3)	93(10 1)
1( 0 8)	3( 1 16)	17( 2 14)	46( 3 12)	102( 4 10)	176( 5 8)
239( 6 6)	259( 7 4)	200( 8 2)	78( 9 0)	4( 0 15)	50( 1 13)
8( 2 11)	171( 3 9)	265( 4 7)	331( 5 5)	307( 6 3)	290( 7 1)
37( 0 2)	109( 1 10)	221( 2 8)	325( 3 6)	361( 4 4)	290( 5 2)
10( 6 0)	78( 0 9)	200( 1 7)	290( 2 5)	300( 3 3)	189( 4 1)
118( 0 6)	196( 1 4)	185( 2 2)	75( 3 0)	73( 0 3)	70( 1 1)
10( 0 0)					

1(13 7)	2(14 5)	2(15 3)	1( 1 0)	2(16 1)	2(10 10)	5(11 8)
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TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

10(12 6)	13(13 4)	12(14 2)	4(15 0)	1(7 13)	6(8 11)
15(9 9)	30(10 7)	42(11 5)	44(12 3)	28(13 1)	3(5 14)
31(6 12)	32(7 10)	63(8 8)	96(9 6)	112(10 4)	92(11 2)
35(12 0)	1(2 17)	4(3 15)	18(4 13)	48(5 11)	104(6 9)
68(7 7)	217(8 5)	208(9 3)	131(10 1)	3(1 16)	15(2 14)
52(3 12)	122(4 10)	224(5 8)	319(6 6)	355(7 4)	283(8 2)
109(9 0)	8(0 15)	35(1 13)	107(2 11)	223(3 9)	370(4 7)
465(5 5)	447(6 3)	277(7 1)	38(0 12)	142(1 10)	294(2 8)
454(3 6)	519(4 4)	424(5 2)	161(6 0)	119(0 9)	285(1 7)
433(2 5)	446(3 3)	289(4 1)	162(0 6)	290(1 4)	274(2 2)
114(3 0)	117(0 3)	108(1 1)	13(0 0)		

		3	3	3	3	1	1	1	1	0	0
1(11 8)	1(12 6)	3(13 4)	1(14 2)	2(15 0)	2(9 9)						
5(10 7)	8(11 5)	9(12 3)	6(13 1)	1(6 12)	5(7 10)						
2(8 8)	23(9 6)	26(10 4)	26(11 2)	7(12 0)	2(4 13)						
8(5 11)	20(6 9)	40(7 7)	56(8 5)	58(9 3)	37(10 1)						
1(1 16)	2(2 14)	10(3 12)	26(4 10)	57(5 8)	86(6 6)						
108(7 4)	83(8 2)	39(9 0)	1(0 15)	6(1 15)	23(2 11)						
56(3 9)	101(4 7)	140(5 5)	141(6 3)	90(7 1)	8(0 12)						
36(1 10)	82(2 8)	140(3 6)	165(4 4)	146(5 2)	51(6 0)						
34(0 9)	88(1 7)	140(2 5)	153(3 3)	101(4 1)	52(0 6)						
101(1 4)	94(2 2)	45(3 0)	42(0 3)	39(1 1)	5(0 0)						

		3	3	3	2	2	2	1	0	0	0
1(15 3)	1(11 8)	3(12 6)	4(13 4)	4(14 2)	2(15 0)						
2(8 11)	6(9 9)	12(10 7)	19(11 5)	19(12 3)	13(13 1)						
1(5 14)	5(6 12)	15(7 10)	32(8 8)	51(9 6)	59(10 4)						
49(11 2)	20(12 0)	1(3 15)	7(4 13)	24(5 11)	57(6 9)						
97(7 7)	127(8 5)	126(9 3)	77(10 1)	1(1 16)	7(2 14)						
28(3 2)	72(4 10)	140(5 8)	205(6 6)	230(7 4)	186(3 2)						
71(9 0)	3(0 15)	18(1 13)	63(2 11)	144(3 9)	245(4 7)						
319(5 5)	310(6 3)	192(7 1)	25(0 12)	93(1 10)	255(2 8)						
325(3 6)	377(4 4)	309(5 2)	122(6 0)	82(0 9)	256(1 7)						
320(2 5)	338(3 3)	218(4 1)	126(0 6)	222(1 4)	216(2 2)						
90(3 0)	92(0 3)	84(1 1)	14(0 0)								

		3	3	3	2	2	1	1	1	0	0
1(12 6)	1(13 4)	2(14 2)	2(9 9)	5(10 7)	9(11 5)						
10(12 3)	7(13 1)	1(6 12)	5(7 10)	15(8 8)	25(9 6)						
36(10 4)	28(11 2)	14(12 0)	2(4 13)	10(5 11)	27(6 9)						
55(7 7)	78(8 5)	82(9 3)	53(10 1)	2(2 14)	11(3 12)						
37(4 10)	78(5 8)	131(6 6)	152(7 4)	134(8 2)	47(9 0)						
1(0 5)	8(1 13)	32(2 11)	84(3 9)	156(4 7)	239(5 5)						
222(6 3)	143(7 1)	13(0 12)	54(1 10)	134(2 8)	221(3 6)						
279(4 4)	229(5 2)	97(6 0)	51(0 9)	144(1 7)	232(2 5)						
257(3 3)	170(4 1)	95(0 6)	169(1 4)	174(2 2)	57(0 0)						
68(0 3)	69(0 1)	12(0 0)									

		3	2	3	2	1	1	1	1	0
1(11 5)	1(12 3)	1(13 1)	1(8 8)	3(9 6)	5(10 4)					
5(11 2)	2(12 0)	2(6 9)	7(7 7)	13(8 5)	16(9 3)					
11(10 1)	1(3 12)	3(4 10)	11(5 8)	23(0 0)	32(7 4)					
30(8 2)	12(9 0)	3(2 11)	11(3 9)	27(4 7)	40(5 5)					
52(6 3)	36(7 1)	1(0 12)	8(1 10)	23(2 8)	47(3 6)					
56(4 4)	60(5 2)	25(6 0)	10(0 9)	30(1 7)	50(2 5)					

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

67( 3 3)	47( 4 1)	21( 0 6)	44( 1 4)	47( 2 2)	20( 3 0)
20( 0 3)	20( 1 1)	3( 0 0)			
1(12 0)	1( 9 3)	1( 6 6)	1 1 1 1 1		
3( 6 3)	2( 7 1)	1( 2 8)	1( 7 4)	3( 8 2)	2( 5 5)
4( 6 0)	1( 1 7)	2( 2 5)	2( 3 6)	5( 4 4)	3( 5 2)
2( 1 4)	5( 2 2)	1( 3 0)	5( 3 3)	3( 4 1)	3( 0 6)
			1( 0 3)	1( 1 1)	2( 0 0)
1(10 7)	1(11 5)	1(12 3)	2 2 0 0 0		
5( 9 6)	6(10 4)	5(11 2)	1(13 1)	1( 7 10)	3( 8 8)
8( 6 9)	13( 7 7)	19( 8 5)	2(12 0)	1( 4 13)	2( 5 11)
9( 4 10)	22( 5 8)	33( 6 6)	18( 9 3)	11(10 1)	3( 3 12)
1( 0 15)	2( 1 13)	12( 2 11)	40( 7 4)	31( 8 2)	13( 9 0)
64( 6 3)	39( 7 1)	2( 0 12)	25( 3 9)	49( 4 7)	63( 5 5)
80( 4 4)	70( 5 2)	25( 6 0)	17( 1 10)	38( 2 8)	69( 3 6)
81( 3 3)	55( 4 1)	25( 0 6)	21( 0 9)	46( 1 7)	78( 2 5)
27( 0 3)	23( 1 1)	2( 0 0)	56( 1 4)	51( 2 2)	25( 3 0)
1(11 5)	1(12 3)	1(13 1)	2 1 1 0 0		
8(10 4)	7(11 2)	3(12 0)	1( 7 10)	3( 8 8)	6( 9 6)
23( 8 5)	25( 9 3)	16(10 1)	2( 5 11)	7( 6 9)	16( 7 7)
47( 6 6)	58( 7 4)	49( 8 2)	3( 3 12)	11( 4 10)	28( 5 8)
32( 3 9)	63( 4 7)	92( 5 5)	19( 9 0)	2( 1 13)	10( 2 11)
22( 1 10)	58( 2 8)	102( 3 6)	94( 6 3)	61( 7 1)	5( 0 12)
22( 0 9)	68( 1 7)	114( 2 5)	129( 4 4)	10( 5 2)	44( 6 0)
89( 1 4)	91( 2 2)	38( 3 0)	129( 3 3)	86( 4 1)	48( 0 6)
			38( 0 3)	38( 1 1)	6( 0 0)
1( 9 6)	2(10 4)	2(11 2)	1 1 0 0		
7( 8 5)	8( 9 3)	6(10 1)	1(12 0)	1( 6 9)	3( 7 7)
20( 7 4)	19( 8 2)	8( 9 0)	1( 4 10)	6( 5 8)	13( 6 6)
32( 5 5)	39( 6 3)	26( 7 1)	2( 2 11)	7( 3 9)	20( 4 7)
50( 4 4)	48( 5 2)	19( 6 0)	5( 1 10)	16( 2 8)	36( 3 6)
56( 3 3)	41( 4 1)	17( 0 6)	8( 0 9)	24( 1 7)	46( 2 5)
20( 0 3)	18( 1 1)	2( 0 0)	39( 1 4)	40( 2 2)	19( 3 0)
1( 9 3)	1(10 1)	2( 7 4)	1 1 1 1		
3( 5 5)	5( 6 3)	4( 7 1)	2( 8 2)	1( 9 0)	1( 4 7)
3( 6 0)	1( 0 9)	2( 1 7)	3( 3 0)	5( 4 4)	7( 5 2)
1( 0 6)	5( 1 4)	6( 2 2)	6( 2 5)	8( 3 3)	6( 4 1)
			3( 3 0)	3( 0 0)	5( 1 1)
1( 7 7)	1( 8 5)	1( 9 3)	2 1 0 0		
5( 6 6)	5( 7 4)	5( 8 2)	1(10 1)	1( 4 10)	2( 5 8)
8( 4 7)	13( 5 5)	13( 6 3)	1( 9 0)	1( 2 11)	4( 3 9)
16( 3 6)	22( 4 4)	18( 5 2)	8( 7 1)	3( 1 10)	9( 2 8)
22( 2 5)	26( 3 3)	17( 4 1)	8( 5 0)	4( 0 9)	13( 1 7)
8( 3 0)	8( 0 3)	9( 1 1)	10( 0 6)	18( 1 4)	21( 2 2)
			2( 0 0)		

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

		3	2	2	2	2	1	1	1	0		
1(9 3)	1(5 8)	2(6 6)	3(7 4)	3(8 2)	1(9 0)							
1(3 9)	4(4 7)	7(5 5)	8(6 3)	6(7 1)	1(1 10)							
4(2 8)	10(3 6)	14(4 4)	13(5 2)	6(6 0)	2(0 9)							
7(1 7)	15(2 5)	18(3 3)	13(4 1)	6(0 6)	14(1 4)							
15(2 2)	6(3 0)	7(0 3)	7(1 1)	1(0 0)								
		3	2	2	2	2	1	1	1	1		
1(8 2)	1(5 5)	1(6 3)	2(7 1)	1(3 6)	3(4 4)							
2(5 2)	2(6 0)	1(1 7)	2(2 5)	4(3 3)	3(4 1)							
1(0 6)	3(1 4)	4(2 2)	1(0 3)	2(1 1)	1(0 0)							
		2	2	2	2	2	2	2	0	0		
1(2 8)	2(4 4)	1(6 0)	1(1 7)	1(2 5)	1(3 3)							
1(4 1)	1(0 6)	1(1 4)	2(2 2)	1(1 1)								
		2	2	2	2	2	2	1	1	0		
1(3 6)	1(4 4)	1(5 2)	1(0 9)	1(1 7)	2(2 5)							
2(3 3)	2(4 1)	2(1 4)	1(2 2)	1(3 0)	2(0 3)							
1(1 1)												
		2	2	2	2	2	2	1	1	1		
1(6 6)	1(2 5)	1(3 3)	1(2 2)	1(0 3)								
		4	4	4	4	1	0	0	0	0		
1(20 8)	1(21 6)	1(22 4)	1(23 2)	1(17 11)	2(18 9)							
5(19 7)	7(20 5)	6(21 3)	4(22 1)	2(15 12)	7(16 10)							
15(17 8)	23(18 6)	26(19 4)	20(20 2)	8(21 0)	1(12 15)							
5(13 13)	17(14 11)	36(15 9)	50(16 7)	75(17 5)	71(18 3)							
43(19 1)	2(10 16)	11(11 14)	31(12 12)	72(13 10)	124(14 8)							
170(15 6)	182(16 4)	144(17 2)	53(18 0)	1(7 19)	5(8 17)							
19(9 13)	56(10 12)	123(11 11)	224(12 9)	326(13 7)	386(14 5)							
354(15 3)	214(16 1)	2(8 20)	7(9 18)	28(7 16)	79(8 14)							
184(9 12)	341(10 10)	504(11 8)	690(12 6)	703(13 4)	550(14 2)							
204(15 1)	1(12 23)	2(13 21)	11(4 19)	35(5 17)	101(6 15)							
236(7 15)	465(8 13)	754(9 9)	1040(10 7)	1174(11 5)	1047(12 3)							
624(13 1)	2(13 20)	7(12 20)	33(11 18)	90(4 16)	254(5 14)							
525(6 12)	924(7 10)	1351(8 8)	1673(9 6)	1673(10 4)	1251(11 2)							
467(12 1)	5(13 21)	2(11 19)	80(2 17)	220(3 15)	509(4 13)							
958(5 11)	1531(6 9)	2039(7 7)	2270(8 5)	1994(9 3)	1175(10 1)							
24(10 14)	129(11 16)	360(12 14)	600(13 12)	1417(14 10)	2107(15 8)							
2578(6 6)	2599(7 4)	1929(8 2)	721(9 0)	142(10 1)	401(11 1)							
1031(12 1)	758(13 9)	1455(14 7)	2771(15 5)	2467(16 3)	1455(17 1)							
362(10 12)	1001(11 10)	1751(12 8)	2264(13 6)	2460(14 4)	1393(15 2)							
707(6 10)	650(7 8)	1364(8 6)	1853(9 4)	1783(10 2)	1105(11 0)							
674(0 6)	1065(1 4)	969(2 2)	396(3 0)	396(4 0)	346(5 0)							
45(0 0)												
		4	4	4	4	1	0	0	0	0		
1(21 6)	1(22 4)	1(23 2)	2(13 9)	5(19 7)	7(20 5)							
8(21 3)	5(22 1)	3(15 12)	7(16 11)	18(17 8)	29(18 6)							
37(19 4)	29(20 2)	15(21 0)	1(12 15)	6(13 13)	20(14 11)							
49(15 9)	85(16 7)	104(17 5)	112(18 3)	71(19 1)	5(10 16)							
14(11 14)	46(12 12)	109(13 10)	195(14 8)	282(15 6)	310(16 4)							
252(17 1)	94(18 0)	1(7 19)	6(8 17)	28(9 15)	85(10 13)							
202(11 11)	376(12 9)	571(13 7)	692(14 5)	649(15 3)	395(16 1)							
1(5 20)	1(6 18)	42(7 16)	131(8 14)	317(9 12)	614(10 10)							
983(11 3)	1282(12 6)	1351(13 4)	1038(14 2)	398(15 0)	2(11 21)							
12(4 16)	32(5 17)	169(6 15)	423(7 13)	857(8 11)	1449(9 9)							

PERMITS OF SU(3) CONTAINED IN A PARTITION OF U(10)

2027(10 7)	2336(11 5)	2105(12 3)	1261(13 1)	7(1 22)	10(2 20)
49(3 18)	173(4 16)	466(5 14)	1013(6 12)	1825(7 10)	2743(8 8)
3426(9 6)	3479(10 4)	2640(11 2)	980(12 0)	4(0 21)	31(1 19)
132(2 17)	411(3 15)	986(4 13)	1938(5 11)	3155(6 9)	4303(7 7)
4833(8 5)	4284(9 3)	2537(10 1)	500(0 18)	241(1 16)	726(2 14)
1649(3 12)	3007(4 10)	4532(5 8)	5640(6 6)	5695(7 4)	4274(8 2)
1602(9 0)	267(0 15)	954(1 13)	2181(2 11)	3833(3 9)	5416(4 7)
6208(5 5)	5548(6 3)	3299(7 1)	800(0 12)	2207(1 10)	3943(2 8)
5361(3 6)	5656(4 4)	4367(5 2)	1638(6 0)	1446(0 9)	5119(1 7)
4260(2 5)	4158(3 3)	2576(4 1)	1585(0 6)	2543(1 4)	2304(2 2)
930(3 0)	920(0 3)	829(1 1)	115(0 0)		

4 4 4 3 1 1 0 0 0 0					
1(22 4)	1024(0)	1(18 9)	3(19 7)	5(20 5)	6(21 3)
4(22 1)	1(15 12)	5(16 10)	12(17 8)	24(18 6)	27(19 4)
27(20 2)	7(21 0)	3(13 13)	15(14 11)	38(15 9)	71(16 7)
97(17 5)	98(18 3)	62(19 1)	1(10 16)	9(11 14)	35(12 12)
89(13 10)	173(14 8)	249(15 6)	289(16 4)	224(17 2)	95(18 0)
3(8 17)	18(9 15)	65(10 13)	170(11 11)	340(12 9)	529(13 7)
658(14 5)	620(15 3)	382(16 1)	1(5 20)	6(6 18)	33(7 16)
1056(8 14)	273(9 12)	566(10 10)	931(11 8)	1258(12 6)	1323(13 4)
1047(14 2)	382(15 0)	1(3 21)	8(4 19)	38(5 17)	136(6 15)
367(7 13)	795(8 11)	1393(9 9)	2014(10 7)	2354(11 5)	2150(12 3)
1292(13 1)	1(1 22)	7(2 20)	38(3 18)	142(4 16)	413(5 14)
947(6 12)	1770(7 10)	2756(8 8)	3508(9 6)	3630(10 4)	2746(11 2)
1052(12 0)	3(0 21)	23(1 19)	110(2 17)	361(3 15)	923(4 13)
1888(5 11)	3186(6 9)	4440(7 7)	5085(8 5)	4551(9 3)	2715(10 1)
41(0 18)	214(1 16)	681(2 14)	1611(3 12)	3051(4 10)	4699(5 8)
5983(6 6)	6097(7 4)	4652(8 2)	1718(9 0)	252(0 15)	933(1 13)
2214(2 11)	3991(3 9)	5766(4 7)	6704(5 5)	6065(6 3)	3625(7 1)
813(0 12)	2299(1 10)	4215(2 8)	5895(3 6)	6231(4 4)	4819(5 2)
1844(6 0)	1542(2 9)	3390(1 7)	4695(2 5)	4626(3 3)	2886(4 1)
1760(3 6)	2831(1 4)	2695(2 2)	1036(3 0)	1031(0 3)	938(1 1)

4 4 4 2 2 1 0 0 0 0					
1(23 2)	1(19 7)	3(20 5)	4(21 3)	3(22 1)	2(16 10)
7(17 8)	13(18 6)	11(19 4)	17(20 2)	9(21 0)	2(13 13)
9(14 11)	24(15 9)	49(16 7)	71(17 5)	75(18 3)	49(19 1)
1(12 16)	6(11 14)	24(12 12)	65(13 10)	127(14 8)	199(15 6)
226(15 4)	193(17 2)	69(18 0)	2(3 17)	13(9 15)	53(10 13)
133(17 1)	272(18 9)	487(19 7)	554(14 5)	531(15 3)	531(16 1)
3(5 18)	21(7 15)	81(8 14)	222(9 12)	471(10 10)	635(11 8)
109(12 6)	1188(13 4)	91(14 7)	363(15 2)	4(4 19)	25(5 17)
108(9 15)	214(7 13)	686(8 11)	1236(9 9)	1816(10 7)	2134(11 5)
987(17 0)	1199(17 1)	3(2 20)	24(3 18)	109(4 16)	544(5 14)
827(9 12)	1687(7 10)	253(3 9)	3298(9 6)	3409(10 4)	2635(11 2)
973(12 0)	1(0 21)	13(2 19)	34(2 17)	303(3 15)	819(4 13)
1735(5 11)	2991(6 9)	4241(7 7)	4932(9 5)	4421(9 3)	2647(10 1)
3(0 18)	189(1 16)	614(2 14)	1695(3 12)	2891(4 10)	4559(5 8)
5844(6 6)	6047(7 4)	4586(8 2)	1742(0 0)	225(0 15)	859(1 13)
2121(2 11)	3901(3 9)	5713(4 7)	6715(5 5)	6109(6 3)	3859(7 1)
774(1 12)	2266(1 10)	4194(2 8)	5881(3 6)	6322(4 4)	4902(5 2)
1858(6 0)	1555(0 9)	2449(1 7)	4827(2 5)	4782(3 3)	2997(4 1)
1794(3 6)	2953(1 4)	2698(2 2)	1104(3 0)	1091(0 3)	990(1 1)

4 4 4 2 1 1 1 0 0 0					
1(23 5)	1(21 2)	1(22 1)	2(17 8)	5(18 6)	7(19 4)
7(20 3)	3(21 0)	2(14 11)	8(15 9)	19(16 7)	29(17 5)

BLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

33(18 3)	21(19 1)	1(11 14)	7(12 12)	24(13 10)	55(14 8)
90(15 6)	109(16 4)	92(17 2)	36(18 0)	3(9 15)	15(10 13)
52(11 11)	122(12 9)	210(13 7)	291(14 5)	276(15 3)	174(16 1)
1(6 18)	5(7 16)	28(8 14)	91(9 12)	220(10 10)	403(11 8)
581(12 6)	646(13 4)	517(14 2)	200(15 0)	7(5 17)	35(6 15)
126(7 13)	320(8 11)	631(9 9)	933(10 7)	1213(11 5)	1145(12 3)
701(13 1)	1(2 20)	7(3 18)	40(4 16)	144(5 14)	396(6 12)
829(7 10)	1401(8 8)	1896(9 6)	2028(10 4)	1586(11 2)	602(12 0)
4(1 19)	28(2 17)	128(3 15)	384(4 13)	899(5 11)	1655(6 9)
465(7 7)	2949(8 5)	2725(9 3)	1650(10 1)	13(0 18)	75(1 16)
2292(2 14)	776(3 12)	1615(4 10)	2667(5 8)	3567(6 6)	3771(7 4)
927(8 2)	1109(9 0)	103(0 15)	451(1 13)	1174(2 11)	2291(3 9)
487(4 7)	4230(5 5)	3927(6 3)	2386(7 1)	442(0 12)	1329(1 10)
585(2 8)	3723(3 6)	4111(4 4)	3258(5 2)	1248(6 0)	943(0 9)
186(1 7)	3132(2 5)	3171(3 3)	2001(4 1)	1188(0 6)	1960(1 4)
832(2 2)	744(3 0)	721(0 3)	672(1 1)	100(0 0)	

	4	4	4	1	1	1	1	0	0
1(19 4)	1(21 0)	1(16 7)	3(17 5)	3(18 3)	2(19 1)				
1(13 10)	3(14 8)	8(15 6)	9(16 4)	12(17 2)	2(18 0)				
1(10 13)	3(11 11)	10(12 9)	20(13 7)	31(14 5)	33(15 3)				
22(16 1)	1(9 14)	6(9 12)	18(10 10)	43(11 8)	65(12 6)				
86(13 4)	65(14 2)	33(15 0)	1(6 15)	8(7 13)	29(8 11)				
68(9 9)	122(10 7)	164(11 5)	164(12 3)	104(13 1)	2(4 16)				
9(5 14)	35(6 12)	93(7 10)	174(8 8)	259(9 6)	295(10 4)				
2253(11 2)	86(12 0)	1(2 17)	8(3 15)	34(4 13)	99(5 11)				
2113(6 9)	351(7 7)	452(8 5)	437(9 3)	272(10 1)	5(1 16)				
25(2 14)	85(3 12)	203(4 10)	386(5 8)	545(6 6)	623(7 4)				
484(8 2)	202(9 0)	10(0 15)	50(1 13)	152(2 11)	350(3 9)				
549(4 7)	704(5 5)	682(6 3)	423(7 1)	53(0 12)	191(1 10)				
398(2 8)	628(3 6)	709(4 4)	598(5 2)	216(5 0)	132(0 9)				
363(1 7)	559(2 5)	580(3 3)	376(4 1)	202(0 6)	356(1 4)				
336(2 2)	151(3 0)	145(0 3)	130(1 1)	15(0 0)					

	4	4	3	2	2	1	0	0	0
1(19 7)	1(20 5)	1(21 3)	1(22 1)	1(16 10)	3(17 8)				
3(18 4)	7(19 4)	7(20 2)	2(21 0)	1(13 13)	4(14 11)				
1(15 9)	19(16 7)	29(17 5)	29(18 3)	19(19 1)	1(10 16)				
3(11 14)	11(12 12)	27(13 10)	53(14 8)	76(15 6)	92(16 4)				
32(17 2)	30(18 0)	1(8 17)	7(9 16)	22(10 15)	57(11 11)				
108(12 9)	173(13 7)	213(14 5)	207(15 3)	127(16 1)	5(6 18)				
13(7 16)	4(8 14)	96(9 12)	196(10 10)	315(11 8)	429(12 6)				
449(11 4)	360(12 2)	181(13 0)	2(4 19)	15(5 17)	59(6 15)				
339(7 13)	243(8 11)	495(9 9)	702(10 7)	826(11 5)	747(12 3)				
253(3 1)	3(2 20)	14(3 18)	69(4 16)	153(5 14)	351(6 12)				
1051(1 10)	1095(2 8)	1230(3 6)	1304(4 4)	978(5 2)	379(0 9)				
4(1 19)	41(2 17)	143(3 15)	332(4 13)	720(5 11)	1162(6 9)				
641(7 7)	1852(8 5)	1660(9 3)	980(10 1)	20(0 18)	35(1 16)				
279(2 14)	626(3 12)	1178(4 10)	1773(5 8)	2246(6 6)	2253(7 4)				
724(8 2)	635(9 0)	93(0 15)	270(1 13)	849(2 11)	1555(3 9)				
177(4 7)	2527(5 5)	226(6 3)	1352(7 1)	333(0 12)	32(1 10)				
306(2 8)	2311(3 6)	2372(4 4)	1911(5 2)	704(6 0)	379(0 9)				
303(1 7)	1778(2 5)	1753(3 3)	1038(4 1)	692(0 6)	1100(1 4)				
204(2 2)	388(3 0)	384(0 3)	357(1 1)	57(0 0)					

	4	4	3	2	1	0	0	0	0
1(20 5)	2(21 3)	1(22 1)	1(16 13)	4(17 8)	9(18 6)				
13(19 4)	13(20 2)	5(21 0)	1(13 13)	6(14 11)	13(15 9)				
38(16 7)	58(17 5)	62(18 3)	42(19 1)	4(11 14)	19(12 12)				
54(13 10)	113(14 8)	178(15 6)	212(16 4)	177(17 2)	72(18 0)				

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF UNO

1(8 17)	100(9 15)	443(10 13)	122(11 11)	258(12 9)	
549(14 5)	536(15 3)	335(16 1)	20(6 18)	18(7 16)	426(13 7)
218(9 12)	478(10 10)	827(11 8)	1148(12 6)	1251(13 4)	76(8 14)
376(15 0)	3(4 19)	25(5 17)	106(6 15)	318(7 13)	994(14 2)
1337(9 9)	1985(10 7)	2281(11 5)	2204(12 3)	1338(13 1)	729(8 11)
25(3 18)	117(4 16)	375(5 14)	921(6 12)	1803(7 10)	3(2 20)
3765(9 6)	3928(10 4)	2026(11 2)	1147(12 0)	1(0 21)	2884(8 8)
92(2 17)	343(3 15)	936(4 13)	2011(5 11)	3496(6 9)	16(1 19)
5797(8 5)	5248(9 3)	5146(10 1)	36(0 18)	207(1 16)	4995(7 7)
1770(3 12)	3464(4 10)	5483(5 8)	7090(6 6)	7322(7 4)	711(2 14)
2099(9 0)	264(0 15)	1044(1 13)	2571(2 11)	4775(3 9)	5603(8 2)
8295(5 5)	7563(6 3)	4547(7 1)	956(0 12)	2796(1 10)	7331(4 7)
7348(3 6)	7956(4 4)	6218(5 2)	2366(6 0)	1936(0 9)	5236(2 8)
6103(2 5)	6073(3 3)	3806(4 1)	2300(0 6)	3763(1 4)	4344(1 7)
1401(3 0)	1394(0 3)	1273(1 1)	182(0 0)		3475(2 2)

1(17 8)	2(18 6)	3(19 4)	1(1 0)	0(0 0)	
5(15 9)	12(16 7)	18(17 5)	3(20 2)	1(21 0)	1(14 11)
16(13 10)	27(14 8)	64(15 6)	20(18 3)	13(19 1)	3(12 12)
1(9 15)	10(10 13)	37(11 11)	78(16 4)	66(17 2)	26(18 0)
220(15 3)	140(16 1)	3(7 16)	93(12 9)	164(13 7)	223(14 5)
332(11 8)	464(12 6)	548(13 4)	17(8 14)	69(9 12)	172(10 10)
5(5 17)	30(6 15)	104(7 13)	440(14 3)	171(15 0)	1(4 19)
1083(11 5)	1032(12 3)	633(13 1)	276(8 11)	549(9 9)	873(10 7)
343(6 12)	750(7 10)	1275(8 8)	6(3 18)	30(4 16)	125(5 14)
561(12 0)	11(0 21)	4(1 19)	1755(9 6)	1885(10 4)	1480(11 2)
844(5 11)	1581(6 9)	2360(7 7)	30(2 17)	117(3 15)	365(4 13)
7(0 18)	71(1 16)	265(2 14)	2850(8 5)	2635(9 3)	1655(10 1)
3499(6 6)	3737(7 4)	2896(8 2)	745(3 12)	1552(4 10)	2612(5 8)
1179(2 11)	2235(3 9)	3525(4 7)	1107(9 0)	111(0 15)	441(1 13)
418(0 2)	1340(1 10)	2602(2 8)	4272(5 5)	3991(0 3)	2424(7 1)
1273(6 0)	992(0 9)	2257(1 7)	3803(0 6)	4203(4 4)	3501(5 2)
1203(0 6)	2057(1 4)	1926(2 2)	3274(2 5)	3301(3 3)	2399(4 1)
96(0 0)			790(3 1)	785(0 0)	715(1 1)

1(22 1)	1(13 6)	3(19 4)	2(9 3)	0(0 0)	
3(15 9)	8(16 7)	14(17 5)	3(20 2)	2(21 0)	1(14 11)
4(12 12)	14(13 10)	30(14 8)	18(16 3)	12(15 1)	1(11 14)
20(18 0)	2(0 15)	12(10 13)	52(15 0)	65(16 4)	59(17 2)
189(14 5)	187(15 3)	119(16 1)	35(11 11)	81(12 9)	489(13 7)
161(10 10)	297(11 9)	421(12 6)	4(7 14)	2(0 17)	70(8 12)
5(5 17)	30(6 15)	134(7 13)	474(13 4)	574(14 2)	131(15 0)
950(11 5)	891(12 3)	347(13 1)	262(9 11)	502(9 9)	775(10 7)
335(6 12)	707(7 10)	1169(8 8)	5(3 18)	30(4 16)	125(5 14)
484(12 0)	3(1 19)	26(2 17)	1577(0 0)	1663(0 0)	1304(11 2)
1458(6 6)	2152(7 4)	2554(6 5)	114(2 15)	350(4 13)	3021(5 11)
69(3 16)	263(2 14)	716(3 12)	2339(0 6)	1410(0 1)	9(0 18)
3372(7 4)	2584(8 2)	997(9 0)	1470(4 10)	2425(5 3)	3193(6 6)
2139(3 9)	3247(0 7)	3995(5 5)	3020(0 5)	434(1 13)	4113(2 11)
1264(1 13)	2430(1 8)	3512(2 6)	3601(6 3)	2177(7 1)	407(0 12)
918(0 9)	2091(1 7)	2003(2 5)	3838(4 1)	3052(2 2)	1151(6 0)
1991(1 4)	1746(2 3)	723(3 0)	3015(3 3)	1909(4 1)	1122(0 6)
			720(1 3)	652(1 1)	09(0 0)

1(13 6)	2(19 4)	2(20 2)	1(21 0)	3(15 9)	8(16 7)
15(17 5)	17(18 3)	12(10 1)	3(12 12)	12(13 10)	34(14 8)
59(15 6)	77(16 4)	66(17 2)	27(18 0)	1(9 15)	8(10 13)
35(11 11)	89(12 9)	169(13 7)	233(14 5)	239(15 3)	152(16 1)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

2(7 16)	18(8 14)	69(9 12)	187(10 10)	363(11 8)	550(12 6)
626(13 4)	514(14 2)	197(15 0)	3(5 17)	25(6 15)	108(7 13)
300(8 11)	631(9 9)	1018(10 7)	1298(11 5)	1242(12 3)	772(13 1)
3(3 18)	30(4 16)	130(5 14)	398(6 12)	887(7 10)	1565(8 8)
2171(9 6)	2377(10 4)	1871(11 2)	721(12 0)	2(1 19)	22(2 17)
121(3 15)	407(4 13)	1018(5 11)	1952(6 9)	3001(7 7)	3654(8 5)
3426(9 3)	2088(10 1)	10(0 18)	73(1 16)	317(2 14)	908(3 12)
1986(4 10)	3383(5 8)	4633(6 6)	4963(7 4)	3900(8 2)	1471(9 0)
114(0 15)	540(1 13)	1481(2 11)	3000(3 9)	4684(4 7)	5785(5 5)
5425(6 3)	3324(7 1)	563(0 12)	1772(1 10)	3553(2 8)	5218(3 6)
5859(4 4)	4670(5 2)	1807(6 0)	1309(0 9)	3120(1 7)	4546(2 5)
4657(3 3)	2960(4 1)	1741(0 8)	2917(1 4)	2760(2 2)	1114(3 0)
1104(0 3)	1030(1 1)	153(0 0)			

1(16 7)	2(17 5)	3(18 3)	2(19 1)	1(13 10)	5(14 8)
12(13 6)	16(16 4)	16(17 2)	6(18 0)	4(11 12)	16(12 2)
37(13 7)	59(14 5)	64(15 3)	43(16 1)	1(8 14)	9(9 12)
36(10 10)	87(11 8)	148(12 6)	186(13 4)	157(14 2)	54(15 0)
2(6 15)	15(7 13)	60(8 11)	156(9 9)	289(10 7)	401(11 5)
408(12 3)	260(13 1)	2(4 16)	19(5 14)	80(6 12)	222(7 10)
45(8 9)	692(9 6)	803(10 4)	664(11 2)	255(12 0)	2(2 17)
18(3 15)	84(4 13)	256(5 11)	569(6 9)	968(7 7)	1263(8 5)
1243(9 3)	780(10 1)	1(0 18)	11(1 16)	64(2 14)	229(3 12)
575(4 13)	1397(5 8)	1618(6 6)	1836(7 4)	1483(8 2)	578(9 0)
24(0 15)	135(1 13)	423(2 11)	972(3 9)	1650(4 7)	2157(5 5)
2107(6 3)	1319(7 1)	160(0 12)	575(1 10)	1245(2 8)	1956(3 6)
2287(4 4)	1886(5 2)	729(6 0)	467(0 9)	1171(1 7)	1794(2 5)
1894(3 3)	1229(4 1)	678(0 8)	1193(1 4)	1146(2 2)	470(3 0)
469(0 3)	440(1 1)	62(0 0)			

1(16 4)	1(17 2)	1(13 7)	2(14 5)	4(15 3)	3(16 1)
1(10 10)	3(11 8)	0(12 6)	13(13 4)	13(14 2)	5(15 0)
1(8 11)	6(9 9)	15(10 7)	30(11 5)	34(12 3)	25(13 1)
2(6 12)	9(7 10)	29(8 8)	34(9 6)	74(10 4)	60(11 2)
17(12 3)	1(4 13)	13(5 11)	37(6 9)	78(7 7)	115(8 5)
123(9 3)	83(10 1)	0(2 14)	9(3 13)	37(4 10)	38(5 8)
153(6 6)	192(7 4)	168(8 2)	65(9 0)	5(1 13)	25(2 11)
75(3 9)	150(4 7)	227(5 5)	227(6 3)	157(7 1)	11(0 12)
44(1 10)	118(2 8)	285(3 6)	266(4 4)	223(5 2)	34(6 0)
39(0 9)	123(1 7)	233(2 5)	233(3 3)	155(4 1)	33(0 8)
147(1 4)	152(2 0)	51(3 3)	59(0 3)	50(1 1)	10(0 0)

1(17 3)	7(18 3)	1(14 7)	1(13 10)	2(14 8)	6(15 6)
3(15 4)	8(17 2)	3(16 0)	1(10 15)	4(11 11)	12(12 9)
25(13 7)	35(14 5)	62(15 3)	24(16 1)	1(0 14)	3(9 12)
29(10 10)	61(11 8)	97(12 6)	114(13 4)	35(1 1)	27(15 0)
3(6 15)	15(7 13)	52(8 11)	119(9 9)	274(10 7)	230(11 5)
268(12 3)	164(13 1)	2(4 16)	13(5 14)	69(6 12)	175(7 10)
333(9 3)	485(0 6)	547(10 4)	432(11 2)	167(12 0)	5(2 17)
18(3 13)	78(4 13)	314(5 11)	446(6 9)	714(7 7)	697(8 5)
354(9 3)	525(10 1)	11(1 13)	57(2 14)	196(3 12)	431(4 10)
339(5 8)	1185(6 6)	335(7 5)	1035(8 3)	395(9 0)	25(0 15)
110(1 13)	363(2 11)	737(3 9)	354(4 7)	1595(5 0)	1517(6 2)
935(7 1)	130(0 12)	460(1 10)	950(2 9)	1469(3 0)	1079(4 4)
1365(5 3)	527(6 0)	370(0 8)	293(1 7)	1346(2 0)	1390(3 3)
901(4 1)	307(0 6)	899(1 4)	845(2 2)	350(3 0)	352(0 3)
325(1 1)	46(0 0)				

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(6)

1(14 8)	2(15 6)	4(16 4)	1(17 2)	2(18 0)	1(19 1)	1(20 2)	1(21 3)	1(22 4)	1(23 5)	1(24 6)	1(25 7)	1(26 8)	1(27 9)	1(28 10)	1(29 11)	1(30 12)	1(31 13)	1(32 14)	1(33 15)	1(34 16)	1(35 17)	1(36 18)	1(37 19)	1(38 20)	1(39 21)	1(40 22)	1(41 23)	1(42 24)	1(43 25)	1(44 26)	1(45 27)	1(46 28)	1(47 29)	1(48 30)	1(49 31)	1(50 32)	1(51 33)	1(52 34)	1(53 35)	1(54 36)	1(55 37)	1(56 38)	1(57 39)	1(58 40)	1(59 41)	1(60 42)																		
4(12 9)	11(13 7)	17(14 5)	20(15 3)	13(16 1)	11(17 0)	10(18 1)	9(19 2)	8(20 3)	7(21 4)	6(22 5)	5(23 6)	4(24 7)	3(25 8)	2(26 9)	1(27 10)	1(28 11)	1(29 12)	1(30 13)	1(31 14)	1(32 15)	1(33 16)	1(34 17)	1(35 18)	1(36 19)	1(37 20)	1(38 21)	1(39 22)	1(40 23)	1(41 24)	1(42 25)	1(43 26)	1(44 27)	1(45 28)	1(46 29)	1(47 30)	1(48 31)	1(49 32)	1(50 33)	1(51 34)	1(52 35)	1(53 36)	1(54 37)	1(55 38)	1(56 39)	1(57 40)	1(58 41)	1(59 42)	1(60 43)																
11(10 10)	28(11 8)	53(12 6)	65(13 4)	13(16 1)	10(17 0)	9(18 1)	8(19 2)	7(20 3)	6(21 4)	5(22 5)	4(23 6)	3(24 7)	2(25 8)	1(26 9)	1(27 10)	1(28 11)	1(29 12)	1(30 13)	1(31 14)	1(32 15)	1(33 16)	1(34 17)	1(35 18)	1(36 19)	1(37 20)	1(38 21)	1(39 22)	1(40 23)	1(41 24)	1(42 25)	1(43 26)	1(44 27)	1(45 28)	1(46 29)	1(47 30)	1(48 31)	1(49 32)	1(50 33)	1(51 34)	1(52 35)	1(53 36)	1(54 37)	1(55 38)	1(56 39)	1(57 40)	1(58 41)	1(59 42)	1(60 43)																
4(7 13)	19(8 11)	57(9 9)	110(10 7)	161(11 5)	110(12 3)	86(13 1)	56(14 0)	37(15 1)	24(16 2)	16(17 3)	10(18 4)	6(19 5)	4(20 6)	3(21 7)	2(22 8)	1(23 9)	1(24 10)	1(25 11)	1(26 12)	1(27 13)	1(28 14)	1(29 15)	1(30 16)	1(31 17)	1(32 18)	1(33 19)	1(34 20)	1(35 21)	1(36 22)	1(37 23)	1(38 24)	1(39 25)	1(40 26)	1(41 27)	1(42 28)	1(43 29)	1(44 30)	1(45 31)	1(46 32)	1(47 33)	1(48 34)	1(49 35)	1(50 36)	1(51 37)	1(52 38)	1(53 39)	1(54 40)	1(55 41)	1(56 42)	1(57 43)	1(58 44)	1(59 45)	1(60 46)											
108(13 1)	5(5 14)	28(6 12)	86(7 10)	188(8 8)	110(9 6)	56(10 4)	37(11 2)	24(12 0)	16(13 1)	10(14 0)	6(15 1)	4(16 2)	3(17 3)	2(18 4)	1(19 5)	1(20 6)	1(21 7)	1(22 8)	1(23 9)	1(24 10)	1(25 11)	1(26 12)	1(27 13)	1(28 14)	1(29 15)	1(30 16)	1(31 17)	1(32 18)	1(33 19)	1(34 20)	1(35 21)	1(36 22)	1(37 23)	1(38 24)	1(39 25)	1(40 26)	1(41 27)	1(42 28)	1(43 29)	1(44 30)	1(45 31)	1(46 32)	1(47 33)	1(48 34)	1(49 35)	1(50 36)	1(51 37)	1(52 38)	1(53 39)	1(54 40)	1(55 41)	1(56 42)	1(57 43)	1(58 44)	1(59 45)	1(60 46)								
358(10 4)	291(11 2)	121(12 0)	56(3 15)	29(4 13)	110(5 1)	56(6 0)	37(7 1)	24(8 2)	16(9 3)	10(10 4)	6(11 5)	4(12 6)	3(13 7)	2(14 8)	1(15 9)	1(16 10)	1(17 11)	1(18 12)	1(19 13)	1(20 14)	1(21 15)	1(22 16)	1(23 17)	1(24 18)	1(25 19)	1(26 20)	1(27 21)	1(28 22)	1(29 23)	1(30 24)	1(31 25)	1(32 26)	1(33 27)	1(34 28)	1(35 29)	1(36 30)	1(37 31)	1(38 32)	1(39 33)	1(40 34)	1(41 35)	1(42 36)	1(43 37)	1(44 38)	1(45 39)	1(46 40)	1(47 41)	1(48 42)	1(49 43)	1(50 44)	1(51 45)	1(52 46)	1(53 47)	1(54 48)	1(55 49)	1(56 50)	1(57 51)	1(58 52)	1(59 53)	1(60 54)				
245(6 9)	439(7 7)	588(8 5)	590(9 3)	372(10 1)	110(11 0)	56(12 1)	37(13 2)	24(14 3)	16(15 4)	10(16 5)	6(17 6)	4(18 7)	3(19 8)	2(20 9)	1(21 10)	1(22 11)	1(23 12)	1(24 13)	1(25 14)	1(26 15)	1(27 16)	1(28 17)	1(29 18)	1(30 19)	1(31 20)	1(32 21)	1(33 22)	1(34 23)	1(35 24)	1(36 25)	1(37 26)	1(38 27)	1(39 28)	1(40 29)	1(41 30)	1(42 31)	1(43 32)	1(44 33)	1(45 34)	1(46 35)	1(47 36)	1(48 37)	1(49 38)	1(50 39)	1(51 40)	1(52 41)	1(53 42)	1(54 43)	1(55 44)	1(56 45)	1(57 46)	1(58 47)	1(59 48)	1(60 49)										
24(2 14)	95(3 12)	262(4 10)	516(5 8)	793(6 6)	110(7 5)	56(8 4)	37(9 3)	24(10 2)	16(11 1)	10(12 0)	6(13 1)	4(14 2)	3(15 3)	2(16 4)	1(17 5)	1(18 6)	1(19 7)	1(20 8)	1(21 9)	1(22 10)	1(23 11)	1(24 12)	1(25 13)	1(26 14)	1(27 15)	1(28 16)	1(29 17)	1(30 18)	1(31 19)	1(32 20)	1(33 21)	1(34 22)	1(35 23)	1(36 24)	1(37 25)	1(38 26)	1(39 27)	1(40 28)	1(41 29)	1(42 30)	1(43 31)	1(44 32)	1(45 33)	1(46 34)	1(47 35)	1(48 36)	1(49 37)	1(50 38)	1(51 39)	1(52 40)	1(53 41)	1(54 42)	1(55 43)	1(56 44)	1(57 45)	1(58 46)	1(59 47)	1(60 48)						
755(8 2)	282(9 0)	8(0 15)	58(1 13)	197(2 11)	110(3 9)	56(4 7)	37(5 5)	24(6 3)	16(7 1)	10(8 0)	6(9 1)	4(10 2)	3(11 3)	2(12 4)	1(13 5)	1(14 6)	1(15 7)	1(16 8)	1(17 9)	1(18 10)	1(19 11)	1(20 12)	1(21 13)	1(22 14)	1(23 15)	1(24 16)	1(25 17)	1(26 18)	1(27 19)	1(28 20)	1(29 21)	1(30 22)	1(31 23)	1(32 24)	1(33 25)	1(34 26)	1(35 27)	1(36 28)	1(37 29)	1(38 30)	1(39 31)	1(40 32)	1(41 33)	1(42 34)	1(43 35)	1(44 36)	1(45 37)	1(46 38)	1(47 39)	1(48 40)	1(49 41)	1(50 42)	1(51 43)	1(52 44)	1(53 45)	1(54 46)	1(55 47)	1(56 48)	1(57 49)	1(58 50)	1(59 51)	1(60 52)		
826(4 7)	1110(5 5)	1098(6 3)	695(7 1)	78(0 12)	110(1 10)	56(2 8)	37(3 6)	24(4 4)	16(5 2)	10(6 0)	6(7 1)	4(8 2)	3(9 3)	2(10 4)	1(11 5)	1(12 6)	1(13 7)	1(14 8)	1(15 9)	1(16 10)	1(17 11)	1(18 12)	1(19 13)	1(20 14)	1(21 15)	1(22 16)	1(23 17)	1(24 18)	1(25 19)	1(26 20)	1(27 21)	1(28 22)	1(29 23)	1(30 24)	1(31 25)	1(32 26)	1(33 27)	1(34 28)	1(35 29)	1(36 30)	1(37 31)	1(38 32)	1(39 33)	1(40 34)	1(41 35)	1(42 36)	1(43 37)	1(44 38)	1(45 39)	1(46 40)	1(47 41)	1(48 42)	1(49 43)	1(50 44)	1(51 45)	1(52 46)	1(53 47)	1(54 48)	1(55 49)	1(56 50)	1(57 51)	1(58 52)	1(59 53)	1(60 54)
646(2 8)	1029(3 6)	1239(4 4)	1017(5 2)	41(0 6)	110(1 5)	56(2 4)	37(3 3)	24(4 2)	16(5 1)	10(6 0)	6(7 1)	4(8 2)	3(9 3)	2(10 4)	1(11 5)	1(12 6)	1(13 7)	1(14 8)	1(15 9)	1(16 10)	1(17 11)	1(18 12)	1(19 13)	1(20 14)	1(21 15)	1(22 16)	1(23 17)	1(24 18)	1(25 19)	1(26 20)	1(27 21)	1(28 22)	1(29 23)	1(30 24)	1(31 25)	1(32 26)	1(33 27)	1(34 28)	1(35 29)	1(36 30)	1(37 31)	1(38 32)	1(39 33)	1(40 34)	1(41 35)	1(42 36)	1(43 37)	1(44 38)	1(45 39)	1(46 40)	1(47 41)	1(48 42)	1(49 43)	1(50 44)	1(51 45)	1(52 46)	1(53 47)	1(54 48)	1(55 49)	1(56 50)	1(57 51)	1(58 52)	1(59 53)	1(60 54)
628(1 7)	978(2 5)	1053(3 3)	687(4 1)	384(0 6)	110(1 4)	56(2 3)	37(3 2)	24(4 1)	16(5 0)	10(6 1)	6(7 2)	4(8 3)	3(9 4)	2(10 5)	1(11 6)	1(12 7)	1(13 8)	1(14 9)	1(15 10)	1(16 11)	1(17 12)	1(18 13)	1(19 14)	1(20 15)	1(21 16)	1(22 17)	1(23 18)	1(24 19)	1(25 20)	1(26 21)	1(27 22)	1(28 23)	1(29 24)	1(30 25)	1(31 26)	1(32 27)	1(33 28)	1(34 29)	1(35 30)	1(36 31)	1(37 32)	1(38 33)	1(39 34)	1(40 35)	1(41 36)	1(42 37)	1(43 38)	1(44 39)	1(45 40)	1(46 41)	1(47 42)	1(48 43)	1(49 44)	1(50 45)	1(51 46)	1(52 47)	1(53 48)	1(54 49)	1(55 50)	1(56 51)	1(57 52)	1(58 53)	1(59 54)	1(60 55)
664(2 2)	266(3 0)	264(0 3)	255(1 1)	41(0 6)	110(2 3)	56(3 2)	37(4 1)	24(5 0)	16(6 1)	10(7 2)	6(8 3)	4(9 4)	3(10 5)	2(11 6)	1(12 7)	1(13 8)	1(14 9)	1(15 10)	1(16 11)	1(17 12)	1(18 13)	1(19 14)	1(20 15)	1(21 16)	1(22 17)	1(23 18)	1(24 19)	1(25 20)	1(26 21)	1(27 22)	1(28 23)	1(29 24)	1(30 25)	1(31 26)	1(32 27)	1(33 28)	1(34 29)	1(35 30)	1(36 31)	1(37 32)	1(38 33)	1(39 34)	1(40 35)	1(41 36)	1(42 37)	1(43 38)	1(44 39)	1(45 40)	1(46 41)	1(47 42)	1(48 43)	1(49 44)	1(50 45)	1(51 46)	1(52 47)	1(53 48)	1(54 49)	1(55 50)	1(56 51)	1(57 52)	1(58 53)	1(59 54)	1(60 55)	



TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

3(10 13)	9(11 11)	24(12 9)	42(13 7)	62(14 5)	63(15 3)
42(16 1)	1(7 16)	7(8 14)	23(9 12)	59(10 10)	106(11 8)
162(12 6)	179(13 4)	152(14 2)	53(15 0)	1(5 17)	12(6 15)
40(7 13)	107(8 11)	207(9 9)	328(10 7)	403(11 5)	386(12 3)
235(13 1)	2(3 18)	14(4 16)	55(5 14)	153(6 12)	319(7 10)
542(8 8)	723(9 6)	781(10 4)	599(11 2)	236(12 0)	1(1 19)
12(2 17)	53(3 15)	170(4 13)	389(5 11)	721(6 9)	1059(7 7)
1263(8 5)	1154(9 3)	700(10 1)	5(0 18)	34(1 16)	135(2 14)
366(3 12)	762(4 10)	1250(5 8)	1667(6 6)	1738(7 4)	1353(8 2)
500(9 0)	52(0 15)	222(1 13)	593(2 11)	1144(3 9)	1745(4 7)
2093(5 5)	1926(6 3)	1169(7 1)	223(0 12)	691(1 10)	1345(2 8)
1931(3 6)	2133(4 4)	1674(5 2)	647(6 0)	510(0 9)	1171(1 7)
1686(2 5)	1697(3 3)	1073(4 1)	642(0 6)	1071(1 4)	1005(2 2)
403(3 0)	408(0 3)	376(1 1)	55(0 0)		

1(16 7)	2(17 5)	2(18 3)	2(19 1)	2(13 10)	6(14 8)
13(15 6)	17(16 4)	16(17 2)	6(18 0)	1(10 13)	3(11 11)
23(12 9)	47(13 7)	69(14 5)	72(15 3)	46(16 1)	4(8 14)
20(9 12)	58(10 10)	121(11 8)	186(12 6)	221(13 4)	181(14 2)
71(15 0)	1(5 17)	8(6 15)	38(7 13)	110(8 11)	239(9 9)
394(10 7)	509(11 5)	493(12 3)	308(13 1)	1(3 18)	11(4 16)
52(5 14)	162(6 12)	272(7 10)	660(8 8)	932(9 6)	1020(10 4)
813(11 2)	310(12 0)	1(1 19)	10(2 17)	54(3 15)	183(4 13)
461(5 11)	891(6 9)	1377(7 7)	1685(8 5)	1591(9 3)	968(10 1)
4(0 18)	34(1 16)	148(2 14)	434(3 12)	951(4 10)	1637(5 8)
2240(6 6)	2414(7 4)	1889(8 2)	721(9 0)	57(0 15)	267(1 13)
741(2 11)	1506(3 9)	2362(4 7)	2919(5 5)	2744(6 3)	1678(7 1)
292(0 12)	910(1 10)	1829(2 8)	2708(3 6)	3036(4 4)	2433(5 2)
931(6 0)	690(0 9)	1644(1 7)	2410(2 5)	2469(3 3)	1573(4 1)
923(0 6)	1567(1 4)	1477(2 2)	606(3 0)	602(0 3)	559(1 1)
81(0 0)					

1(14 8)	2(15 6)	3(16 4)	1(17 2)	2(18 0)	5(12 9)
7(13 7)	12(14 5)	13(15 3)	9(16 1)	1(9 12)	8(10 10)
2(11 8)	37(12 6)	45(13 4)	44(14 2)	13(15 0)	3(7 13)
16(8 11)	40(9 9)	85(10 7)	118(11 5)	123(12 3)	78(13 1)
1(4 16)	5(5 14)	25(6 12)	69(7 10)	148(8 8)	225(9 6)
275(11 4)	216(11 2)	93(12 0)	1(2 17)	3(3 15)	29(4 13)
68(5 11)	202(8 9)	148(7 7)	459(3 5)	449(9 3)	284(10 1)
4(1 16)	24(2 14)	32(3 12)	212(4 10)	412(5 8)	622(6 6)
602(7 4)	640(8 2)	213(9 0)	10(0 15)	53(1 13)	170(2 11)
384(0 9)	667(4 7)	262(5 5)	850(6 3)	531(7 1)	65(0 12)
231(1 12)	614(1 9)	803(3 6)	655(4 4)	777(5 2)	514(6 0)
192(0 9)	491(1 7)	750(2 3)	913(3 3)	524(4 1)	295(0 6)
511(0 4)	502(2 8)	371(3 0)	202(0 3)	191(1 1)	30(0 0)

1(12 3)	1(14 8)	3(15 6)	5(16 4)	5(17 2)	2(18 0)
2(11 11)	7(13 9)	16(14 7)	26(14 5)	27(15 3)	49(16 1)
1(9 14)	7(9 12)	23(11 10)	51(11 8)	84(12 6)	100(13 4)
84(14 2)	34(15 0)	2(5 15)	14(7 13)	48(8 11)	123(9 9)
137(10 7)	259(11 5)	255(12 3)	160(13 1)	3(4 16)	20(5 14)
75(6 12)	189(7 10)	256(8 8)	515(9 6)	574(10 4)	452(11 2)
176(12 0)	2(2 17)	20(3 15)	95(4 13)	241(5 11)	501(6 9)
803(7 7)	1008(8 5)	958(9 3)	599(10 1)	1(0 18)	13(1 16)
70(2 14)	232(3 12)	551(4 10)	692(5 8)	1401(6 6)	1535(7 4)
1214(8 2)	465(9 0)	26(0 15)	143(1 13)	434(2 11)	932(3 9)
1519(4 7)	1921(5 5)	1831(6 3)	1130(7 1)	167(0 12)	571(1 10)

TABLE 1 - IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

3(10 13)	9(11 11)	24(12 9)	42(13 7)	62(14 5)	63(15 3)
42(16 1)	1(7 16)	7(8 14)	23(9 12)	59(10 13)	126(11 8)
162(12 6)	179(13 4)	152(14 2)	53(15 0)	1(5 17)	12(6 15)
40(7 13)	107(8 11)	207(9 9)	328(10 7)	403(11 5)	386(12 3)
235(13 1)	2(3 18)	14(4 16)	55(5 14)	153(6 12)	319(7 10)
542(8 8)	723(9 6)	781(10 4)	599(11 2)	236(12 0)	1(1 19)
12(2 17)	53(3 15)	170(4 13)	389(5 11)	721(6 9)	1059(7 7)
1263(8 5)	1154(9 3)	700(10 1)	5(0 18)	34(1 16)	135(2 14)
366(3 12)	762(4 10)	1250(5 8)	1667(6 6)	1738(7 4)	1353(8 2)
500(9 0)	52(0 15)	222(1 13)	593(2 11)	1144(3 9)	1745(4 7)
2093(5 5)	1936(6 3)	1169(7 1)	223(0 12)	691(1 10)	1345(2 8)
1931(3 6)	2133(4 4)	1674(5 2)	647(6 0)	510(0 9)	1171(1 7)
1686(2 5)	1697(3 3)	1073(4 1)	642(0 6)	1071(1 4)	1005(2 2)
403(3 0)	408(0 3)	376(1 1)	55(0 0)		

1(16 7)	2(17 5)	2(18 3)	2(19 1)	2(13 10)	6(14 8)
13(15 6)	17(16 4)	16(17 2)	6(18 0)	1(10 13)	5(11 11)
23(12 9)	47(13 7)	68(14 5)	72(15 3)	46(16 1)	4(8 14)
20(9 12)	58(10 10)	121(11 8)	186(12 6)	221(13 4)	181(14 2)
71(15 0)	1(5 17)	8(6 15)	38(7 13)	110(8 11)	239(9 9)
394(10 7)	509(11 5)	493(12 3)	308(13 1)	1(3 18)	11(4 16)
52(5 14)	162(6 12)	272(7 10)	660(8 8)	932(9 6)	1025(10 4)
813(11 2)	310(12 0)	1(1 19)	10(2 17)	54(3 15)	183(4 13)
461(5 11)	891(6 9)	1377(7 7)	1685(8 5)	1591(9 3)	968(10 1)
4(0 18)	34(1 16)	148(2 14)	434(3 12)	951(4 10)	1637(5 8)
2240(6 6)	2414(7 4)	1889(8 2)	721(9 0)	57(0 15)	267(1 13)
741(2 11)	1506(3 9)	2362(4 7)	2919(5 5)	2744(6 3)	1678(7 1)
282(0 12)	910(1 10)	1829(2 8)	2798(3 6)	3036(4 4)	2435(5 2)
931(6 0)	690(0 9)	1644(1 7)	2410(2 5)	2469(3 3)	1573(4 1)
923(0 6)	1567(1 4)	1477(2 2)	606(3 0)	602(0 3)	509(1 1)
81(0 0)					

1(14 8)	1(15 6)	3(16 4)	1(17 2)	2(18 0)	3(12 9)
7(13 7)	12(14 5)	13(15 3)	9(16 1)	1(9 12)	8(10 10)
2(11 8)	30(12 6)	45(13 4)	44(14 2)	13(15 0)	3(7 13)
16(8 11)	40(9 9)	55(10 7)	118(11 5)	123(12 3)	78(13 1)
1(4 16)	5(5 14)	25(6 12)	69(7 10)	148(8 8)	225(9 6)
273(10 4)	216(11 2)	93(12 0)	1(2 17)	5(3 15)	29(4 13)
68(5 11)	202(6 9)	743(7 7)	459(8 5)	449(9 3)	284(10 1)
4(0 16)	24(0 14)	32(3 12)	219(4 10)	412(5 8)	622(6 6)
609(7 4)	640(8 2)	213(9 0)	17(0 17)	53(1 13)	170(2 11)
384(3 0)	967(4 7)	252(5 5)	850(6 3)	531(7 1)	35(0 12)
231(1 10)	514(2 8)	873(3 6)	935(4 4)	777(5 2)	514(6 0)
192(0 9)	491(1 7)	750(2 5)	813(3 3)	524(4 1)	295(0 6)
511(0 4)	502(0 3)	341(3 0)	202(0 3)	191(1 1)	33(0 0)

1(10 3)	1(14 8)	3(15 6)	5(16 4)	5(17 2)	2(18 0)
2(11 11)	7(13 9)	16(12 7)	26(14 5)	27(15 3)	19(16 1)
7(9 4)	7(9 12)	23(11 10)	51(11 8)	84(12 6)	150(13 4)
84(14 2)	34(15 0)	2(3 15)	14(7 13)	48(8 11)	115(9 9)
137(10 7)	259(11 5)	255(12 3)	160(13 1)	3(4 16)	20(5 14)
75(6 12)	189(7 11)	356(8 2)	515(9 6)	576(10 4)	452(11 2)
176(12 0)	2(0 17)	20(3 15)	35(4 13)	241(5 11)	504(6 9)
803(7 7)	1008(8 5)	958(9 3)	599(10 1)	1(0 16)	13(1 16)
70(2 14)	232(3 12)	551(4 10)	692(5 8)	1401(6 6)	1935(7 4)
214(8 2)	465(9 0)	26(3 15)	143(1 13)	434(2 11)	932(3 9)
519(4 7)	1921(5 5)	1831(6 3)	1130(7 1)	167(0 12)	571(1 10)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1199( 2 8)	1825( 3 6)	2086( 4 4)	1690( 5 2)	652( 6 0)	455( 0 9)
1123( 1 7)	1685( 2 5)	1754( 3 3)	1127( 4 1)	652( 0 6)	1128( 1 4)
1078( 2 2)	443( 3 0)	442( 0 3)	415( 1 1)	61( 0 0)	
		4 3 3 2 2	1 1 1 0 0		
1(15 6)	1(16 4)	2(17 2)	2(12 9)	6(13 7)	11(14 5)
13(15 3)	9(16 1)	1( 9 12)	7(10 10)	22(11 8)	39(12 6)
55(13 4)	45(14 2)	21(15 0)	3( 7 13)	17( 8 11)	50( 9 9)
101(10 7)	147(11 5)	154(12 3)	100(13 1)	5( 5 14)	27( 6 12)
87( 7 10)	185( 8 8)	303( 9 6)	355(10 4)	305(11 2)	213(12 0)
5( 3 15)	32( 4 13)	112( 5 11)	268( 6 9)	475( 7 7)	641( 8 5)
639( 9 3)	405(10 1)	3( 1 16)	26( 2 14)	109( 3 12)	294( 4 10)
593( 5 8)	893( 6 6)	1043( 7 4)	843( 8 2)	339( 9 0)	10( 0 15)
67( 1 13)	235( 2 11)	557( 3 9)	980( 4 7)	1308( 5 5)	1298( 6 3)
818( 7 1)	89( 0 12)	343( 1 10)	770( 2 8)	1252( 3 6)	1480( 4 4)
1245( 5 2)	475( 6 0)	297( 0 9)	769( 1 7)	1209( 2 5)	1293( 3 3)
848( 4 1)	462( 0 6)	838( 1 4)	207( 2 2)	345( 3 0)	340( 0 3)
319( 1 1)	44( 0 0)				
		4 3 3 2 1	1 1 1 1 0		
1(14 5)	1(15 3)	1(16 1)	1(11 8)	4(12 6)	7(13 4)
7(14 2)	2(15 0)	3( 9 9)	11(10 7)	21(11 5)	26(12 3)
18(13 1)	1( 6 12)	6( 7 10)	22( 8 8)	46( 9 6)	65(10 4)
60(11 2)	24(12 0)	1( 4 13)	8( 5 11)	31( 6 9)	73( 7 7)
118( 8 5)	131( 9 3)	89(10 1)	1( 2 14)	8( 3 12)	55( 4 10)
91( 5 8)	167( 6 6)	218( 7 4)	192( 8 2)	78( 9 0)	5( 1 13)
27( 2 11)	85( 3 9)	180( 4 7)	275( 5 5)	297( 6 3)	197( 7 1)
11( 0 12)	52( 1 10)	143( 2 8)	262( 3 6)	343( 4 4)	303( 5 2)
121( 6 0)	53( 0 9)	161( 1 7)	277( 2 5)	318( 3 3)	216( 4 1)
108( 0 6)	206( 1 4)	210( 2 2)	89( 3 0)	86( 0 3)	65( 1 1)
13( 0 0)					
		4 3 2 1 1	1 1 1 1 1		
1(15 3)	1(12 3)	1(13 1)	1( 9 6)	2(10 4)	4(11 2)
1( 7 7)	4( 8 3)	7( 9 3)	5(10 1)	2( 5 6)	5( 6 6)
12( 7 4)	9( 6 2)	7( 9 0)	1( 3 9)	6( 4 7)	13( 5 5)
17( 6 3)	13( 7 1)	1( 1 10)	4( 2 8)	13( 3 0)	17( 4 4)
5( 5 2)	3( 6 1)	1( 0 9)	7( 1 7)	16( 2 5)	20( 3 3)
15( 4 1)	4( 0 6)	14( 1 4)	12( 2 2)	8( 3 0)	7( 0 3)
0( 1 1)					
		4 3 2 2 2	2 2 0 0 0		
1(12 7)	1(14 5)	1(15 3)	1(16 1)	1(10 10)	4(11 8)
4( 7 6)	8(13 4)	6(14 2)	3(15 0)	1( 7 13)	3( 8 11)
17( 7 9)	2(10 7)	28(11 5)	27(12 3)	17(15 1)	1( 5 14)
5( 4 12)	20( 7 10)	41( 8 8)	65( 9 6)	74(10 4)	61(11 2)
22(12 0)	1( 3 15)	7( 4 13)	28( 5 11)	64( 6 9)	115( 7 7)
148( 2 5)	145( 9 3)	90(10 1)	1( 1 16)	6( 2 14)	28( 3 12)
76( 4 10)	152( 5 8)	226( 6 6)	259( 7 4)	206( 8 2)	31( 9 0)
2( 0 15)	18( 1 16)	62( 2 11)	150( 3 9)	261( 4 7)	37( 5 5)
338( 6 3)	214( 7 1)	24( 0 12)	95( 1 10)	214( 2 8)	344( 3 6)
409( 4 4)	340( 5 2)	130( 8 0)	82( 0 9)	219( 1 7)	341( 2 5)
367( 3 3)	241( 4 1)	134( 3 6)	143( 1 4)	237( 2 2)	93( 3 0)
97(10 3)	56( 1 1)	13( 0 0)			
		4 3 2 2 0	2 1 1 0 0		
1(14 5)	1(15 3)	1(16 1)	1(10 10)	3(11 8)	7(12 6)
9(13 4)	9(14 2)	3(15 0)	3( 8 11)	10( 9 9)	23(10 7)
34(11 5)	37(12 3)	24(13 1)	5( 6 12)	19( 7 10)	50( 8 8)
82( 9 6)	104(14 4)	85(11 2)	36(12 0)	6( 4 13)	27( 5 11)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

78( 6 9)	147( 7 7)	208( 8 5)	210( 9 3)	135(10 1)	5( 2 14)
28( 3 12)	91( 4 10)	197( 5 8)	318( 6 6)	375( 7 4)	315( 8 2)
120( 9 0)	2( 0 15)	17( 1 13)	75( 2 11)	194( 3 9)	367( 4 7)
507( 5 5)	516( 6 3)	328( 7 1)	29( 0 12)	123( 1 10)	300( 2 8)
506( 3 6)	624( 4 4)	523( 5 2)	210( 6 0)	117( 0 9)	320( 1 7)
524( 2 5)	574( 3 3)	382( 4 1)	205( 0 6)	379( 1 4)	379( 2 2)
158( 3 0)	159( 0 3)	153( 1 1)	23( 0 0)		

	4	3	2	2	2	1	1	1	1	0
1(12 6)	2(13 4)	2(14 2)	1(15 0)	1( 9 9)	4(10 7)					
9(11 5)	11(12 3)	8(13 1)	2( 7 10)	9( 8 8)	22( 9 6)					
32(10 4)	31(11 2)	13(12 0)	3( 5 11)	15( 6 9)	39( 7 7)					
66( 8 5)	77( 9 3)	52(10 1)	3( 3 12)	17( 4 10)	52( 5 8)					
100( 6 6)	136( 7 4)	123( 8 2)	50( 9 0)	2( 1 13)	14( 2 11)					
51( 3 9)	115( 4 7)	183( 5 5)	203( 6 3)	136( 7 1)	5( 0 12)					
32( 1 10)	94( 2 8)	183( 3 6)	244( 4 4)	220( 5 2)	90( 6 0)					
36( 0 9)	114( 1 7)	205( 2 5)	240( 3 3)	165( 4 1)	81( 0 6)					
159( 1 4)	165( 2 2)	71( 3 0)	70( 0 3)	68( 1 1)	11( 0 0)					

	4	3	2	2	1	1	1	1	1
1(12 3)	1(13 1)	3(10 4)	3(11 2)	2(12 0)	1( 7 7)				
5( 8 5)	8( 9 3)	7(10 1)	1( 5 8)	7( 6 6)	13( 7 4)				
16( 8 2)	6( 9 0)	1( 3 9)	8( 4 7)	17( 5 5)	24( 6 3)				
18( 7 1)	1( 1 10)	6( 2 8)	16( 3 6)	29( 4 4)	28( 5 2)				
13( 6 0)	2( 0 9)	10( 1 7)	23( 2 5)	30( 3 3)	23( 4 1)				
9( 0 6)	20( 1 4)	23( 2 2)	9( 3 0)	9( 0 3)	10( 1 1)				
1( 0 0)									

	4	2	2	2	2	2	1	0	0
1(10 7)	1(11 5)	1(12 3)	1(13 1)	1( 7 10)	2( 8 8)				
5( 9 6)	5(10 4)	5(11 2)	1(12 0)	1( 5 11)	5( 6 9)				
10( 7 7)	16( 8 5)	16( 9 3)	10(10 1)	1( 3 12)	8( 4 10)				
17( 5 8)	23( 6 6)	37( 7 4)	29( 8 2)	13( 9 0)	1( 1 13)				
6( 3 11)	19( 3 9)	39( 4 7)	56( 5 5)	50( 6 0)	33( 7 1)				
9( 0 12)	12( 1 10)	33( 2 8)	63( 3 6)	79( 4 4)	72( 5 2)				
24( 6 0)	14( 0 9)	41( 1 7)	73( 2 5)	82( 3 3)	57( 4 1)				
23( 0 6)	59( 1 4)	57( 2 2)	23( 3 0)	27( 0 3)	25( 1 1)				
3( 0 0)									

	4	2	2	2	2	2	1	1	0
1(12 3)	1( 8 8)	2( 9 6)	3(10 4)	3(11 2)	1(12 0)				
1( 6 9)	4( 7 7)	6( 8 5)	9( 9 3)	7(10 1)	2( 4 10)				
7( 5 8)	16( 6 6)	22( 7 4)	20( 8 2)	9( 6 0)	1( 3 11)				
7( 3 9)	19( 4 7)	33( 5 5)	33( 6 3)	26( 7 1)	1( 1 12)				
5( 1 10)	18( 3 8)	37( 3 6)	53( 4 4)	49( 5 2)	19( 6 0)				
6( 0 9)	24( 1 7)	46( 2 5)	57( 3 3)	40( 4 1)	10( 0 6)				
40( 1 4)	43( 2 2)	19( 3 0)	18( 0 3)	19( 1 1)	3( 0 0)				

	4	2	2	2	2	1	1	1	1
1(11 2)	1( 8 5)	1( 9 3)	2(10 1)	1( 6 8)	4( 7 4)				
3( 8 2)	2( 9 0)	2( 4 7)	4( 5 5)	8( 3 3)	5( 7 1)				
1( 2 9)	5( 3 6)	8( 4 4)	11( 5 2)	2( 6 0)	1( 0 9)				
3( 1 7)	9( 2 5)	11( 3 3)	9( 4 1)	2( 0 0)	3( 1 4)				
7( 2 2)	6( 3 0)	5( 0 3)	4( 1 1)						

	3	2	3	3	3	2	0	0	0
1(17 2)	1(13 7)	2(14 5)	2(15 3)	2(16 1)	1( 9 12)				
2(10 10)	5(11 8)	7(12 6)	11(13 4)	7(14 2)	5(15 0)				
1( 6 15)	2( 7 13)	7( 9 11)	13( 9 9)	23(10 7)	28(11 5)				
29(12 3)	17(13 1)	1( 4 16)	5( 5 14)	12( 6 12)	28( 7 10)				

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

44( 8 8)	64( 9 6)	65(10 4)	56(11 2)	16(12 0)	1( 2 17)
5( 3 15)	18( 4 13)	38( 5 11)	73( 6 9)	105( 7 7)	126( 8 5)
115( 9 3)	70(10 1)	4( 1 16)	14( 2 14)	43( 3 12)	83( 4 10)
143( 5 6)	181( 6 6)	197( 7 4)	143( 8 2)	62( 9 0)	7( 0 15)
27( 1 13)	75( 2 11)	138( 3 9)	213( 4 7)	250( 5 5)	231( 6 3)
139( 7 1)	26( 0 12)	90( 1 10)	166( 2 8)	248( 3 6)	261( 4 4)
215( 5 2)	74( 6 0)	71( 0 9)	152( 1 7)	223( 2 5)	220( 3 3)
139( 4 1)	78( 0 6)	144( 1 4)	126( 2 2)	58( 3 0)	59( 0 3)
50( 1 1)	5( 0 0)				
1(13 7)	1(14 5)	2(15 3)	1(15 1)	2(16 10)	3(11 8)
7(12 6)	8(13 4)	8(14 2)	2(15 0)	2( 7 13)	4( 3 11)
12( 9 9)	19(10 7)	28(11 5)	26(12 3)	18(13 1)	1( 4 16)
3( 5 14)	11( 6 12)	23( 7 10)	45( 8 8)	60( 9 0)	72(10 4)
53(11 2)	24(12 0)	4( 3 15)	13( 4 13)	37( 5 11)	67( 6 9)
110( 7 7)	130( 8 3)	126( 9 3)	76(10 1)	1( 0 18)	3( 1 16)
16( 2 14)	39( 3 12)	90( 4 10)	145( 5 8)	205( 6 5)	211( 7 4)
174( 3 2)	58( 9 0)	3( 0 15)	27( 1 13)	69( 2 11)	148( 3 9)
224( 4 7)	283( 5 5)	259( 6 3)	162( 7 1)	34( 0 12)	94( 1 10)
195( 2 8)	274( 3 6)	319( 4 4)	241( 5 2)	102( 6 0)	65( 0 9)
175( 1 7)	247( 2 5)	26( 3 3)	163( 4 1)	108( 0 5)	167( 1 4)
168( 2 2)	58( 3 0)	58( 0 3)	62( 1 1)	12( 0 0)	
1(14 5)	1(15 3)	1(16 1)	1(16 0)	3(17 8)	6(12 6)
8(13 4)	7(14 2)	3(15 3)	1( 7 13)	5( 8 11)	12( 9 9)
22(10 7)	30(11 5)	31(12 3)	19(13 1)	3( 5 14)	10( 6 12)
27( 7 10)	52( 8 8)	76( 9 6)	85(10 4)	70(11 2)	25(12 0)
1( 2 17)	4( 3 15)	17( 4 13)	44( 5 11)	91( 6 9)	143( 7 7)
179( 8 5)	168( 9 3)	104(10 1)	3( 1 16)	14( 2 14)	49( 3 12)
111( 4 10)	199( 5 8)	276( 6 6)	301( 7 4)	235( 8 2)	92( 9 0)
6( 0 15)	33( 1 13)	100( 2 11)	225( 3 9)	231( 4 7)	410( 5 5)
388( 6 3)	237( 7 1)	36( 3 12)	132( 1 10)	269( 2 8)	410( 3 6)
461( 4 4)	374( 5 2)	140( 4 8)	111( 0 9)	241( 1 7)	392( 2 5)
402( 3 2)	258( 4 0)	143( 0 6)	143( 1 4)	247( 1 4)	104( 0 0)
137( 0 3)	98( 1 1)	13( 0 5)			
1(11 8)	2(12 6)	5(13 4)	3(14 2)	1(15 0)	1( 9 11)
4( 9 9)	9(13 7)	14(14 5)	15(12 3)	1(16 1)	5( 6 12)
16( 7 10)	23( 8 8)	33(15 6)	47(13 4)	30(17 1)	15(12 0)
1( 3 15)	5( 4 13)	10( 5 11)	42( 6 9)	73( 7 7)	151( 8 5)
131( 9 3)	64( 0 0)	1( 1 13)	1( 1 13)	1( 0 18)	5( 4 10)
108( 5 8)	163( 1 9)	133( 2 10)	150( 3 8)	59( 2 11)	2( 0 15)
15( 1 13)	42( 1 11)	103( 3 8)	124( 4 7)	257( 5 5)	253( 6 3)
159( 7 1)	21( 0 12)	75( 1 10)	145( 5 6)	260( 6 4)	309( 4 4)
254( 5 2)	101( 6 0)	61( 0 9)	140( 6 5)	254( 7 3)	175( 3 3)
130( 4 1)	104( 0 4)	112( 1 9)	170( 2 2)	73( 3 0)	73( 0 3)
70( 1 1)	11( 0 0)				
1(13 7)	1(11 5)	2(12 3)	1(13 1)	1( 6 0)	4( 9 6)
7(10 4)	5(12 2)	2( 3 0)	1( 5 11)	4( 6 9)	3( 7 7)
15( 8 5)	15( 0 3)	11(10 1)	1( 3 12)	4( 4 10)	12( 5 8)
21( 6 6)	30( 7 4)	25( 2 2)	11( 0 0)	1( 0 15)	1( 1 13)
6( 2 11)	14( 7 9)	30( 4 7)	43( 5 8)	42( 6 5)	30( 7 1)
9( 1 10)	21( 2 8)	42( 3 6)	51( 4 4)	50( 3 2)	18( 6 0)
12( 0 9)	28( 1 7)	50( 2 5)	54( 3 3)	39( 4 1)	15( 0 6)
36( 1 4)	34( 0 2)	17( 0 3)	17( 0 0)	15( 1 1)	1( 0 0)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U

1(9 3)	1(10 1)	3 2 2 2 2 1	1 1 1 1 1						
1(4 7)	4(5 5)	1(6 6)	2(7 4)	3(8 2)	1(9 3)	1(10 1)	1(11 0)	1(12 0)	1(13 0)
9(4 4)	8(5 2)	5(6 3)	2(7 1)	3(8 1)	4(9 1)	5(10 1)	6(11 1)	7(12 1)	8(13 1)
7(4 1)	4(0 6)	4(6 0)	1(1 10)	1(1 9)	2(2 8)	3(3 7)	4(4 6)	5(5 5)	6(6 4)
4(1 1)	1(0 0)	7(1 4)	1(0 9)	7(1 4)	4(1 7)	6(2 2)	2(4 7)	6(5 5)	7(2 5)
							3(5 0)	10(3 2)	2(0 0)
1(5 6)	2(7 4)	3 2 2 2 2 2	2 2 2 0 0						
3(6 3)	2(7 1)	1(6 0)	1(3 9)	2(4 7)	3(5 5)	4(6 3)	5(4 4)	6(5 3)	7(5 2)
7(5 2)	1(6 0)	1(1 10)	2(2 8)	6(5 5)	7(2 5)	4(1 7)	4(5 0)	5(4 0)	8(3 3)
6(4 1)	3(0 6)	1(0 9)	4(1 7)	7(1 4)	6(2 2)	6(2 2)	4(5 0)	5(4 0)	8(3 3)
3(1 1)		7(1 4)	6(2 2)						4(0 0)
1(6 6)	1(7 4)	2 2 2 2 2 2	2 2 1 1 0						
4(6 3)	3(7 1)	1(8 2)	1(3 9)	2(4 7)	3(5 5)	4(6 3)	5(4 4)	6(5 3)	7(5 2)
4(6 0)	1(0 9)	3(2 8)	5(3 6)	9(4 4)	12(5 3)	4(0 3)	4(5 1)	5(4 0)	8(4 0)
5(0 6)	9(1 4)	5(1 7)	9(2 5)	12(5 3)	4(0 3)				5(1 1)
1(0 0)		11(2 2)	4(3 0)						
1(9 0)	1(5 5)	2 2 2 2 2 2	2 1 1 1 1						
3(3 2)	1(1 7)	1(6 3)	1(7 1)	1(5 5)	2(4 1)	2(1 1)	2(4 4)	1(0 6)	
3(1 4)	3(2 2)	2(2 5)	4(3 3)	1(0 3)	2(1 1)				
		2(3 0)	1(0 3)						
1(1 7)	1(2 5)	2 2 2 2 2 2	2 2 2 1 0						
1(1 1)		1(3 2)	1(4 1)	1(1 4)	1(2 2)				
1(3 3)	1(1 6)	2 2 2 2 2 2	2 2 1 1 1						
		1(2 2)	1(1 1)						
1(20 3)	1(21 5)	4 4 4 4 2	0 0 0 0 0						
3(19 7)	8(20 5)	2(22 4)	1(24 0)	2(17 1)	3(18 9)				
11(16 10)	19(17 3)	8(21 3)	5(22 1)	3(14 4)	3(15 12)				
2(12 15)	9(13 13)	32(18 6)	32(19 4)	39(20 2)	7(21 0)				
55(12 3)	59(19 7)	24(14 11)	51(15 9)	30(16 7)	101(17 5)				
05(13 10)	182(14 8)	7(9 13)	6(10 16)	19(12 4)	54(12 12)				
2(7 19)	9(8 17)	234(15 4)	260(16 4)	19(12 4)	83(18 0)				
68(18 7)	542(14 5)	34(9 15)	89(10 13)	192(17 2)	525(12 9)				
17(6 18)	51(7 16)	95(15 3)	297(16 1)	191(11 11)	3(5 20)				
197(12 6)	99(13 4)	140(8 14)	270(9 12)	1(12 11)	733(11 8)				
62(5 17)	166(15)	774(14 2)	271(15 0)	4(12 11)	16(4 19)				
99(11 5)	1494(12 3)	382(7 13)	712(9 10)	532(12 10)	1518(10 7)				
58(3 18)	181(4 16)	885(13 1)	1(0 24)	4(12 11)	18(2 20)				
49(9 6)	3459(10 4)	419(5 14)	852(6 12)	1139(9 5)	2055(8 8)				
26(2 17)	366(3 15)	1795(11 2)	694(12 0)	3(12 11)	30(1 19)				
3(8 5)	290(9 3)	801(4 13)	1454(5 11)	4(12 11)	3048(7 7)				
4(7 2)	1277(4 10)	1695(10 1)	33(0 18)	2309(6 9)	311(2 14)				
0(9 0)	274(0 15)	3177(5 9)	3886(6 6)	214(6 10)	2555(8 2)				
5(5 5)	1518(6 3)	730(1 13)	1569(2 11)	3768(7 4)	3656(4 7)				
1(3 6)	3658(4 4)	2133(7 1)	405(3 12)	2579(5 9)	2090(2 8)				
3(2 5)	2442(3 3)	277(5 2)	1075(6 1)	1537(1 10)	2047(1 7)				
3(3 0)	1555(0 3)	1614(4 1)	105(0 4)	947(0 9)	1474(2 2)				
		514(1 1)	32(0 0)	1592(1 4)					
(21 6)	1(23 2)	4 4 4 4 1	1 0 0 0 0	4(19 7)	0(20 5)				
		1(17 11)	2(18 9)						

E. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

6(21 3)	3(22 1)	2(15 12)	6(16 10)	15(17 8)	21(18 6)
7(19 4)	19(20 2)	10(21 0)	1(12 15)	6(13 13)	18(14 11)
1(15 9)	64(16 7)	83(17 5)	79(18 3)	48(19 1)	2(10 16)
3(11 14)	37(12 12)	85(13 10)	145(14 8)	204(15 6)	213(16 4)
4(17 2)	61(18 0)	1(7 19)	6(8 17)	24(9 15)	69(10 13)
7(11 11)	280(12 9)	412(13 7)	483(14 5)	445(15 3)	268(16 1)
2(5 20)	9(6 18)	36(7 16)	102(8 14)	243(9 12)	447(13 10)
3(11 8)	891(12 6)	925(13 4)	695(14 2)	273(15 0)	1(2 22)
3(3 21)	13(4 19)	47(5 17)	136(6 15)	321(7 13)	630(8 11)
4(9 9)	1411(10 7)	1601(11 5)	1422(12 3)	844(13 1)	2(1 22)
0(2 20)	44(3 18)	136(4 16)	353(5 14)	733(6 12)	1295(7 10)
4(8 8)	2346(9 6)	2336(10 4)	1768(11 2)	645(12 0)	6(0 21)
3(1 19)	109(2 17)	313(3 15)	721(4 13)	1372(5 11)	2189(6 9)
0(7 7)	3252(8 5)	2862(9 3)	1679(10 1)	37(0 18)	182(1 16)
0(2 14)	1164(3 12)	2064(4 10)	3079(5 8)	3770(6 6)	3785(7 4)
4(8 2)	1064(9 0)	200(0 15)	673(1 13)	1510(2 11)	2599(3 9)
0(4 7)	4116(5 5)	3657(6 3)	2166(7 1)	544(0 12)	1492(1 10)
0(2 8)	3550(3 6)	3700(4 4)	2859(5 2)	1064(6 0)	976(0 9)
0(1 7)	2799(2 5)	2714(3 3)	1676(4 1)	1028(0 6)	1657(1 4)
0(2 2)	608(3 0)	606(0 3)	533(1 1)	74(0 0)	

(21 6)	1(23 2)	2(18 9)	0 0 0 0 0	5(20 5)	5(21 3)
(22 1)	2(15 12)	5(16 10)	3(19 7)	18(18 6)	25(19 4)
(20 2)	10(21 0)	2(12 15)	13(17 8)	5(13 13)	34(15 9)
(16 7)	73(17 5)	74(18 3)	44(19 1)	17(14 11)	3(10 16)
(11 14)	36(12 12)	80(13 10)	130(14 8)	1(9 18)	194(16 4)
(17 2)	55(18 0)	1(7 19)	8(3 17)	189(15 6)	71(10 13)
(11 11)	264(12 9)	376(13 7)	451(14 5)	25(9 15)	251(16 1)
(5 20)	10(6 19)	40(7 16)	105(8 14)	411(15 3)	420(10 10)
(11 8)	828(12 6)	869(13 4)	643(14 2)	241(9 12)	2(3 21)
(4 19)	47(5 17)	143(6 15)	318(7 13)	262(15 0)	934(9 9)
(10 7)	1496(11 5)	1337(12 3)	736(13 1)	618(8 11)	9(2 20)
(7 18)	140(4 16)	362(5 14)	726(5 12)	1(1 22)	581(8 8)
(9 6)	2191(13 4)	1672(11 2)	593(12 0)	1264(7 10)	27(1 19)
(2 17)	317(3 15)	729(4 13)	1347(5 11)	5(0 21)	23(2 7 7)
(9 5)	2697(9 2)	1595(10 1)	39(0 18)	2133(6 9)	528(2 14)
(3 12)	2020(4 10)	2991(5 8)	3607(6 5)	189(1 16)	2046(8 2)
(9 0)	208(0 15)	671(1 13)	1503(2 11)	3616(7 4)	3317(4 7)
(5 5)	3493(6 3)	2050(7 1)	531(0 12)	2534(3 9)	253+(2 8)
(3 6)	3525(4 4)	2741(5 2)	993(6 0)	1469(1 10)	1983(1 7)
(2 5)	2596(3 3)	1602(4 1)	675(0 6)	967(0 9)	1704(2 2)
(2 0)	592(0 3)	508(1 1)	65(0 0)	1591(1 4)	

(21 4)	1(23 2)	1(18 9)	1 0 0 0 0	7(20 5)	8(21 3)
(22 1)	2(15 12)	0(16 10)	4(19 7)	34(18 6)	43(19 4)
(20 2)	15(21 0)	1(12 15)	19(17 8)	27(14 11)	33(15 9)
(16 7)	150(17 5)	151(18 3)	3(13 13)	4(10 10)	21(11 14)
(11 14)	669(12 10)	267(4 8)	98(19 1)	458(16 4)	307(17 2)
(17 2)	1(7 19)	9(8 17)	409(15 6)	43(9 15)	317(11 11)
(11 11)	897(12 7)	1088(14 5)	43(9 15)	135(10 13)	2(5 20)
(5 20)	69(7 16)	217(3 14)	1015(15 3)	620(16 2)	1633(11 8)
(11 8)	2226(13 4)	1715(14 2)	525(7 12)	1024(10 10)	19(4 19)
(4 19)	285(6 15)	720(7 13)	645(15 0)	2(3 21)	3507(10 7)
(10 7)	3615(12 3)	3164(12 1)	1484(3 11)	2502(9 9)	64(3 18)
(7 18)	823(5 14)	1804(6 12)	2(1 22)	16(2 20)	6123(9 6)
(9 6)	4680(11 2)	1748(12 0)	3258(7 10)	4898(8 8)	235(2 17)
(2 17)	1791(4 13)	3534(5 11)	6(0 21)	52(1 19)	8848(8 5)
(9 0)	4636(10 1)	37(0 13)	5776(6 9)	7878(7 7)	3053(3 12)
(5 5)			438(1 16)	1334(2 14)	

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

5608( 4 10)	8462( 5 8)	10547( 6 6)	10643( 7 4)	8001( 8 2)	2977( 9 0)
495( 0 15)	1785( 1 13)	4113( 2 11)	7255( 3 9)	10292( 4 7)	11804( 5 5)
562( 6 3)	6284( 7 1)	1512( 0 12)	4213( 1 10)	7566( 2 8)	10309( 3 6)
920( 4 4)	8426( 5 2)	3173( 6 0)	2785( 0 9)	6049( 1 7)	8292( 2 5)
106( 3 3)	5042( 4 1)	2098( 0 6)	4992( 1 4)	4541( 2 2)	1822( 3 0)
812( 0 3)	1646( 1 1)	225( 0 0)			

1(19 7)	1(20 5)	2(21 3)	1(22 1)	2(16 10)	5(17 8)
10(18 6)	12(19 4)	11(20 2)	4(21 0)	1(13 13)	6(14 11)
20(15 9)	35(16 7)	52(17 5)	51(18 3)	33(19 1)	3(11 14)
18(12 12)	49(13 10)	101(14 8)	150(15 6)	173(16 4)	138(17 2)
56(18 0)	1( 8 17)	9( 9 15)	36(10 13)	105(11 11)	214(12 9)
349(13 7)	433(14 5)	417(15 3)	254(16 1)	3( 6 18)	15( 7 16)
63( 8 14)	176( 9 12)	393(10 10)	649(11 8)	393(12 6)	950(13 4)
752(14 2)	280(15 0)	1( 3 21)	4( 4 19)	23( 5 17)	86( 6 15)
251( 7 13)	561( 8 11)	1325( 9 9)	1497(10 7)	1786(11 5)	1634(12 3)
990(13 1)	4( 2 20)	22( 3 18)	94( 4 16)	286( 5 14)	695( 6 12)
1339( 7 10)	2135( 8 8)	2761( 9 6)	2883(10 4)	2198(11 2)	841(12 0)
2( 0 21)	15( 1 19)	73( 2 17)	262( 3 15)	689( 4 13)	1471( 5 11)
521( 6 9)	3695( 7 7)	4164( 8 5)	3773( 9 3)	2251(10 1)	30( 0 18)
154( 1 16)	522( 2 14)	1273( 3 12)	2477( 4 10)	3892( 5 8)	5035( 6 6)
5176( 7 4)	3975( 8 2)	1477( 9 0)	189( 0 15)	745( 1 13)	1811( 2 11)
3358( 3 9)	4916( 4 7)	5807( 5 5)	5286( 6 3)	3181( 7 1)	330( 0 12)
948( 1 10)	3647( 2 8)	5093( 3 6)	5522( 4 4)	4300( 5 2)	1654( 6 0)
332( 0 9)	2994( 1 7)	4192( 2 5)	4181( 3 3)	2612( 4 1)	1590( 0 6)
571( 1 4)	2388( 2 2)	953( 3 0)	947( 0 3)	865( 1 1)	131( 0 0)

1(24 0)	1(20 5)	2(21 3)	1(22 1)	1(16 10)	2(17 8)
7(18 6)	7(19 4)	11(20 2)	1(21 0)	1(13 13)	4(14 11)
12(15 9)	22(16 7)	34(17 5)	37(18 3)	23(19 1)	1(10 16)
4(11 14)	16(12 12)	34(13 10)	72(14 8)	100(15 6)	115(16 4)
91(17 2)	47(18 0)	1( 8 17)	0( 9 15)	30(10 15)	79(11 11)
55(12 9)	244(13 7)	394(14 5)	291(15 3)	173(16 1)	5( 6 18)
14( 7 16)	56( 8 14)	139( 9 12)	293(10 10)	470(11 8)	500(12 6)
664(13 4)	543(14 2)	186(15 0)	2( 4 19)	18( 5 17)	69( 6 15)
198( 7 13)	430( 8 11)	763( 9 9)	1004(10 7)	1283(11 5)	1103(12 3)
700(13 1)	3( 2 23)	17( 3 18)	78( 4 16)	227( 5 14)	549( 6 12)
116( 7 10)	1606( 8 8)	2016( 9 6)	2107(10 4)	1564(11 2)	622(12 0)
10( 1 19)	54( 2 17)	205( 3 15)	524( 4 13)	1129( 5 11)	191( 6 9)
672( 7 7)	3069( 8 5)	2743( 9 3)	1626(10 1)	24( 0 18)	110( 1 16)
416( 2 14)	985( 3 12)	1609( 4 10)	2927( 5 8)	377( 6 10)	6796( 7 4)
373( 8 3)	1056( 9 1)	143( 0 15)	573( 1 10)	1035( 2 11)	2552( 3 9)
680( 4 7)	4320( 5 5)	2912( 6 3)	2337( 7 1)	633( 0 12)	1465( 1 10)
783( 2 8)	3315( 3 6)	4140( 4 4)	3770( 5 2)	1249( 6 0)	996( 0 9)
157( 1 7)	3120( 2 9)	3119( 3 3)	1937( 4 1)	1212( 0 8)	1513( 1 4)
105( 2 3)	697( 3 0)	697( 0 3)	645( 1 1)	1086( 0 0)	

1(20 5)	1(21 3)	1(22 1)	2(17 4)	5(16 6)	9(19 4)
7(20 2)	4(21 0)	4(14 11)	11(15 9)	25(16 7)	37(17 5)
41(16 3)	26(19 1)	3(11 14)	11(12 10)	36(13 13)	75(14 8)
24(15 6)	140(16 4)	122(17 2)	43(18 0)	1( 8 17)	6( 9 15)
30(10 13)	83(11 11)	184(12 9)	293(13 7)	389(14 5)	572(15 3)
334(16 1)	1( 5 18)	12( 7 16)	49( 8 14)	154( 9 12)	334(10 10)
92(11 8)	817(12 6)	906(13 4)	701(14 2)	287(15 0)	2( 4 18)
15( 5 17)	72( 6 15)	218( 7 13)	523( 8 11)	961( 9 9)	1453(10 7)
735(11 5)	1618(12 3)	978(13 1)	1( 2 20)	15( 3 18)	72( 4 16)
157( 5 14)	641( 6 12)	1306( 7 10)	2094( 8 8)	2788( 9 6)	2593(10 4)



TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

2267(11 2)	832(12 0)	1(0 21)	9(1 19)	61(2 17)	229(3 15)
662(4 13)	1441(5 11)	2570(6 9)	3691(7 7)	4340(8 5)	3935(9 3)
2373(13 1)	19(0 18)	138(1 16)	483(2 14)	1268(3 12)	2509(4 10)
4073(5 8)	5282(6 6)	5547(7 4)	4218(8 2)	1624(9 0)	192(0 15)
742(1 13)	1890(2 11)	3533(3 9)	5295(4 7)	6277(5 5)	5780(6 3)
2478(7 1)	675(0 12)	2073(1 17)	3898(2 8)	5588(3 6)	6046(4 4)
4806(5 2)	1789(6 0)	1481(0 9)	3296(1 7)	4701(2 5)	4680(3 3)
2957(4 1)	1729(0 6)	2917(2 4)	2664(2 2)	1114(3 0)	1107(0 3)
992(1 1)	129(0 0)				

1(18 6)	1(19 4)	2(20 2)	1(15 9)	4(16 7)	7(17 5)
8(18 3)	6(19 1)	1(12 12)	5(13 10)	15(14 8)	25(15 6)
36(16 4)	28(17 2)	14(18 0)	3(10 13)	13(11 11)	37(12 9)
70(13 7)	100(14 5)	102(15 3)	66(16 1)	1(7 16)	6(8 14)
26(9 12)	74(10 10)	147(11 8)	229(12 6)	250(13 4)	220(14 2)
79(15 0)	1(5 17)	9(6 15)	38(7 13)	115(8 11)	245(9 9)
411(10 7)	527(11 5)	513(12 3)	319(13 1)	1(3 18)	10(4 16)
46(5 14)	145(6 12)	336(7 10)	611(8 8)	861(9 6)	961(10 4)
755(11 2)	299(12 0)	1(1 19)	8(2 17)	42(3 15)	148(4 13)
374(5 11)	744(6 9)	1162(7 7)	1445(8 5)	1362(9 3)	843(10 1)
3(0 18)	25(1 16)	111(2 14)	329(3 12)	737(4 10)	1283(5 8)
1791(6 6)	1940(7 4)	1543(8 2)	577(9 0)	41(0 15)	195(1 13)
545(2 11)	1117(3 9)	1785(4 7)	2225(5 5)	2114(6 3)	1299(7 1)
203(0 12)	655(1 10)	1332(2 8)	1982(3 6)	2253(4 4)	1804(5 2)
704(6 0)	491(0 9)	1175(1 7)	1735(2 5)	1733(3 3)	1143(4 1)
656(0 6)	1112(1 4)	1057(2 2)	426(3 0)	423(0 3)	395(1 1)
57(0 0)					

1(18 3)	1(15 6)	1(16 4)	2(17 2)	1(18 0)	1(12 9)
2(13 7)	6(14 5)	6(15 3)	5(16 1)	1(9 12)	2(10 10)
7(11 2)	13(12 6)	18(13 4)	16(14 2)	9(15 0)	4(3 11)
11(9 9)	26(10 7)	37(11 5)	43(12 3)	26(13 1)	1(5 14)
4(6 12)	17(7 10)	27(8 8)	66(9 6)	78(10 4)	70(11 2)
25(12 0)	1(3 15)	5(4 13)	17(5 11)	50(6 9)	60(7 7)
126(8 5)	128(9 3)	81(10 1)	3(2 14)	16(3 12)	43(4 10)
98(5 8)	152(6 6)	184(7 4)	149(8 2)	64(9 0)	2(0 15)
9(4 13)	36(2 11)	28(3 9)	157(4 7)	210(5 5)	217(6 3)
135(7 1)	11(2 12)	49(1 10)	110(2 8)	192(3 6)	223(4 4)
197(5 2)	73(0 9)	46(0 8)	109(1 7)	137(2 5)	193(3 3)
127(4 1)	63(0 6)	121(1 4)	114(2 2)	54(3 0)	54(0 3)
44(1 1)	6(0 0)				

1(20 5)	1(21 8)	1(22 1)	1(16 10)	5(17 3)	6(18 6)
9(17 4)	8(20 2)	1(21 0)	1(13 13)	5(14 11)	15(15 9)
26(16 7)	37(17 5)	41(18 3)	26(19 1)	1(15 10)	5(11 14)
17(12 12)	41(18 0)	73(14 8)	179(15 6)	136(13 4)	115(17 2)
45(18 0)	2(0 17)	11(3 15)	38(10 13)	93(12 11)	183(12 9)
234(13 7)	357(14 5)	339(15 3)	211(16 1)	4(6 13)	20(7 16)
5(8 14)	173(9 12)	346(10 10)	565(11 8)	753(12 0)	802(13 4)
21(14 2)	241(15 0)	4(4 19)	26(5 17)	95(0 15)	255(7 13)
327(9 11)	923(0 9)	1317(10 7)	1530(11 5)	1391(12 3)	333(12 1)
4(2 20)	26(3 18)	106(4 16)	305(5 14)	639(5 12)	1269(7 10)
36(8 8)	2450(9 6)	2495(10 4)	1900(11 2)	704(12 0)	1(0 21)
16(1 19)	83(2 17)	280(3 15)	709(4 13)	1429(5 11)	2575(6 9)
271(7 7)	3706(8 5)	3296(9 3)	1954(10 1)	33(0 18)	170(1 16)
43(2 14)	1275(3 12)	2376(4 10)	3633(5 8)	4561(0 0)	4628(7 4)
83(2 2)	1310(9 0)	203(0 15)	754(1 13)	1760(2 11)	3181(3 9)

E. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

7( 4 7)	5259( 5 5)	4727( 6 3)	2816( 7 1)	663( 0 12)	1874( 1 10)
4( 2 8)	4686( 3 6)	4976( 4 4)	3863( 5 2)	1452( 6 0)	1258( 0 9)
7( 1 7)	3835( 2 5)	3769( 3 3)	2345( 4 1)	1440( 0 6)	2339( 1 4)
3( 2 2)	866( 3 0)	864( 0 3)	779( 1 1)	110( 0 0)	
		4 4 3 3 2	2 0 0 0 0		
1(21 3)	1(22 1)	1(17 8)	3(18 6)	6(19 4)	6(20 2)
3(21 0)	1(13 13)	3(14 11)	9(15 9)	18(16 7)	29(17 5)
2(18 3)	22(19 1)	3(11 14)	11(12 12)	31(13 10)	61(14 8)
7(15 6)	114(16 4)	98(17 2)	37(18 0)	1( 8 17)	8( 9 15)
0(10 13)	79(11 11)	158(12 9)	254(13 7)	322(14 5)	311(15 3)
3(16 1)	1( 6 18)	14( 7 16)	52( 8 14)	148( 9 12)	308(10 10)
4(11 8)	707(12 6)	765(13 4)	595(14 2)	231(15 0)	3( 4 19)
9( 5 17)	79( 6 15)	225( 7 13)	500( 8 11)	890( 9 9)	1294(10 7)
3(11 5)	1392(12 3)	839(13 1)	1( 2 20)	19( 3 18)	82( 4 16)
0( 5 14)	640( 6 12)	1240( 7 10)	1935( 8 8)	2498( 9 6)	2565(10 4)
7(11 2)	730(12 0)	2( 0 21)	12( 1 19)	72( 2 17)	251( 3 15)
7( 4 13)	1419( 5 11)	2431( 6 9)	3411( 7 7)	3912( 8 5)	3505( 9 3)
9(10 1)	22( 0 18)	152( 1 16)	506( 2 14)	1267( 3 12)	2433( 4 10)
5( 5 8)	4872( 6 6)	5007( 7 4)	3787( 3 2)	1429( 9 0)	202( 0 15)
5( 1 13)	1852( 2 11)	3383( 3 9)	4943( 4 7)	5773( 5 5)	5235( 6 3)
2( 7 1)	672( 0 12)	1997( 1 10)	3693( 2 8)	5179( 3 6)	5555( 4 4)
3( 5 2)	1635( 6 0)	1298( 0 9)	3085( 1 7)	4330( 2 5)	4283( 3 3)
3( 4 1)	1615( 0 6)	2671( 1 4)	2448( 2 2)	1000( 3 0)	1002( 0 3)
0( 1 1)	124( 0 0)				

(17 8)	3(18 6)	4(19 4)	1 1 0 0 0		
(15 9)	18(16 7)	28(17 5)	4(20 2)	2(21 0)	2(14 11)
(12 12)	29(13 10)	66(14 8)	30(19 3)	20(19 1)	1(11 14)
(18 0)	4( 0 15)	23(10 13)	105(15 6)	128(16 4)	105(17 2)
(14 5)	369(15 3)	230(16 1)	75(11 11)	168(12 9)	287(13 7)
( 9 12)	342(10 10)	608(11 8)	1( 6 13)	9( 7 16)	47( 8 14)
(15 0)	1( 4 19)	14( 5 17)	363(12 6)	946(15 4)	736(14 2)
( 9 9)	1586(10 7)	1930(11 5)	58( 4 15)	227( 7 10)	549( 3 11)
( 3 18)	82( 4 16)	279( 5 14)	1797(12 2)	1093(13 1)	2( 2 20)
( 9 6)	3395(10 4)	2872(11 3)	739( 3 12)	1475( 7 10)	2425( 8 9)
( 3 15)	756( 4 13)	1699( 5 11)	999(12 0)	10( 1 19)	63( 2 17)
( 0 3)	2855(10 1)	23( 0 18)	3031( 4 9)	4419( 7 7)	5192( 3 5)
( 4 10)	4984( 5 8)	6554( 6 6)	161( 1 16)	593( 2 14)	1326( 3 12)
( 0 15)	911( 1 13)	2313( 2 11)	6275( 7 4)	5271( 8 2)	1975( 9 0)
( 6 3)	4407( 7 1)	179( 0 12)	4400( 3 0)	6621( 4 7)	7927( 5 5)
( 4 4)	6149( 8 0)	2356( 6 0)	2615( 1 10)	5014( 2 8)	7135( 3 6)
( 3 3)	3937( 4 1)	2311( 0 6)	1251( 0 9)	4258( 1 7)	5055( 2 5)
0 3)	1313( 1 1)	192( 1 0)	3307( 1 4)	3555( 2 2)	1431( 3 0)

15 9)	2(16 7)	4(17 5)	1 1 1 0 0		
14 8)	17(15 6)	22(16 4)	4(18 3)	3(19 1)	3(13 10)
11 11)	26(12 9)	54(13 7)	19(17 2)	8(20 0)	1(10 13)
8 14)	18( 8 12)	55(10 0)	75(14 5)	79(15 3)	50(16 1)
14 2)	69(15 0)	1( 5 17)	118(11 8)	185(12 6)	217(13 4)
9 9)	336(10 7)	469(11 5)	6( 6 15)	31( 7 13)	93( 8 11)
4 16)	39( 5 14)	126( 6 12)	455(12 3)	286(13 1)	1( 3 13)
10 4)	711(11 2)	276(12 0)	302( 7 10)	554( 8 8)	798( 9 6)
4 13)	353( 5 11)	703( 6 9)	1( 1 10)	7( 2 17)	39( 3 15)
10 1)	3( 0 18)	24( 1 16)	1119( 7 7)	1394( 8 5)	1329( 9 3)
5 8)	1780( 6 6)	1944( 7 4)	106( 2 14)	318( 3 12)	719( 4 10)
1 13)	541( 0 11)	1131( 3 9)	1546( 2 2)	566( 9 0)	59( 0 15)
7 1)	205( 0 12)	669( 1 10)	1810( 4 7)	2291( 5 5)	2159( 6 3)
			1374( 2 8)	2062( 3 6)	2351( 4 4)

LE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

93( 5 2)	727( 6 0)	508( 0 9)	1235( 1 7)	1828( 2 5)	1895( 3 3)
13( 4 1)	700( 0 6)	1188( 1 4)	1134( 2 2)	459( 3 0)	454( 0 3)
26( 1 1)	64( 0 0)				

	4	4	3	2	2	2	1	0	0	0
1(19 4)	1(20 2)	1(15 9)	4(16 7)	7(17 5)	9(18 3)					
6(19 1)	2(12 12)	8(13 10)	20(14 8)	36(15 6)	45(16 4)					
39(17 2)	16(18 0)	1( 9 15)	7(10 13)	26(11 11)	63(12 9)					
114(13 7)	155(14 5)	153(15 3)	99(16 1)	2( 7 16)	15( 8 14)					
56( 9 12)	142(10 10)	268(11 8)	391(12 6)	439(13 4)	353(14 2)					
136(15 0)	3( 5 17)	23( 6 15)	91( 7 13)	244( 8 11)	493( 9 9)					
776(10 7)	962(11 5)	91(12 3)	557(13 1)	3( 3 18)	26( 4 16)					
113( 5 14)	331( 6 12)	724( 7 10)	1240( 8 8)	1690( 9 6)	1815(10 4)					
419(11 2)	527(12 0)	2( 1 19)	21( 2 17)	107( 3 15)	352( 4 13)					
854( 5 11)	1608( 6 9)	2419( 7 7)	2906( 8 5)	2686( 9 3)	1629(10 1)					
8( 0 18)	65( 1 16)	273( 2 14)	777( 3 12)	1663( 4 10)	2800( 5 8)					
774( 6 8)	4009( 7 4)	3115( 8 2)	1182( 9 0)	103( 0 15)	437( 1 13)					
269( 2 11)	2525( 3 9)	3908( 4 7)	4770( 5 5)	4447( 6 3)	2709( 7 1)					
477( 0 12)	1508( 1 10)	2987( 2 8)	4371( 3 6)	4864( 4 4)	3876( 5 2)					
483( 6 0)	1121( 0 9)	2634( 1 7)	3832( 2 5)	3904( 3 3)	2479( 4 1)					
460( 0 6)	2465( 1 4)	2216( 2 2)	946( 3 0)	943( 0 3)	872( 1 1)					
126( 0 0)										

	4	4	3	2	2	1	1	1	0	0
1(16 7)	2(17 5)	3(18 3)	2(19 1)	2(13 10)	7(14 8)					
15(15 6)	20(16 4)	19(17 2)	7(13 0)	1(10 13)	7(11 11)					
25(12 9)	51(13 7)	78(14 5)	82(15 3)	54(16 1)	3( 8 14)					
18( 9 12)	58(10 10)	129(11 8)	207(12 6)	251(13 4)	208(14 2)					
84(15 0)	5( 6 15)	35( 7 13)	104( 8 11)	241( 9 9)	425(10 7)					
564(11 5)	561(12 3)	353(13 1)	6( 4 16)	39( 5 14)	143( 6 12)					
362( 7 13)	685( 8 9)	1012( 9 6)	1139(10 4)	927(11 2)	353(12 0)					
5( 2 17)	37( 3 15)	154( 4 13)	428( 5 11)	998( 6 9)	1404( 7 7)					
1352( 8 8)	1775( 9 6)	1703(10 4)	2( 0 19)	23( 1 16)	119( 2 14)					
592( 1 2)	928( 2 10)	1694( 3 8)	3412( 4 6)	2682( 5 4)	2102( 6 2)					
326( 3 3)	46( 4 15)	235( 5 13)	712( 6 11)	1527( 7 9)	2512( 8 7)					
330( 5 3)	3082( 6 1)	1978( 7 1)	264( 8 12)	913( 9 10)	1915( 0 8)					
2944( 8 4)	1377( 4 4)	2761( 5 2)	1059( 6 0)	725( 0 9)	1775( 1 7)					
2679( 2 6)	2781( 3 3)	1812( 4 1)	3014( 5 6)	1770( 6 4)	1635( 2 2)					
701( 3 0)	694( 1 2)	645( 2 1)	91( 3 2)							

	4	4	3	2	1	1	1	1	1	0
1(13 6)	1(14 4)	2(15 2)	1(16 0)	1(12 9)	4(13 7)					
9(14 3)	11(15 1)	7(16 1)	3(17 10)	12(14 8)	25(15 6)					
39(13 4)	35(14 2)	14(15 0)	1( 7 13)	6( 8 11)	24( 9 9)					
57(10 7)	20(11 5)	31(12 3)	47(13 1)	1( 5 14)	9( 6 12)					
36( 7 10)	93( 8 8)	145( 9 6)	310(10 4)	183(11 2)	73(12 0)					
1( 0 15)	14( 1 13)	44( 2 11)	121( 3 9)	239( 4 7)	345( 5 5)					
78( 3 2)	285( 4 1)	1( 5 15)	8( 6 14)	40( 7 12)	126( 8 10)					
376( 5 3)	482( 6 5)	150( 7 4)	464( 8 2)	182( 9 0)	3( 0 15)					
24( 1 12)	95( 2 11)	248( 3 9)	487( 4 7)	658( 5 5)	573( 6 3)					
485( 7 1)	35( 3 12)	197( 4 10)	356( 5 8)	602( 6 6)	743( 7 4)					
536( 7 1)	250( 5 3)	183( 6 9)	364( 7 7)	589( 8 5)	547( 8 3)					
431( 4 1)	225( 7 5)	411( 8 4)	407( 9 2)	171( 10 0)	165( 9 2)					
160( 1 1)	23( 9 0)									

	4	4	3	1	1	1	1	1	1	1
1(13 1)	1(13 4)	1(14 2)	1(15 0)	1(10 7)	2(11 5)					
5(12 2)	3(13 1)	1( 9 3)	4( 9 6)	8(10 4)	9(11 2)					
3(12 0)	2( 1 9)	6( 7 7)	15( 8 5)	17( 9 3)	13(10 1)					
1( 4 10)	7( 5 4)	16( 6 6)	26( 7 4)	23( 8 2)	12( 9 0)					

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

2( 2 11)	6( 2 9)	19( 4 7)	30( 5 5)	37( 6 3)	25( 7 1)
3( 1 10)	11( 2 8)	27( 3 6)	37( 4 4)	37( 5 2)	13( 8 0)
7( 0 9)	16( 1 7)	32( 2 5)	37( 3 3)	27( 4 1)	9( 0 6)
24( 1 4)	22( 2 2)	12( 3 0)	12( 0 3)	10( 1 1)	1( 0 0)

4 4 2 2 2 2 2 0 0 0					
1(14 8)	1(15 6)	2(16 4)	1(17 2)	1(18 0)	1(11 11)
3(12 9)	7(13 7)	9(14 5)	9(15 3)	6(16 1)	1( 8 14)
2( 9 12)	11(10 10)	19(11 8)	33(12 6)	34(13 4)	31(14 2)
8(15 0)	5( 7 13)	16( 8 11)	41( 9 9)	69(10 7)	91(11 5)
86(12 2)	54(13 1)	2( 4 16)	6( 5 14)	29( 6 12)	65( 7 10)
30( 8 8)	177( 9 6)	206(10 4)	153(11 2)	66(12 0)	6( 3 15)
26( 4 13)	82( 5 11)	167( 6 9)	277( 7 7)	343( 8 5)	323( 9 3)
201(10 1)	1( 0 18)	4( 1 16)	27( 2 14)	76( 3 12)	195( 4 10)
326( 5 8)	491( 6 6)	523( 7 4)	430( 8 2)	150( 9 0)	5( 0 15)
48( 1 13)	139( 2 11)	216( 3 9)	511( 4 7)	660( 5 5)	626( 6 3)
92( 7 1)	64( 0 12)	192( 1 10)	422( 2 8)	621( 3 6)	737( 4 4)
578( 5 2)	239( 6 0)	141( 0 9)	386( 1 7)	570( 2 5)	638( 3 3)
990( 4 1)	240( 0 6)	390( 1 4)	391( 2 2)	145( 3 0)	142( 0 3)
147( 1 1)	26( 0 0)				

4 4 2 2 2 2 1 1 0 0					
1(15 6)	1(16 4)	2(17 2)	1(11 11)	3(12 9)	7(13 7)
11(14 5)	12(15 3)	8(16 1)	2( 9 12)	8(10 10)	22(11 8)
35(12 6)	47(13 4)	36(14 2)	18(15 0)	4( 7 13)	17( 8 11)
47( 9 9)	87(10 7)	121(11 5)	122(12 3)	78(13 1)	5( 5 14)
24( 6 12)	75( 7 10)	152( 8 8)	241( 9 6)	273(10 4)	232(11 2)
83(12 0)	5( 3 15)	28( 4 13)	94( 5 11)	215( 6 9)	372( 7 7)
488( 8 5)	480( 9 3)	330(10 1)	3( 1 16)	21( 2 14)	88( 3 12)
229( 4 1)	454( 5 8)	670( 6 6)	774( 7 4)	617( 8 2)	248( 9 0)
9( 0 15)	54( 1 13)	183( 2 11)	424( 3 9)	732( 4 7)	967( 5 5)
949( 6 3)	596( 7 1)	67( 0 12)	253( 1 10)	569( 2 8)	913( 3 6)
376( 4 4)	912( 5 2)	343( 6 0)	221( 0 9)	564( 1 7)	379( 2 5)
937( 3 7)	512( 4 1)	334( 0 6)	615( 1 4)	582( 2 2)	243( 3 0)
245( 0 3)	231( 1 1)	32( 0 0)			

4 4 2 2 2 1 1 1 1 0					
1(13 7)	2(14 5)	3(15 3)	2(16 1)	1(10 10)	3(11 8)
9(12 6)	12(13 4)	12(14 2)	5(15 0)	1( 8 11)	3( 9 9)
19(10 7)	35(12 5)	39(12 3)	27(13 1)	3( 6 12)	12( 7 10)
88( 8 8)	68( 9 6)	93(10 4)	81(11 2)	34(12 0)	2( 4 13)
16( 5 10)	49( 6 9)	107( 7 7)	158( 8 5)	174( 9 3)	112(10 1)
3( 2 14)	15( 3 12)	56( 4 10)	128( 5 8)	225( 6 6)	275( 7 4)
242( 8 2)	94( 0 0)	9( 1 13)	40( 2 11)	120( 3 9)	233( 4 7)
347( 5 5)	359( 6 3)	237( 7 1)	19( 0 12)	72( 1 10)	190( 2 8)
326( 8 6)	419( 4 4)	356( 5 2)	148( 6 0)	66( 0 9)	200( 1 7)
329( 2 5)	377( 8 3)	248( 4 1)	156( 0 6)	240( 1 4)	249( 2 2)
100( 3 0)	97( 3 3)	97( 1 1)	18( 0 0)		

4 4 2 2 1 1 1 1 1					
1(15 4)	1(14 2)	1(15 0)	2(11 5)	3(12 3)	3(13 1)
1( 8 8)	4( 9 6)	8(10 4)	7(11 2)	3(12 0)	6( 7 7)
12( 9 5)	14( 8 3)	13(10 1)	2( 4 10)	7( 5 8)	18( 6 6)
29( 7 4)	27( 6 2)	19( 9 0)	6( 7 9)	16( 4 7)	34( 5 5)
39( 6 3)	29( 7 1)	1( 0 12)	4( 1 10)	15( 2 8)	31( 3 6)
43( 4 4)	44( 5 2)	17( 6 0)	3( 0 9)	13( 1 7)	34( 2 5)
45( 3 3)	31( 4 1)	15( 0 6)	29( 1 4)	31( 2 2)	13( 3 0)
11( 0 3)	16( 1 1)	2( 0 0)			

4 2 3 3 3 2 1 0 0 0

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(20 2)	1(16 7)	2(17 5)	3(18 3)	3(19 1)	1(12 12)
2(13 10)	6(14 8)	10(15 6)	16(16 4)	12(17 2)	7(18 0)
1(9 15)	3(10 13)	10(11 11)	21(12 9)	37(13 7)	50(14 5)
51(15 3)	33(16 1)	2(7 16)	9(8 14)	24(9 12)	55(10 10)
92(11 8)	134(12 6)	144(13 4)	120(14 2)	40(15 0)	3(5 17)
14(6 15)	45(7 13)	100(8 11)	185(9 9)	273(10 7)	328(11 5)
303(12 3)	184(13 1)	3(3 18)	18(4 16)	59(5 14)	149(6 12)
286(7 10)	462(8 8)	589(9 6)	622(10 4)	466(11 2)	185(12 0)
2(4 19)	14(2 17)	59(3 15)	165(4 13)	358(5 11)	616(6 9)
878(7 7)	1008(8 5)	936(9 3)	541(10 1)	6(0 18)	37(1 16)
134(2 14)	336(3 12)	667(4 10)	1040(5 8)	1347(6 6)	1387(7 4)
054(8 2)	382(9 0)	59(0 15)	208(1 13)	516(2 11)	965(3 9)
412(4 7)	1661(5 5)	1503(6 3)	902(7 1)	200(0 12)	583(1 10)
104(2 8)	1533(3 6)	1672(4 4)	1286(5 2)	500(6 0)	411(0 9)
937(1 7)	1311(2 5)	1310(3 3)	819(4 1)	511(0 6)	825(1 4)
774(2 2)	302(3 0)	305(0 3)	285(1 1)	45(0 0)	

4 2 3 3 3 1 1 0 0 0					
1(16 7)	1(17 5)	2(18 3)	1(19 1)	2(13 10)	4(14 8)
9(15 6)	11(16 4)	11(17 2)	3(18 0)	2(10 13)	6(11 11)
13(12 9)	31(13 7)	46(14 5)	45(15 3)	30(16 1)	1(7 16)
5(8 14)	19(9 12)	44(10 10)	86(11 8)	123(12 6)	144(13 4)
112(14 2)	48(15 0)	1(5 17)	10(6 15)	33(7 13)	88(8 11)
168(9 9)	268(10 7)	327(11 5)	313(12 3)	191(13 1)	2(3 18)
12(4 16)	49(5 14)	129(6 12)	274(7 10)	450(8 8)	614(9 6)
644(10 4)	513(11 2)	195(12 0)	1(1 19)	11(2 17)	48(3 15)
151(4 13)	339(5 11)	624(6 9)	908(7 7)	1083(8 5)	988(9 3)
599(10 1)	4(0 18)	32(1 16)	120(2 14)	329(3 12)	667(4 10)
1102(5 8)	1441(6 6)	1528(7 4)	1161(8 2)	452(9 0)	49(0 15)
201(1 13)	533(2 11)	1016(3 9)	1546(4 7)	1846(5 5)	1709(6 3)
1030(7 1)	197(0 12)	622(1 10)	1191(2 8)	1730(3 6)	1381(4 4)
1505(5 2)	558(6 0)	463(0 9)	1049(1 7)	1515(2 5)	1013(3 3)
963(4 1)	566(0 8)	669(1 4)	889(2 2)	375(3 0)	370(0 3)
338(1 1)	44(0 1)				

4 3 3 3 2 2 1 0 0 0					
1(17 5)	1(18 3)	1(19 1)	1(13 10)	3(14 8)	7(15 6)
13(16 4)	9(17 2)	4(18 0)	1(10 13)	6(11 11)	10(12 9)
32(13 7)	45(14 5)	48(15 3)	30(16 1)	4(8 14)	17(9 12)
47(10 10)	93(11 8)	140(12 6)	160(13 4)	132(14 2)	30(15 0)
1(5 17)	8(6 15)	35(7 13)	96(8 11)	201(9 9)	320(10 7)
402(11 5)	382(12 3)	237(13 1)	1(3 18)	11(4 16)	49(5 14)
149(6 12)	329(7 10)	570(8 8)	781(9 6)	842(10 4)	657(11 2)
253(12 0)	1(1 19)	10(2 17)	52(3 15)	170(4 16)	424(5 11)
800(6 9)	1209(7 7)	1451(8 5)	1343(9 3)	813(10 1)	4(0 18)
33(1 16)	142(2 14)	407(3 12)	879(4 10)	1421(5 8)	1999(6 6)
2110(7 4)	1648(8 2)	619(9 0)	55(0 15)	254(2 13)	395(3 11)
1394(3 9)	2156(4 7)	2634(5 5)	2452(6 3)	1491(7 1)	267(0 12)
951(1 10)	1698(2 8)	2485(3 6)	2770(4 4)	2201(5 2)	346(6 0)
643(0 9)	1527(1 7)	2224(2 5)	2269(3 3)	1442(4 1)	360(0 6)
1451(1 4)	1370(2 2)	557(3 0)	558(0 3)	520(1 1)	70(0 3)

4 3 3 3 2 1 1 1 0 0					
1(14 8)	2(15 6)	3(16 4)	3(17 2)	1(18 0)	1(11 11)
5(12 9)	12(13 7)	19(14 5)	21(15 3)	14(16 1)	4(9 12)
16(10 10)	38(11 8)	65(12 6)	80(13 4)	68(14 2)	27(15 0)
1(6 15)	9(7 13)	35(8 11)	86(9 9)	155(10 7)	212(11 5)
312(11 3)	135(12 1)	2(4 16)	15(5 14)	56(6 12)	147(7 10)
284(9 8)	423(8 6)	483(10 4)	292(11 2)	152(12 0)	2(2 17)
16(3 15)	68(4 13)	192(5 11)	406(6 9)	665(7 7)	848(8 5)

IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

9 3)	508(10 1)	1(0 18)	11(1 16)	57(2 14)	189(3 12)
4 10)	825(5 8)	1181(6 6)	1311(7 4)	1049(8 2)	402(9 0)
0 15)	118(1 13)	360(2 11)	778(3 9)	1284(4 7)	1642(5 5)
6 3)	981(7 1)	238(0 12)	479(1 10)	1012(2 8)	1559(3 6)
4 4)	1464(5 2)	568(6 0)	387(0 9)	958(1 7)	1452(2 5)
2 3)	980(4 1)	558(0 6)	975(1 4)	935(2 2)	385(3 0)
0 3)	361(1 1)	52(0 0)			

3 7)	1(14 5)	2(15 3)	1(16 1)	2(11 6)	6(12 6)
13 4)	8(14 2)	3(15 0)	1(8 11)	6(9 9)	14(10 7)
11 5)	27(12 3)	19(13 1)	2(6 12)	10(7 10)	28(8 8)
9 6)	68(10 4)	58(11 2)	25(12 0)	1(3 15)	3(4 13)
5 11)	41(6 9)	84(7 7)	121(8 5)	131(9 3)	83(10 1)
2 14)	14(3 12)	46(4 10)	103(5 8)	172(6 6)	239(7 4)
8 2)	69(9 0)	1(0 15)	10(1 13)	36(2 11)	99(3 9)
4 7)	267(5 5)	274(6 3)	179(7 1)	16(0 12)	60(1 10)
2 8)	253(3 6)	317(4 4)	258(5 2)	111(6 0)	54(0 9)
1 7)	253(2 5)	282(3 3)	267(4 1)	101(0 0)	181(1 4)
2 2)	74(3 0)	74(0 3)	71(1 1)	12(0 0)	

15 6)	1(17 2)	2(12 9)	4(13 7)	6(14 5)	5(15 3)
16 1)	2(9 12)	6(10 10)	17(11 8)	23(12 6)	31(13 4)
14 2)	11(15 0)	1(6 15)	4(7 13)	17(8 12)	39(9 9)
10 7)	87(11 5)	85(12 3)	51(13 1)	1(4 15)	7(5 14)
6 12)	72(7 10)	129(8 8)	194(9 6)	205(10 4)	171(11 2)
12 0)	1(2 17)	7(3 15)	34(4 13)	64(5 11)	199(6 9)
7 7)	397(8 5)	271(9 3)	229(10 1)	5(1 15)	25(2 14)
3 12)	221(4 10)	412(5 8)	568(6 6)	636(7 4)	487(8 2)
9 0)	12(0 15)	59(1 13)	135(2 11)	394(3 9)	550(4 7)
5 5)	783(6 3)	420(7 1)	67(0 12)	247(1 10)	512(2 8)
2 6)	902(4 4)	750(5 2)	274(6 0)	226(0 9)	425(1 7)
3 5)	784(3 3)	509(4 1)	232(3 6)	325(2 4)	479(2 2)
3 1)	210(0 3)	191(1 1)	24(0 0)		

16 4)	1(18 0)	1(12 9)	3(18 7)	5(14 5)	7(15 3)
15 1)	2(9 12)	6(10 10)	15(11 8)	22(12 6)	34(13 4)
14 2)	10(15 0)	1(7 13)	4(8 11)	17(9 9)	79(10 7)
11 5)	112(12 3)	72(13 1)	15(5 14)	26(6 12)	15(7 7)
8 8)	244(9 6)	291(10 4)	27(11 2)	108(12 0)	5(3 15)
4 13)	1047(5 11)	242(6 9)	473(7 7)	343(8 5)	231(9 3)
10 1)	3(1 16)	26(2 14)	103(3 12)	277(4 10)	353(5 8)
6 6)	899(7 4)	732(8 2)	275(9 0)	1(0 15)	65(1 13)
2 11)	519(3 9)	397(4 7)	1179(5 5)	1158(6 3)	725(7 1)
0 12)	322(1 10)	735(8 8)	1147(3 6)	1263(4 4)	1115(5 2)
5 6 0)	277(0 9)	719(1 7)	1120(2 5)	1174(3 3)	779(4 1)
0 0 6)	776(1 4)	764(2 2)	310(2 0)	313(0 3)	299(1 1)

14 5)	1(15 3)	1(16 1)	2(12 9)	5(12 6)	9(13 4)
14 2)	4(15 0)	2(8 11)	7(9 9)	17(10 7)	23(11 5)
12 3)	23(13 1)	2(6 12)	12(7 10)	34(8 6)	67(9 6)
10 4)	81(11 2)	31(12 0)	3(4 13)	16(5 11)	54(6 9)
7 7)	172(9 5)	193(9 3)	122(10 1)	2(2 14)	17(3 12)
4 0)	147(5 8)	243(6 6)	315(7 4)	268(8 2)	111(9 0)
0 15)	10(1 13)	51(2 11)	143(3 9)	283(4 7)	408(5 5)
6 3)	280(7 1)	16(0 12)	88(1 10)	223(2 8)	400(3 6)

IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

02( 4 4)	441( 5 2)	171( 6 0)	90( 0 9)	248( 1 7)	420( 2 5)
67( 3 3)	316( 4 1)	158( 0 6)	307( 1 4)	303( 2 2)	133( 3 0)
31( 0 3)	124( 1 1)	17( 0 0)			
		4 3 3 2 1	1 1 1 1 1		
1(14 2)	1(11 5)	3(12 3)	2(13 1)	3( 9 6)	7(10 4)
7(13 2)	4(12 0)	1( 6 9)	5( 7 7)	13( 8 5)	17( 9 3)
14(10 1)	1( 4 10)	6( 5 8)	18( 6 6)	28( 7 4)	30( 8 2)
11( 9 0)	1( 2 11)	6( 3 9)	20( 4 7)	36( 5 5)	46( 6 3)
32( 7 1)	4( 1 10)	15( 2 8)	34( 3 6)	52( 4 4)	49( 5 2)
22( 6 0)	6( 0 9)	21( 1 7)	43( 2 5)	52( 3 3)	37( 4 1)
6( 0 6)	32( 1 4)	37( 2 2)	15( 3 0)	15( 0 3)	15( 1 1)
2( 0 0)					
		4 3 2 2 2	2 2 1 0 0		
1(11 8)	2(12 6)	2(13 4)	2(14 2)	1(15 0)	1( 8 11)
4( 9 9)	9(10 7)	13(11 5)	13(12 3)	8(13 1)	2( 6 12)
9( 7 10)	22( 8 8)	37( 9 6)	44(10 4)	36(11 2)	14(12 0)
2( 4 13)	12( 5 11)	37( 6 9)	71( 7 7)	99( 6 5)	100( 9 3)
62(10 1)	2( 2 14)	14( 3 12)	46( 4 10)	102( 5 8)	163( 6 6)
193( 7 4)	160( 8 2)	62( 9 0)	1( 0 15)	9( 1 13)	39( 2 11)
105( 3 9)	197( 4 7)	275( 5 5)	279( 6 3)	178( 7 1)	15( 0 12)
67( 1 10)	166( 2 9)	284( 3 6)	350( 4 4)	298( 5 2)	119( 6 0)
66( 0 9)	183( 1 7)	302( 2 5)	334( 3 3)	223( 4 1)	120( 0 6)
224( 1 4)	225( 2 2)	95( 3 0)	96( 3 3)	92( 1 1)	14( 0 0)
		4 3 2 2 2	2 1 1 1 0		
1(13 4)	1(14 2)	1( 9 9)	3(10 7)	6(11 5)	7(12 3)
5(13 1)	2( 7 10)	8( 8 8)	17( 9 6)	24(10 4)	22(11 2)
9(12 0)	3( 5 11)	13( 6 9)	34( 7 7)	54( 8 5)	50( 9 3)
41(10 1)	3( 3 12)	17( 4 10)	47( 5 8)	89( 6 6)	116( 7 4)
103( 8 2)	41( 9 0)	2( 1 13)	14( 2 11)	48( 5 9)	106( 4 7)
165( 5 5)	178( 6 3)	119( 7 1)	5( 0 12)	31( 1 10)	39( 3 8)
168( 3 6)	225( 4 4)	199( 5 2)	80( 6 0)	35( 0 9)	109( 1 7)
192( 2 5)	224( 3 3)	153( 4 1)	76( 0 6)	150( 2 4)	156( 2 2)
56( 3 0)	65( 0 3)	66( 1 1)	10( 0 0)		
		3 2 2 2	1 1 1 1 1		
1(12 2)	1(13 0)	1( 9 8)	3(10 4)	4(11 2)	2(12 0)
2( 7 7)	6( 8 9)	10( 9 3)	8(10 1)	3( 5 3)	10( 6 6)
18( 7 4)	19( 8 2)	9( 9 0)	3( 3 9)	11( 4 7)	24( 5 5)
31( 6 0)	23( 7 1)	1( 1 10)	3( 2 2)	24( 6 0)	33( 4 4)
37( 5 2)	16( 6 3)	4( 0 3)	15( 1 7)	32( 1 0)	41( 3 3)
3( 4 1)	12( 5 6)	27( 1 4)	30( 2 2)	13( 3 0)	13( 0 3)
13( 3 1)	2( 0 3)				
		2 2 2 2	2 2 2 1 1		
1( 8 3)	2(10 4)	1(12 0)	1( 6 9)	2( 7 7)	3( 8 5)
3( 9 2)	2(10 1)	2( 4 10)	3( 5 8)	9( 6 6)	7( 7 4)
13( 8 2)	1( 9 1)	1( 2 11)	4( 3 9)	10( 4 7)	15( 5 5)
16( 6 3)	1( 7 1)	1( 0 12)	1( 1 10)	11( 2 8)	17( 3 6)
27( 4 4)	19( 5 2)	12( 6 0)	3( 0 9)	12( 1 7)	22( 1 5)
27( 3 3)	18( 4 1)	11( 0 6)	13( 1 4)	23( 2 2)	5( 3 0)
8( 0 3)	9( 1 1)	3( 0 3)			
		2 2 2 2	2 2 1 1		
1( 9 6)	1(10 4)	1(11 0)	1( 6 9)	2( 7 7)	4( 8 5)
4( 9 3)	3(10 1)	1( 5 3)	7( 6 6)	12( 7 4)	9( 8 2)
5( 9 0)	1( 2 11)	4( 3 9)	12( 4 7)	19( 5 5)	23( 6 3)
15( 7 1)	3( 1 10)	9( 2 2)	23( 3 6)	30( 4 4)	31( 5 2)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

182( 5 5)	170( 6 3)	103( 7 1)	220( 0 12)	61( 1 10)	130( 2 8)
192( 3 6)	216( 4 4)	173( 5 2)	68( 6 0)	46( 0 9)	121( 1 7)
179( 2 5)	191( 3 3)	118( 4 1)	79( 0 6)	125( 1 4)	124( 2 2)
51( 3 0)	49( 0 3)	46( 1 1)	100( 0 0)		

3 3 3 3 2 2 1 1 0 0					
1(12 6)	1(13 4)	2(14 2)	1( 8 11)	3( 9 9)	7(10 7)
10(11 5)	11(12 3)	7(13 1)	3( 6 12)	9( 7 10)	21( 8 8)
31( 9 6)	39(10 4)	30(11 2)	14(12 0)	1( 3 15)	6( 4 13)
18( 5 11)	42( 6 9)	70( 7 7)	93( 8 5)	89( 9 3)	56(10 1)
1( 1 16)	6( 2 14)	22( 3 12)	57( 4 10)	107( 5 8)	158( 6 6)
174( 7 4)	143( 8 2)	52( 9 0)	3( 0 15)	16( 1 13)	53( 2 11)
117( 3 9)	199( 4 7)	255( 5 5)	248( 6 3)	153( 7 1)	21( 0 12)
77( 1 10)	170( 2 8)	265( 3 6)	312( 4 4)	251( 5 2)	101( 6 0)
69( 0 9)	173( 1 7)	268( 2 5)	282( 3 3)	184( 4 1)	106( 0 6)
188( 1 4)	184( 2 2)	74( 3 0)	77( 0 3)	73( 1 1)	12( 0 0)

3 3 3 3 2 1 1 1 1 0					
1(10 7)	2(11 5)	2(12 3)	2(13 1)	1( 7 10)	3( 8 8)
7( 9 6)	10(10 4)	9(11 2)	3(12 0)	2( 5 11)	7( 6 9)
16( 7 7)	24( 8 5)	27( 9 3)	18(10 1)	1( 2 14)	3( 3 12)
12( 4 10)	26( 5 8)	44( 6 6)	56( 7 4)	48( 8 2)	18( 9 0)
3( 1 13)	10( 2 11)	29( 3 9)	56( 4 7)	81( 5 5)	83( 5 3)
56( 7 1)	5( 0 12)	20( 1 10)	50( 2 8)	85( 3 6)	108( 4 4)
93( 5 2)	37( 6 0)	17( 0 9)	56( 1 7)	91( 2 5)	102( 3 3)
69( 4 1)	38( 0 6)	70( 1 4)	71( 2 2)	28( 3 0)	27( 0 3)
29( 1 1)	3( 0 0)				

3 3 3 3 1 1 1 1 1					
1(10 4)	1(12 0)	1( 8 5)	2( 9 3)	1(10 1)	1( 5 8)
3( 6 6)	3( 7 4)	5( 8 2)	2( 9 0)	1( 3 9)	2( 4 7)
5( 5 5)	7( 6 3)	5( 7 1)	1( 7 12)	4( 2 8)	5( 3 6)
10( 4 4)	7( 5 2)	6( 6 0)	3( 1 7)	6( 2 5)	9( 3 3)
5( 4 3)	5( 0 6)	6( 1 4)	8( 2 2)	2( 3 0)	2( 0 3)
2( 1 1)	2( 0 0)				

3 3 3 2 2 2 2 1 0 0					
1(10 7)	1(11 5)	1(12 3)	1(13 1)	2( 7 10)	4( 8 8)
8( 9 6)	9(10 4)	8(11 2)	2(12 0)	1( 4 13)	4( 5 11)
12( 6 9)	21( 7 7)	29( 8 5)	22( 9 3)	18(10 1)	1( 2 14)
6( 3 12)	17( 4 10)	38( 5 8)	56( 6 6)	68( 7 4)	52( 8 2)
22( 9 0)	4( 1 13)	17( 2 11)	42( 3 9)	79( 4 7)	105( 5 5)
105( 6 3)	66( 7 1)	7( 0 12)	31( 1 10)	70( 2 8)	119( 3 6)
140( 4 4)	121( 5 2)	44( 6 0)	29( 0 9)	79( 1 7)	129( 2 5)
138( 3 3)	93( 4 1)	49( 0 6)	97( 1 4)	93( 2 2)	41( 3 0)
42( 0 3)	40( 7 1)	4( 0 0)			

3 3 3 2 2 2 1 1 1 0					
1(12 3)	1( 8 8)	5( 9 6)	4(10 4)	4(11 2)	2(12 0)
1( 5 11)	4( 6 9)	9( 7 7)	15( 8 5)	16( 9 3)	11(10 1)
1( 2 12)	8( 4 10)	16( 5 8)	30( 6 6)	38( 7 4)	53( 8 2)
14( 9 0)	1( 1 13)	6( 2 11)	20( 3 9)	41( 4 7)	62( 5 5)
57( 6 3)	43( 7 1)	3( 0 12)	13( 1 10)	38( 2 8)	69( 3 6)
89( 4 4)	79( 5 2)	31( 6 0)	15( 0 9)	46( 1 7)	80( 2 5)
93( 3 3)	62( 4 1)	34( 0 6)	63( 1 4)	55( 2 2)	29( 3 0)
29( 0 3)	27( 1 1)	5( 0 0)			

3 3 3 2 2 1 1 1 1 1					
1(11 2)	2( 8 5)	3( 9 3)	2(10 1)	1( 5 8)	2( 6 6)
6( 7 4)	5( 8 2)	4( 9 0)	1( 3 9)	5( 4 7)	8( 5 5)



TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(610)

11( 6 0)	5( 0 9)	15( 1 7)	32( 2 5)	37( 3 3)	27( 4 1)
10( 0 6)	27( 1 4)	27( 2 2)	14( 3 0)	15( 0 3)	13( 1 1)
1( 0 0)					
		4 2 2 2 2 2	1 1 1 1		
1(12 0)	1( 8 5)	1( 9 3)	1(10 1)	1( 6 6)	2( 7 4)
4( 8 2)	2( 4 7)	4( 5 5)	7( 6 3)	4( 7 1)	1( 2 8)
4( 3 6)	9( 4 4)	7( 5 2)	5( 6 0)	1( 0 9)	3( 1 7)
8( 2 5)	10( 3 3)	9( 4 1)	3( 0 6)	7( 1 4)	9( 2 2)
3( 3 0)	4( 0 3)	4( 1 1)	1( 0 0)		
		3 3 3 3 3 3	0 0 0 0		
1(13 0)	1(14 5)	1(15 3)	1(12 10)	1(11 8)	3(12 6)
2(13 4)	4(14 2)	1( 6 15)	1( 7 13)	3( 8 11)	6( 9 9)
8(10 7)	10(11 5)	11(12 3)	5(13 1)	2( 5 14)	6( 6 12)
9( 7 10)	18( 8 3)	22( 9 5)	25(10 4)	16(11 2)	10(12 0)
1( 2 17)	3( 3 15)	8( 4 12)	17( 5 11)	31( 6 9)	41( 7 7)
48( 8 5)	43( 9 3)	26(10 1)	1( 1 16)	6( 2 14)	18( 3 12)
34( 4 10)	53( 5 8)	74( 6 6)	68( 7 4)	57( 8 2)	19( 9 0)
4( 0 15)	11( 1 13)	32( 2 11)	58( 3 9)	83( 4 7)	97( 5 5)
90( 6 3)	53( 7 1)	11( 3 12)	25( 1 10)	68( 2 8)	94( 3 6)
102( 4 4)	77( 5 2)	34( 6 0)	30( 0 9)	59( 1 7)	67( 2 5)
87( 3 3)	53( 4 1)	34( 0 6)	50( 1 4)	52( 2 2)	21( 2 0)
23( 0 2)	17( 1 1)	5( 0 0)			
		3 3 3 2 3 2	1 0 0 0		
1(14 5)	1(15 3)	1(16 1)	1(10 13)	3(11 8)	5(12 6)
7(13 4)	6(14 2)	2(15 0)	3( 7 13)	5( 8 11)	11( 9 9)
20(10 7)	25(11 5)	25(12 3)	16(13 1)	1( 4 16)	4( 5 14)
12( 6 12)	27( 7 10)	47( 8 8)	65( 9 6)	71(10 4)	56(11 2)
21(12 5)	1( 2 17)	5( 3 15)	18( 4 13)	44( 5 11)	31( 6 9)
123( 7 7)	147( 8 5)	134( 9 3)	83(10 1)	4( 1 16)	17( 2 14)
48( 3 12)	105( 4 10)	173( 5 8)	230( 6 6)	244( 7 4)	167( 8 2)
76( 9 0)	7( 0 15)	84( 1 13)	97( 2 11)	130( 3 9)	276( 4 7)
332( 5 5)	306( 6 3)	186( 7 1)	36( 0 12)	117( 1 10)	232( 2 8)
333( 3 6)	370( 4 4)	292( 5 2)	109( 6 0)	39( 0 9)	215( 1 7)
309( 2 5)	312( 3 3)	200( 4 1)	121( 0 6)	207( 1 4)	193( 2 2)
78( 3 0)	78( 0 3)	76( 1 1)	9( 0 0)		
		3 3 3 3 3 3	1 1 1 0 0		
1(11 9)	1(12 6)	3(13 4)	1(14 2)	2(15 0)	1( 8 11)
3( 9 9)	6(10 7)	9(11 5)	10(12 3)	6(13 1)	1( 5 14)
3( 6 12)	9( 7 10)	16( 8 8)	28( 9 6)	28(10 4)	28(11 2)
7(12 0)	1( 3 15)	5( 4 13)	14( 5 11)	31( 6 9)	50( 7 7)
65( 8 5)	63( 9 3)	39(10 1)	1( 1 16)	5( 2 14)	19( 3 12)
40( 4 10)	77( 5 8)	104( 6 6)	121( 7 4)	33( 8 4)	42( 9 0)
8( 0 15)	12( 1 18)	38( 2 11)	79( 3 9)	129( 4 7)	163( 5 5)
157( 6 3)	96( 7 1)	14( 0 12)	53( 1 10)	106( 2 8)	170( 3 6)
185( 4 4)	160( 5 2)	54( 6 0)	46( 0 9)	106( 1 7)	163( 2 5)
169( 3 3)	108( 4 1)	60( 0 6)	112( 1 4)	10( 2 2)	49( 3 0)
48( 0 3)	41( 1 1)	5( 0 0)			
		3 3 3 3 2 2	2 2 0 0 0		
1(11 8)	1(12 6)	2(13 4)	1(14 2)	1(15 0)	1( 8 11)
4( 9 9)	6(10 7)	9(11 5)	9(12 3)	5(13 1)	1( 5 14)
4( 6 12)	10( 7 10)	19( 8 8)	29( 9 6)	29(10 4)	25(11 2)
9(12 0)	12( 3 15)	5( 4 13)	18( 5 11)	35( 6 9)	57( 7 7)
69( 8 5)	66( 9 3)	39(10 1)	1( 0 18)	1( 1 16)	3( 2 14)
22( 3 12)	50( 4 10)	87( 5 8)	121( 6 6)	128( 7 4)	100( 8 2)
39( 9 0)	1( 0 15)	14( 1 12)	40( 2 11)	92( 3 9)	142( 4 7)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

12( 5 2)	8( 7 1)	1( 1 10)	3( 2 8)	10( 3 6)	13( 4 4)
16( 5 2)	4( 6 0)	2( 0 9)	6( 1 7)	14( 2 5)	16( 3 3)
13( 4 1)	4( 0 6)	12( 1 4)	10( 2 2)	7( 3 0)	7( 0 3)
5( 1 1)					
		3 3 2 2 2 2 2 2 0 0			
1( 6 5)	1( 7 7)	2( 8 5)	2( 9 3)	1(10 1)	1( 4 10)
3( 5 8)	5( 6 6)	6( 7 4)	5( 8 2)	2( 9 0)	2( 2 11)
4( 3 9)	10( 4 7)	13( 5 5)	14( 6 3)	9( 7 1)	3( 1 10)
8( 2 8)	17( 3 6)	20( 4 4)	19( 5 2)	7( 6 0)	6( 0 9)
12( 1 7)	23( 2 5)	25( 3 3)	17( 4 1)	7( 0 6)	13( 1 4)
17( 2 2)	9( 3 0)	10( 0 3)	8( 1 1)	1( 0 0)	
		3 3 2 2 2 2 2 1 1 0			
1( 7 7)	2( 8 5)	2( 9 3)	1(10 1)	1( 4 10)	3( 5 8)
6( 6 6)	8( 7 4)	7( 8 2)	3( 9 0)	4( 3 9)	9( 4 7)
16( 5 5)	17( 6 3)	12( 7 1)	1( 0 12)	3( 1 10)	11( 2 8)
21( 3 6)	30( 4 4)	25( 5 2)	11( 6 0)	3( 0 9)	15( 1 7)
26( 2 5)	34( 3 3)	23( 4 1)	14( 0 6)	25( 1 4)	23( 2 2)
11( 3 0)	10( 0 3)	12( 1 1)	3( 0 0)		
		3 3 2 2 2 2 1 1 1 1			
1(10 1)	1( 6 6)	2( 7 4)	2( 8 2)	1( 9 0)	1( 4 7)
3( 5 5)	5( 6 3)	3( 7 1)	2( 2 8)	4( 3 6)	3( 4 4)
8( 5 2)	3( 6 0)	3( 1 7)	7( 2 5)	9( 3 3)	7( 4 1)
3( 0 6)	7( 1 4)	8( 2 2)	4( 3 0)	3( 0 5)	4( 1 1)
		3 2 2 2 2 2 2 2 1 0			
1( 4 7)	1( 5 5)	1( 6 3)	1( 7 1)	1( 2 8)	2( 3 6)
3( 4 4)	3( 5 2)	1( 6 0)	2( 1 7)	4( 2 5)	5( 3 3)
4( 4 1)	2( 0 6)	5( 1 4)	5( 2 2)	2( 3 0)	2( 0 3)
3( 1 1)					
		3 2 2 2 2 2 2 1 1 1			
1( 6 3)	1( 3 6)	1( 4 4)	2( 5 2)	2( 2 5)	2( 2 3)
2( 4 0)	1( 0 6)	2( 1 4)	2( 2 2)	2( 3 0)	1( 0 3)
1( 1 1)					
		2 2 2 2 2 2 2 2 2 0			
1( 0 6)	1( 2 2)				
		2 2 2 2 2 2 2 2 1 1			
1( 1 4)	1( 3 0)				
		4 4 4 4 3 0 0 0 0 0			
1(20 8)	1(21 6)	1(22 4)	1(23 2)	1(17 11)	3(18 9)
5(19 7)	7(20 5)	7(21 3)	4(22 1)	1(14 14)	4(15 12)
9(16 10)	18(17 8)	26(18 6)	29(19 4)	23(20 2)	10(21 0)
1(11 17)	3(12 15)	10(13 13)	25(14 11)	46(15 9)	7(16 7)
87(17 5)	82(18 3)	50(19 1)	2( 9 18)	7(10 16)	22(11 14)
52(12 12)	100(13 10)	157(14 8)	208(15 6)	215(16 4)	169(17 2)
63(18 0)	1( 6 21)	3( 7 19)	14( 8 17)	40( 9 15)	94(10 13)
182(11 11)	301(12 9)	409(13 7)	469(14 5)	421(15 3)	250(16 1)
5( 5 20)	18( 6 18)	58( 7 16)	140( 8 14)	284( 9 12)	479(10 10)
700(11 8)	849(12 6)	853(13 4)	636(14 2)	341(15 0)	1( 2 23)
5( 3 21)	23( 4 19)	70( 5 17)	182( 6 15)	376( 7 13)	675( 8 11)
1026( 9 9)	1337(10 7)	1454(11 5)	1269(12 3)	740(13 1)	3( 1 22)
16( 2 20)	67( 3 18)	179( 4 16)	418( 5 14)	792( 6 12)	1292( 7 10)
1792( 8 8)	2129( 9 6)	2058(10 4)	1526(11 2)	559(12 0)	9( 0 21)
39( 1 19)	145( 2 17)	367( 3 15)	782( 4 13)	1376( 5 11)	2078( 6 9)

IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(7 7)	2856(8 5)	2446(9 3)	1423(10 1)	49(0 18)	217(1 16)
5(2 14)	1177(3 12)	1966(4 10)	2794(5 8)	3305(6 5)	3227(7 4)
30(8 2)	892(9 0)	223(0 15)	679(1 13)	1448(2 11)	2367(3 9)
34(4 7)	352(5 5)	3059(6 3)	1779(7 1)	514(0 12)	1359(1 10)
37(2 8)	3018(3 6)	3076(4 4)	2343(5 2)	864(6 0)	865(0 9)
52(1 7)	2332(2 5)	2218(3 3)	1357(4 1)	853(0 5)	1347(1 4)
95(2 2)	491(3 0)	490(0 3)	424(1 1)	59(0 0)	

1(21 6)	1(22 4)	1(23 2)	1(17 11)	3(18 9)	6(19 7)
9(20 5)	9(21 3)	6(22 1)	1(14 14)	4(15 12)	12(16 10)
25(17 8)	37(18 6)	45(19 4)	35(20 2)	15(21 0)	3(12 15)
13(13 13)	25(14 11)	72(15 9)	116(16 7)	144(17 5)	139(18 3)
86(19 1)	1(9 18)	8(10 16)	30(11 14)	80(12 12)	167(13 10)
75(14 8)	372(15 6)	393(16 4)	312(17 2)	114(18 0)	3(7 19)
16(8 17)	56(9 15)	151(10 13)	317(11 11)	546(12 9)	777(13 7)
204(14 5)	818(15 3)	494(16 1)	1(4 22)	5(5 20)	25(6 18)
88(7 16)	234(8 14)	510(9 12)	914(10 10)	1374(11 8)	712(12 6)
746(13 4)	1310(14 2)	498(15 0)	1(2 23)	6(3 21)	31(4 19)
109(5 17)	305(6 15)	690(7 13)	1303(8 11)	2066(9 9)	2768(10 7)
074(11 5)	2706(12 3)	1595(13 1)	5(1 22)	26(2 20)	104(3 18)
319(4 16)	777(5 14)	1561(6 12)	2650(7 10)	3804(8 8)	4601(9 6)
537(10 4)	3385(11 2)	1240(12 0)	11(0 21)	66(1 19)	247(2 17)
689(3 15)	1546(4 13)	2854(5 11)	4448(6 9)	5842(7 7)	6389(8 5)
550(9 3)	3251(10 1)	91(0 18)	409(1 15)	1140(2 14)	2455(3 12)
277(4 10)	6223(5 8)	7524(6 6)	7448(7 4)	5509(8 2)	2055(9 0)
425(0 15)	1429(1 13)	3133(2 11)	5299(3 9)	7296(4 7)	3175(5 5)
7200(6 3)	4245(7 1)	1145(0 12)	3071(1 10)	5327(2 8)	7099(3 6)
7370(4 4)	5637(5 2)	2097(6 0)	1967(0 9)	4143(1 7)	5577(2 5)
5376(3 3)	3314(4 1)	2067(0 6)	3297(1 4)	2959(2 2)	1191(3 0)
1187(3 3)	1064(1 1)	143(0 0)			

1(12 9)	1(19 7)	2(20 5)	2(21 3)	1(22 1)	1(15 12)
3(16 10)	7(17 8)	11(18 6)	12(19 4)	16(20 2)	4(21 0)
2(12 13)	9(14 10)	21(15 9)	36(16 7)	46(17 5)	45(18 3)
27(19 1)	1(10 16)	6(11 14)	23(12 12)	51(13 10)	93(14 8)
130(15 6)	139(16 4)	170(17 2)	43(18 0)	2(8 17)	13(9 15)
40(10 13)	100(11 11)	138(12 9)	280(13 7)	337(14 5)	311(15 3)
167(16 1)	1(5 20)	6(6 18)	21(7 16)	70(8 14)	166(9 12)
325(10 10)	513(11 3)	668(12 6)	690(13 4)	530(14 2)	200(15 0)
2(3 21)	6(4 19)	29(5 17)	90(6 15)	228(7 13)	468(8 11)
787(9 9)	1092(10 7)	1253(11 5)	1125(12 3)	667(15 1)	1(0 24)
1(1 23)	9(2 20)	31(3 18)	102(4 16)	263(5 14)	577(6 12)
1021(7 10)	1540(8 8)	1915(9 6)	1936(10 4)	1458(11 2)	548(12 0)
1(0 21)	18(1 19)	73(2 17)	235(3 15)	556(4 13)	115(5 11)
1797(6 9)	2452(7 7)	2750(8 5)	2440(9 3)	1439(10 1)	36(0 18)
141(1 16)	431(2 14)	961(3 12)	1759(4 10)	2636(5 8)	3299(6 6)
3309(7 4)	2498(8 2)	931(9 0)	149(0 15)	555(1 13)	1269(2 11)
2257(3 9)	3179(4 7)	3668(5 5)	3279(6 3)	1949(7 1)	437(0 12)
1305(1 10)	2363(2 8)	3201(3 6)	3397(4 4)	2614(5 2)	997(6 0)
852(0 9)	1369(1 7)	2555(2 5)	2519(3 3)	1551(4 1)	980(0 6)
1538(0 4)	1417(2 2)	566(3 0)	556(0 3)	503(1 1)	81(0 0)

1(22 4)	1(24 0)	1(18 9)	3(19 7)	5(20 5)	6(21 3)
4(22 1)	2(15 12)	7(16 10)	14(17 8)	26(18 6)	29(19 4)
29(20 2)	8(21 0)	2(12 15)	8(18 18)	23(14 11)	50(15 9)
84(16 7)	110(17 5)	109(18 3)	69(19 1)	1(9 18)	6(10 16)
22(11 14)	61(12 12)	127(13 10)	221(14 8)	298(15 6)	33(16 4)

1889(0 3) 1720(1 1) 241(0 0)

1(17 8)	1(18 6)	3(19 4)
4(15 9)	9(16 7)	13(17 5)
13(13 10)	28(14 8)	49(15 6)
1(9 15)	8(10 13)	39(11 11)
160(15 3)	100(16 1)	3(7 16)
255(11 8)	359(12 4)	409(13 4)
5(5 17)	25(6 15)	85(7 13)
806(11 5)	757(12 3)	464(13 1)
104(5 14)	274(6 12)	579(7 10)
1104(11 2)	403(12 0)	4(1 19)
650(5 11)	1188(6 9)	1766(7 7)
10(0 18)	60(1 16)	216(2 14)
2598(6 6)	2770(7 4)	2126(8 2)
884(2 11)	1710(3 9)	2604(4 7)
324(0 12)	1005(1 10)	1935(2 8)
926(6 0)	726(0 9)	1664(1 7)
892(0 6)	1507(1 4)	1392(2 2)
70(0 0)		

1(20 2)	2(21 0)	1(14 11)
14(18 3)	9(19 1)	3(12 12)
54(16 4)	50(17 2)	15(18 0)
71(12 9)	124(13 7)	163(14 5)
16(8 14)	56(9 12)	135(10 10)
315(14 2)	131(15 0)	1(4 19)
214(8 11)	421(9 9)	653(10 7)
1(2 20)	6(3 18)	29(4 16)
964(8 8)	1317(9 6)	1391(10 4)
24(2 17)	96(3 15)	284(4 13)
2107(8 5)	1946(9 3)	1178(10 1)
578(3 12)	1181(4 10)	1960(5 8)
825(9 0)	82(0 15)	340(1 13)
3154(5 5)	2929(6 3)	1731(7 1)
2813(3 6)	3088(4 4)	2474(5 2)
2394(2 5)	2419(3 3)	1532(4 1)
581(3 0)	571(0 3)	520(1 1)

1(21 3)	1(17 8)	3(18 6)
2(14 11)	7(15 9)	14(16 7)
2(11 14)	9(12 12)	25(13 10)
77(17 2)	31(18 0)	1(9 17)
1136(12 9)	219(13 7)	274(14 5)
10(7 16)	43(8 14)	125(9 12)
671(13 4)	526(14 2)	199(15 0)
189(7 13)	435(8 11)	790(9 9)
755(13 1)	1(2 20)	14(3 18)
099(7 10)	1748(8 8)	2271(9 6)
1(0 21)	8(1 19)	55(2 17)
1190(6 9)	3116(7 7)	3607(8 3)
124(1 16)	427(2 14)	1118(3 12)
674(7 4)	357(8 2)	1342(3 0)
110(3 4)	4584(4 7)	5417(5 0)
826(1 13)	3442(2 8)	4871(3 6)
295(0 3)	2902(1 7)	4112(2 5)
558(1 1)	2369(3 2)	958(3 0)

4(19 4)	4(20 2)	2(21 0)
23(17 5)	23(18 3)	16(19 1)
52(14 8)	81(15 6)	93(16 4)
6(9 15)	24(10 13)	66(11 11)
265(15 3)	161(16 1)	1(6 18)
269(10 10)	460(11 8)	626(12 6)
2(4 19)	14(5 17)	64(6 15)
1155(13 7)	1370(11 5)	1254(12 3)
66(4 16)	225(5 14)	559(6 12)
2362(10 4)	1801(11 2)	631(12 0)
207(3 15)	580(4 13)	1253(5 11)
3255(9 3)	1944(10 1)	19(0 18)
3193(4 13)	3502(5 3)	4527(6 6)
170(3 15)	662(1 13)	1661(2 11)
4950(6 3)	2971(7 4)	612(0 12)
5220(4 4)	4144(5 2)	1577(6 0)
4115(3 3)	2576(4 1)	1349(0 6)
967(0 3)	874(1 1)	128(0 0)

1(18 6)	1(19 4)	2(20 2)
10(18 3)	7(19 1)	2(12 12)
48(16 4)	37(17 2)	18(18 0)
57(12 9)	106(13 7)	142(14 5)
18(8 24)	27(9 12)	123(10 10)
17(14 2)	118(15 0)	8(5 17)
403(9 9)	637(10 7)	601(11 5)
22(4 16)	90(5 14)	262(6 12)
170(10 4)	1136(11 2)	45(12 0)
269(4 13)	652(5 11)	1227(6 9)
277(10 1)	7(0 18)	51(1 16)
296(5 8)	2861(6 6)	3034(7 4)
446(1 13)	930(2 11)	1860(3 9)
27(7 1)	364(0 12)	1097(1 10)
30(5 2)	1111(6 0)	802(0 9)
96(4 1)	1063(0 6)	1766(1 4)
24(1 1)	85(0 8)	

1(15 9)	5(16 7)	9(17 5)
2(13 10)	22(14 8)	35(15 6)
1(9 15)	6(10 13)	24(11 11)
144(15 3)	91(16 1)	2(7 16)
228(11 8)	344(12 6)	379(13 4)
19(6 15)	75(7 13)	197(8 11)
750(12 3)	471(13 1)	5(3 18)
566(7 10)	986(8 6)	1341(9 6)
2(7 19)	17(2 17)	84(3 15)
1865(7 7)	2252(8 5)	2101(9 3)
209(2 14)	580(3 12)	1250(4 10)
2396(8 2)	884(9 0)	75(0 15)
2883(4 7)	3543(5 5)	3311(6 3)
2183(2 8)	3184(3 6)	3532(4 4)
1906(7 7)	2765(2 5)	2828(3 3)
1681(2 2)	665(3 0)	664(0 3)

BLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(17 5)	1(13 3)	1(19 1)	1(14 8)	3(15 6)	5(16 4)
5(17 2)	2(18 0)	1(11 11)	4(12 9)	11(13 7)	18(14 5)
21(15 3)	14(16 1)	2( 9 12)	9(10 10)	25(11 8)	45(12 6)
58(13 4)	51(14 2)	20(15 0)	1( 6 15)	4( 7 16)	17( 8 11)
47( 9 9)	90(13 7)	129(11 5)	132(12 3)	86(13 4)	5( 5 14)
21( 6 12)	65( 7 10)	137( 8 8)	218( 9 6)	259(10 4)	215(11 2)
85(12 0)	1( 2 17)	5( 3 15)	25( 4 13)	76( 5 11)	176( 6 9)
306( 7 7)	409( 8 5)	406( 9 3)	256(10 1)	3( 1 18)	17( 2 14)
68( 3 12)	173( 4 10)	342( 5 8)	514( 6 6)	592( 7 4)	485( 8 2)
87( 9 0)	8( 0 15)	40( 1 13)	134( 2 11)	302( 3 9)	524( 4 7)
93( 5 5)	685( 6 3)	431( 7 1)	46( 3 12)	178( 1 10)	383( 2 8)
22( 3 6)	735( 4 4)	610( 5 2)	239( 6 0)	150( 0 9)	371( 1 7)
77( 2 5)	611( 3 3)	400( 4 1)	213( 0 6)	382( 1 4)	559( 2 2)
53( 3 0)	153( 0 3)	142( 1 1)	20( 0 0)		

1(18 0)	1(15 3)	1(12 6)	1(13 4)	3(14 2)	1( 9 9)
1(10 7)	4(11 5)	5(12 3)	3(13 1)	3( 8 8)	6( 9 6)
11(13 4)	7(11 2)	7(12 0)	1( 5 11)	3( 6 9)	9( 7 7)
14( 8 5)	18( 9 3)	11(10 1)	1( 6 12)	3( 4 10)	9( 5 8)
22( 6 6)	22( 7 4)	26( 8 2)	7( 0 0)	2( 2 11)	9( 3 9)
16( 4 7)	29( 5 5)	32( 6 3)	20( 7 1)	2( 0 12)	4( 3 10)
16( 2 8)	25( 3 6)	37( 4 4)	27( 5 2)	18( 5 0)	4( 0 9)
14( 1 7)	24( 2 5)	22( 3 3)	18( 4 1)	14( 0 6)	10( 1 4)
23( 2 2)	7( 3 0)	7( 0 3)	5( 1 1)	5( 0 0)	

1(21 3)	1(22 1)	1(17 3)	3(18 6)	5(19 4)	6(20 2)
2(21 0)	1(13 13)	3(14 11)	8(15 9)	16(16 7)	25(17 5)
27(18 3)	19(10 1)	1(10 16)	4(11 14)	13(12 12)	30(13 10)
57(14 8)	84(15 6)	100(16 4)	80(17 2)	34(18 0)	2( 8 17)
11( 9 15)	33(10 13)	79(11 11)	146(12 9)	225(13 7)	276(14 5)
62(15 3)	160(16 1)	4( 6 18)	19( 7 16)	64( 8 14)	152( 9 12)
99(10 10)	472(11 8)	622(12 6)	646(13 4)	505(14 2)	184(15 0)
4( 4 19)	26( 5 17)	90( 6 15)	237( 7 13)	482( 8 11)	818( 9 9)
28(10 7)	1305(11 5)	1168(12 3)	697(13 1)	4( 2 20)	25( 3 18)
13( 4 16)	297( 5 14)	644( 6 12)	1156( 7 10)	1745( 8 8)	2160( 9 6)
88(10 4)	1633(11 2)	620(12 0)	1( 0 21)	16( 1 19)	79( 2 17)
70( 3 15)	669( 4 13)	1343( 5 11)	2190( 6 9)	2986( 7 7)	3333( 8 5)
41( 9 3)	1734(10 1)	33( 0 18)	164( 1 16)	525( 2 14)	1210( 3 12)
47( 4 11)	3377( 6 8)	4217( 6 6)	4219( 7 4)	3180( 8 2)	1159( 9 0)
91( 0 15)	726( 1 13)	1688( 2 11)	3012( 3 9)	4264( 4 7)	4399( 5 5)
74( 6 3)	2557( 7 1)	645( 0 12)	1785( 1 10)	3245( 2 8)	4409( 3 6)
21( 4 4)	3599( 5 2)	1372( 6 0)	1194( 0 9)	2637( 1 7)	5620( 2 5)
51( 3 3)	2208( 4 1)	1889( 0 6)	2218( 1 4)	2043( 2 2)	610( 3 0)
99( 0 3)	743( 1 1)	111( 0 0)			

1(17 8)	2(18 6)	3(19 4)	3(20 2)	1(21 0)	2(14 11)
6(15 3)	15(16 7)	19(17 5)	21(18 3)	13(19 1)	2(11 14)
8(12 12)	24(13 10)	47(14 8)	75(15 6)	86(16 4)	72(17 2)
23(18 0)	1( 8 17)	6( 9 15)	24(19 13)	62(12 11)	129(12 9)
94(13 7)	261(14 5)	248(15 3)	155(16 1)	1( 8 18)	12( 7 16)
44( 8 14)	126( 9 12)	260(10 10)	444(11 8)	597(12 6)	645(13 4)
11(14 20)	194(15 0)	3( 4 19)	17( 5 17)	72( 6 15)	198( 7 13)
11( 8 11)	776( 9 9)	1131(10 7)	1323(11 5)	1215(12 3)	728(13 1)
11( 2 20)	18( 3 18)	76( 4 16)	248( 5 14)	580( 6 12)	1116( 7 10)
11( 8 8)	2232( 9 6)	2287(10 4)	1756(11 2)	65(12 0)	2( 0 21)

E. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

11( 1 19)	69( 2 17)	235( 3 15)	631( 4 13)	1303( 5 11)	2227( 6 9)
12( 7 7)	3563( 8 5)	3183( 9 3)	1900(10 1)	21( 0 18)	145( 1 16)
16( 2 14)	1167( 3 12)	2258( 4 10)	3541( 5 8)	4495( 6 6)	4620( 7 4)
18( 8 2)	1323( 9 0)	195( 0 15)	712( 1 13)	1746( 2 11)	3165( 3 9)
13( 4 7)	5391( 5 5)	4887( 6 3)	2917( 7 1)	631( 0 12)	1883( 1 10)
19( 2 8)	4873( 3 6)	5213( 4 4)	4091( 5 2)	1530( 6 0)	1331( 0 9)
13( 1 7)	4100( 2 5)	4048( 3 3)	2539( 4 1)	1522( 0 6)	2534( 1 4)
13( 2 2)	956( 3 0)	961( 0 3)	859( 1 1)	116( 0 0)	

1(18 6)	2(19 4)	2(20 2)	1(21 0)	1(14 11)	4(15 9)
10(16 7)	16(17 5)	18(18 3)	12(19 1)	1(11 14)	7(12 12)
11(13 10)	45(14 8)	72(15 6)	86(16 4)	72(17 2)	28(18 0)
14( 9 15)	20(10 13)	61(11 11)	132(12 9)	218(13 7)	280(14 5)
11(15 3)	169(16 1)	1( 6 18)	9( 7 16)	44( 8 14)	130( 9 12)
1(10 10)	504(11 8)	695(12 6)	751(13 4)	591(14 2)	225(15 0)
1( 4 19)	14( 5 17)	65( 6 15)	210( 7 13)	494( 8 11)	915( 9 9)
7(17 7)	1618(11 5)	1488(12 3)	900(13 1)	2( 2 20)	15( 3 18)
0( 4 16)	267( 5 14)	680( 6 12)	1348( 7 10)	2166( 8 8)	2821( 9 6)
6(10 4)	2250(11 2)	848(12 0)	10( 1 19)	62( 2 17)	255( 3 15)
2( 4 13)	1593( 5 11)	2798( 6 9)	4013( 7 7)	4656( 8 5)	4209( 9 3)
7(10 1)	28( 0 18)	158( 1 16)	574( 2 14)	1461( 3 12)	2914( 4 10)
7( 5 8)	6034( 6 6)	6239( 7 4)	4771( 8 2)	1788( 9 0)	210( 0 15)
0( 1 13)	2215( 2 11)	4188( 3 9)	6219( 4 7)	7381( 5 5)	6744( 6 3)
1( 7 1)	846( 0 12)	2505( 1 10)	4766( 2 8)	6747( 3 6)	7351( 4 4)
5( 5 2)	2197( 6 0)	1773( 0 9)	4058( 1 7)	5755( 2 5)	5773( 3 3)
0( 4 1)	2204( 0 6)	3634( 1 4)	3383( 2 2)	1367( 3 0)	1363( 0 3)
7( 1 1)	183( 0 0)				

1(15 9)	3(16 7)	5(17 5)	6(18 3)	4(19 1)	1(12 12)
16(13 10)	16(14 8)	29(15 6)	36(16 4)	32(17 2)	12(18 0)
14(10 13)	19(11 11)	51(12 9)	95(13 7)	133(14 5)	134(15 3)
16(16 1)	1( 7 16)	10( 8 14)	43( 9 12)	116(10 10)	229(11 8)
13(12 6)	395(13 4)	319(14 2)	126(15 0)	2( 5 17)	18( 6 15)
13( 7 13)	206( 8 10)	427( 9 8)	693(10 6)	876(11 4)	841(12 2)
0(13 1)	3( 3 18)	22( 4 16)	97( 5 14)	286( 6 12)	640( 7 10)
1( 8 8)	1553( 9 6)	1688(10 4)	1339(11 2)	506(12 0)	2( 1 19)
0( 2 17)	95( 3 15)	315( 4 13)	785( 5 11)	1466( 6 9)	2234( 7 7)
13( 8 5)	1342( 9 3)	1552(10 1)	7( 0 18)	60( 1 16)	246( 2 14)
17( 3 12)	1523( 4 10)	2602( 5 8)	3540( 6 6)	3808( 7 4)	2971( 8 2)
17( 9 0)	97( 0 15)	428( 1 13)	1176( 2 11)	2353( 3 9)	3682( 4 7)
1( 5 5)	4257( 6 3)	2602( 7 1)	437( 0 17)	1409( 1 15)	2808( 2 8)
5( 3 6)	4646( 4 4)	3720( 5 2)	1423( 6 0)	1063( 0 14)	2503( 1 7)
0( 2 5)	3751( 3 3)	2293( 4 1)	1389( 0 6)	2370( 1 4)	2226( 2 2)
13( 3 0)	915( 0 3)	842( 1 1)	119( 0 0)		

1(14 8)	2(15 6)	3(16 4)	3(17 2)	1(18 0)	2(12 9)
7(13 7)	12(14 5)	14(15 3)	9(16 1)	1( 9 12)	7(10 10)
11(11 8)	37(12 6)	47(13 4)	41(14 2)	17(15 0)	2( 7 13)
1( 8 11)	30( 9 0)	75(10 7)	109(11 5)	113(12 8)	74(13 3)
1( 4 16)	4( 5 14)	20( 6 12)	57( 7 10)	126( 8 8)	200( 9 6)
2(10 4)	2021(11 2)	79(12 0)	4( 3 15)	19( 4 13)	68( 5 11)
19( 6 9)	280( 7 7)	388( 8 5)	393( 9 3)	248(10 1)	1( 0 18)
13( 1 16)	20( 2 14)	65( 3 12)	175( 4 10)	339( 5 8)	519( 6 6)
13( 7 4)	494( 8 2)	191( 9 0)	4( 0 15)	39( 1 13)	126( 2 10)
1( 3 9)	527( 4 7)	713( 5 5)	705( 6 3)	449( 7 1)	55( 0 12)
13( 1 10)	415( 2 8)	656( 3 6)	786( 4 4)	650( 5 2)	258( 6 0)
5( 0 9)	394( 1 7)	608( 2 5)	658( 3 3)	428( 4 1)	242( 0 6)

IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

7(1 4)	410(2 2)	166(3 0)	760(0 2)	156(1 1)	25(0 0)
	4	4	3	2	2
1(16 7)	1(17 5)	1(18 3)	1(19 1)	2(13 1)	5(14 8)
9(15 6)	10(16 4)	9(17 2)	3(18 0)	2(10 1)	7(11 11)
10(12 9)	34(13 7)	46(14 5)	44(15 3)	27(15 1)	1(7 16)
4(8 14)	19(9 12)	48(10 10)	93(11 8)	130(12 6)	148(13 4)
3(14 2)	45(15 0)	1(5 17)	8(6 15)	32(7 13)	91(8 11)
1(9 9)	288(10 7)	351(11 5)	329(12 3)	200(13 1)	1(3 18)
29(4 16)	42(5 14)	126(6 12)	285(7 10)	482(8 8)	663(9 6)
10(10 4)	551(11 2)	203(12 0)	1(1 19)	8(2 17)	41(3 15)
3(4 13)	345(5 11)	660(6 9)	989(7 7)	1190(8 5)	1393(9 3)
5(10 1)	2(0 18)	26(1 16)	109(2 14)	324(3 12)	694(4 10)
8(5 8)	1591(6 6)	1706(7 4)	1313(8 2)	506(9 0)	44(0 15)
7(1 13)	549(2 11)	1090(3 9)	1707(4 7)	2080(5 5)	1949(6 3)
5(7 1)	200(0 12)	663(1 10)	1311(2 8)	1948(3 6)	2164(4 4)
3(5 2)	655(6 0)	508(0 9)	1185(1 7)	1746(2 5)	1775(3 3)
7(4 1)	653(0 6)	1137(1 4)	1059(2 2)	444(3 0)	445(0 3)
8(1 1)	53(0 0)				
	4	4	3	2	2
1(17 5)	1(18 3)	1(19 1)	1(13 10)	4(14 8)	3(15 6)
2(16 4)	13(17 2)	5(18 0)	1(10 13)	6(11 11)	18(12 9)
7(13 7)	53(14 5)	56(15 3)	36(16 1)	3(8 14)	16(9 12)
9(10 10)	102(11 8)	161(12 6)	186(13 4)	157(14 2)	58(15 0)
5(6 15)	29(7 13)	93(8 11)	210(9 9)	354(10 7)	461(11 5)
8(12 3)	280(13 1)	6(4 16)	38(5 14)	135(6 12)	329(7 10)
9(8 8)	871(9 6)	972(10 4)	770(11 2)	301(12 0)	5(2 17)
7(3 15)	148(4 13)	435(5 11)	826(6 9)	1315(7 7)	1542(8 5)
8(9 3)	958(10 1)	2(0 18)	23(1 16)	112(2 14)	378(3 12)
3(4 10)	1576(5 8)	2223(6 6)	2427(7 4)	1933(8 2)	730(9 0)
4(0 15)	230(1 13)	693(2 11)	1454(3 9)	2339(4 7)	2982(5 5)
45(6 3)	1756(7 1)	261(0 13)	879(1 10)	1838(2 8)	2788(3 6)
96(4 4)	2582(5 2)	1305(6 0)	691(0 9)	1731(0 7)	2550(2 5)
66(3 3)	1708(4 1)	985(0 8)	1695(0 4)	1626(0 2)	663(3 0)
3(0 3)	622(1 1)	93(0 0)			
	4	4	3	2	2
1(15 6)	2(16 4)	2(17 2)	1(18 0)	2(12 9)	6(13 7)
12(14 5)	14(15 3)	10(16 1)	7(9 12)	5(10 10)	19(11 8)
37(12 6)	51(13 4)	46(14 2)	19(15 0)	2(7 13)	13(8 11)
40(9 9)	87(10 7)	130(11 5)	147(12 3)	92(13 2)	3(5 14)
19(6 12)	65(7 10)	148(8 8)	350(9 6)	306(10 4)	262(11 2)
13(12 0)	3(3 15)	22(4 13)	81(5 11)	206(6 9)	376(7 7)
26(8 5)	532(9 3)	343(10 1)	2(1 16)	16(2 24)	76(3 12)
15(4 10)	451(5 8)	703(6 6)	835(7 4)	697(8 2)	273(9 0)
9(0 15)	46(1 13)	171(2 11)	414(3 9)	732(4 7)	1021(5 5)
33(6 3)	655(7 1)	61(0 9 12)	149(1 10)	575(2 6)	934(3 6)
49(4 4)	973(5 2)	379(6 0)	223(0 9)	580(1 7)	326(2 5)
99(2 3)	661(4 1)	349(0 6)	643(1 4)	623(2 2)	255(3 0)
62(0 3)	245(1 1)	34(0 0)			
	4	4	3	2	1
1(15 3)	1(16 1)	1(12 6)	3(13 4)	4(14 2)	4(15 0)
3(10 7)	8(11 5)	11(12 3)	9(13 1)	1(7 10)	5(8 8)
15(9 6)	25(10 4)	24(11 2)	11(12 0)	1(5 11)	7(6 9)
22(7 7)	41(8 5)	49(9 3)	35(13 -1)	1(3 12)	8(4 10)
36(5 3)	53(6 6)	76(7 4)	71(8 2)	2(9 0)	1(1 13)
6(2 11)	23(3 9)	56(4 7)	99(5 5)	102(6 3)	70(7 1)
2(0 12)	14(1 10)	42(2 8)	32(3 6)	114(4 4)	102(5 2)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

42( 6 0)	15( 0 9)	50( 1 7)	89( 2 5)	103( 3 3)	73( 4 1)
34( 0 6)	67( 1 4)	69( 2 2)	28( 3 0)	27( 0 3)	28( 1 1)
3( 0 0)					
		4 4 2 2 2	2 2 1 0 0		
1(12 9)	2(13 7)	3(14 5)	3(15 3)	2(16 1)	1( 9 12)
3(10 10)	9(11 8)	14(12 6)	17(13 4)	13(14 2)	8(15 0)
1( 7 12)	8( 8 11)	20( 9 9)	39(10 7)	52(11 5)	52(12 3)
32(13 1)	2( 5 14)	11( 6 12)	36( 7 10)	73( 8 8)	115( 9 6)
130(10 4)	108(11 2)	39(12 0)	2( 3 15)	14( 4 13)	46( 5 11)
111( 6 9)	188( 7 7)	250( 8 5)	243( 9 3)	152(10 1)	1( 1 16)
10( 2 14)	45( 3 12)	120( 4 10)	242( 5 8)	358( 6 6)	415( 7 4)
331( 8 2)	133( 9 0)	5( 0 15)	28( 1 13)	100( 2 11)	231( 3 9)
408( 4 7)	537( 5 5)	532( 6 3)	334( 7 1)	36( 0 12)	144( 1 10)
321( 2 8)	526( 3 6)	618( 4 4)	523( 5 2)	198( 5 0)	128( 0 9)
326( 1 7)	518( 2 5)	552( 3 3)	364( 4 1)	195( 0 3)	503( 1 4)
348( 2 2)	151( 3 0)	151( 0 3)	140( 1 1)	18( 0 0)	
		4 4 2 2 2	2 1 1 1 0		
1(14 5)	1(15 3)	1(16 1)	1(10 10)	3(11 8)	6(12 6)
9(13 4)	8(14 2)	3(15 0)	1( 3 11)	6( 9 9)	16(10 7)
25(11 5)	29(12 3)	19(13 1)	3( 6 12)	12( 7 10)	33( 8 8)
59( 9 6)	75(10 4)	66(11 2)	26(12 0)	2( 4 13)	15( 5 11)
45( 6 9)	94( 7 7)	139( 8 5)	145( 9 3)	96(10 1)	3( 2 14)
15( 3 12)	54( 4 10)	121( 5 8)	204( 6 6)	250( 7 4)	212( 8 2)
85( 9 0)	9( 1 13)	39( 2 11)	114( 3 9)	221( 4 7)	320( 5 5)
333( 6 3)	215( 7 1)	13( 0 12)	71( 1 10)	132( 2 8)	312( 3 6)
394( 4 4)	339( 5 2)	133( 6 0)	55( 0 9)	193( 1 7)	319( 2 5)
359( 3 3)	240( 4 1)	129( 0 6)	235( 1 4)	237( 2 2)	101( 3 0)
96( 0 3)	95( 1 1)	15( 0 0)			
		4 4 2 2 2	1 1 1 1 1		
1(13 4)	1(14 2)	1(15 0)	1(10 7)	2(11 5)	5(12 3)
3(13 1)	1( 8 8)	6( 9 6)	9(10 4)	12(11 2)	4(12 0)
3( 5 9)	8( 7 7)	20( 8 5)	23( 9 3)	18(10 1)	2( 4 10)
11( 7 3)	24( 6 6)	39( 7 4)	34( 8 2)	18( 9 0)	5( 2 11)
10( 3 9)	29( 4 7)	47( 5 5)	69( 6 3)	38( 7 1)	6( 1 10)
19( 2 3)	46( 8 6)	60( 4 4)	62( 5 2)	21( 6 0)	10( 0 9)
27( 1 7)	55( 2 5)	63( 3 3)	45( 4 1)	17( 0 6)	41( 1 4)
39( 2 2)	22( 3 0)	21( 0 3)	77( 1 1)	2( 0 0)	
		4 3 3 3 3	3 0 0 0 0		
1(21 0)	1(17 5)	1(18 3)	1(19 1)	1(13 10)	1(14 8)
4(15 3)	4(16 4)	6(17 2)	1( 9 15)	1(10 13)	4(11 11)
8(12 6)	13(18 7)	17(14 5)	19(15 3)	10(16 1)	1( 7 16)
4( 6 14)	11( 9 12)	20(10 10)	37(11 8)	46(12 6)	55(13 4)
38(14 2)	19(15 0)	2( 5 17)	7( 6 15)	21( 7 13)	42( 8 11)
75( 9 9)	105(10 7)	24(11 5)	110(12 3)	68(13 1)	2( 3 18)
8( 4 13)	28( 5 14)	64( 6 12)	121( 7 10)	180( 8 8)	236( 9 6)
227(10 4)	182(11 2)	62(12 0)	1( 1 19)	7( 2 17)	28( 3 15)
72( 4 13)	154( 5 11)	253( 6 9)	351( 7 7)	392( 8 5)	349( 9 3)
204(10 1)	3( 0 18)	17( 1 16)	59( 2 14)	147( 3 12)	278( 4 10)
429( 5 9)	529( 6 8)	544( 7 4)	397( 8 2)	157( 9 0)	23( 0 15)
90( 1 13)	218( 2 11)	402( 3 9)	539( 4 7)	157( 5 5)	592( 6 3)
349( 7 1)	34( 0 12)	244( 1 10)	447( 2 9)	624( 3 6)	653( 4 4)
516( 5 2)	186( 6 0)	171( 0 9)	391( 1 7)	526( 2 5)	520( 3 3)
323( 4 1)	203( 0 6)	331( 1 4)	299( 2 2)	129( 3 0)	125( 0 3)
111( 1 1)	16( 0 0)				
		4 3 3 3 3	2 1 0 0 0		



TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(17 5)	1(18 2)	1(19 1)	1(19 10)	3(14 8)	6(15 6)
9(16 4)	8(17 2)	3(18 0)	2(10 13)	6(11 11)	15(12 9)
29(13 7)	39(14 5)	40(15 3)	26(16 1)	1(7 16)	6(8 14)
20(9 12)	47(10 10)	86(11 8)	123(12 6)	137(13 4)	110(14 2)
42(15 0)	2(5 17)	12(6 15)	41(7 13)	100(8 11)	189(9 9)
287(10 7)	347(11 5)	321(12 3)	197(13 1)	2(3 18)	16(4 16)
59(5 14)	156(6 12)	320(7 10)	518(8 8)	681(9 6)	714(10 4)
548(11 2)	206(12 0)	2(1 19)	14(2 17)	62(3 15)	186(4 13)
417(5 11)	742(6 9)	1069(7 7)	1243(8 5)	1124(9 3)	673(10 1)
5(0 18)	40(1 16)	153(2 14)	406(3 12)	824(4 10)	1327(5 8)
1724(6 6)	1788(7 4)	1365(8 2)	510(9 0)	59(0 15)	256(1 13)
660(2 11)	1257(3 9)	1883(4 7)	2233(5 5)	2040(6 3)	1230(7 1)
253(0 12)	776(1 10)	1487(2 8)	2120(3 6)	2313(4 4)	1816(5 2)
690(6 0)	567(0 9)	1307(1 7)	1866(2 5)	1870(3 3)	1182(4 1)
716(0 6)	1202(1 4)	1117(2 2)	452(3 0)	457(0 3)	424(1 1)
58(0 0)					

1(14 8)	1(15 6)	3(16 4)	1(17 2)	2(18 0)	1(11 11)
4(12 9)	8(13 7)	13(14 5)	14(15 3)	9(16 1)	1(8 14)
4(9 12)	14(10 10)	27(11 8)	47(12 6)	51(13 4)	48(14 2)
14(15 0)	2(6 15)	10(7 13)	30(8 11)	65(9 9)	110(10 7)
1142(11 5)	140(12 3)	87(13 1)	3(4 16)	15(5 14)	51(6 12)
112(7 10)	208(8 8)	286(9 6)	324(10 4)	248(11 2)	105(12 0)
3(2 17)	17(3 15)	61(4 13)	154(5 11)	300(6 9)	462(7 7)
569(8 5)	533(9 3)	327(10 1)	1(0 18)	11(1 16)	52(2 14)
152(3 12)	341(4 10)	578(5 8)	806(6 5)	854(7 4)	685(8 2)
248(9 0)	21(0 15)	97(1 13)	274(2 11)	559(3 9)	879(4 7)
088(5 5)	1026(6 3)	626(7 1)	107(0 12)	343(1 10)	704(2 8)
034(3 6)	1178(4 4)	930(5 2)	371(6 0)	267(0 9)	643(1 7)
047(2 5)	976(3 3)	622(4 1)	373(0 8)	622(1 4)	602(2 2)
238(3 3)	241(0 3)	227(1 1)	37(0 0)		

1(14 8)	1(15 6)	2(16 4)	1(17 2)	1(18 0)	1(11 11)
5(12 9)	8(13 7)	12(14 5)	12(15 3)	7(16 1)	1(8 14)
5(9 12)	14(10 10)	30(11 8)	47(12 6)	49(13 4)	42(14 2)
14(15 0)	2(6 15)	11(7 13)	36(8 11)	73(9 9)	119(10 7)
45(11 5)	127(12 3)	93(13 1)	1(3 18)	4(4 15)	19(5 14)
60(6 12)	131(7 10)	230(8 8)	310(9 6)	333(10 4)	254(11 2)
01(12 0)	4(7 17)	20(3 15)	72(4 13)	176(5 11)	341(6 9)
08(7 7)	612(8 5)	561(9 3)	333(10 1)	2(0 18)	14(1 16)
61(2 14)	172(3 12)	387(4 10)	653(5 8)	884(6 5)	930(7 4)
26(0 9)	269(9 7)	25(0 15)	111(1 13)	315(2 11)	631(3 9)
84(4 7)	1190(5 5)	1221(6 3)	678(7 1)	121(0 12)	391(1 10)
89(2 9)	1160(3 6)	1297(4 4)	1030(5 2)	401(6 0)	306(0 9)
21(1 7)	1063(2 5)	1086(3 3)	692(4 1)	412(0 0)	700(1 4)
66(2 2)	272(0 0)	277(0 3)	254(1 1)	39(0 3)	

1(15 6)	1(16 4)	2(17 2)	1(18 0)	3(12 9)	8(13 7)
12(14 5)	14(15 3)	9(16 1)	4(9 12)	13(10 10)	32(11 8)
49(12 6)	63(13 4)	49(14 2)	23(15 0)	1(6 15)	10(7 13)
33(8 11)	80(9 9)	136(10 7)	192(11 5)	177(12 3)	112(13 1)
2(4 16)	16(5 14)	57(5 12)	146(7 10)	269(8 8)	395(9 6)
333(10 4)	354(11 2)	129(12 0)	2(2 17)	18(3 15)	71(4 13)
00(5 11)	407(6 9)	654(7 7)	813(8 5)	774(9 3)	474(10 1)
1(0 18)	12(1 16)	61(2 14)	201(3 12)	467(4 10)	944(5 8)
79(6 6)	1299(7 4)	1016(3 2)	397(9 0)	24(0 15)	128(1 13)
21(2 11)	817(3 9)	1323(4 7)	1675(5 5)	1592(6 3)	983(7 1)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

148( 0 12)	509( 1 10)	1063( 2 8)	1626( 3 6)	1851( 4 4)	1509( 5 2)
574( 6 0)	409( 0 9)	1012( 1 7)	1521( 2 5)	1587( 3 3)	1020( 4 1)
590( 0 6)	1031( 1 4)	582( 2 2)	410( 3 0)	408( 0 3)	383( 1 1)
55( 0 0)					

1(13 7)	2(14 5)	2(15 3)	2(16 1)	1(10 10)	4(11 8)
10(12 6)	14(13 4)	13(14 2)	5(15 0)	3( 8 11)	12( 9 9)
28(10 7)	44(11 5)	49(12 3)	32(13 1)	1( 5 14)	6( 6 12)
24( 7 10)	58( 8 8)	58( 9 6)	125(10 4)	107(11 2)	42(12 0)
1( 3 15)	9( 4 13)	34( 5 11)	89( 6 9)	167( 7 7)	235( 8 5)
241( 9 3)	156(10 1)	1( 1 16)	8( 2 14)	36( 3 12)	104( 4 10)
217( 5 8)	344( 6 6)	407( 7 4)	341( 8 2)	134( 9 0)	3( 0 15)
23( 1 13)	86( 2 11)	211( 3 9)	386( 4 7)	529( 5 5)	534( 6 3)
342( 7 1)	33( 0 12)	133( 1 10)	310( 2 8)	513( 3 6)	625( 4 4)
526( 5 2)	207( 6 0)	120( 0 9)	320( 1 7)	513( 2 5)	558( 3 3)
368( 4 1)	198( 0 6)	362( 1 4)	357( 2 2)	148( 3 0)	148( 0 3)
142( 1 1)	21( 0 0)				

1(13 4)	1(15 0)	2(11 5)	3(12 3)	2(13 1)	1( 8 8)
5( 9 6)	6(10 4)	9(11 2)	2(12 0)	2( 6 9)	7( 7 7)
13( 8 5)	18( 9 3)	12(10 1)	1( 3 12)	2( 4 10)	10( 5 8)
19( 6 6)	30( 7 4)	25( 8 2)	15( 9 0)	2( 2 11)	9( 3 9)
21( 4 7)	37( 5 5)	42( 6 3)	29( 7 1)	1( 0 12)	6( 1 10)
16( 2 8)	37( 3 6)	46( 4 4)	47( 5 2)	16( 6 0)	8( 0 9)
21( 1 7)	40( 2 5)	48( 3 3)	31( 4 1)	14( 5 6)	30( 1 4)
29( 2 2)	16( 3 0)	15( 0 3)	12( 1 1)	2( 0 0)	

1(13 7)	1(14 5)	1(15 3)	1(16 1)	2(10 10)	5(11 8)
10(12 6)	11(13 4)	10(14 2)	3(15 0)	1( 7 13)	5( 8 11)
18( 9 9)	33(10 7)	46(11 5)	45(12 3)	28(13 1)	2( 5 14)
12( 6 12)	35( 7 10)	77( 8 8)	115( 9 6)	135(10 4)	100(11 2)
43(10 0)	2( 3 15)	15( 4 13)	53( 5 11)	123( 6 9)	213( 7 7)
277( 9 5)	270( 9 3)	167(10 1)	1( 1 16)	13( 2 14)	5+( 2 12)
144( 4 10)	289( 5 8)	435( 6 6)	487( 7 4)	399( 8 2)	149( 9 0)
5( 0 15)	35( 1 13)	123( 2 11)	292( 3 9)	507( 4 7)	371( 5 5)
55( 5 3)	413( 7 1)	49( 0 12)	185( 1 10)	421( 2 8)	672( 3 6)
303( 4 4)	659( 5 2)	263( 6 0)	162( 0 9)	429( 1 7)	672( 2 5)
234( 3 5)	473( 4 1)	268( 0 8)	477( 1 4)	473( 2 2)	191( 3 0)
94( 0 3)	188( 1 1)	31( 0 3)			

1(15 3)	1(11 3)	3(12 6)	5(13 4)	5(14 2)	2(15 0)
1( 8 11)	5( 9 9)	13(10 7)	32(11 5)	24(12 3)	17(13 1)
2( 6 12)	11( 7 10)	30( 8 8)	56( 9 6)	72(10 4)	63(11 2)
26(12 0)	3( 4 13)	17( 5 11)	51( 6 9)	104( 7 7)	152( 8 5)
60( 9 3)	104(10 1)	2( 2 14)	17( 3 12)	60( 4 10)	141( 5 8)
35( 6 4)	299( 7 4)	245( 9 2)	96( 9 0)	1( 0 15)	11( 1 13)
51( 2 11)	143( 8 9)	276( 4 7)	395( 5 5)	410( 6 3)	264( 7 1)
119( 0 12)	89( 1 10)	226( 2 8)	395( 3 6)	496( 4 4)	426( 5 2)
170( 6 0)	69( 0 9)	251( 1 7)	419( 2 5)	466( 3 5)	313( 4 1)
64( 0 5)	308( 1 4)	310( 2 2)	131( 3 0)	131( 3 5)	123( 1 1)
119( 0 0)					

1(14 2)	2(11 5)	2(12 3)	3(13 1)	1( 8 8)	4( 9 6)
10(10 4)	9(11 2)	6(12 0)	2( 6 9)	9( 7 7)	18( 8 5)
25( 9 3)	18(10 1)	3( 4 10)	11( 5 8)	29( 6 6)	41( 7 4)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

44( 8 2)	15( 9 0)	2( 2 11)	12( 3 9)	31( 4 7)	57( 5 5)
66( 6 3)	47( 7 1)	1( 0 12)	7( 1 10)	27( 2 8)	54( 3 6)
82( 4 4)	71( 5 2)	34( 6 0)	9( 0 9)	35( 1 7)	64( 2 5)
80( 3 3)	55( 4 1)	28( 0 6)	51( 1 4)	58( 2 2)	21( 3 0)
21( 0 3)	23( 1 1)	5( 0 0)			

1( 9 9)	1(10 7)	2(11 5)	2(12 3)	1(13 1)	2( 7 10)
4( 8 8)	8( 9 6)	8(10 4)	8(11 2)	2(12 0)	3( 5 11)
8( 6 9)	17( 7 7)	23( 8 5)	24( 9 3)	15(10 1)	3( 3 12)
10( 4 10)	26( 5 8)	42( 6 6)	52( 7 4)	42( 8 2)	19( 9 0)
2( 1 13)	9( 2 11)	29( 3 9)	54( 4 7)	80( 5 5)	82( 6 3)
53( 7 1)	4( 0 12)	38( 1 10)	48( 2 8)	86( 3 6)	108( 4 4)
95( 5 2)	37( 6 0)	19( 0 9)	57( 1 7)	96( 2 5)	111( 3 3)
73( 4 1)	40( 0 6)	75( 1 4)	77( 2 2)	34( 3 0)	33( 0 3)
32( 1 1)	6( 0 0)				

1(10 7)	2(11 5)	2(12 3)	1(13 1)	1( 7 10)	4( 8 8)
8( 9 6)	11(10 4)	9(11 2)	4(12 0)	1( 5 11)	7( 6 9)
17( 7 7)	28( 8 5)	30( 9 3)	20(10 1)	1( 3 12)	9( 4 10)
26( 5 8)	50( 6 6)	65( 7 4)	58( 8 2)	23( 9 0)	1( 1 13)
8( 2 11)	28( 2 9)	64( 4 7)	99( 5 5)	109( 4 3)	72( 7 1)
3( 0 12)	18( 1 10)	55( 2 8)	106( 3 6)	143( 4 4)	128( 5 2)
52( 6 0)	22( 0 9)	70( 1 7)	127( 2 5)	149( 3 3)	133( 4 1)
51( 0 6)	102( 1 4)	107( 2 2)	46( 3 0)	46( 0 3)	46( 1 1)
7( 0 0)					

1(13 1)	1( 9 6)	2(10 4)	3(11 2)	1(12 0)	2( 7 7)
5( 8 5)	8( 9 3)	6(10 1)	3( 5 8)	8( 6 6)	17( 7 4)
15( 8 2)	7( 9 0)	3( 3 9)	11( 4 7)	23( 5 5)	23( 6 3)
21( 7 1)	2( 1 10)	9( 2 8)	23( 3 6)	36( 4 4)	36( 5 2)
14( 6 0)	3( 0 9)	16( 1 7)	31( 2 5)	40( 3 3)	50( 4 1)
13( 0 6)	28( 1 4)	30( 2 2)	13( 3 0)	12( 0 3)	14( 1 1)
1( 0 0)					

1( 7 7)	1( 8 5)	1( 9 3)	1(10 1)	1( 5 8)	2( 6 6)
3( 7 4)	3( 8 2)	1( 9 0)	1( 3 9)	4( 4 7)	7( 5 5)
9( 6 3)	6( 7 1)	1( 1 10)	3( 2 8)	8( 3 6)	15( 4 4)
12( 5 2)	5( 6 0)	2( 0 9)	6( 1 7)	13( 2 5)	47( 3 3)
12( 4 1)	5( 0 6)	12( 1 4)	14( 2 2)	6( 0 3)	5( 0 3)
7( 1 1)	1( 0 0)				

1( 9 3)	1( 6 6)	1( 7 4)	2( 3 2)	3( 5 5)	5( 6 3)
3( 7 1)	1( 2 8)	3( 3 6)	6( 4 4)	5( 3 2)	4( 6 0)
2( 1 7)	4( 2 5)	8( 3 3)	5( 4 1)	3( 0 0)	5( 1 4)
8( 2 2)	2( 3 0)	2( 0 3)	3( 1 1)	2( 0 3)	

1(15 3)	1(12 8)	2(12 6)	2(15 4)	2(14 2)	1(15 0)
1( 7 12)	2( 9 11)	5( 9 9)	7(10 7)	13(11 5)	9(12 3)
6(13 1)	1( 4 15)	2( 5 14)	7( 6 12)	12( 7 10)	21( 8 8)
27( 9 6)	29(10 4)	21(11 2)	10(12 0)	3( 3 15)	8( 4 13)
21( 5 11)	36( 6 9)	53( 7 7)	60( 8 5)	56( 9 3)	32(10 1)
1( 0 18)	2( 1 16)	19( 2 14)	24( 3 12)	51( 4 10)	78( 5 8)
33( 6 6)	102( 7 4)	81( 8 2)	27( 0 0)	2( 0 15)	15( 1 13)
40( 2 11)	83( 3 9)	119( 4 7)	144( 5 5)	129( 6 3)	77( 7 1)

21( 0 12)	54( 1 10)	109( 2 8)	148( 3 6)	164( 4 4)	123( 5 2)
52( 6 0)	37( 0 9)	95( 1 7)	132( 2 5)	136( 3 3)	83( 4 1)
60( 0 6)	88( 1 4)	88( 2 2)	32( 3 0)	32( 0 3)	31( 1 1)
7( 0 0)					

	3	3	3	3	2	2	0	0	0
1(11 8)	1(12 6)	2(13 4)	1(14 2)	1(15 0)	2( 8 11)				
3( 9 9)	7(10 7)	8(11 5)	8(12 3)	5(13 1)	2( 5 14)				
4( 6 12)	12( 7 10)	18( 8 8)	28( 9 6)	26(10 4)	24(11 2)				
6(12 0)	1( 2 17)	2( 3 15)	9( 4 13)	19( 5 11)	39( 6 9)				
54( 7 7)	67( 8 5)	59( 9 3)	36(10 1)	2( 1 16)	7( 2 14)				
25( 3 12)	48( 4 10)	87( 5 8)	107( 6 6)	120( 7 4)	84( 8 2)				
38( 9 0)	5( 0 15)	16( 1 13)	49( 2 11)	90( 3 9)	143( 4 7)				
166( 5 5)	156( 6 3)	92( 7 1)	15( 0 12)	62( 1 10)	114( 2 8)				
1178( 3 6)	185( 4 4)	157( 5 2)	51( 6 0)	54( 0 9)	113( 1 7)				
1171( 2 5)	167( 3 3)	109( 4 1)	58( 0 6)	114( 1 4)	98( 2 2)				
48( 3 0)	50( 0 3)	41( 1 1)	3( 0 0)						

	3	3	3	3	2	1	1	0	0
1(12 6)	1(13 4)	2(14 2)	1( 8 11)	3( 9 9)	6(10 7)				
9(11 5)	9(12 3)	6(13 1)	1( 5 14)	4( 6 12)	10( 7 10)				
20( 8 8)	28( 9 6)	34(10 4)	25(11 2)	12(12 0)	2( 3 15)				
7( 4 13)	20( 5 11)	40( 6 9)	64( 7 7)	79( 8 5)	75( 9 3)				
46(10 1)	1( 1 16)	8( 2 14)	24( 3 12)	57( 4 10)	98( 5 8)				
139( 6 6)	146( 7 4)	119( 8 2)	41( 9 0)	3( 0 15)	18( 1 13)				
52( 2 11)	110( 3 9)	174( 4 7)	217( 5 5)	204( 6 3)	125( 7 1)				
23( 0 12)	73( 1 10)	154( 2 9)	227( 3 6)	261( 4 4)	204( 5 2)				
83( 5 0)	59( 0 9)	149( 1 7)	321( 2 5)	230( 3 3)	147( 4 1)				
91( 0 6)	153( 1 4)	150( 2 2)	58( 3 0)	60( 0 3)	58( 1 1)				
10( 0 0)									

	3	2	3	3	1	1	1	1	0
1(10 7)	1(11 5)	2(12 3)	1(13 1)	1( 7 10)	2( 8 8)				
5( 9 6)	6(10 4)	6(11 2)	2(12 0)	1( 4 13)	2( 5 11)				
7( 6 9)	11( 7 7)	18( 8 5)	17( 9 3)	12(10 1)	3( 2 12)				
8( 4 10)	19( 5 3)	28( 6 6)	36( 7 4)	29( 6 2)	13( 6 0)				
1( 0 15)	3( 1 13)	13( 2 11)	33( 8 9)	42( 4 7)	53( 5 5)				
56( 6 3)	34( 7 1)	2( 0 12)	15( 1 10)	32( 2 3)	57( 3 6)				
65( 4 4)	59( 5 2)	23( 6 0)	17( 0 9)	37( 1 7)	63( 2 5)				
64( 3 3)	44( 4 1)	20( 0 6)	44( 1 4)	39( 2 2)	20( 3 0)				
21( 0 3)	17( 1 1)	1( 0 0)							

	3	3	3	3	2	0	1	0	0
1( 9 9)	2(10 7)	3(11 5)	3(12 3)	2(13 1)	2( 8 12)				
4( 7 10)	9( 8 3)	14( 9 6)	16(10 4)	13(11 2)	5(12 7)				
3( 4 13)	9( 5 12)	14( 6 9)	25( 7 7)	46( 8 5)	44( 9 3)				
27(10 1)	1( 1 16)	3( 2 14)	7( 3 12)	32( 4 10)	31( 5 8)				
82( 5 6)	98( 7 4)	77( 8 3)	31( 9 0)	2( 0 15)	9( 1 13)				
32( 2 11)	70( 3 9)	118( 4 7)	152( 5 5)	146( 6 3)	90( 7 1)				
11( 0 12)	48( 1 10)	104( 2 8)	165( 3 6)	191( 4 1)	136( 5 2)				
60( 6 0)	45( 0 9)	111( 1 7)	172( 2 5)	182( 3 3)	113( 4 1)				
67( 0 6)	123( 1 4)	119( 0 3)	51( 3 0)	52( 0 3)	49( 1 1)				
7( 0 0)									

	3	3	3	3	2	1	1	1	0
1(11 5)	1(12 3)	1(13 1)	1( 7 10)	3( 8 8)	6( 9 6)				
8(10 4)	7(11 2)	3(12 0)	2( 5 11)	7( 6 9)	15( 7 7)				
22( 6 5)	24( 9 3)	15(10 1)	1( 2 14)	4( 3 12)	13( 4 10)				
28( 5 8)	46( 6 6)	55( 7 4)	47( 8 2)	18( 9 0)	3( 1 13)				
11( 2 11)	32( 3 9)	60( 4 7)	85( 5 5)	66( 6 3)	56( 7 1)				

BLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

7(0 12)	23(1 10)	57(2 8)	95(3 6)	118(4 4)	99(5 2)
40(6 0)	20(0 9)	62(1 7)	101(2 5)	113(3 3)	75(4 1)
44(0 6)	78(1 4)	79(2 2)	32(3 0)	32(0 3)	32(1 1)
5(0 0)					
		3 3 3 3 2 1 1 1 1 1			
1(10 4)	1(11 2)	1(7 7)	2(8 5)	3(9 3)	3(10 1)
2(5 8)	4(6 6)	7(7 4)	7(8 2)	3(9 0)	1(2 11)
2(3 9)	7(4 7)	11(5 5)	13(6 3)	10(7 1)	2(1 10)
5(2 8)	12(3 6)	17(4 4)	16(5 2)	6(6 0)	3(0 9)
3(1 7)	16(2 5)	13(3 3)	13(4 1)	4(0 6)	13(1 4)
12(2 2)	5(3 0)	6(0 3)	6(1 1)		
		3 3 3 2 2 2 2 2 0 0			
1(8 8)	2(10 4)	1(12 0)	1(5 11)	2(6 9)	5(7 7)
6(8 5)	6(9 2)	4(10 1)	1(3 12)	5(4 10)	8(5 8)
16(6 6)	15(7 4)	16(8 2)	3(9 0)	1(1 13)	4(2 11)
12(3 9)	22(4 7)	31(5 5)	30(6 3)	20(7 1)	2(0 12)
8(1 10)	23(2 8)	34(3 6)	48(4 4)	35(5 2)	18(6 0)
8(0 9)	26(1 7)	41(2 5)	47(3 3)	31(4 1)	20(0 6)
32(1 4)	37(2 2)	11(3 0)	12(0 3)	15(1 1)	3(0 0)
		3 3 3 2 2 2 2 1 1 0			
1(9 6)	1(10 4)	1(11 2)	2(6 9)	4(7 7)	7(8 5)
7(9 3)	5(10 1)	1(3 12)	3(4 10)	10(5 8)	16(6 6)
22(7 4)	17(8 2)	8(9 0)	4(2 11)	11(3 9)	23(4 7)
37(5 5)	41(6 3)	26(7 1)	1(0 12)	9(1 10)	23(2 8)
46(3 6)	57(4 4)	53(5 2)	19(6 0)	12(0 9)	31(1 7)
57(2 5)	63(3 3)	44(4 1)	20(0 6)	46(1 4)	44(2 2)
22(3 0)	22(0 3)	20(1 1)	2(0 0)		
		3 3 3 2 2 2 1 1 1 0			
1(12 0)	1(8 5)	2(6 3)	1(10 1)	1(5 8)	3(6 6)
4(7 4)	6(8 2)	1(9 0)	1(3 9)	4(4 7)	3(5 5)
11(6 3)	7(7 1)	1(1 13)	4(2 2)	13(3 6)	15(4 4)
13(5 2)	9(6 0)	2(0 3)	4(1 7)	14(2 5)	17(3 3)
12(4 1)	6(0 6)	11(0 4)	14(2 2)	5(0 0)	5(0 3)
5(1 1)	2(0 0)				
		3 3 2 2 2 2 2 1 1 0			
1(5 8)	3(6 6)	1(7 4)	2(2 2)	1(9 0)	1(3 9)
3(4 7)	5(5 5)	5(6 3)	4(7 0)	1(1 10)	4(2 8)
8(3 6)	12(4 4)	11(5 2)	4(3 0)	1(0 9)	5(1 7)
12(2 5)	15(3 3)	17(4 1)	6(1 6)	12(1 4)	13(2 2)
6(3 0)	6(0 0)	5(1 3)	1(0 0)		
		3 3 2 2 2 2 2 1 1 1			
1(7 4)	1(8 2)	1(4 7)	2(5 5)	3(6 3)	2(7 1)
3(2 6)	4(4 4)	5(5 2)	2(6 0)	1(0 9)	2(1 7)
6(2 3)	7(3 3)	6(4 1)	1(1 6)	5(1 4)	5(2 2)
3(3 0)	4(0 3)	3(1 1)			
		3 3 2 2 2 2 2 2 2 1 1			
1(3 6)	1(5 2)	1(2 5)	1(3 3)	1(4 1)	2(1 4)
1(2 2)	1(3 0)	1(0 3)	1(1 1)		
		3 2 2 2 2 2 2 2 1 1			
1(4 4)	1(6 0)	1(2 5)	1(3 3)	1(4 1)	1(1 4)
2(2 2)	1(0 3)	1(1 1)			

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

1(0 3)		2 2 2 2 2 2 2 2 2 1									
		4 4 4 4 4 0 0 0 0 0									
1(20 8)	1(22 4)	1(24 0)	1(17 11)	1(18 9)	3(19 7)						
4(20 5)	3(21 3)	2(22 1)	1(14 14)	2(15 12)	6(16 10)						
8(17 8)	14(18 6)	12(19 4)	14(20 2)	2(21 0)	1(11 17)						
2(12 15)	6(13 13)	13(14 11)	24(15 9)	33(16 7)	42(17 5)						
37(18 3)	23(19 1)	1( 8 20)	1( 9 18)	6(10 16)	13(11 14)						
30(12 12)	48(13 10)	80(14 8)	91(15 6)	105(16 4)	69(17 2)						
34(18 0)	3( 7 19)	8( 8 17)	24( 9 15)	48(10 13)	92(11 11)						
140(12 9)	190(13 7)	206(14 5)	186(15 3)	109(16 1)	1( 4 22)						
4( 5 20)	14( 6 18)	33( 7 16)	80( 8 14)	140( 9 12)	236(10 10)						
314(11 8)	390(12 6)	362(13 4)	287(14 2)	91(15 0)	3( 3 21)						
12( 4 19)	42( 5 17)	91( 6 15)	190( 7 13)	314( 8 11)	469( 9 9)						
587(10 7)	633(11 5)	535(12 3)	315(13 1)	1( 0 24)	2( 1 22)						
14( 2 20)	37( 3 18)	105( 4 16)	206( 5 14)	390( 6 12)	587( 7 10)						
313( 6 8)	908( 9 6)	898(10 4)	623(11 2)	256(12 0)	2( 0 21)						
23( 1 19)	69( 2 17)	186( 3 15)	362( 4 13)	633( 5 11)	908( 6 9)						
148( 7 7)	1201( 8 5)	1026( 9 3)	584(10 1)	34( 0 18)	109( 1 16)						
287( 2 14)	535( 3 12)	898( 4 10)	1201( 5 8)	1426( 6 6)	1331( 7 4)						
305( 8 2)	326( 9 0)	91( 0 15)	315( 1 13)	623( 2 11)	1026( 3 9)						
331( 4 7)	1461( 5 5)	1246( 6 3)	730( 7 1)	256( 0 12)	584( 1 10)						
305( 2 8)	1246( 3 6)	1299( 4 4)	934( 5 2)	381( 6 0)	336( 0 9)						
730( 1 7)	934( 2 5)	899( 3 3)	543( 4 1)	381( 0 6)	543( 1 4)						
508( 2 2)	178( 3 0)	178( 0 3)	170( 1 1)	35( 0 0)							
		4 4 4 4 3 1 0 0 0 0									
1(21 5)	1(22 4)	1(23 2)	1(17 11)	3(18 9)	6(19 7)						
8(20 5)	9(21 3)	6(22 1)	1(14 14)	5(15 12)	12(16 10)						
24(17 8)	36(18 6)	42(19 4)	34(20 2)	14(21 0)	1(11 17)						
5(12 15)	16(13 13)	38(14 11)	74(15 9)	112(16 7)	140(17 5)						
132(13 2)	82(19 1)	3( 9 18)	12(10 16)	38(11 14)	89(12 12)						
174(13 10)	274(14 8)	360(15 6)	376(16 4)	294(17 2)	110(18 0)						
1( 5 20)	6( 7 19)	24( 8 17)	74( 9 15)	174(10 13)	341(11 11)						
556(10 9)	767(11 7)	870(14 5)	781(15 3)	463(16 1)	1( 4 22)						
8( 5 20)	36( 6 18)	112( 7 16)	274( 8 14)	556( 9 12)	946(10 10)						
371(11 3)	1668(12 6)	1663(13 4)	1243(14 2)	464(15 0)	1( 2 23)						
9( 3 21)	42( 4 19)	140( 5 17)	360( 6 15)	767( 7 13)	1371( 8 11)						
197( 9 9)	2722(10 7)	2966(11 5)	2569(12 3)	1504(13 1)	6( 1 22)						
34( 2 20)	132( 3 18)	376( 4 16)	870( 5 14)	1668( 6 12)	2722( 7 10)						
781( 2 8)	4473( 9 6)	4291(10 4)	3194(11 2)	1176(12 0)	14( 0 21)						
83( 1 19)	294( 2 17)	781( 3 15)	1663( 4 13)	2966( 5 11)	4473( 6 9)						
734( 7 7)	6151( 8 5)	5231( 9 3)	3065(10 1)	110( 0 16)	463( 1 16)						
243( 2 14)	2569( 3 12)	4041( 4 10)	6151( 5 8)	7314( 6 6)	7111( 7 4)						
224( 3 2)	1903( 9 0)	486( 0 15)	1504( 1 13)	3194( 2 11)	5231( 3 9)						
111( 4 7)	7854( 5 5)	6942( 6 3)	4004( 7 1)	1176( 0 12)	3065( 1 10)						
224( 3 8)	6942( 3 6)	7325( 4 4)	5323( 5 2)	1987( 0 0)	1926( 0 9)						
104( 1 7)	5323( 2 9)	5092( 3 3)	3117( 4 1)	1987( 0 6)	3117( 1 4)						
1795( 2 2)	1117( 3 0)	1117( 0 3)	995( 1 1)	138( 0 0)							
		4 4 4 4 2 2 0 0 0 0									
1(22 4)	1(24 0)	1(18 9)	2(19 7)	4(20 5)	5(21 3)						
3(22 1)	1(14 14)	2(15 12)	7(16 10)	12(17 8)	22(18 6)						
22(19 4)	24(20 2)	5(21 0)	2(12 15)	8(13 13)	21(14 11)						
42(15 9)	68(16 7)	25(17 5)	83(18 3)	52(19 1)	1( 9 18)						
7(10 16)	21(11 14)	53(12 12)	108(13 10)	163(14 8)	234(15 6)						
2259(16 4)	189(17 2)	84(18 0)	2( 7 19)	12( 8 17)	42( 9 15)						
108(10 13)	223(12 11)	376(12 9)	526(13 7)	606(14 5)	545(15 3)						
327(16 1)	1( 4 22)	4( 5 20)	22( 6 18)	68( 7 16)	183( 8 14)						

TABLE. IRREDUCIBLE REPRESENTATIONS OF  $SO(3)$  CONTAINED IN A PARTITION OF  $U(10)$

376(9 12)	674(10 10)	974(11 8)	1222(12 5)	1203(13 4)	927(14 2)
323(15 0)	5(3 21)	22(4 19)	85(5 17)	234(6 15)	526(7 13)
974(8 11)	1530(9 9)	2017(10 7)	2218(11 5)	1937(12 3)	1134(13 1)
1(0 24)	3(1 22)	24(2 20)	83(3 18)	259(4 16)	606(5 14)
1222(6 12)	2017(7 10)	2890(8 8)	3412(9 6)	3380(10 4)	2457(11 2)
941(12 0)	5(0 21)	52(1 19)	189(2 17)	545(3 15)	1203(4 13)
2218(5 11)	3412(6 9)	4452(7 7)	4822(8 5)	4166(9 3)	2429(10 1)
84(0 18)	327(1 16)	927(2 14)	1937(3 12)	3380(4 10)	4822(5 8)
5844(6 6)	5681(7 4)	4246(8 2)	1529(9 0)	323(0 15)	1134(1 13)
2457(2 11)	4166(3 9)	5681(4 7)	6355(5 5)	5566(6 3)	3276(7 1)
941(0 12)	2429(1 10)	4246(2 8)	5566(3 6)	5822(4 4)	4377(5 2)
1679(6 0)	1529(0 9)	3276(1 7)	4377(2 5)	4239(3 3)	2599(4 1)
1679(0 6)	2599(1 4)	2380(2 2)	919(3 0)	919(0 5)	845(1 1)
130(0 0)					

1(18 9)	2(19 7)	3(20 5)	3(21 3)	2(22 1)	2(15 12)
5(16 10)	13(17 8)	18(18 6)	23(19 4)	17(20 2)	8(21 0)
1(12 15)	6(13 13)	20(14 11)	42(15 9)	71(16 7)	89(17 5)
86(18 3)	53(19 1)	3(10 16)	17(11 14)	49(12 12)	112(13 10)
187(14 8)	262(15 6)	276(16 4)	221(17 2)	80(18 0)	1(7 19)
9(8 17)	35(9 15)	104(10 13)	229(11 11)	412(12 9)	593(13 7)
701(14 5)	637(15 3)	385(16 1)	3(5 20)	14(6 18)	60(7 16)
169(8 14)	395(9 12)	724(10 10)	1125(11 8)	1412(12 6)	1460(13 4)
1095(14 2)	421(15 0)	1(2 23)	4(3 21)	22(4 19)	79(5 17)
239(6 15)	559(7 13)	1096(8 11)	1772(9 9)	2418(10 7)	2705(11 5)
2402(12 3)	1418(13 1)	3(1 22)	17(2 20)	80(3 18)	251(4 16)
653(5 14)	1349(6 12)	2365(7 10)	3436(8 8)	4225(9 6)	4185(10 4)
3151(11 2)	1152(12 0)	10(0 21)	51(1 19)	208(2 17)	593(3 15)
1384(4 13)	2610(5 11)	4157(6 9)	5523(7 7)	6115(8 5)	5338(9 3)
2143(10 1)	71(0 18)	258(1 16)	1023(2 14)	2289(3 12)	4056(4 10)
6024(5 8)	7353(6 6)	7363(7 4)	5458(8 2)	2057(9 0)	400(0 15)
1344(1 13)	3036(2 11)	5209(3 9)	7285(4 7)	8233(5 5)	7320(6 3)
4321(7 1)	1095(0 12)	3043(1 10)	5351(2 8)	7252(3 6)	7573(4 4)
8851(5 2)	2167(6 0)	2318(0 9)	4263(1 7)	5821(2 5)	5643(3 3)
4490(4 1)	2145(0 6)	3494(1 4)	3129(2 2)	1284(3 0)	1282(0 3)
1359(3 1)	151(0 0)				

1(16 10)	1(17 8)	3(18 6)	2(19 4)	3(20 2)	2(14 11)
5(15 9)	13(16 7)	13(17 5)	13(18 3)	8(19 1)	1(11 14)
5(12 12)	15(13 10)	21(14 8)	43(15 6)	51(16 4)	33(17 2)
17(13 3)	2(9 15)	12(10 12)	31(11 11)	68(12 9)	103(13 7)
134(14 5)	125(15 3)	77(16 1)	1(6 18)	5(7 15)	21(8 14)
57(9 12)	125(10 10)	203(11 2)	288(12 6)	301(13 4)	241(14 2)
36(15 7)	2(4 19)	3(5 17)	30(6 15)	84(7 13)	191(8 11)
337(9 9)	499(10 7)	535(11 5)	538(12 3)	323(13 1)	1(1 22)
1(2 20)	12(3 18)	36(4 16)	105(5 14)	243(6 12)	431(7 10)
727(8 9)	935(9 6)	974(10 4)	738(11 2)	284(12 0)	1(0 21)
6(1 19)	33(2 17)	95(2 15)	248(4 13)	513(5 11)	383(6 9)
134(7 7)	1435(8 5)	1289(9 3)	773(10 1)	10(0 18)	58(1 16)
89(2 14)	452(3 12)	673(4 10)	361(5 8)	1752(6 6)	1799(7 4)
80(9 2)	510(9 0)	73(6 15)	269(1 13)	649(2 11)	1185(3 9)
32(4 7)	2034(5 5)	1858(6 3)	1113(7 1)	239(0 12)	692(1 10)
88(2 8)	1799(3 6)	1944(4 4)	1518(5 2)	581(6 0)	476(0 9)
61(1 7)	1492(2 5)	1477(3 3)	928(4 1)	561(0 6)	914(1 4)
45(2 2)	340(3 0)	340(0 3)	307(1 1)	43(0 0)	

1(23 2)	1(19 7)	3(20 5)	4(21 3)	3(22 1)	1(15 12)
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TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

3(16 10)	9(17 8)	14(18 6)	22(19 4)	17(20 2)	10(21 0)
2(12 15)	6(13 13)	17(14 11)	35(15 9)	60(16 7)	79(17 5)
80(18 3)	51(19 1)	1(9 18)	5(10 16)	20(11 14)	49(12 12)
104(13 10)	169(14 8)	239(15 6)	251(16 4)	208(17 2)	71(18 0)
2(7 19)	13(8 17)	42(9 15)	112(10 13)	229(11 11)	395(12 9)
559(13 7)	653(14 5)	593(15 3)	358(16 1)	3(5 20)	18(6 18)
71(7 16)	187(8 14)	412(9 12)	724(10 10)	1096(11 8)	1349(12 6)
384(13 4)	1023(14 2)	400(15 0)	3(3 21)	23(4 19)	39(5 17)
262(6 15)	593(7 13)	1125(8 11)	1772(9 9)	2365(10 7)	2610(11 5)
289(12 3)	1344(13 1)	2(1 22)	17(2 20)	86(3 18)	276(4 16)
701(5 14)	1412(6 12)	2418(7 10)	3436(8 8)	4157(9 6)	4056(10 4)
336(11 2)	1095(12 0)	8(0 21)	53(1 19)	221(2 17)	637(3 15)
460(4 13)	2705(5 11)	4225(6 9)	5523(7 7)	6024(8 5)	5209(9 3)
043(10 1)	80(0 18)	385(1 16)	1095(2 14)	2402(3 12)	4135(4 10)
115(5 8)	7353(6 6)	7285(7 4)	5351(8 2)	2016(9 0)	421(0 15)
418(1 13)	3151(2 11)	5339(3 9)	7363(4 7)	8233(5 5)	7252(6 3)
263(7 1)	1152(0 12)	3143(1 10)	5458(2 8)	7320(3 6)	7573(4 4)
821(5 2)	2145(6 0)	2057(0 9)	4321(1 7)	5851(2 5)	5640(3 3)
484(4 1)	2167(0 6)	3499(1 4)	3128(2 2)	1282(3 0)	1284(0 3)
139(1 1)	151(0 0)				

4 4 4 3 3 1 1 0 0 0

1(19 7)	1(20 5)	2(21 3)	1(22 1)	3(16 10)	6(17 8)
12(18 6)	14(19 4)	13(20 2)	4(21 0)	4(13 13)	11(14 11)
29(15 9)	48(16 7)	67(17 5)	64(18 3)	42(19 1)	3(10 16)
11(11 14)	38(12 12)	82(13 10)	151(14 8)	207(15 6)	234(16 4)
180(17 2)	74(18 0)	1(7 19)	6(8 17)	29(9 15)	82(10 12)
193(11 11)	344(12 9)	518(13 7)	611(14 5)	570(15 3)	343(16 1)
1(5 20)	12(6 18)	48(7 16)	151(8 14)	344(9 12)	662(10 10)
018(11 8)	1321(12 6)	1348(13 4)	1046(14 2)	379(15 0)	2(3 21)
14(4 19)	67(5 17)	207(6 15)	518(7 13)	1018(8 11)	1695(9 9)
2312(10 7)	2630(11 5)	2331(12 3)	1390(13 1)	1(1 22)	15(2 20)
64(3 18)	234(4 16)	611(5 14)	1321(6 12)	2312(7 10)	3436(8 8)
4205(9 6)	4243(10 4)	3149(11 2)	1197(12 0)	4(0 21)	+2(1 19)
160(2 17)	570(3 15)	1348(4 13)	2630(5 11)	4205(6 9)	5675(7 7)
6284(8 5)	5533(9 3)	2251(10 1)	74(0 18)	343(1 10)	1046(2 14)
2331(3 12)	4243(4 10)	6284(5 8)	7793(6 6)	7752(7 4)	5641(8 2)
2134(2 11)	379(0 15)	1390(1 13)	3149(2 11)	5533(3 9)	7752(4 7)
3858(5 5)	7867(6 3)	4675(7 1)	1197(0 12)	3251(1 10)	5641(2 8)
7867(3 6)	8342(4 4)	6370(5 2)	2437(6 0)	2134(0 9)	4675(1 7)
6370(2 5)	6245(3 3)	3863(4 1)	2437(0 6)	3863(1 4)	5533(2 2)
1395(1 4)	1395(0 2)	1383(1 1)	197(0 0)		

4 4 4 3 2 2 1 0 1 0

1(20 5)	1(21 3)	1(22 1)	1(16 10)	4(17 8)	3(18 6)
11(19 4)	10(20 2)	4(21 0)	2(13 13)	9(14 11)	22(15 9)
42(16 7)	57(17 5)	59(18 3)	37(19 1)	1(10 16)	9(11 14)
31(12 12)	76(13 10)	140(14 8)	202(15 6)	224(16 4)	131(17 2)
69(18 0)	4(9 17)	22(9 15)	76(10 13)	135(11 11)	352(12 9)
530(13 7)	644(14 5)	593(15 3)	364(16 1)	1(5 20)	8(6 18)
42(7 16)	140(8 14)	352(9 12)	694(10 10)	1120(11 8)	1443(12 6)
1504(13 4)	1152(14 2)	436(15 0)	1(3 21)	11(4 19)	37(5 17)
202(6 15)	530(7 13)	1110(8 11)	1884(9 9)	2643(10 7)	5021(11 5)
2710(12 3)	1612(13 1)	1(1 22)	10(2 20)	59(3 18)	224(4 16)
644(5 14)	1443(6 12)	2643(7 10)	3992(8 8)	4996(9 6)	5044(10 4)
3806(11 2)	1414(12 0)	4(0 21)	37(1 19)	131(2 17)	596(3 15)
1504(4 13)	3021(5 11)	4996(6 9)	6834(7 7)	7691(8 5)	6834(9 3)
4023(10 1)	69(0 18)	364(1 16)	1152(2 14)	2710(3 12)	5044(4 10)
7691(5 8)	9630(6 6)	9739(7 4)	7321(8 2)	2737(9 0)	436(0 15)
1612(1 13)	3806(2 11)	6834(3 9)	9739(4 7)	11230(5 5)	10085(6 3)



TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

6004( 7 1)	1414( 0 12)	4023( 1 10)	7321( 2 8)	10085( 3 6)	10734( 4 4)
8326( 5 2)	3136( 6 0)	2737( 0 9)	6004( 1 7)	8326( 2 5)	8195( 3 3)
5109( 4 1)	3136( 0 6)	5109( 1 4)	4677( 2 2)	1893( 3 0)	1893( 0 3)
1717( 1 1)	241( 0 0)				

		4	4	4	3	2	1	1	1	0	0
1(17 8)	2(18 6)				3(19 4)			3(20 2)		1(21 0)	2(14 11)
7(15 9)	15(16 7)				22(17 5)			23(18 3)		15(19 1)	1(11 14)
8(12 12)	26(13 10)				55(14 8)			87(15 6)		102(16 4)	84(17 2)
33(18 0)	4( 9 15)				21(10 13)			66(11 11)		145(12 9)	241(13 7)
311(14 5)	300(15 3)				187(16 1)			1( 6 18)		9( 7 16)	43( 8 14)
131( 9 12)	296(10 10)				520(11 8)			724(12 6)		789(13 4)	623(14 2)
238(15 0)	2( 4 19)				15( 5 17)			66( 6 15)		206( 7 13)	484( 8 11)
902( 9 9)	1353(10 7)				1626(11 5)			1508(12 3)		915(13 1)	2( 2 20)
16( 3 18)	77( 4 16)				255( 5 14)			642( 6 12)		1280( 7 10)	2071( 8 8)
2726( 9 6)	2860(10 4)				2208(11 2)			833(12 0)		1( 0 21)	11( 1 19)
64( 2 17)	243( 3 15)				677( 4 13)			1480( 5 11)		2611( 6 9)	3765( 7 7)
4406( 8 5)	4007( 9 3)				2409(10 1)			25( 0 18)		149( 1 16)	524( 2 14)
1333( 3 12)	2652( 4 10)				4255( 5 8)			5555( 6 6)		5786( 7 4)	4442( 8 2)
1674( 9 0)	198( 0 15)				797( 1 13)			2003( 2 11)		3776( 3 9)	5633( 4 7)
6710( 5 5)	6162( 6 3)				3720( 7 1)			749( 0 12)		2235( 1 10)	4248( 2 8)
6041( 3 6)	6596( 4 4)				5195( 5 2)			1977( 6 0)		1584( 0 9)	3603( 1 7)
5123( 2 5)	5139( 3 3)				3238( 4 1)			1938( 0 6)		3211( 1 4)	2982( 2 2)
1211( 3 0)	1205( 0 3)				1105( 1 1)			158( 0 0)			

		4	4	4	3	1	1	1	1	0	
1(16 7)	1(17 5)				2(18 3)			1(19 1)		1(13 10)	3(14 8)
7(15 6)	9(16 4)				8(17 2)			3(18 0)		2(11 11)	10(12 9)
20(13 7)	32(14 5)				32(15 3)			22(16 1)		1( 8 14)	6( 9 12)
20(10 10)	48(11 8)				77(12 6)			94(13 4)		77(14 2)	31(15 0)
2( 6 15)	10( 7 13)				26( 8 11)			83( 9 9)		151(10 7)	199(11 5)
201(12 3)	125(13 1)				1( 3 18)			3( 4 16)		15( 5 14)	49( 6 12)
123( 7 10)	232( 8 8)				346( 9 6)			339(10 4)		319(11 2)	120(12 0)
3( 2 17)	14( 3 15)				54( 4 13)			140( 5 11)		297( 6 9)	477( 7 7)
614( 3 5)	587( 4 3)				367(11 1)			1( 0 18)		10( 1 16)	41( 2 14)
131( 3 12)	300( 4 10)				545( 5 8)			772( 6 6)		864( 7 4)	565( 8 2)
269( 9 0)	18( 0 15)				78( 1 13)			257( 2 11)		482( 3 9)	791( 4 7)
1001( 5 5)	969( 6 3)				599( 7 1)			82( 0 12)		295( 1 10)	539( 2 8)
905( 3 6)	1032( 4 4)				849( 5 2)			322( 6 0)		225( 0 9)	539( 1 7)
811( 2 5)	840( 3 3)				544( 4 1)			501( 0 6)		528( 1 4)	450( 2 2)
210( 3 0)	206( 0 3)				189( 1 1)			25( 0 0)			

		4	4	4	3	2	2	2	0		
1(18 6)	1(20 2)				1(15 9)			3(16 7)		5(17 5)	5(18 3)
3(19 1)	3(12 12)				6(13 10)			17(14 8)		21(15 6)	29(16 4)
18(17 2)	11(18 0)				2( 9 15)			6(10 13)		22(11 11)	44(12 9)
72(13 7)	88(14 5)				35(15 3)			57(16 1)		17( 6 16)	3( 7 16)
17( 9 14)	44( 9 12)				103(10 10)			164(11 8)		235(12 5)	254(13 4)
195(14 2)	63(15 0)				5( 8 17)			21( 6 16)		72( 7 13)	164( 8 11)
307( 9 9)	444(11 7)				592(11 5)			479(12 3)		289(15 1)	1( 2 20)
5( 3 18)	29( 4 16)				85( 5 14)			232( 6 12)		444( 7 10)	730( 8 8)
919( 9 6)	975(10 4)				713(11 2)			294(12 0)		3( 1 19)	13( 2 17)
85( 3 15)	234( 4 13)				529( 5 11)			919( 6 9)		1325( 7 7)	1524( 8 5)
1384( 9 3)	320(10 1)				11( 0 18)			50( 0 16)		195( 2 14)	478( 3 12)
975( 4 10)	1524( 5 8)				2012( 6 6)			2108( 7 4)		1597( 8 2)	567( 9 0)
63( 0 15)	289( 1 13)				716( 2 11)			1394( 3 9)		2038( 4 7)	2441( 5 5)
2222( 6 3)	1342( 7 1)				294( 0 12)			820( 1 10)		1797( 2 8)	2222( 3 6)
2463( 4 4)	1890( 5 0)				760( 6 0)			567( 0 9)		1342( 1 7)	1890( 2 5)
1921( 3 3)	1198( 4 1)				760( 0 6)			1198( 1 4)		1153( 2 2)	439( 3 0)
439( 3 3)	417( 1 1)				75( 0 0)						

TABLE IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

	4	4	4	2	2	2	1	1	0	0
1(19 4)	1(21 0)	1(15 9)	3(16 7)	5(17 5)	6(18 3)					
4(19 1)	1(12 12)	6(13 10)	13(14 8)	26(15 6)	28(16 4)					
29(17 2)	7(18 0)	1( 9 15)	6(10 13)	20(11 11)	47(12 9)					
82(13 7)	109(14 5)	108(15 3)	68(16 1)	2( 7 16)	12( 8 14)					
44( 9 12)	104(10 10)	198(11 8)	276(12 6)	318(13 4)	242(14 2)					
104(15 0)	3( 5 17)	19( 6 15)	72( 7 13)	185( 8 11)	365( 9 9)					
565(10 7)	696(11 5)	653(12 3)	400(13 1)	3( 3 18)	22( 4 16)					
90( 5 14)	250( 6 12)	541( 7 10)	902( 8 8)	1236( 9 6)	1300(10 4)					
124(11 2)	374(12 0)	2( 1 19)	18( 2 17)	85( 3 15)	269( 4 13)					
687( 5 11)	1182( 6 9)	1764( 7 7)	2107( 8 5)	1944( 9 3)	1176(10 1)					
8( 0 18)	52( 1 16)	206( 2 14)	581( 3 12)	1216( 4 10)	2048( 5 8)					
725( 6 6)	2914( 7 4)	2234( 8 2)	869( 9 0)	81( 0 15)	349( 1 13)					
936( 0 11)	1843( 3 9)	2838( 4 7)	3453( 5 5)	3215( 6 3)	1956( 7 1)					
345( 2 12)	1101( 1 10)	2154( 2 8)	3167( 3 6)	3494( 4 4)	2809( 5 2)					
1052( 6 0)	819( 0 9)	1904( 1 7)	2769( 2 5)	2813( 3 3)	1788( 4 1)					
1041( 0 6)	1780( 1 4)	1653( 2 2)	692( 3 0)	685( 0 3)	627( 1 1)					
85( 0 0)										

	4	4	4	2	2	1	1	1	1	0
1(17 5)	1(18 3)	1(19 1)	2(14 3)	4(15 6)	7(16 4)					
6(17 2)	3(18 0)	2(11 11)	6(12 9)	17(13 7)	25(14 5)					
29(15 3)	19(16 1)	1( 8 14)	4( 9 12)	18(10 10)	40(11 8)					
71(12 6)	86(13 4)	76(14 2)	28(15 0)	1( 6 15)	9( 7 13)					
20( 8 11)	80( 9 9)	142(10 7)	200(11 5)	199(12 3)	129(13 1)					
2( 4 16)	11( 5 14)	46( 6 12)	117( 7 10)	237( 8 8)	352( 9 6)					
414(10 4)	333(11 2)	134(12 0)	1( 2 17)	11( 3 15)	46( 4 13)					
142( 5 11)	300( 6 9)	512( 7 7)	657( 8 5)	647( 9 3)	402(10 1)					
1( 0 18)	7( 1 16)	40( 2 14)	128( 3 12)	321( 4 10)	537( 5 8)					
867( 6 6)	964( 7 4)	789( 8 2)	295( 9 0)	12( 0 15)	78( 1 13)					
235( 2 11)	531( 3 9)	880( 4 7)	1153( 5 5)	1113( 6 3)	701( 7 1)					
95( 0 12)	315( 1 10)	635( 2 8)	1047( 3 6)	1235( 4 4)	998( 5 2)					
399( 6 0)	244( 0 9)	634( 1 7)	953( 2 5)	1014( 3 3)	653( 4 1)					
377( 0 6)	637( 1 4)	625( 2 2)	246( 3 0)	241( 0 3)	236( 1 1)					
38( 0 0)										

	4	4	4	2	1	1	1	1
1(17 2)	1(14 5)	2(15 3)	1(16 1)	1(11 8)	3(12 6)			
6(13 4)	5(14 2)	4(15 0)	2( 9 9)	6(10 7)	13(11 5)			
15(12 3)	11(13 1)	1( 4 12)	3( 7 10)	11( 8 8)	24( 9 6)			
31(12 4)	31(11 2)	10(12 0)	4( 5 11)	13( 6 9)	32( 7 7)			
49( 8 5)	37( 9 3)	37(10 1)	1( 2 14)	4( 3 12)	15( 4 10)			
27( 5 8)	65( 6 6)	35( 7 4)	71( 6 2)	32( 9 0)	2( 1 13)			
10( 2 11)	33( 3 3)	43( 4 7)	93( 5 5)	103( 0 3)	33( 7 1)			
5( 0 12)	19( 1 10)	57( 2 8)	89( 3 6)	110( 4 4)	100( 5 2)			
28( 6 0)	17( 0 9)	52( 1 7)	86( 2 5)	99( 3 3)	34( 4 1)			
34( 0 6)	61( 1 4)	41( 2 2)	28( 0 0)	25( 0 3)	23( 1 1)			
4( 0 0)								

	4	4	3	3	3	3	0	0	0
1(22 1)	1(18 6)	2(19 4)	2(20 2)	1(21 0)	1(14 11)				
2(15 9)	5(16 7)	8(17 5)	10(18 3)	6(19 1)	1(10 16)				
2(11 14)	5(12 12)	12(13 10)	21(14 8)	30(15 6)	36(16 4)				
30(17 2)	10(18 0)	1( 8 17)	5( 9 15)	15(10 13)	31(11 11)				
57(12 9)	84(13 7)	103(14 5)	95(15 3)	58(16 1)	3( 6 18)				
10( 7 16)	31( 8 14)	68( 9 12)	125(10 10)	191(11 8)	243(12 6)				
248(13 4)	189(14 2)	73(15 0)	2( 4 19)	13( 5 17)	43( 6 15)				
106( 7 13)	209( 8 11)	337( 9 9)	461(10 7)	513(11 5)	452(12 3)				
269(13 1)	3( 2 20)	13( 3 18)	51( 4 16)	134( 5 14)	283( 6 12)				

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

499(7 10)	727(8 8)	883(9 6)	873(10 4)	649(11 2)	239(12 0)
8(1 19)	38(2 17)	125(3 15)	301(4 13)	585(5 11)	935(6 9)
1238(7 7)	1361(8 5)	1185(9 3)	692(10 1)	17(0 18)	77(1 16)
241(2 14)	538(3 12)	974(4 10)	1435(5 8)	1752(6 6)	1738(7 4)
1288(8 2)	476(9 0)	86(0 15)	323(1 13)	738(2 11)	1289(3 9)
11799(4 7)	2034(5 5)	1799(6 3)	1061(7 1)	284(0 12)	773(1 10)
11380(2 8)	1858(3 6)	1944(4 4)	1492(5 2)	561(6 0)	510(0 9)
11113(1 7)	1518(2 5)	1477(3 3)	914(4 1)	581(0 6)	928(1 4)
845(2 2)	340(3 0)	340(0 3)	307(1 1)	43(0 0)	

		4	4	3	3	3	2	1	0	0	0
1(18 6)	2(19 4)			2(20 2)			1(21 0)		1(14 11)		4(15 9)
9(16 7)	15(17 5)			16(18 3)			11(19 1)		2(11 14)		8(12 12)
21(13 10)	43(14 8)			66(15 6)			77(16 4)		64(17 2)		25(18 0)
1(8 17)	7(9 15)			26(10 13)			66(11 11)		131(12 9)		206(13 7)
255(14 5)	243(15 3)			149(16 1)			2(6 18)		15(7 16)		55(8 14)
145(9 12)	296(10 10)			484(11 8)			642(12 6)		677(13 4)		524(14 2)
198(15 0)	3(4 19)			22(5 17)			87(6 15)		241(7 13)		520(8 11)
902(9 9)	1280(10 7)			1480(11 5)			1333(12 3)		797(13 1)		3(2 20)
23(3 18)	102(4 16)			311(5 14)			724(6 12)		1353(7 10)		2071(8 8)
2611(9 6)	2652(10 4)			2003(11 2)			749(12 0)		1(0 21)		15(1 19)
84(2 17)	300(3 15)			789(4 13)			1626(5 11)		2726(6 9)		3765(7 7)
4255(8 5)	3776(9 3)			2235(10 1)			33(0 18)		187(1 16)		623(2 14)
1508(3 12)	2860(4 10)			4406(5 8)			5555(6 6)		5633(7 4)		4248(8 2)
1584(9 0)	238(0 15)			915(1 13)			2208(2 11)		4007(3 9)		5786(4 7)
6710(5 5)	6041(6 3)			3603(7 1)			832(0 12)		2409(1 10)		4442(2 8)
6152(3 6)	6596(4 4)			5123(5 2)			1538(6 0)		1674(0 9)		3720(1 7)
5195(2 5)	5139(3 3)			3211(4 1)			1977(0 6)		3238(1 4)		2982(2 2)
1205(3 0)	1211(0 3)			1105(1 1)			158(0 0)				

		4	4	3	3	3	1	1	1	0	0
1(15 9)	2(16 7)			4(17 5)			4(18 3)		3(19 1)		1(12 12)
5(13 10)	12(14 8)			20(15 6)			26(16 4)		21(17 2)		9(18 0)
1(9 15)	5(10 13)			13(11 11)			40(12 9)		72(13 7)		94(14 5)
95(15 3)	59(16 1)			2(7 16)			12(8 14)		40(9 12)		95(10 10)
173(11 8)	250(12 6)			275(13 4)			224(14 2)		83(15 0)		4(5 17)
20(6 13)	72(7 13)			173(8 11)			336(9 9)		511(10 7)		628(11 5)
585(12 3)	260(13 1)			4(0 18)			26(4 16)		94(5 14)		250(6 12)
511(7 10)	845(8 8)			1123(9 6)			1196(10 4)		921(11 2)		350(12 0)
3(1 13)	21(2 17)			95(3 15)			275(4 13)		628(5 11)		1123(6 9)
1647(7 7)	1939(8 5)			1770(9 3)			1069(10 1)		9(0 18)		59(1 16)
214(0 14)	585(1 12)			1196(2 10)			1938(3 8)		2562(4 6)		2674(7 4)
2173(3 2)	77(0 0)			83(0 15)			360(1 13)		921(2 11)		1778(3 9)
2674(4 7)	3217(5 5)			2963(6 3)			1796(7 1)		356(0 12)		1059(1 10)
2073(2 3)	2963(3 6)			2259(4 4)			2562(5 2)		994(6 0)		773(0 9)
1796(1 7)	2569(2 5)			2610(3 3)			1641(4 1)		994(0 6)		1641(1 4)
3545(2 2)	618(0 0)			618(0 3)			575(1 1)		87(0 0)		

		4	4	3	3	2	2	2	0	0	0
1(15 9)	2(16 7)			3(17 5)			3(18 3)		2(19 1)		1(12 12)
5(13 10)	12(14 8)			19(15 6)			23(16 4)		13(17 2)		5(18 0)
1(9 15)	6(10 13)			2(11 11)			44(12 9)		72(13 7)		90(14 5)
85(15 3)	52(16 1)			3(7 16)			13(8 14)		47(9 12)		104(10 10)
185(11 8)	250(12 6)			269(13 4)			206(14 2)		81(15 0)		1(4 19)
5(5 17)	26(6 15)			82(7 13)			198(8 11)		365(9 9)		541(10 7)
627(11 5)	581(12 3)			349(13 1)			6(3 18)		28(4 16)		109(5 14)
276(6 12)	565(7 10)			902(8 8)			1182(9 6)		1216(10 4)		936(11 2)
345(12 0)	1(0 21)			4(1 19)			29(2 17)		108(3 15)		318(4 13)
696(5 11)	1236(6 9)			1764(7 7)			2048(8 5)		1843(9 3)		1101(10 1)
7(0 18)	68(0 16)			242(2 14)			653(3 12)		1300(4 10)		2107(5 8)

E. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

25(6 6)	2838(7 4)	2154(8 2)	819(9 0)	104(0 15)	400(1 13)
84(2 11)	1944(3 9)	2914(4 7)	3453(5 5)	3167(6 3)	1904(7 1)
74(0 12)	1176(1 10)	2234(2 8)	3215(3 6)	3494(4 4)	2769(5 2)
41(6 0)	869(0 9)	1956(1 7)	2809(2 5)	2813(3 3)	1780(4 1)
52(0 6)	1788(1 4)	1653(2 2)	685(3 0)	692(0 3)	627(1 1)
85(0 0)					
	4	4	3	3	2
	2	2	1	1	0
	0	0			
1(16 7)	2(17 5)	3(18 3)	2(19 1)	1(12 12)	4(13 10)
11(14 8)	19(15 6)	25(16 4)	21(17 2)	9(18 0)	4(10 13)
16(11 11)	42(12 9)	75(13 7)	103(14 5)	193(15 3)	66(16 1)
1(7 16)	11(8 14)	42(9 12)	109(10 10)	205(11 8)	301(12 6)
336(13 4)	272(14 2)	103(15 0)	2(5 17)	19(6 15)	75(7 13)
205(8 11)	412(9 9)	651(10 7)	806(11 5)	762(12 3)	467(13 1)
3(3 18)	25(4 16)	103(5 14)	301(6 12)	651(7 10)	1113(8 8)
515(9 6)	1627(10 4)	1267(11 2)	484(12 0)	2(1 19)	21(2 17)
103(3 15)	336(4 13)	806(5 11)	1515(6 9)	2273(7 7)	2730(8 5)
520(9 3)	1527(10 1)	9(0 18)	66(1 16)	272(2 14)	762(3 12)
627(4 10)	2730(5 8)	3679(6 6)	3903(7 4)	3035(8 2)	1146(9 0)
103(0 15)	467(1 13)	1267(2 11)	2520(3 9)	3903(4 7)	4765(5 5)
447(6 3)	2707(7 1)	484(0 12)	1527(1 10)	3035(2 8)	4447(3 6)
960(4 4)	3952(5 2)	1516(6 0)	1146(0 9)	2707(1 7)	3952(2 5)
1035(3 3)	2569(4 1)	1516(0 6)	2569(1 4)	2421(2 2)	990(3 0)
990(0 3)	918(1 1)	133(0 0)			
	4	4	3	3	2
	1	1	1	1	0
	0				
1(14 8)	3(15 6)	4(16 4)	4(17 2)	2(18 0)	1(11 11)
5(12 9)	13(13 7)	22(14 5)	24(15 3)	16(16 1)	3(9 12)
14(10 10)	32(11 8)	66(12 6)	85(13 4)	73(14 2)	29(15 0)
1(4 15)	7(7 12)	30(8 11)	79(9 9)	150(10 7)	210(11 5)
217(12 3)	138(13 1)	1(4 16)	11(5 14)	45(6 12)	123(7 10)
258(8 4)	401(9 6)	467(10 4)	387(11 2)	150(12 0)	2(2 17)
12(3 13)	55(4 13)	162(5 11)	359(6 9)	505(7 7)	796(8 5)
779(9 3)	492(10 1)	8(1 16)	43(2 14)	155(3 12)	362(4 10)
728(5 5)	1069(6 6)	1214(7 4)	981(8 2)	382(9 0)	19(0 15)
96(1 13)	305(2 11)	673(3 9)	1142(4 7)	1484(5 5)	1454(6 3)
908(7 1)	111(0 12)	408(1 10)	878(2 8)	1384(3 6)	1615(4 4)
1336(3 2)	516(6 0)	339(0 9)	842(1 7)	1298(2 5)	1366(3 3)
889(4 1)	439(0 6)	871(1 4)	836(2 2)	350(3 0)	348(0 3)
324(1 1)	45(0 0)				
	4	4	3	3	2
	1	1	1	1	0
	0				
1(14 8)	1(15 6)	1(16 4)	2(17 2)	4(18 0)	4(14 2)
2(13 9)	1(9 9)	4(13 7)	12(15 5)	14(12 3)	9(13 1)
2(7 11)	3(8 8)	10(9 6)	26(13 4)	27(11 2)	11(12 0)
1(4 13)	3(5 11)	14(6 9)	29(7 7)	50(8 5)	54(9 3)
38(10 1)	3(0 12)	12(4 13)	34(5 8)	52(6 6)	83(7 4)
73(3 2)	31(9 0)	1(0 15)	2(1 13)	13(2 11)	52(3 9)
70(4 7)	101(5 3)	111(5 3)	72(7 1)	2(0 12)	19(1 10)
48(2 3)	92(3 6)	117(4 4)	106(5 2)	40(6 0)	23(0 9)
56(1 7)	99(2 5)	107(3 3)	74(4 1)	32(0 6)	68(1 4)
65(2 2)	30(3 0)	31(1 3)	27(1 1)	3(0 0)	
	4	4	3	3	2
	2	2	1	1	0
	0				
1(14 8)	2(15 6)	2(16 4)	2(17 2)	1(18 0)	2(11 11)
6(12 9)	13(12 7)	19(14 5)	18(13 3)	11(16 1)	1(8 14)
6(9 12)	21(10 10)	43(11 8)	67(12 6)	76(13 4)	62(14 2)
23(15 0)	2(6 15)	13(7 13)	43(3 11)	100(9 9)	166(10 7)
215(11 5)	206(12 3)	127(13 1)	2(4 16)	18(5 14)	67(6 12)
166(7 10)	310(8 8)	442(9 6)	490(10 4)	387(11 2)	149(12 0)

TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

2( 2 17)	18( 3 15)	76( 4 13)	215( 5 11)	442( 6 9)	709( 7 7)
882( 8 5)	837( 9 3)	514(10 1)	1( 0 18)	11( 1 16)	62( 2 14)
206( 3 12)	490( 4 10)	882( 5 8)	1253( 6 6)	1368( 7 4)	1089( 8 2)
413( 9 0)	23( 0 15)	127( 1 13)	387( 2 11)	837( 3 9)	1368( 4 7)
1742( 5 5)	1665( 6 3)	1031( 7 1)	149( 0 12)	514( 1 10)	1089( 2 8)
1665( 3 6)	1923( 4 4)	1559( 5 2)	607( 6 0)	413( 0 9)	1031( 1 7)
1559( 2 5)	1636( 3 3)	1054( 4 1)	607( 0 6)	1054( 1 4)	1019( 2 2)
416( 3 0)	416( 0 3)	395( 1 1)	59( 0 0)		

		4	4	3	2	2	2	1	1	1	0
1(16 4)	1(17 2)	1(12 9)	4(13 7)	7(14 5)	9(15 3)						
6(16 1)	1( 9 12)	5(10 10)	15(11 8)	29(12 6)	38(13 4)						
34(14 2)	14(15 0)	2( 7 13)	12( 8 11)	36( 9 9)	74(10 7)						
109(11 5)	113(12 3)	75(13 1)	3( 5 14)	19( 6 12)	63( 7 10)						
139( 8 8)	226( 9 6)	272(10 4)	228(11 2)	90(12 0)	3( 3 15)						
22( 4 13)	81( 5 11)	200( 6 9)	360( 7 7)	490( 8 5)	493( 9 3)						
312(10 1)	2( 1 16)	18( 2 14)	78( 3 12)	220( 4 10)	449( 5 8)						
690( 6 6)	806( 7 4)	664( 8 2)	257( 9 0)	7( 0 15)	48( 1 13)						
174( 2 11)	422( 3 9)	754( 4 7)	1019( 5 5)	1018( 6 3)	645( 7 1)						
66( 0 12)	258( 1 10)	594( 2 8)	973( 3 6)	1169( 4 4)	979( 5 2)						
386( 6 0)	227( 0 9)	599( 1 7)	951( 2 5)	1026( 3 3)	676( 4 1)						
367( 0 6)	663( 1 4)	651( 2 2)	271( 3 0)	270( 0 3)	256( 1 1)						
38( 0 0)											

		4	4	3	2	2	1	1	1	1
1(15 3)	1(16 1)	2(12 6)	4(13 4)	5(14 2)	2(15 0)					
1( 9 9)	4(10 7)	12(11 5)	15(12 3)	12(13 1)	2( 7 10)					
10( 8 8)	23( 9 6)	37(10 4)	35(11 2)	16(12 0)	3( 5 11)					
13( 6 9)	37( 7 7)	62( 8 5)	75( 9 3)	50(10 1)	3( 3 12)					
16( 4 10)	45( 5 8)	88( 6 6)	117( 7 4)	109( 8 2)	42( 9 0)					
2( 1 13)	11( 2 11)	42( 3 9)	91( 4 7)	146( 5 5)	158( 6 3)					
108( 7 1)	6( 0 12)	25( 1 10)	74( 2 8)	136( 3 0)	134( 4 4)					
159( 5 2)	68( 6 0)	25( 0 9)	83( 1 7)	142( 2 5)	167( 3 3)					
113( 4 1)	59( 0 6)	107( 1 4)	112( 2 2)	44( 3 0)	43( 0 3)					
44( 1 1)	8( 0 0)									

		4	4	2	2	2	2	2	0	0
1(10 10)	1(11 8)	3(12 6)	2(13 4)	3(14 2)	1( 8 11)					
4( 9 9)	7(10 7)	10(11 5)	10(12 3)	6(13 1)	3( 6 12)					
7( 7 10)	19( 8 2)	25( 9 6)	34(10 4)	23(11 2)	13(12 0)					
2( 4 13)	10( 5 11)	25( 6 9)	47( 7 7)	63( 8 5)	53( 9 3)					
40(10 1)	3( 2 14)	10( 3 12)	34( 4 10)	67( 5 8)	105( 6 6)					
114( 7 4)	102( 8 2)	33( 9 0)	6( 1 13)	23( 2 11)	63( 3 9)					
114( 4 7)	159( 5 5)	159( 6 3)	102( 7 1)	13( 0 12)	40( 1 10)					
100( 2 8)	159( 3 6)	214( 4 4)	162( 5 2)	72( 0 0)	33( 0 9)					
102( 1 7)	162( 2 5)	182( 3 3)	119( 4 1)	72( 0 0)	119( 1 4)					
127( 2 2)	46( 3 0)	46( 0 3)	49( 1 1)	10( 0 0)						

		4	4	2	2	2	2	2	1	1	0
1(11 8)	3(12 6)	3(13 4)	2(14 2)	1(15 0)	1( 8 11)						
3( 9 9)	8(10 7)	12(11 5)	13(12 3)	9(13 1)	6( 7 10)						
15( 3 8)	30( 9 6)	36(10 4)	33(11 2)	12(12 0)	2( 4 13)						
8( 5 11)	27( 6 9)	53( 7 7)	80( 8 5)	82( 9 3)	54(10 1)						
3( 3 12)	27( 4 10)	71( 5 8)	116( 6 6)	149( 7 4)	124( 8 2)						
52( 9 0)	1( 0 15)	5( 1 13)	26( 2 11)	69( 3 9)	142( 4 7)						
201( 5 5)	214( 6 3)	137( 7 1)	7( 0 12)	44( 1 10)	108( 2 8)						
202( 3 6)	251( 4 4)	224( 5 2)	85( 6 0)	49( 0 9)	127( 1 7)						
221( 2 5)	243( 3 3)	167( 4 1)	78( 0 6)	162( 1 4)	158( 2 2)						
72( 3 0)	74( 0 3)	67( 1 1)	8( 0 0)								



BLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

		4	3	3	3	3	1	1	1	1	0		
1(13 7)	1(14 5)	2(15 3)	1(16 1)	1(10 10)	3(11 8)								
7(12 6)	9(13 4)	9(14 2)	3(15 0)	1(7 13)	3(8 11)								
11(9 9)	20(10 7)	32(11 5)	32(12 3)	22(13 1)	1(5 14)								
7(6 12)	20(7 10)	44(8 8)	69(9 6)	85(10 4)	69(11 2)								
30(12 0)	2(3 15)	9(4 13)	32(5 11)	69(6 9)	123(7 7)								
161(8 5)	163(9 3)	101(10 1)	1(1 16)	9(2 14)	32(3 12)								
85(4 10)	161(5 8)	243(6 6)	273(7 4)	228(8 2)	84(9 0)								
3(0 15)	22(1 13)	69(2 11)	163(3 9)	273(4 7)	364(5 5)								
355(6 3)	224(7 1)	30(0 12)	101(1 10)	228(2 8)	355(3 6)								
423(4 4)	343(5 2)	140(6 0)	84(0 9)	224(1 7)	343(2 5)								
369(3 3)	239(4 1)	140(0 6)	239(1 4)	237(2 2)	94(3 0)								
94(0 3)	91(1 2)	16(0 0)											

		4	3	3	3	2	2	2	1	0	0		
1(12 9)	2(13 7)	3(14 5)	3(15 3)	2(16 1)	1(9 12)								
5(10 10)	12(11 8)	19(12 6)	22(13 4)	18(14 2)	7(15 0)								
4(7 13)	15(8 11)	36(9 9)	63(10 7)	81(11 5)	78(12 3)								
48(13 1)	1(4 16)	7(5 14)	29(6 12)	74(7 10)	139(8 8)								
200(9 6)	220(10 4)	174(11 2)	66(12 0)	1(2 17)	9(3 15)								
38(4 13)	109(5 11)	226(6 9)	360(7 7)	449(8 5)	422(9 3)								
258(10 1)	16(1 16)	34(2 14)	113(3 12)	272(4 10)	490(5 8)								
690(6 6)	754(7 4)	594(8 2)	227(9 0)	14(0 15)	75(1 13)								
228(2 11)	493(3 9)	306(4 7)	1019(5 5)	973(6 3)	599(7 1)								
90(0 12)	312(1 10)	664(2 8)	1018(3 6)	1169(4 4)	951(5 2)								
367(6 0)	257(0 9)	645(1 7)	979(2 5)	1026(3 3)	663(4 1)								
386(0 6)	676(1 4)	651(2 2)	270(3 0)	271(0 3)	256(1 1)								
38(0 0)													

		4	3	3	3	2	2	1	1	1	0		
1(14 5)	1(15 3)	1(16 1)	1(10 10)	3(11 8)	7(12 6)								
10(13 4)	9(14 2)	4(15 0)	3(8 11)	11(9 9)	25(10 7)								
27(11 5)	42(12 3)	26(13 1)	1(5 14)	7(6 12)	25(7 10)								
57(8 8)	98(9 6)	25(10 4)	98(11 2)	38(12 0)	1(3 15)								
10(4 13)	37(5 11)	95(6 9)	172(7 7)	237(8 5)	237(9 3)								
152(10 1)	1(1 16)	9(2 14)	4(3 12)	115(4 10)	237(5 8)								
365(6 6)	427(7 4)	250(8 2)	138(0 0)	4(0 15)	26(1 13)								
98(2 11)	237(3 9)	427(4 7)	576(5 5)	576(6 3)	564(7 1)								
38(0 12)	152(1 10)	390(2 8)	576(3 6)	692(4 4)	582(5 2)								
226(6 0)	138(0 9)	364(1 7)	692(2 5)	628(3 3)	414(4 1)								
226(0 6)	414(1 4)	416(2 2)	171(3 0)	171(0 3)	153(1 1)								
24(0 0)													

		4	3	3	3	2	1	1	1	1	1		
1(13 4)	1(14 3)	1(10 7)	3(11 5)	5(12 3)	4(13 1)								
3(8 8)	8(9 6)	13(10 4)	14(11 2)	6(12 0)	1(5 11)								
5(6 9)	15(7 7)	27(8 5)	32(9 3)	24(10 1)	1(3 12)								
7(4 10)	20(5 8)	41(6 6)	57(7 4)	52(8 2)	22(9 0)								
1(1 13)	6(2 11)	21(3 9)	47(4 7)	75(5 5)	85(6 3)								
56(7 1)	2(0 12)	13(1 10)	39(2 8)	74(3 6)	100(4 4)								
89(5 2)	25(6 0)	15(0 9)	47(1 7)	82(2 5)	96(3 3)								
65(4 1)	33(0 8)	62(1 4)	64(2 2)	29(3 0)	26(0 3)								
26(1 1)	4(0 0)												

		4	3	3	2	2	2	2	0	0		
1(11 8)	2(13 4)	1(15 0)	1(8 11)	3(9 9)	6(10 7)							
8(11 5)	8(12 3)	5(13 1)	2(6 12)	8(7 10)	15(8 8)							
27(9 6)	27(10 4)	76(11 2)	7(12 0)	3(4 13)	12(5 11)							
30(6 9)	53(7 7)	71(8 5)	69(9 3)	44(10 1)	2(2 14)							
13(3 12)	36(4 10)	30(5 8)	116(6 6)	142(7 4)	108(8 2)							

IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

9(5 0)	1(0 15)	8(1 13)	33(2 11)	82(3 9)	149(4 7)
1(5 5)	202(6 3)	127(7 1)	12(0 12)	54(1 10)	124(2 8)
4(3 6)	251(4 4)	221(5 2)	78(6 0)	52(0 9)	137(1 7)
4(2 5)	243(3 3)	162(4 1)	85(0 6)	167(1 4)	158(2 2)
4(3 0)	72(0 3)	67(1 1)	8(0 0)		

		4	3	3	2	2	2	2	1	1	0
1(12 6)	1(13 4)	1(14 2)	2(9 9)	5(10 7)	9(11 5)						
3(12 3)	6(13 1)	1(6 12)	5(7 10)	16(8 8)	27(9 6)						
6(10 4)	29(11 2)	13(12 0)	1(4 13)	9(5 11)	27(6 9)						
3(7 7)	83(8 5)	88(9 3)	56(10 1)	1(2 14)	9(3 12)						
6(4 10)	83(5 8)	143(6 6)	172(7 4)	150(8 2)	56(9 0)						
3(1 13)	29(2 11)	88(3 9)	172(4 7)	252(5 5)	260(6 3)						
9(7 1)	13(0 12)	56(1 10)	150(2 8)	260(3 6)	336(4 4)						
4(5 2)	118(6 0)	56(0 9)	170(1 7)	284(2 5)	324(3 3)						
7(4 1)	118(0 6)	217(1 4)	225(2 2)	91(3 0)	91(0 3)						
2(1 1)	16(0 0)										

		4	3	3	2	2	2	1	1	1	1
1(15 0)	1(11 5)	2(12 3)	2(13 1)	1(8 8)	4(9 6)						
7(10 4)	9(11 2)	2(12 0)	2(6 9)	8(7 7)	16(8 5)						
2(9 3)	15(10 1)	3(4 10)	12(5 8)	27(6 6)	42(7 4)						
7(8 2)	18(9 0)	2(2 11)	12(3 9)	32(4 7)	57(5 5)						
5(6 3)	46(7 1)	1(0 12)	8(1 10)	27(2 8)	59(3 6)						
10(4 4)	78(5 2)	29(6 0)	10(0 9)	37(1 7)	69(2 5)						
4(3 3)	58(4 1)	27(0 6)	57(1 4)	58(2 2)	27(3 0)						
5(0 3)	25(1 1)	3(0 0)									

		4	3	2	2	2	2	2	1	0
1(9 8)	2(9 6)	2(10 4)	2(11 2)	1(12 0)	2(6 9)					
5(7 7)	8(8 5)	9(9 3)	6(10 1)	2(4 10)	8(5 8)					
6(6 6)	22(7 4)	27(8 2)	8(9 0)	2(2 11)	9(3 9)					
2(4 7)	37(5 5)	43(6 3)	28(7 1)	1(0 12)	6(1 10)					
5(2 9)	43(3 8)	59(4 4)	55(5 2)	23(6 0)	3(0 9)					
8(1 7)	55(2 5)	57(3 3)	47(4 1)	23(0 6)	47(1 4)					
1(2 2)	23(0 0)	23(0 3)	22(1 1)	4(0 0)						

		4	3	2	2	2	2	1	1	1
1(10 4)	1(11 2)	1(7 7)	3(8 5)	4(9 3)	3(10 1)					
1(5 3)	5(6 6)	0(7 4)	9(8 2)	4(9 0)	1(3 9)					
7(4 7)	14(5 5)	13(6 3)	14(7 1)	1(1 10)	6(2 8)					
5(3 6)	25(4 4)	25(5 2)	10(6 0)	2(0 9)	10(1 7)					
2(2 5)	29(3 3)	22(4 1)	9(0 6)	21(1 4)	23(2 2)					
0(3 0)	9(0 0)	11(1 1)	1(0 0)							

		4	2	2	2	2	2	2	2	0
1(5 5)	1(3 2)	1(5 5)	1(6 3)	1(7 1)	1(2 8)					
1(3 6)	4(4 4)	2(5 2)	2(6 0)	1(1 7)	2(2 5)					
4(3 3)	3(4 1)	2(1 6)	3(1 4)	5(2 2)	1(3 0)					
1(0 5)	2(1 1)	2(0 0)								

		4	2	2	2	2	2	2	1	1
1(7 4)	1(9 0)	1(5 5)	1(6 3)	1(7 1)	1(3 6)					
2(4 4)	4(5 2)	1(1 7)	2(2 5)	4(3 3)	3(4 1)					
1(0 6)	2(1 4)	2(2 2)	3(3 0)	2(0 5)	2(1 1)					

		3	3	3	3	3	2	0	0	0
1(10 6)	1(14 2)	1(8 11)	2(9 9)	3(10 7)	4(11 5)					
4(12 3)	2(13 1)	1(5 14)	3(6 12)	6(7 10)	11(8 8)					
3(9 6)	15(10 4)	1(11 2)	5(12 0)	1(2 17)	2(3 15)					



TABLE. IRREDUCIBLE REPRESENTATIONS OF SU(3) CONTAINED IN A PARTITION OF U(10)

6( 4 13)	13( 5 11)	24( 6 9)	32( 7 7)	37( 8 5)	33( 9 3)
19(10 1)	1( 1 16)	5( 2 14)	15( 3 12)	31( 4 10)	49( 5 8)
65( 6 6)	63( 7 4)	50( 8 2)	17( 9 0)	4( 0 15)	11( 1 13)
31( 2 11)	57( 3 9)	85( 4 7)	98( 5 5)	89( 6 3)	52( 7 1)
10( 0 12)	37( 1 10)	71( 2 8)	103( 3 6)	110( 4 4)	86( 5 2)
34( 6 0)	32( 0 9)	68( 1 7)	100( 2 5)	99( 3 3)	61( 4 1)
38( 0 6)	64( 1 4)	61( 2 2)	25( 3 0)	28( 0 3)	23( 1 1)
4( 0 0)					

3 3 3 3 3 3 1 1 0 0

1(13 4)	1(15 0)	1( 9 9)	2(10 7)	3(11 5)	3(12 3)
2(13 1)	1( 5 14)	2( 6 12)	6( 7 10)	8( 8 8)	14( 9 6)
12(10 4)	13(11 2)	2(12 0)	1( 3 15)	4( 4 13)	10( 5 11)
19( 6 9)	29( 7 7)	34( 8 5)	32( 9 3)	19(10 1)	1( 1 16)
4( 2 14)	14( 3 12)	28( 4 10)	50( 5 8)	62( 6 6)	70( 7 4)
48( 8 2)	23( 9 0)	2( 0 15)	9( 1 13)	27( 2 11)	54( 3 9)
83( 4 7)	101( 5 5)	92( 6 3)	56( 7 1)	11( 0 12)	38( 1 10)
73( 2 8)	111( 3 6)	117( 4 4)	99( 5 2)	32( 6 0)	31( 0 9)
72( 1 7)	106( 2 5)	107( 3 3)	68( 4 1)	40( 0 6)	74( 1 4)
65( 2 2)	31( 3 0)	30( 0 3)	27( 1 1)	3( 0 0)	

3 2 3 3 3 2 2 1 0 0

1( 9 9)	2(10 7)	3(11 5)	3(12 3)	2(13 1)	2( 6 12)
4( 7 10)	10( 8 8)	13( 9 6)	16(10 4)	11(11 2)	6(12 0)
1( 3 15)	4( 4 13)	12( 5 11)	23( 6 9)	37( 7 7)	45( 8 5)
42( 9 3)	25(10 1)	1( 1 16)	5( 2 14)	15( 3 12)	37( 4 10)
62( 5 8)	88( 6 6)	91( 7 4)	74( 8 2)	25( 9 0)	2( 0 15)
12( 1 13)	35( 2 11)	75( 3 9)	117( 4 7)	146( 5 5)	136( 6 3)
83( 7 1)	16( 0 12)	50( 1 10)	109( 2 8)	158( 3 6)	184( 4 4)
142( 5 2)	59( 6 0)	42( 0 9)	108( 1 7)	159( 2 5)	167( 3 3)
107( 4 1)	68( 0 6)	113( 1 4)	112( 2 2)	43( 3 0)	44( 0 3)
44( 1 1)	8( 0 0)				

3 3 3 3 3 2 1 1 1 0

1(11 5)	1(12 2)	1(13 1)	1( 7 10)	3( 6 8)	5( 9 6)
7(13 4)	6(11 2)	2(12 0)	1( 4 13)	3( 5 11)	3( 6 9)
15( 7 7)	20( 8 5)	21( 9 3)	13(10 1)	1( 2 14)	5( 3 12)
13( 4 10)	27( 5 8)	41( 6 6)	47( 7 4)	39( 8 2)	15( 9 0)
6( 1 13)	14( 2 11)	32( 3 9)	57( 4 7)	75( 5 5)	74( 6 3)
47( 7 1)	6( 0 12)	24( 1 10)	52( 2 8)	85( 3 6)	100( 4 4)
32( 5 2)	23( 6 0)	22( 0 9)	56( 1 7)	89( 2 5)	96( 3 3)
62( 4 1)	35( 0 6)	65( 1 4)	64( 2 2)	26( 3 0)	23( 0 3)
26( 1 1)	4( 0 0)				

2 3 3 3 3 1 1 1 1 1

1(13 4)	1(12 0)	1( 7 7)	1( 8 5)	2( 9 3)	2(10 1)
1( 4 10)	1( 5 8)	4( 6 6)	4( 7 4)	6( 8 2)	2( 3 9)
4( 4 7)	8( 5 5)	7( 6 3)	6( 7 1)	1( 0 12)	2( 1 10)
6( 2 8)	7( 3 6)	14( 4 4)	9( 5 2)	6( 6 0)	6( 1 7)
9( 2 5)	11( 3 3)	7( 4 1)	6( 0 6)	7( 1 4)	11( 2 2)
1( 3 0)	1( 0 3)	4( 1 1)	1( 0 0)		

3 3 3 3 2 2 2 2 0 0

1( 7 10)	1( 8 9)	3( 9 6)	2(10 4)	3(11 2)	2( 5 11)
4( 6 9)	8( 7 7)	10( 8 5)	10( 9 3)	6(10 1)	1( 2 14)
3( 3 12)	9( 4 10)	17( 5 8)	24( 6 6)	28( 7 4)	21( 8 2)
9( 9 0)	3( 1 13)	7( 2 11)	21( 3 9)	34( 4 7)	46( 5 5)
44( 6 3)	28( 7 1)	5( 0 12)	15( 1 10)	35( 2 8)	55( 3 6)
64( 4 4)	54( 5 2)	20( 6 0)	11( 0 0)	37( 1 7)	57( 2 5)
63( 3 3)	41( 4 1)	27( 0 6)	45( 1 4)	45( 2 2)	19( 3 0)



APPENDIX-CSU(3) TENSOR DECOMPOSITION OF 1-BODY AND 2-BODY OPERATORS

The SU(3) tensor character of a given interaction in a given shell can be known by writing down the operator corresponding to the given interaction in terms of the creation ( $a^+$ ) and annihilation ( $a$ ) operators. For a given U(S) (i.e. for a given shell)  $a^+$  and  $a$  transform as

$$\begin{aligned} a^+ &\longrightarrow [1] \text{ of } U(S) \\ \text{and } a &\longrightarrow [1^{S-1}] \text{ of } U(S) \end{aligned}$$

As any one body operator consists of terms of the type  $a^+ a$ , the U(S) tensor character of any 1-body operator is obtained by coupling the partition  $[1]$  and  $[1^{S-1}]$ , according to which  $a^+$  and  $a$  transform under U(S) respectively. Then we will get

$$[1] \times [1^{S-1}] \rightarrow [0] + [21^{S-2}] \quad (1)$$

A two-body operator consists of terms of the type  $a^+ a^+$ ,  $a a$ . By coupling two creation operators, we get

$$a^+ a^+ \rightarrow [1] \times [1] = [2] + [1^2] \quad (ii)$$

and coupling the two annihilation operators, we get

$$a a \rightarrow [1^{S-1}] \times [1^{S-1}] = \underset{s}{[2^{S-1}]} + \underset{a}{[1^{S-2}]} \quad (iii)$$

(iii).1

Now the total U(S) tensor character of a 2-body operator is obtained by coupling the U(S) partitions in eqn.(ii) and eqn.(iii). Then we get<sup>36)</sup>

$$[2] \times [2^{S-1}] = [0] + [21^{S-2}] + [42^{S-2}]$$

$$[2] \times [1^{S-2}] = [31^{S-2}] + [21^{S-2}]$$

$$[1^2] \times [2^{S-1}] = [3^2 2^{S-3}] + [21^{S-2}]$$

$$[1^2] \times [1^{S-2}] = [0] + [21^{S-2}] + [2^2 1^{S-4}]$$

(iv)

To know the SU(3) irreducible tensor character of a given one-body or two-body interaction, simply we have to know the reductions of U(S) partitions appearing in eqn.(i) and eqn.(iv) to IR of SU(3). They can be read out for  $\eta = 3$  shell from the tabulations given in Appendix-B. We will give here the reductions for  $\eta = 4$  shell.

TABLE

REDUCTION OF TWO-BODY INTERACTIONS IN  $\mathcal{N}=4$  SHELL TO IR  
OF SU(3)

<u>U(15) PARTITION</u>	<u>IR. OF SU(3)</u>
[0]	(00)
[2 <sup>13</sup> ]	(11) (22) (33) (44)
[2 <sup>2</sup> 1 <sup>11</sup> ]	(77) (85) (93) (10 1) (58) (66) <sup>2</sup> (74) <sup>2</sup> (82) <sup>2</sup> (90) (39) (47) <sup>2</sup> (55) <sup>5</sup> (63) <sup>5</sup> (71) <sup>3</sup> (1 10) (28) <sup>2</sup> (36) <sup>5</sup> (44) <sup>7</sup> (52) <sup>6</sup> (60) <sup>2</sup> (09) (17) <sup>3</sup> (25) <sup>6</sup> (33) <sup>8</sup> (41) <sup>5</sup> (06) <sup>2</sup> (14) <sup>5</sup> (22) <sup>6</sup> (30) <sup>2</sup> (03) <sup>2</sup> (11) <sup>3</sup> (00)
[3 1 <sup>12</sup> ]	(96) (11 2) (77) (85) (93) (10 1) (58)(662) <sup>2</sup> (74 (82) <sup>2</sup> (90) <sup>2</sup> (39)(47) <sup>2</sup> (55) <sup>5</sup> (63) <sup>5</sup> (71) <sup>3</sup> (1 10) (28) <sup>2</sup> (36) <sup>5</sup> (44) <sup>7</sup> (52) <sup>8</sup> (60) (09)(17) <sup>3</sup> (25) <sup>6</sup> (33) <sup>8</sup> (41) <sup>5</sup> (06) <sup>2</sup> (14) <sup>5</sup> (22) <sup>5</sup> (30) <sup>4</sup> (03) <sup>3</sup> (11) <sup>3</sup>
[3 <sup>2</sup> 2 <sup>12</sup> ]	(69)(77)(85)(93)(10 1) (58) (66) <sup>2</sup> (74) <sup>2</sup> (82) <sup>2</sup> (90)(2 11) (39) (47) <sup>4</sup> (55) <sup>5</sup> (63) <sup>5</sup> (71) <sup>3</sup> (1 10) (28) <sup>2</sup> (36) <sup>5</sup> (44) <sup>7</sup> (52) <sup>6</sup> (60) <sup>2</sup> (09) <sup>2</sup> (17) <sup>3</sup> (25) <sup>8</sup> (33) <sup>8</sup> (41) <sup>5</sup> (06) (14) <sup>5</sup> (22) <sup>5</sup> (30) <sup>3</sup> (03) <sup>4</sup> (11) <sup>3</sup>

....

(iii).3

$4 \cdot 2^{13}$  ]

(88) (10 4) (12 0) (77) (85) (93) 10 1)

(4 10) (58) (66)<sup>4</sup> (74)<sup>2</sup> (82)<sup>4</sup> (39) (47)<sup>2</sup>

(55)<sup>2</sup> (63)<sup>5</sup> (71)<sup>3</sup> (0 12) (1 10) (28)<sup>4</sup> (36)<sup>5</sup>

(44)<sup>10</sup> (52)<sup>5</sup> (60)<sup>4</sup> (17)<sup>3</sup> (25)<sup>5</sup> (33)<sup>8</sup> (41)<sup>5</sup>

(06)<sup>4</sup> (14)<sup>5</sup> (22)<sup>8</sup> (30) (03) (11)<sup>2</sup> (00)<sup>2</sup>

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